New era in dark matter searches the dawn of the (nuclear) clocks

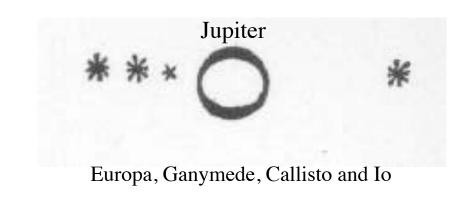
Gilad Perez

Weizmann Institute of Science



Prologue





Th-239 progression of precision in isomeric-line's $\delta f/f$:

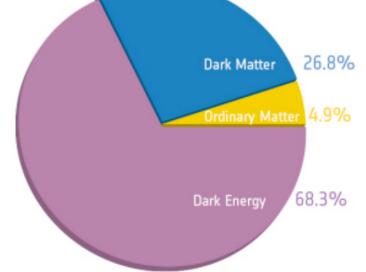
$$0.1 (2020) \implies 0.001 (2022) \implies 1:10^{6} (Mar/Apr/24) \implies 1:10^{11} (Jun/24)$$

Outline

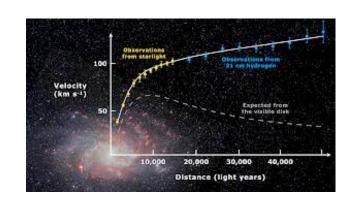
- Intro. (spin-0) ultralight dark-matter (UDM)
- Current status, UDM searches
- Laser excitation of Th-229 (news, sensitivity & robustness)
- Summary

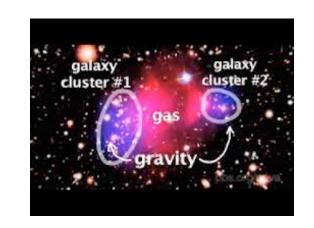
Usually in this part we discuss:

Unseen Mass: The dark matter (DM) constitutes about 85% of the total mass of the universe



Galaxy Formation & rotation curves: The gravitational influence of DM plays vital role in formation and evolution of galaxies & motions of stars

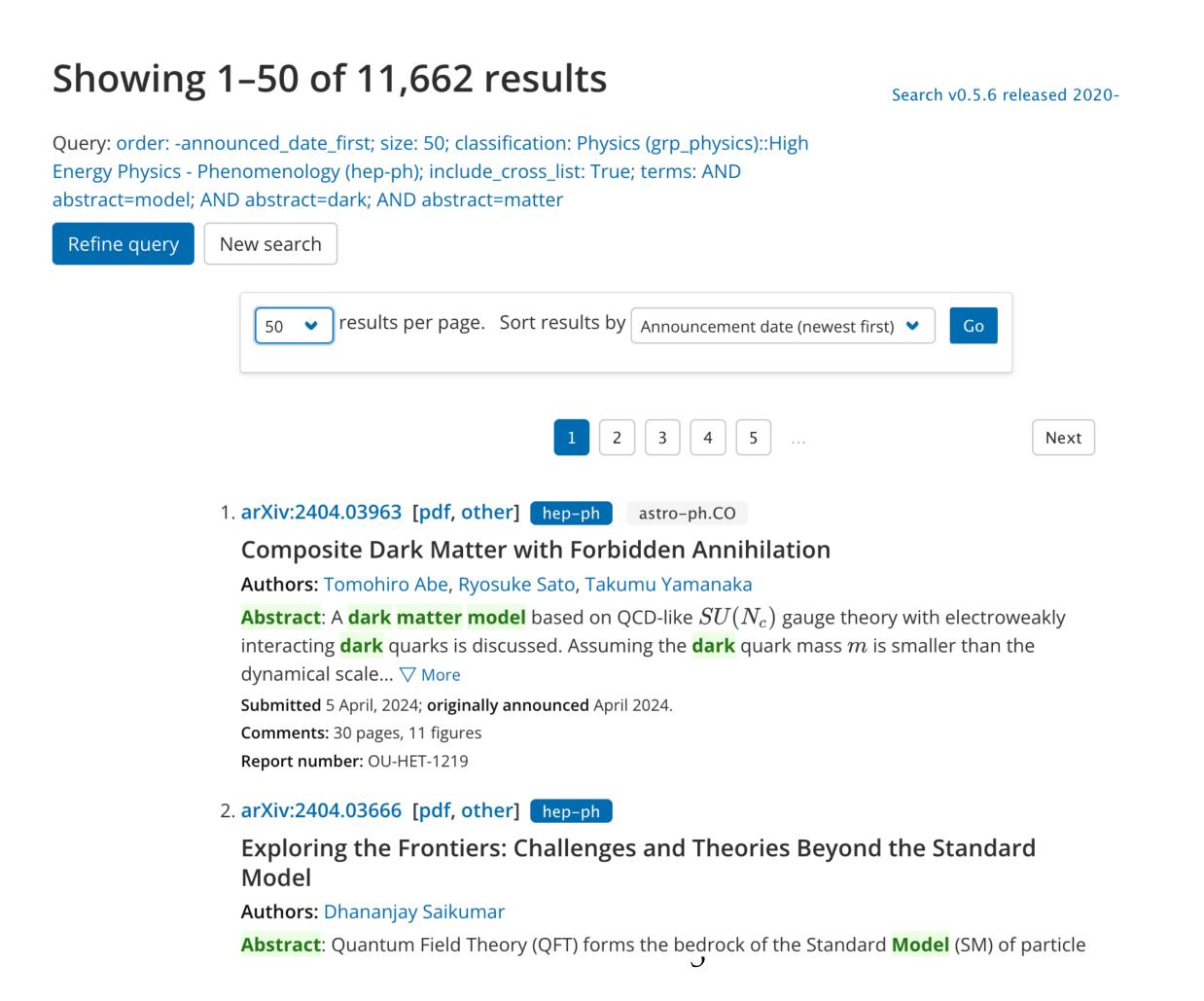




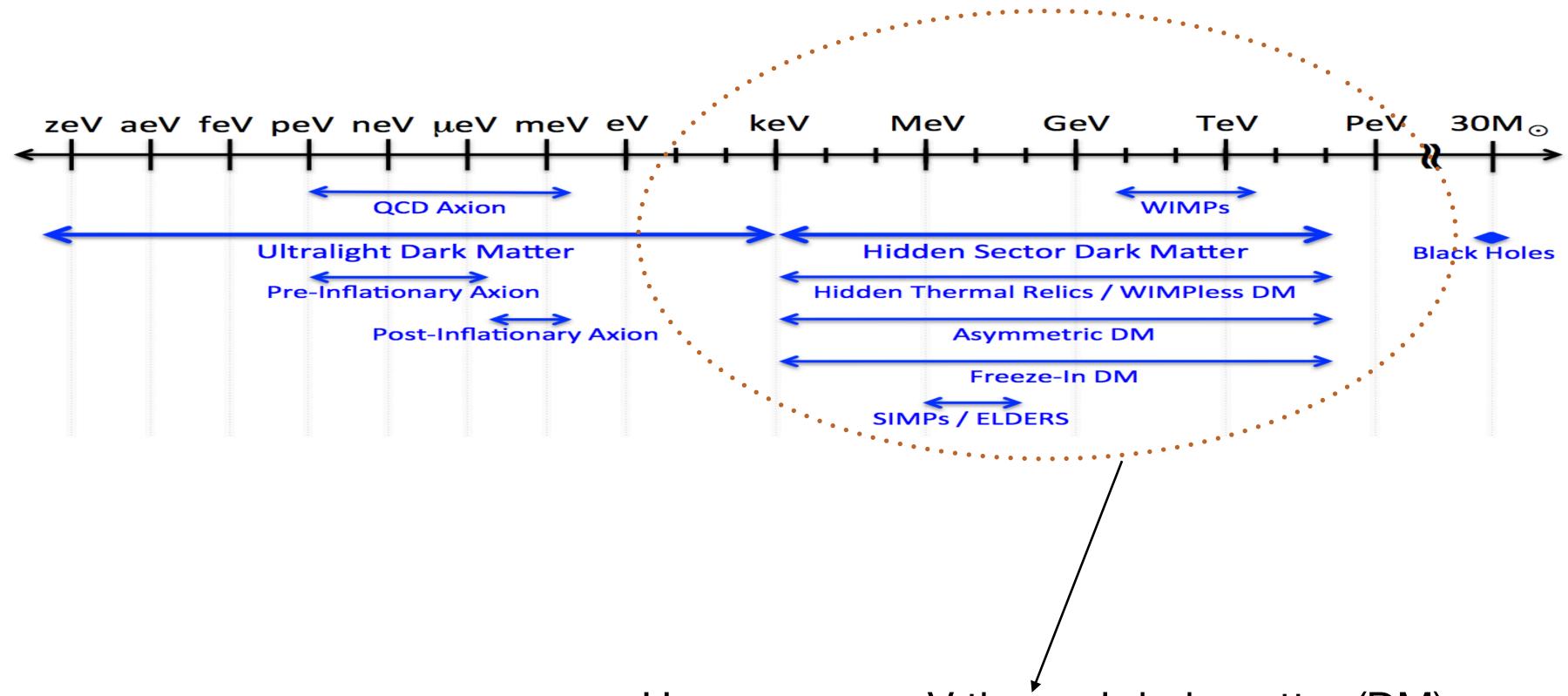
Cosmic Microwave Background (CMB): Observations of the temperature fluctuations shows excellent agreement with the ΛCDM model

Instead we'll take a different path following a theorist perspective

If you study the literature you'd find $\mathcal{O}(10^4)$ papers of model building of dark matter

