Indirect Constraints on Third Generation Baryon Number Violation

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MAX-PLANCK-INSTITUT FÜR PHYSIK

based on M. Beneke, GF, A. A. Petrov 2404.09642



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But what if BNV needs third generation quarks?

B-anomalies: set of observables in *B* decays showing discrepancies <u>SM predictions</u> vs <u>Experiments</u>







explained by New Physics at scales $\Lambda_{\rm fl} \sim 1-10~{\rm TeV}$







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Natural questions:

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Answer: Don't know!

Proton would still decay through virtual b quarks, constraining Λ_{BNV}

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most suppressed $\Gamma(p \to f)$ smallest Λ_{BNV} from τ_p constraints

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Results for $p \to \ell^+ \nu_\ell \bar{\nu}$

Experimental bounds [Super-Kamiokande 2014]

• $\Gamma(p \to e^+ \nu \nu) < 1.23 \cdot 10^{-64} \text{ GeV}$ • $\Gamma(p \to \mu^+ \nu \nu) < 0.95 \cdot 10^{-64} \text{ GeV}$





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 C_{ν} is the unknown dimensionless Wilson coefficient in the Weak Effective Theory (WET)



$$\Gamma(p \to \ell^+ \nu_\ell \bar{\nu}) = \frac{|C_\nu|^2}{\Lambda_{\text{BNV}}^4} \frac{|V_{ub}|^2 G_F^2 m_p^7}{7680 \pi^3 m_b^2} 10^{-3} \text{GeV}^4 \times \begin{cases} 1.028 \,, & \text{for } p \to e^+ \nu_e \bar{\nu} \\ 0.933 \,, & \text{for } p \to \mu^+ \nu_\mu \bar{\nu} \end{cases}$$



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Using the experimental constraints

$$\frac{\Lambda_{\mathsf{BNV}}}{\sqrt{|C_{\nu}|}}\bigg|_{p \to e^{+}\nu_{e}\bar{\nu}} > 6.59 \cdot 10^9 \text{ GeV} \qquad \qquad \frac{\Lambda_{\mathsf{BNV}}}{\sqrt{|C_{\nu}|}}\bigg|_{p \to \mu^{+}\nu_{\mu}\bar{\nu}} > 6.86 \cdot 10^9 \text{ GeV}$$

rather **high**! Already showing that $\Lambda_{BNV} \sim \Lambda_{fl}$ is <u>ruled out</u>!

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Using the experimental constraints

$$\left.\frac{\Lambda_{\rm BNV}}{\sqrt{|C_\nu|}}\right|_{p\to\pi^+\bar\nu}\!>3.34\cdot10^9~{\rm GeV}$$

less effective than leptonic decay

Results for $p \to \pi^0 \ell^+$

Strongest experimental bounds [Super-Kamiokande 2020]

•
$$\Gamma(p \to \pi^0 e^+) < 0.87 \cdot 10^{-66} \text{ GeV}$$

•
$$\Gamma(p \to \pi^0 \mu^+) < 1.30 \cdot 10^{-66} \text{ GeV}$$

two independent operators contributing

➡ 2D constraints!



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$$\begin{split} \Lambda_{\mathsf{BNV}}\Big|_{p\to\pi^{0}e^{+}} &> 6.23 \cdot 10^{10} \; \mathsf{GeV} \left(|C_{R}^{e}|^{2} + 0.0014 \mathsf{Re}[C_{L}^{e*}C_{R}^{e}] + 0.304 |C_{L}^{e}|^{2} \right)^{1/4}, \\ \Lambda_{\mathsf{BNV}}\Big|_{p\to\pi^{0}\mu^{+}} &> 5.63 \cdot 10^{10} \; \mathsf{GeV} \left(|C_{R}^{\mu}|^{2} + 0.283 \mathsf{Re}[C_{L}^{\mu*}C_{R}^{\mu}] + 0.308 |C_{L}^{\mu}|^{2} \right)^{1/4}, \end{split}$$

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these coefficients are 10 times more constrained with respect to C_{ν}

We can estimate the branching ratio using $\Lambda_{BNV} > 6 \cdot 10^9 \text{ GeV}$

$$\mathcal{B}(\bar{B} \to X\ell) \approx \frac{m_b^5}{2^{10} 3\pi^3 \Gamma_{\rm tot}^B \Lambda_{\rm BNV}^4}$$



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However...

what about operators with τ lepton? Not directly constrained by p decay!

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$$\mathcal{B}(\bar{B} \to X\tau) \lesssim (10^{-13} \div 10^{-15})$$

closer to detectability, but experimental efficiency in reconstructing τ is much smaller...





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Thank You!

Backup Slides



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 \Rightarrow *B* decays employing **Effective Field Theories** (HQET, SCET, ...) to separate perturbative physics from universal non-perturbative inputs