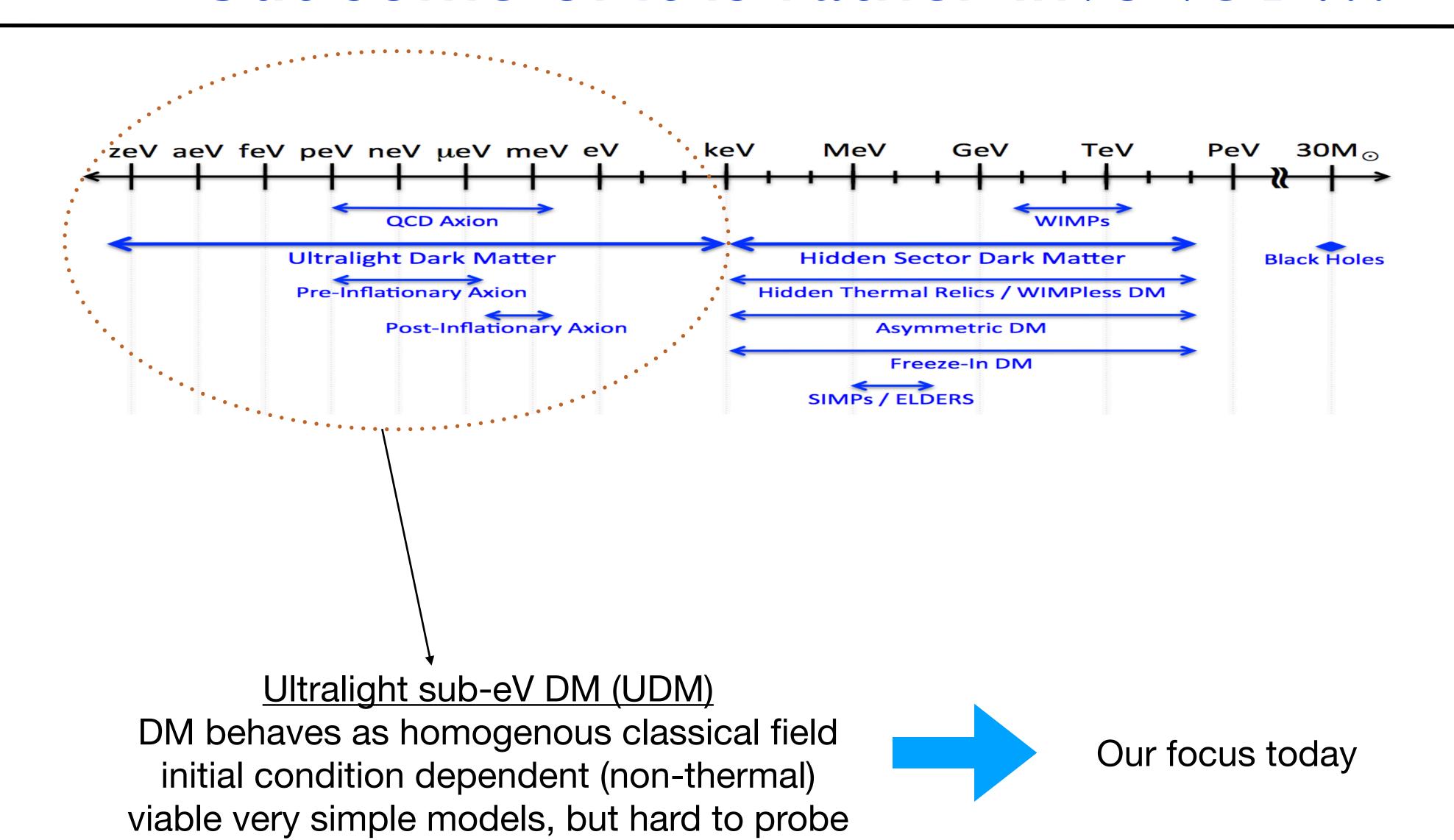


The space of possible theories is vast, but some of it is rather involved ...



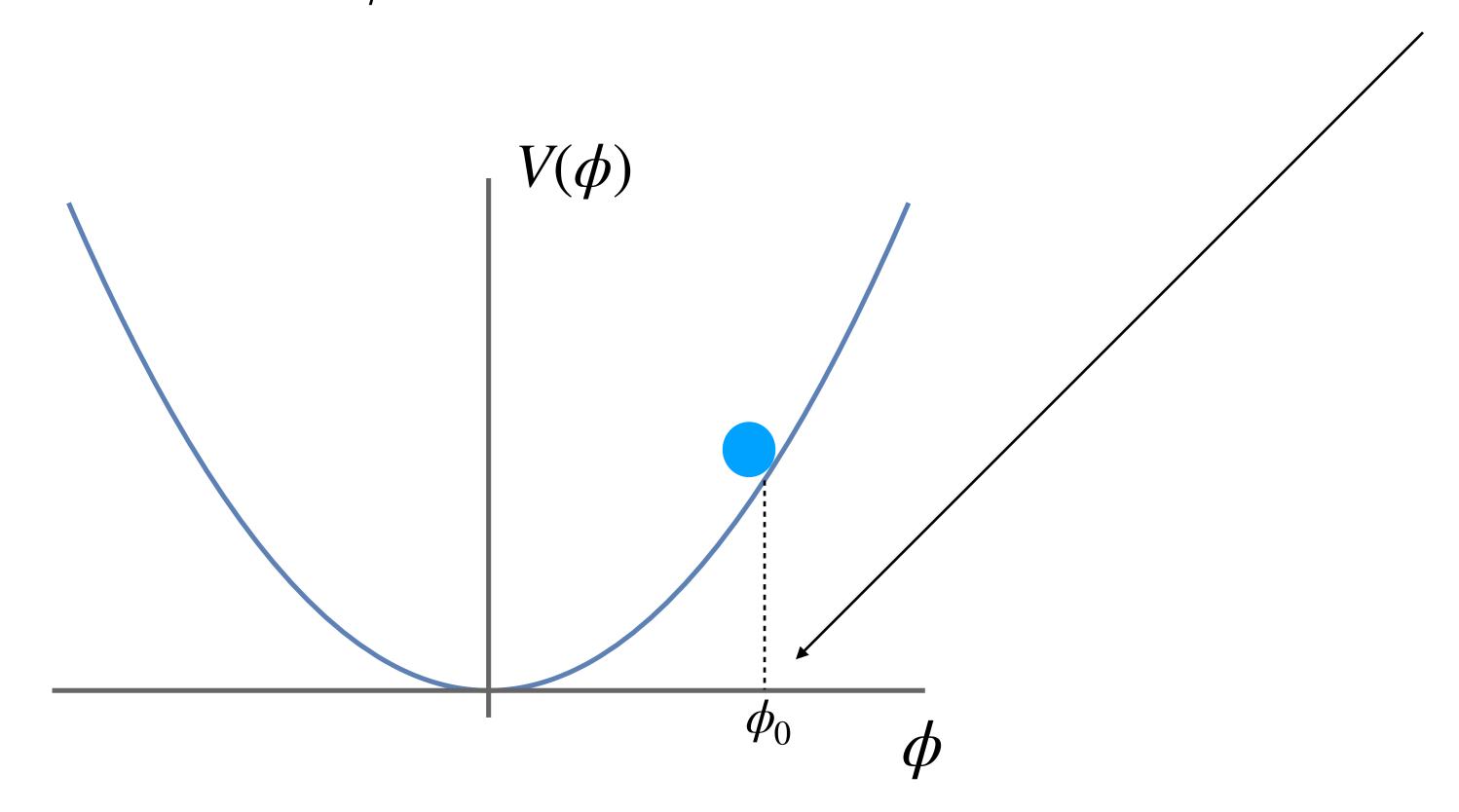
Heavy, super-eV thermal dark matter (DM) behaves as gas of individual quanta indep. of initial conditions (thermal) however, viable models are non-minimal

The space of possible theories is vast, but some of it is rather involved ...



The simplest ever model of ultralight dark matter

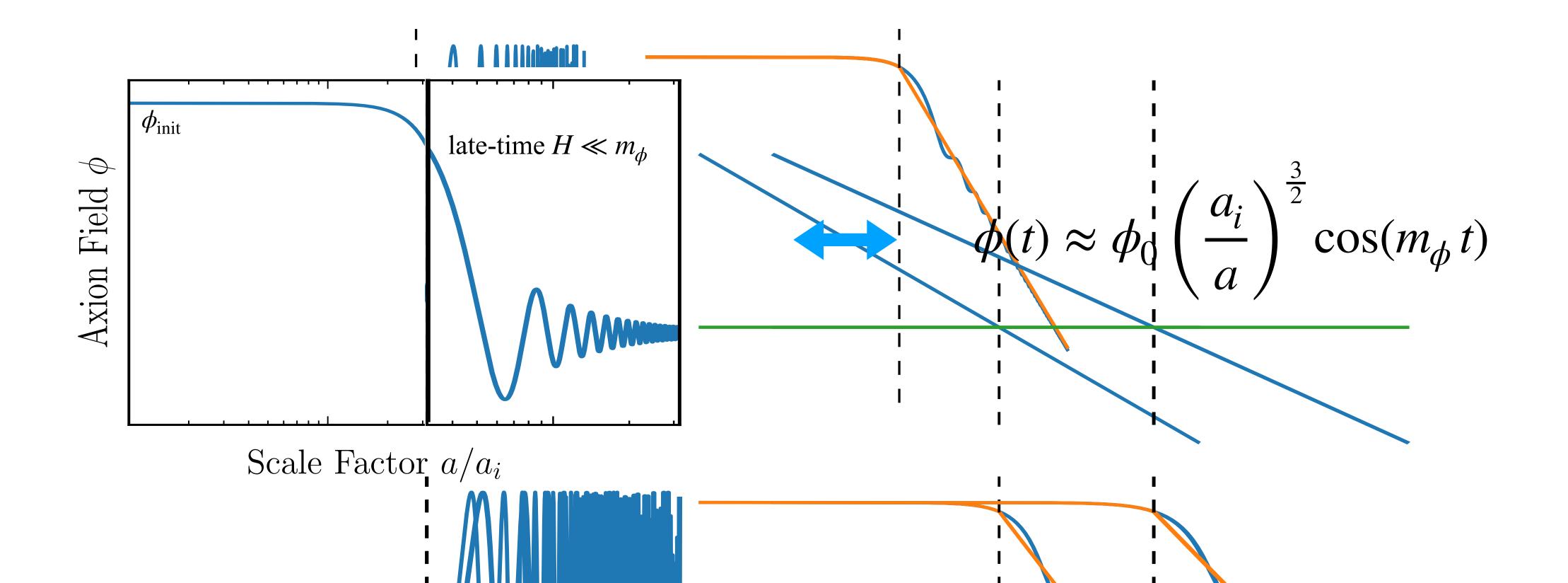
• Just free (pseudo-) scalar light field, $\mathcal{L} \in m_{\phi}^2 \phi^2$, with some initial homogenous condition, $\phi_{\text{init}} = \phi_0$



• What would be the cosmological evolution of such a field (assume $H \ll m_{\phi}$)?

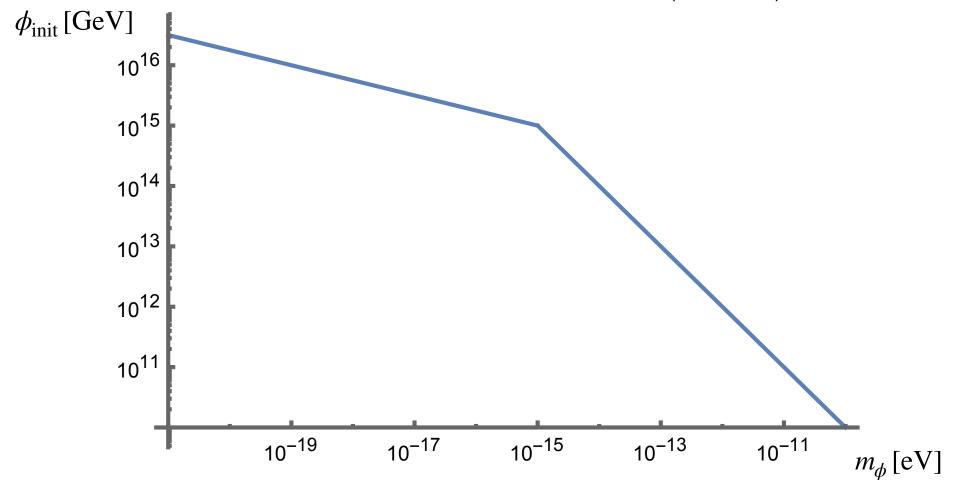
Late time evolution of scalar field, approximate oscillatory

- Just free (pseudo-) scalar light field, $\mathcal{L} \in m_{\phi}^2 \phi^2$, with some initial homogenous condition, $\phi_{\text{init}} = \phi_0$
- The field oscillates around the minimum with late-time solution looks like:



Implication for ultralight dark matter (UDM) cosmology

- What is the impact of the scalar field behavior $[\phi(t) \approx \phi_0 \left(\frac{a_i}{a}\right)^{\frac{3}{2}} \cos(m_{\phi} t)]$ on the cosmology:
 - (i) The EOS satisfies $w_{\phi} = p_{\phi}/\rho_{\phi} = 0$, and the energy density scales as $\rho_{\phi} \propto a^{-3} \ll \infty$ ordinary matter
 - (ii) The density goes like amplitude square, $\rho_{\phi} \sim \phi_0^2 \left(\frac{a}{a_{\rm osc}}\right)^{-3} =>$ the DM density is mapped to initial value, ϕ_0 :



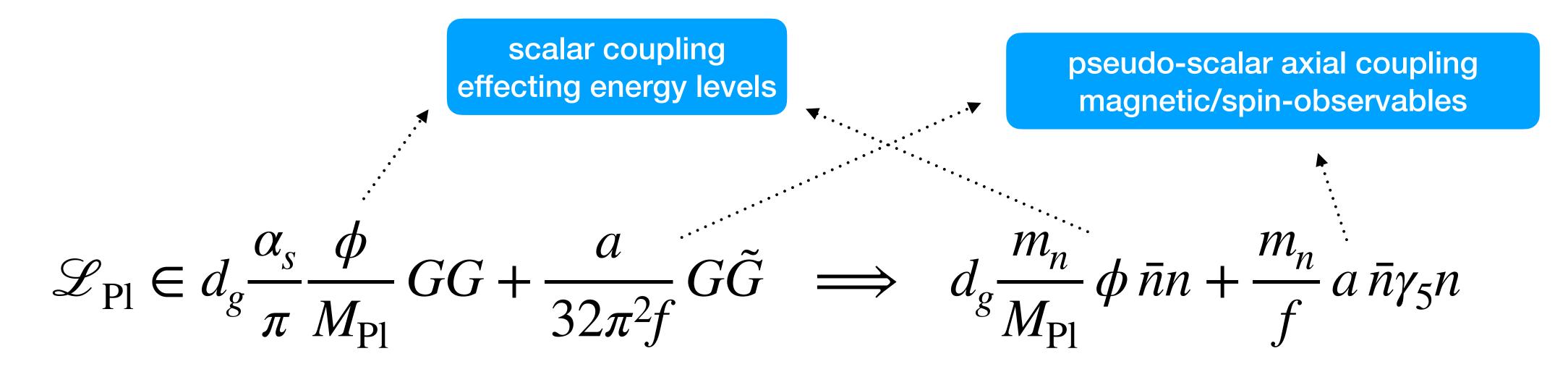
$$\phi_{\text{init}} \equiv \theta f \left(f_{\text{min}} \right) = \begin{cases} 10^{18} \,\text{GeV} \left(\frac{10^{-27} \,\text{eV}}{m_{\phi}} \right)^{\frac{1}{4}} & m_{\phi} \lesssim 10^{-15} \,\text{eV} \\ 10^{15} \,\text{GeV} \left(\frac{10^{-15} \,\text{eV}}{m_{\phi}} \right) & m_{\phi} \gtrsim 10^{-15} \,\text{eV} \end{cases}$$

[assuming ("best case") MeV reheating]

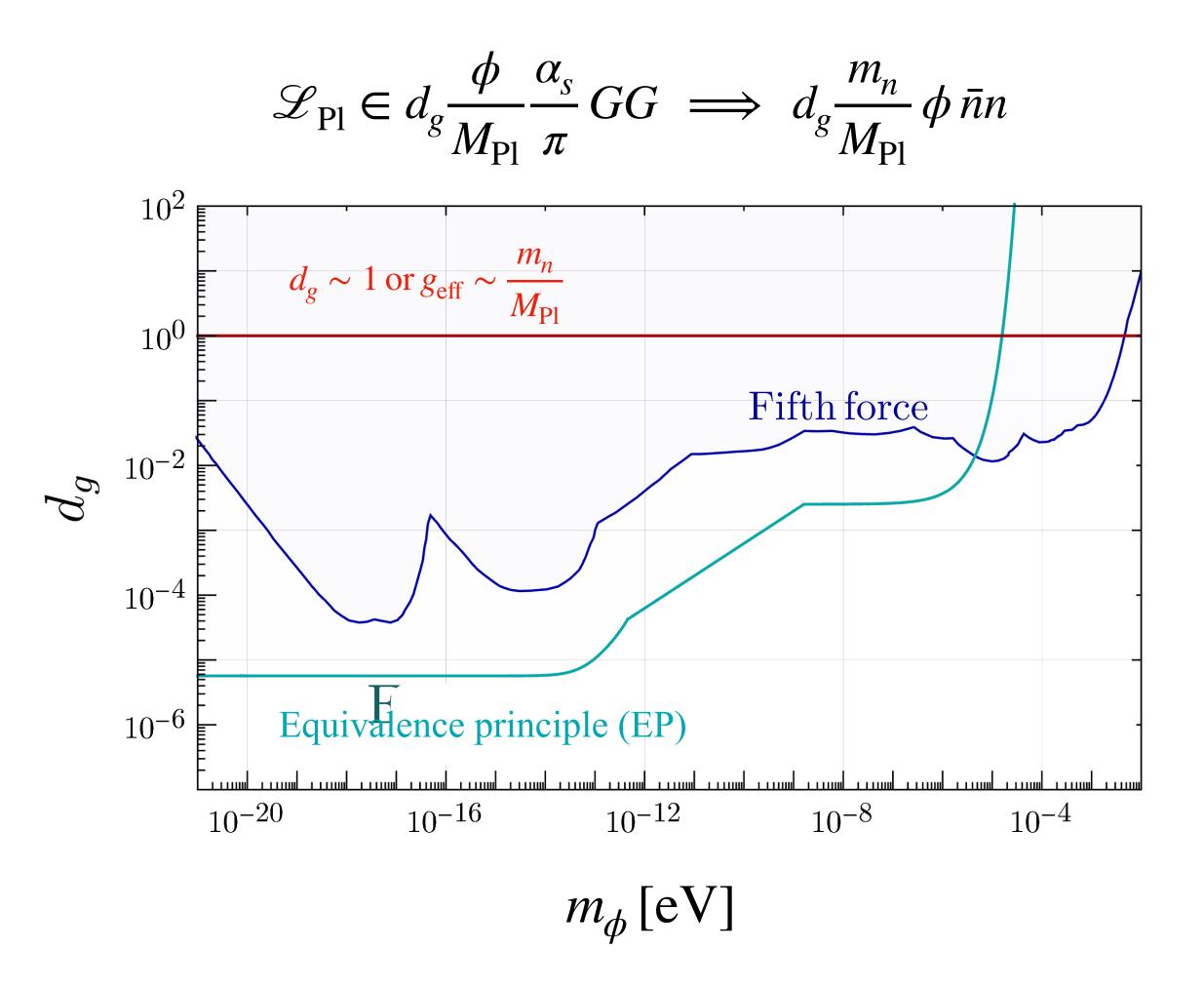
(iii) Can be it considered as a classical field? $N_{\phi}^{\text{occup}} \sim 10^3 \times \left(\frac{\text{eV}}{m}\right)^4 => \text{sub-eV UDM behaves classically}$

Ultralight scalar => simplest dark matter (DM) model

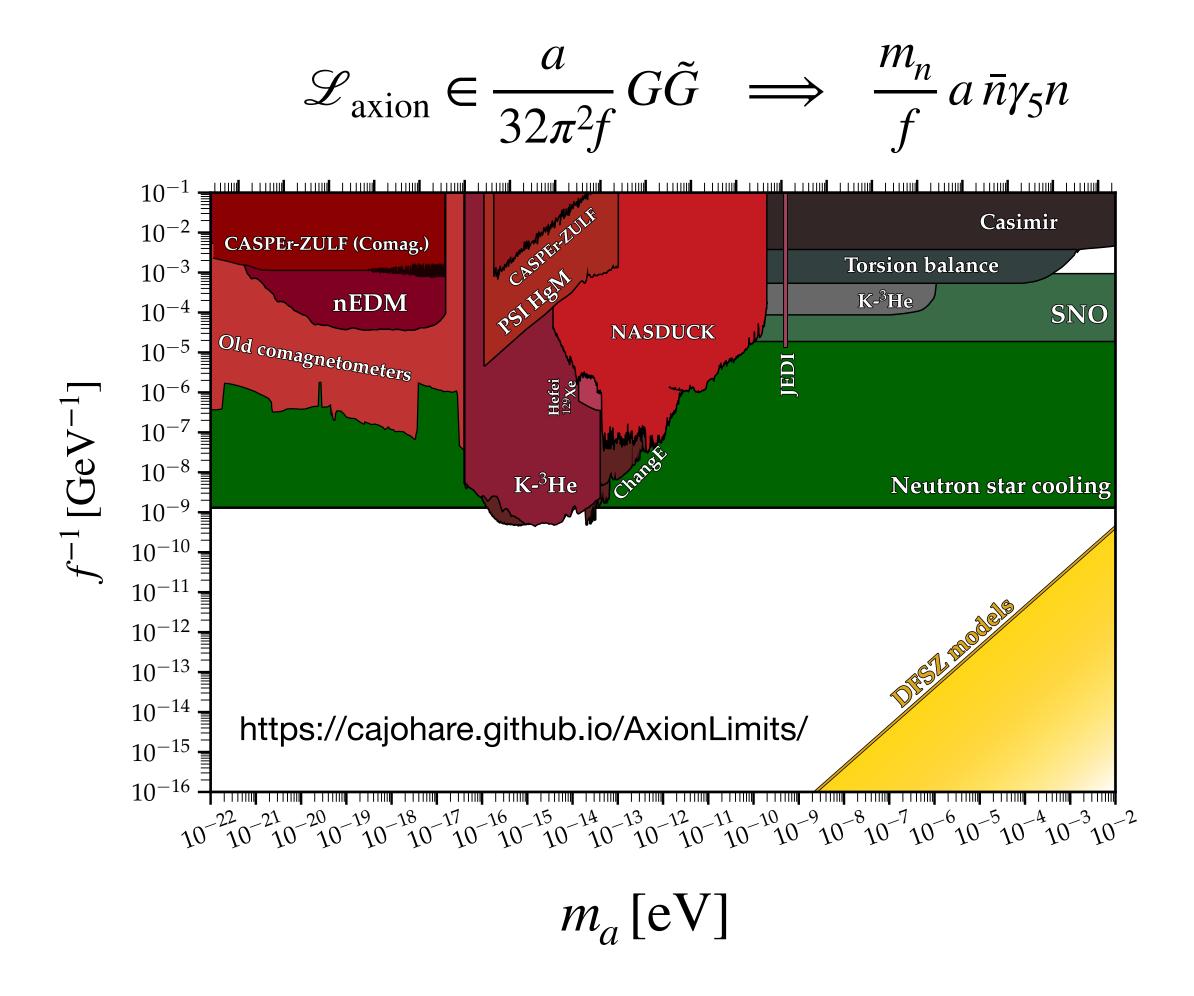
- A sub-eV misaligned homogeneous scalar field => viable DM model
- Its amplitude oscillates with frequency equal to its mass, $w \sim \text{Hz} \times \frac{m_{\phi}}{10^{-15} \, \text{eV}}$
- However, this field has no coupling to us (apart from gravitational), how can we search for it?
- A minimal plausible assumption is that it'd couple to us suppressed by some very high scale
 (Planck suppressed?), which are extremely weak, for instance:



Scalar coupling vs/ pseudo-scalar axial coupling



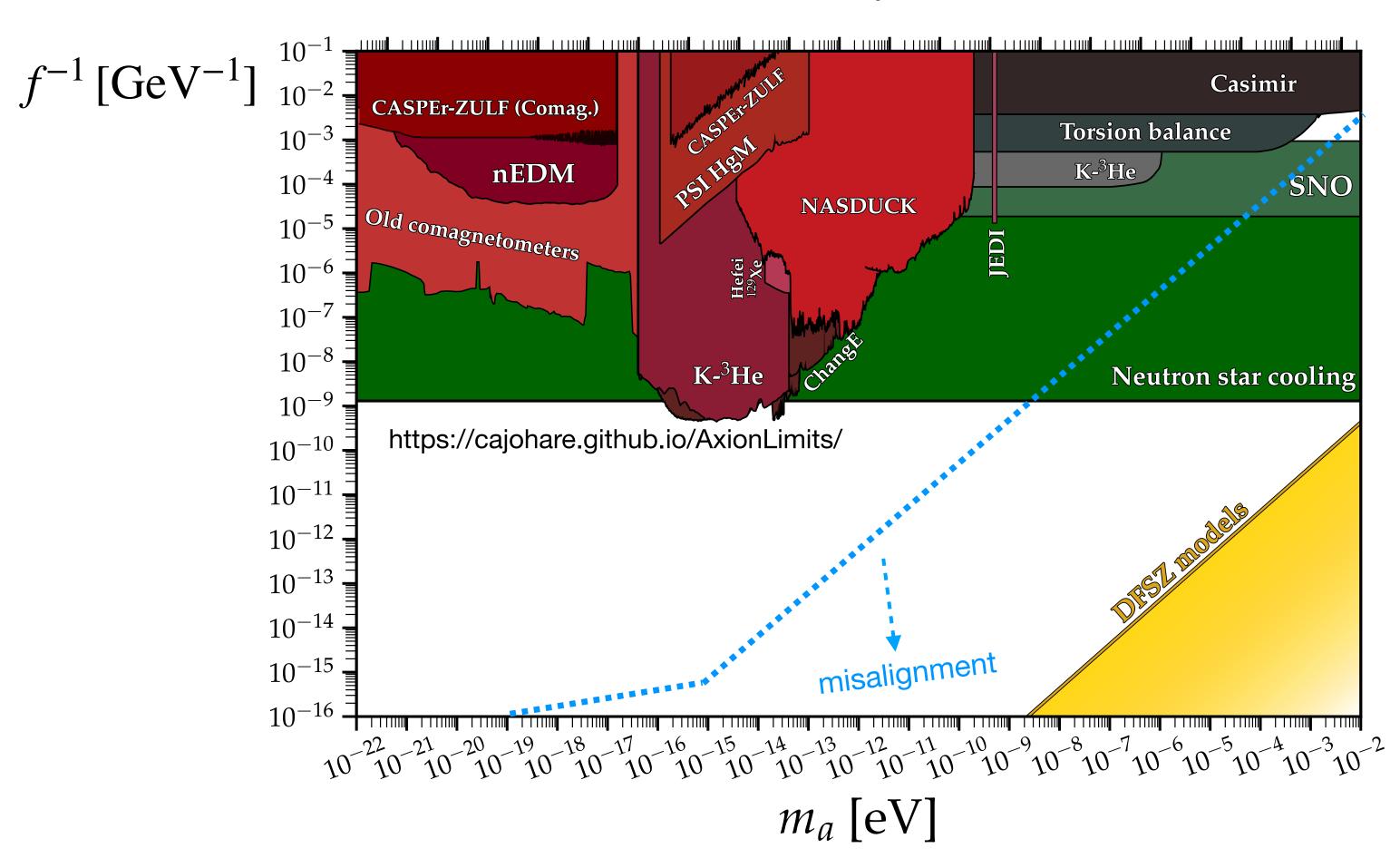
EP: Planck suppressed operators excluded for $m_{\phi} \lesssim 10^{-5} \, \text{eV}$ 5th force: operators are excluded for $m_{\phi} \lesssim 10^{-3} \, \text{eV}$



Bounds only constrain coupling that are $\sim 10^{12}$ weaker than the Planck scale

Status of ultralight dark matter (UDM) pseuode-scalar axial coupling

$$\mathcal{L}_{\text{axion}} \in \frac{a}{32\pi^2 f} G\tilde{G}$$



Bounds are significantly weaker than scalar ones & in most regions far from probing minimal misalignment ULDM models

Axion - the scalar way, the power of clocks #1

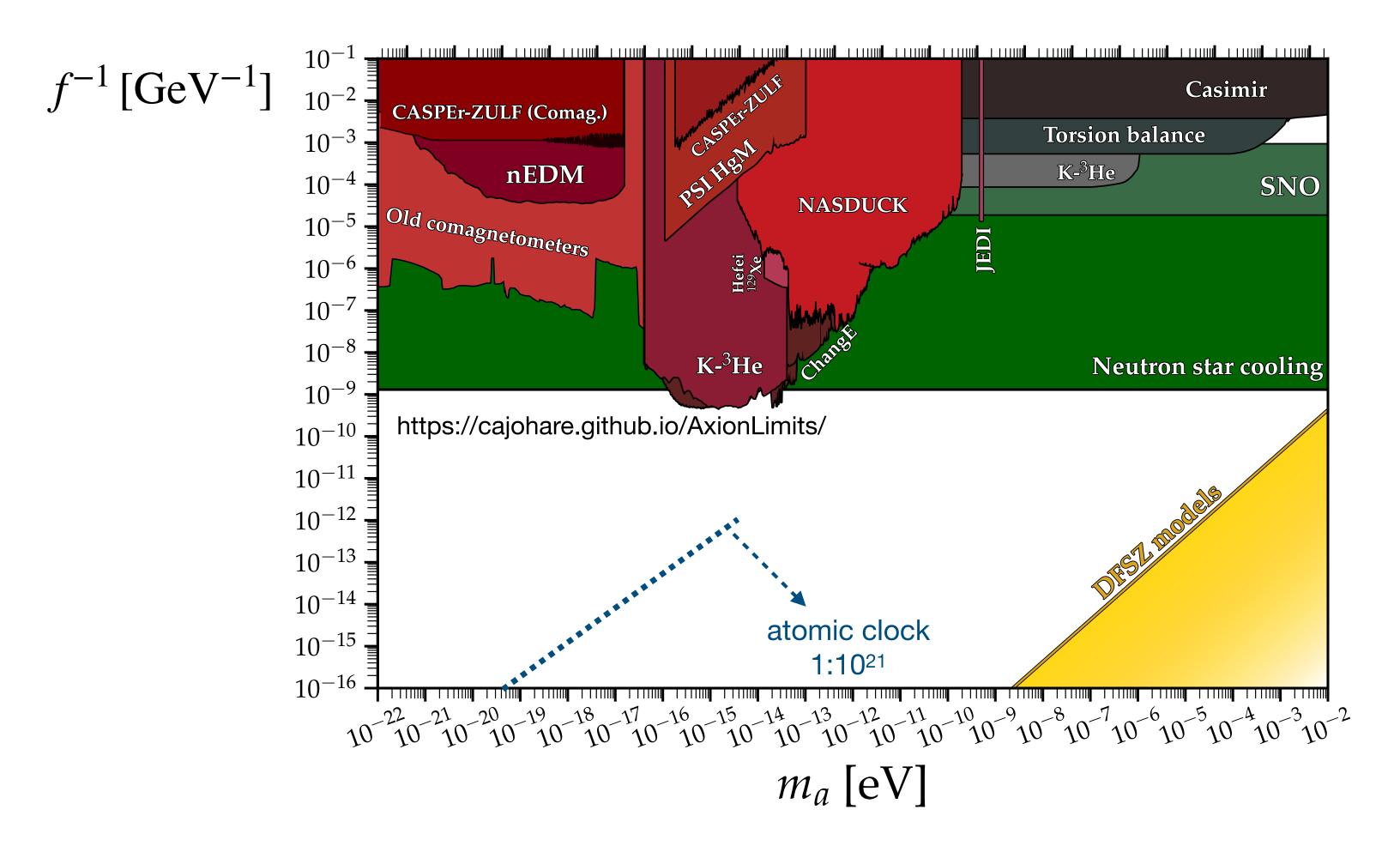
- Maybe should accept that probing axions is work in progress (new proposals)
- The sensitivity to scalar interaction is 1012 stronger, can we use it?
- Axion models do predict quadratic scalar coupling that are suppressed however by $m_a^2/f^2 =>$ hopeless to probe

 Banerjee, GP, Safronova, Savoray & Shalit (22)
- Yet, in the case of QCD-like-axion only suppressed by $\frac{\partial \ln m_{\pi}}{\partial \theta^2} \sim \frac{m_{u,d}}{\Lambda_{\rm OCD}}$, $\theta = a/f$
- Target for clocks $\text{MeV} \times \theta^2 \bar{n}n \Rightarrow \frac{\delta f}{f} \sim \frac{\delta m_N}{m_N} \sim 10^{-16} \times \cos(2m_a) \times \left(\frac{10^{-15} \,\text{eV}}{m_\phi} \frac{10^9 \,\text{GeV}}{f}\right)^2$

Kim & GP (22)

Axion - the scalar way, the power of clocks #1

$$\mathcal{L}_{\mathrm{axion}}^{\mathrm{eff}} \in 10^{-3} \, \theta^2(t) \, m_N \bar{n} n$$



Naively: clocks can efficiently search for the oscillating signal of a light QCD-like-axion

Axion - the scalar way, the power of clocks #2, stochasticity

- Due to velocity dispersion, $\theta^2(t) =>$ sharp resonance + continuum at lower frequencies

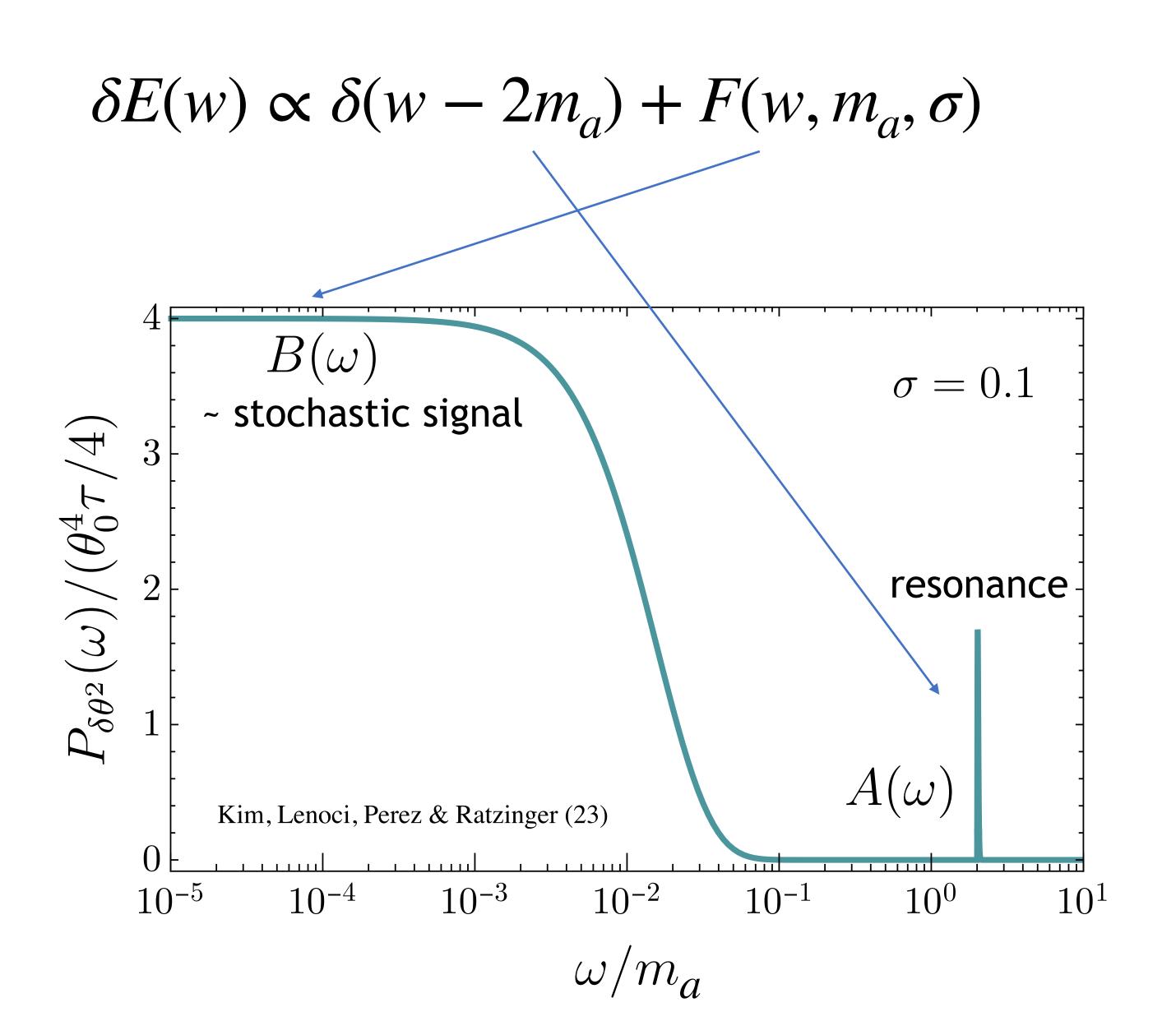
 Masia-Roig et. al (23)
- \odot To understand qualitatively, let's consider first linear coupling, say that changes α :

$$\delta E(t) \leftrightarrow m_e \alpha^2 (1 + \theta(t)) \propto \frac{\sqrt{\rho_{\rm DM}}}{m_a} \cos wt$$
, with $w \approx m_a \left(1 + \frac{v^2}{2}\right)$, and $P(v) \propto \exp\left(\frac{-v^2}{\sigma^2}\right)$, with $\sigma \sim 10^{-3}$

- Frequency transformed: it would result in a sharp signal at $\omega \sim m_a$ with width of $O(10^{-6})$
- However our signal is quadratic $\delta E(w) \propto \int \delta E(t) e^{iwt} \theta(t)^2 dt \sim \delta(w 2m_a) + F(w, m_a, \sigma)$

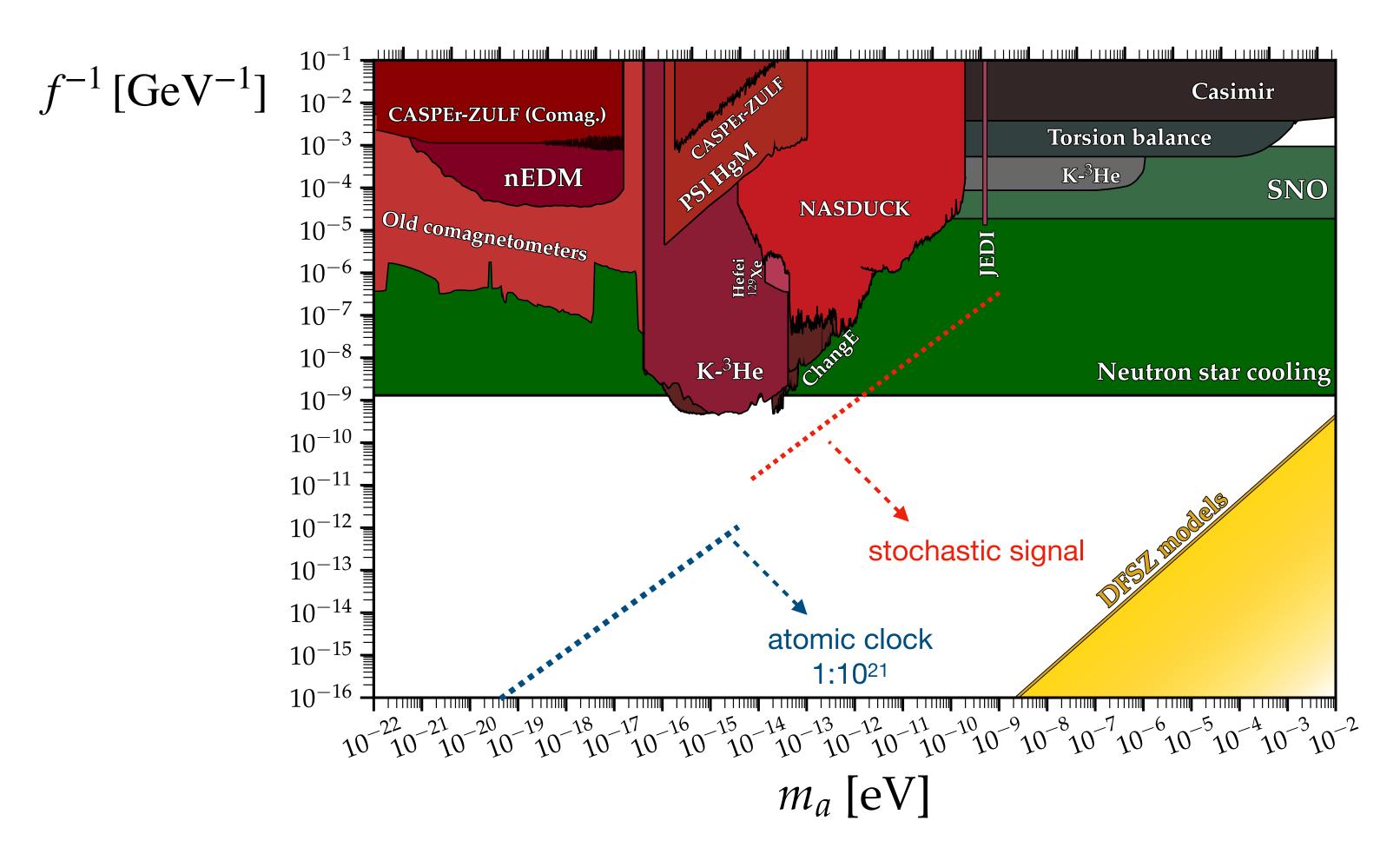
$$F(w, m_a, \sigma) \propto \int e^{iwt} P(v_1) P(v_2) \cos \left[m_a \left(\frac{v_1^2 - v_2^2}{2} \right) t \right] dt d\vec{v}_1 d\vec{v}_2$$

Power spectrum of quadratic (axion) UDM



Power spectrum of quadratic (axion) UDM, the stochastic signal

$$\mathcal{L}_{\text{axion}}^{\text{eff}} \in 10^{-3} \, \theta^2(t) \, m_N \, \bar{n} n$$



Naively: clocks can efficiently search for the oscillating signal of a light QCD-like-axion

Searching for scalar coupling to the strong/nuclear sector - a key for progress - large class of UDM models

- QCD axion models: $\frac{a}{f}G\tilde{G} \Rightarrow \left(\frac{a}{f}\right)^2 \bar{n}n$
- Dilaton: $d_g \frac{\alpha_s}{\pi} \frac{\phi}{M_{\rm Pl}} GG \Rightarrow d_g \frac{\phi}{M_{\rm Pl}} \frac{m_N}{M_{\rm Pl}} \bar{n}n$

see however Hubisz, Ironi, GP & Rosenfeld (24)

• Higgs-mixing / relaxion: $\sin \theta_{H\phi} \frac{\alpha_s}{4\pi v} H G G \implies \sin \theta_{H\phi} \frac{\phi}{v} m_N \bar{n} n$

Piazza and M. Pospelov (10); Banerjee, Kim & GP (19)

Nelson-Barr UDM:
$$\left(\epsilon_{\mathrm{NB}} = \frac{y_s^2 V_{us}^2}{16\pi^2}\right) \frac{\phi}{f} m_u \bar{u}u \implies \epsilon_{\mathrm{NB}} \frac{\phi}{f} m_u \bar{n}n$$
 Dine, GP, Ratzinger & Savoray (24)

:

Why probing the strong sector \w clocks is challenging?

To understand let's talk about how clocks probe DM (theorist's perspective - simplified model ...)

Atomic clock in 1-slide

- A clock requires an apparatus that repeat itself in a very precise manner
- Atomic clocks are based on cases where there are electronic transitions between stable 2-level system, $H \approx \Delta E \times \sigma_Z$
- In the experiment, via laser, one prepare a linear combination of these levels

$$\psi^{+}(t=0) \sim \frac{|0\rangle + |1\rangle}{\sqrt{2}} \implies \psi(t)^{+} \propto \frac{|0\rangle + \exp(i\Delta E t) |1\rangle}{\sqrt{2}}$$

$$|\langle \psi^+(t=0) | \psi^+(t) \rangle|^2 = \cos\left(\frac{\Delta Et}{2}\right)^2 \iff \text{perfect pendulum}$$



Florence



Clocks and ultralight DM (UDM) search?

- Establisehd that clock is a perfect oscillator: $|\langle \psi^+(t=0) | \psi^+(t) \rangle|^2 = \cos\left(\frac{\Delta Et}{2}\right)^2$
- Why is it an excellent ultralight DM (UDM) detector?

For electronic transitions: $\Delta E \propto m_{\rm reduced} \alpha^2$, with $m_{\rm reduced} \approx m_e \left(1 - \frac{m_e}{m_{\rm nuc}}\right)$

ullet Scalar DM could couples to F^2 or to the electron would induce oscillatory

component:
$$\Delta E \propto \left[\text{const} + \frac{\sqrt{2\rho}}{m_{\text{UDM}}} \cos \left(m_{\text{UDM}} t \right) \right]$$
 which atomic clocks can sense

Observables directly probing coupling to QCD/nuclear sector

Regular transition are sensitive to the reduced mass:

$$\Delta E \propto m_{\rm reduced} \alpha^2$$
, $m_{\rm reduced} \approx m_e \left(1 - \frac{m_e}{m_{\rm nuc}}\right)$, however $\frac{m_e}{Am_p} \sim 10^{-5}$ (A is number of nucleons)

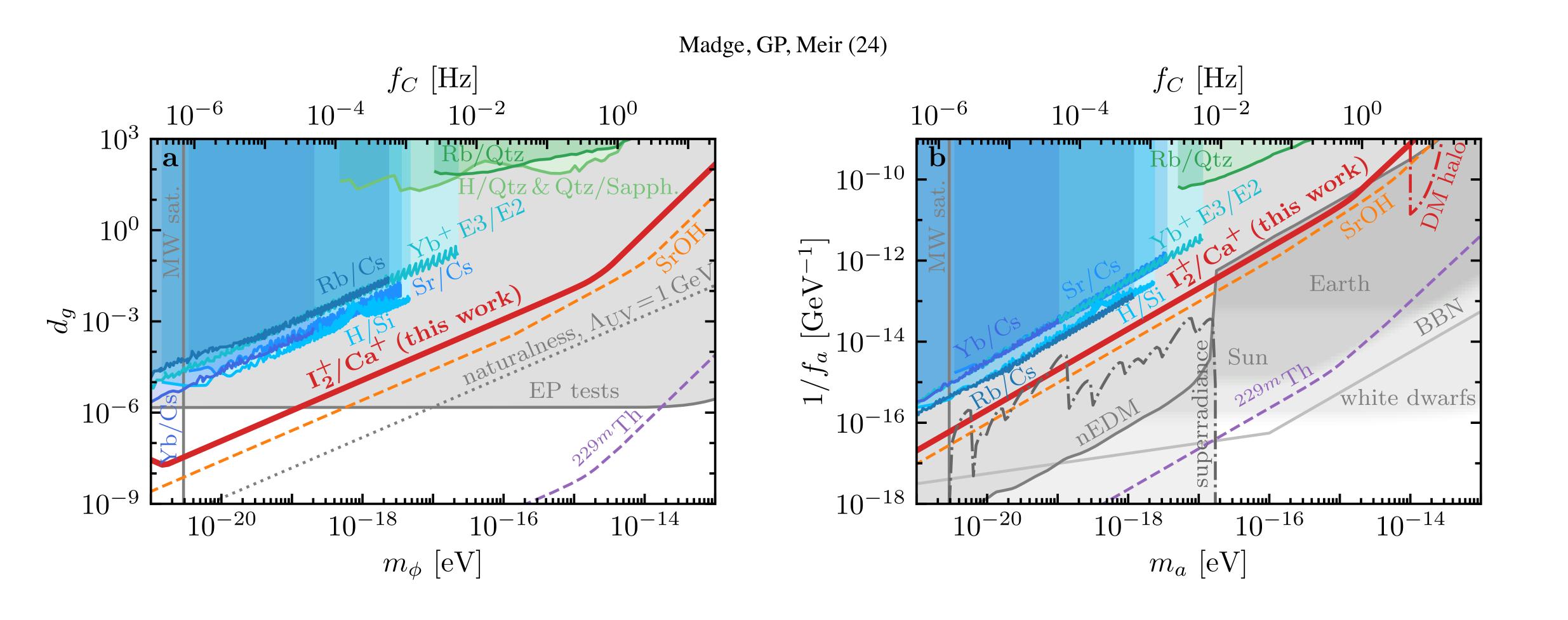
- \bigcirc Hyperfine clocks via the *g*-factor, however their sensitivity is "only" 1:10¹²⁻¹⁴
- One can use vibrational modes in molecules, scales like $\sqrt{\frac{m_e}{Am_p}} \sim 10^{-3}$

In vapor see: Oswald, Nevsky, Vogt, Schiller, Figuerora, Zhang, Tretiak, Antypas, Budker, Banerjee & GP (21) In corr. spec.: Madge, GP, Meir (24)

Or charge radius effect, scales like $A^{8/3}\alpha \left(\frac{m_{\rm Bohr}}{m_p}\right)^3$ Banerjee, Budker, Filzinger, Huntemann, Paz, GP, Porsev & Safronova (23)

Result \w a suppression factor: $R_{\text{atom}} \sim 10^{3-5}$

Observables directly probing coupling to QCD/nuclear sector



Bottomline: accessing the nucleus is hard \w atomic clocks, sensitivity suppressed by $R_{\rm atom} \sim 10^{3-5}$

Why all of this is about to change by potentially improving the sensitivity by a factor of 10^{8-10} ?

Laser excitation of the Th-229 nucleus

(i) on the sensitivity and its robustness

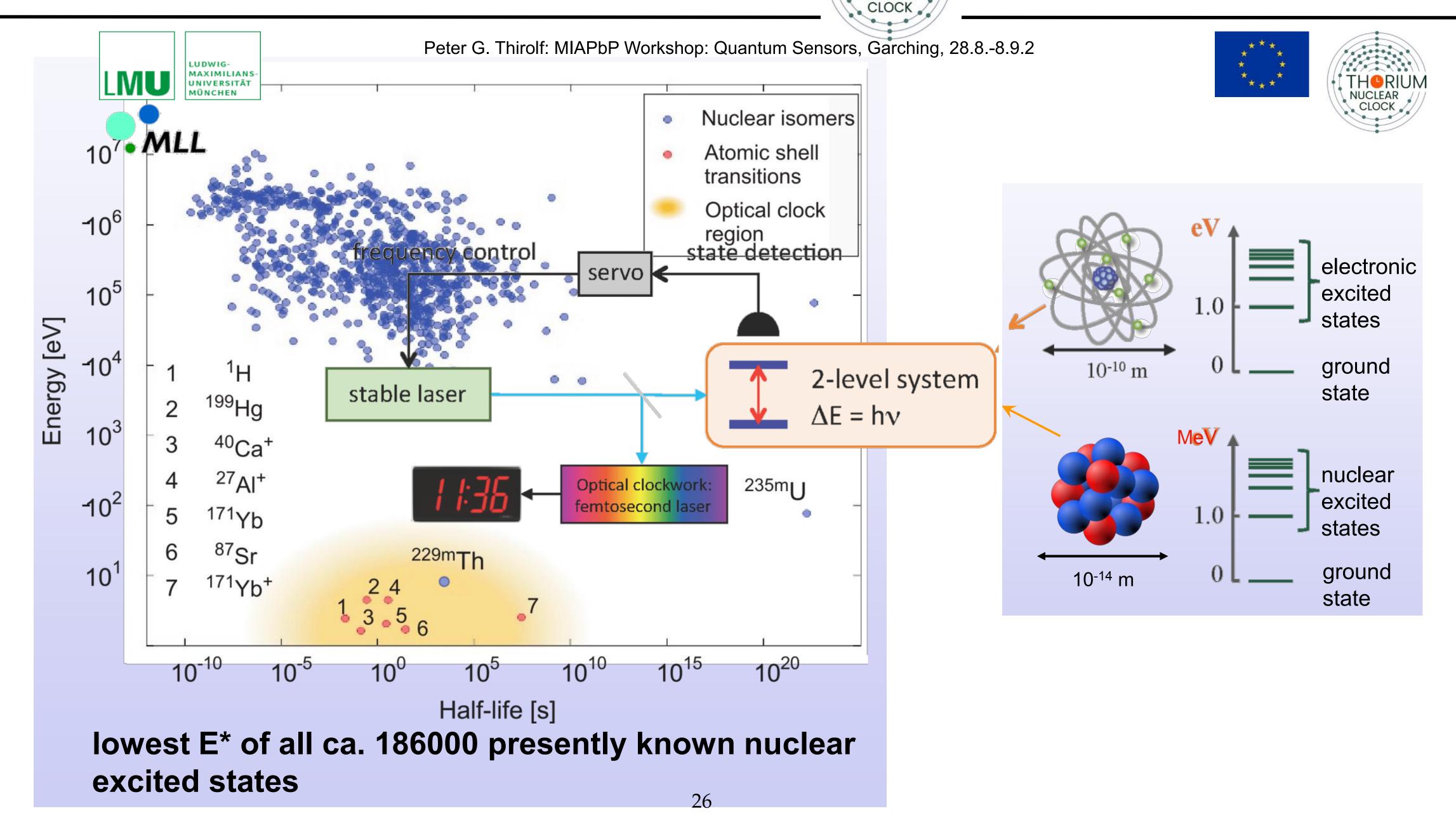
with: Andrea Caputo, Doron Gazit, Hans Werner Hammer, Joachim Kopp, Gil Paz & Konstantin Springmann

(ii) BSM implications (line-shape)

with: Elina Fuchs, Fiona Kirk, Eric Madge, Chaitanya Paranjape, Ekkehard Peik, Wolfram Ratzinger & Johannes Tiedau

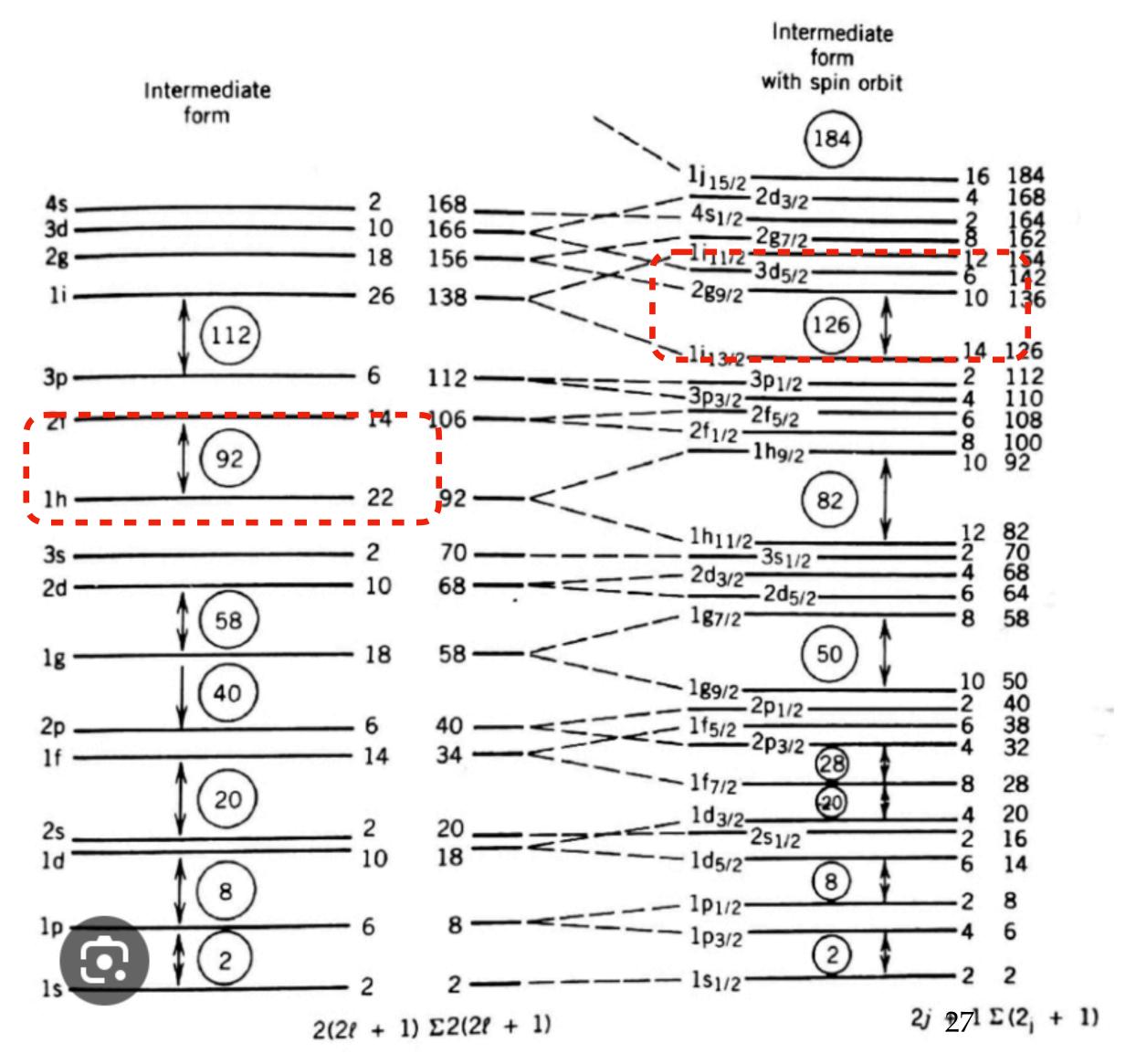
Natural fine tuning, Th-

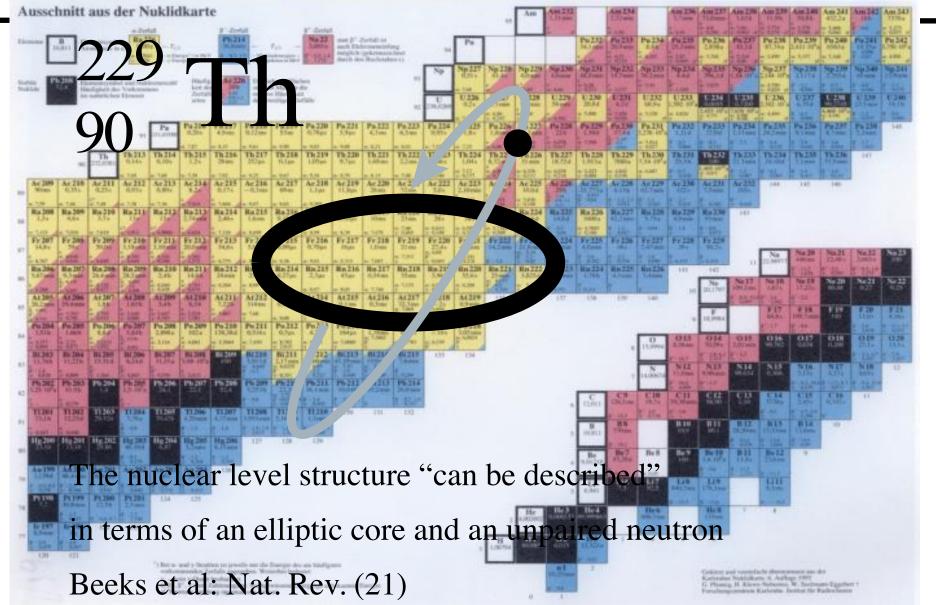


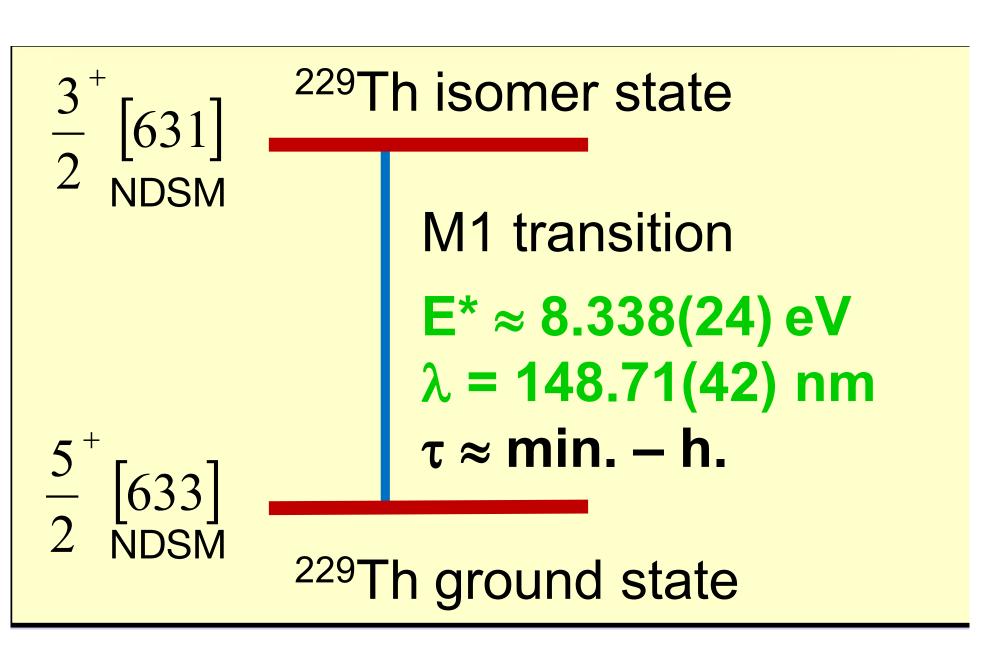


Th-229 shell's structure, one unpained neutron, the transition

90 protons, 139 neutrons







The (other) April revolution?

Laser Excitation of the Th-229 Nucleus

J. Tiedau, *M. V. Okhapkin, *K. Zhang, *J. Thielking, G. Zitzer, and E. Peik, *Physikalisch-Technische Bundesanstalt, 38116 Braunschweig, Germany

F. Schaden,* T. Pronebner, I. Morawetz, L. Toscani De Col, F. Schneider, A. Leitner, M. Pressler, G. A. Kazakov, K. Beeks, T. Sikorsky, and T. Schumm, Vienna Center for Quantum Science and Technology, Atominstitut, TU Wien, 1020 Vienna, Austria

(Received 5 February 2024; revised 12 March 2024; accepted 14 March 2024; published 29 April 2024)

The 8.4 eV nuclear isomer state in Th-229 is resonantly excited in Th-doped CaF_2 crystals using a tabletop tunable laser system. A resonance fluorescence signal is observed in two crystals with different Th-229 dopant concentrations, while it is absent in a control experiment using Th-232. The nuclear resonance for the Th^{4+} ions in $Th:CaF_2$ is measured at the wavelength 148.3821(5) nm, frequency 2020.409(7) THz, and the fluorescence lifetime in the crystal is 630(15) s, corresponding to an isomer half-life of 1740(50) s for a nucleus isolated in vacuum. These results pave the way toward Th-229 nuclear laser spectroscopy and realizing optical nuclear clocks.

[Submitted on 26 Jun 2024]

Dawn of a nuclear clock: frequency ratio of the 229m Th isomeric transition and the 87 Sr atomic clock

Chuankun Zhang, Tian Ooi, Jacob S. Higgins, Jack F. Doyle, Lars von der Wense, Kjeld Beeks, Adrian Leitner, Georgy Kazakov, Peng Li, Peter G. Thirolf, Thorsten Schumm, Jun Ye

Optical atomic clocks^{1,2} use electronic energy levels to precisely keep track of time. A clock based on nuclear energy levels promises a next-generation platform for precision metrology and fundamental physics studies. Thorium-229 nuclei exhibit a uniquely low energy nuclear transition within reach of state-of-the-art vacuum ultraviolet (VUV) laser light sources and have therefore been proposed for construction of the first nuclear clock^{3,4}. However, quantum state-resolved spectroscopy of the ^{229m}Th isomer to determine the underlying nuclear structure and establish a direct frequency connection with existing atomic clocks has yet to be performed. Here, we use a VUV frequency comb to directly excite the narrow ²²⁹Th nuclear clock transition in a solid-state CaF₂ host material and determine the absolute transition frequency. We stabilize the fundamental frequency comb to the JILA ⁸⁷Sr clock² and coherently upconvert the fundamental to its 7th harmonic in the VUV range using a femtosecond enhancement cavity. This VUV comb establishes a frequency link between nuclear and electronic energy levels and allows us to directly measure the frequency ratio of the ²²⁹Th nuclear clock transition and the ⁸⁷Sr atomic clock. We also precisely measure the nuclear quadrupole splittings and extract intrinsic properties of the isomer. These results mark the start of nuclear-based solid-state optical clock and demonstrate the first comparison of nuclear and atomic clocks for fundamental physics studies. This work represents a confluence of precision metrology, ultrafast strong field physics, nuclear physics, and fundamental physics.



Laser excitation of the ²²⁹Th nuclear isomeric transition in a solid-state host

R. Elwell,¹ Christian Schneider,¹ Justin Jeet,¹ J. E. S. Terhune,¹ H. W. T. Morgan,² A. N. Alexandrova,² H. B. Tran Tan,^{3,4} Andrei Derevianko,³ and Eric R. Hudson^{1,5,6}

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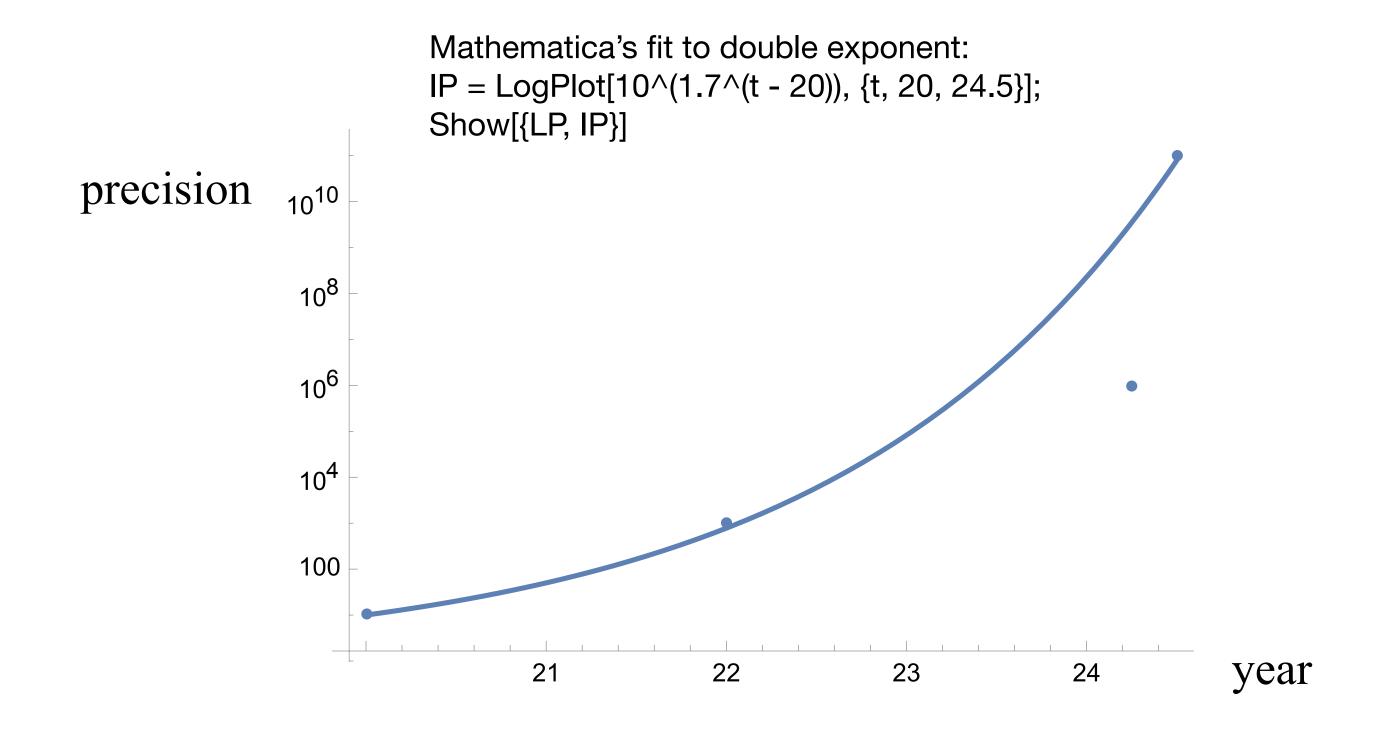
(Dated: April 19, 2024)

LiSrAlF₆ crystals doped with ²²⁹Th are used in a laser-based search for the nuclear isomeric transition. Two spectroscopic features near the nuclear transition energy are observed. The first is a broad excitation feature that produces red-shifted fluorescence that decays with a timescale of a few seconds. The second is a narrow, laser-linewidth-limited spectral feature at 148.38219(4)_{stat}(20)_{sys} nm (2020407.3(5)_{stat}(30)_{sys} GHz) that decays with a lifetime of 568(13)_{stat}(20)_{sys} s. This feature is assigned to the excitation of the ²²⁹Th nuclear isomeric state, whose energy is found to be 8.355733(2)_{stat}(10)_{sys} eV in ²²⁹Th:LiSrAlF₆.

Moore's law on steroids - quantum sensors

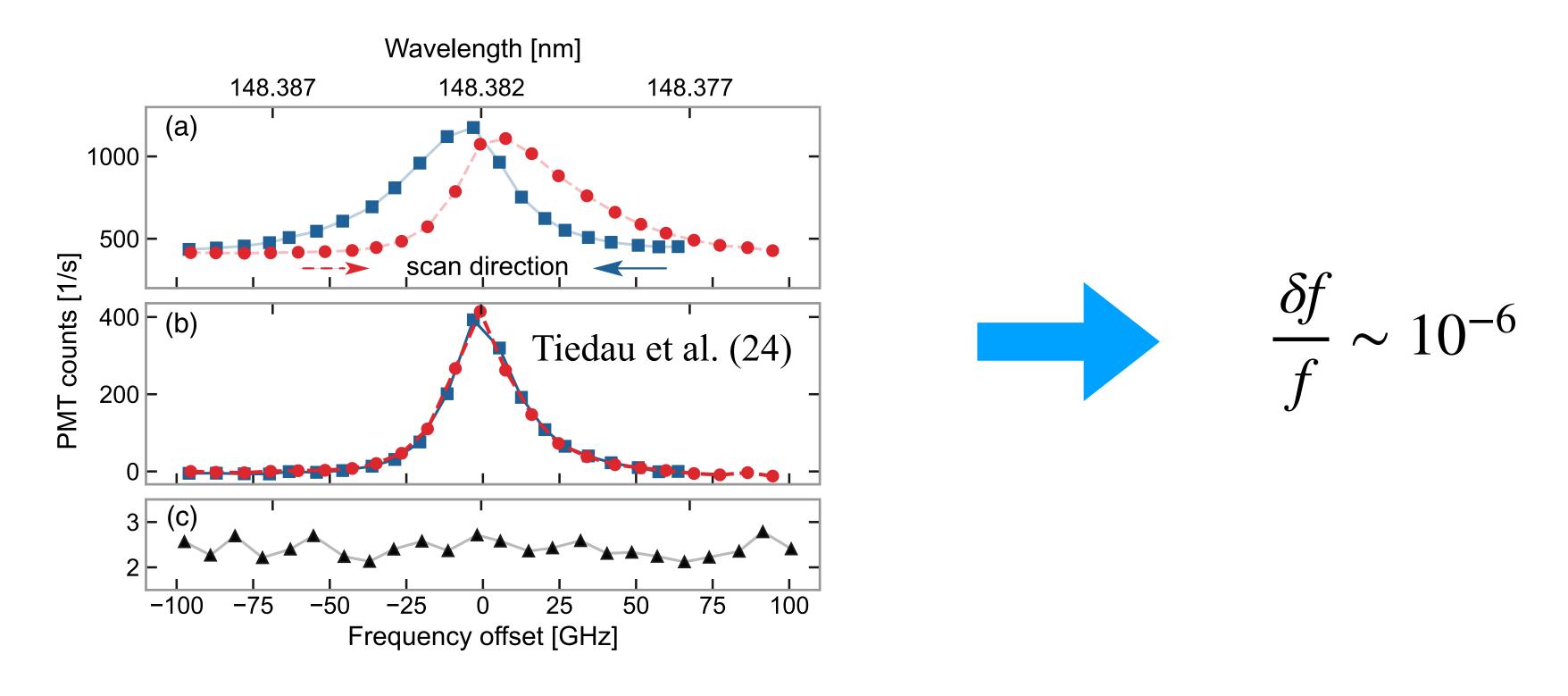
Th-239 progression of precision in isomeric-line's $\delta f/f$:

$$0.1 (2020) \implies 0.001 (2022) \implies 1:10^{6} (Mar/Apr/24) \implies 1:10^{11} (Jun/24)$$



What was measured? (ex. from Tiedau et al.)

- Used super broad super powerful laser ~ few GHz to shine on Th-229-doped CaF₂ crystal
- Scan the frequencies (width of 10⁻⁵ to cover region of 0.1 eV!), then after ~ 1000 s got back fluorescence at a specific frequency equal to: 2020.409(3⁻7) THz resulting with



Enhanced sensitivity, ²²⁹Th

- How to estimate the sensitivity say of UDM that couples only to the QCD sector?
- Let's break the energy difference according to nucl' & Coulomb parts, following the lore:

$$f_{\text{Th-229}} = \Delta E_{\text{nu-clock}} \sim \Delta E_{\text{nuc}} - \Delta E_{\text{EM}} \sim 8 \text{ eV} \ll \Delta E_{\text{nuc}} \sim \Delta E_{\text{EM}}$$

Therefore the lore says: $K_{\rm canc} = \Delta E_{\rm nuc} / f_{\rm Th-229} \sim 10^5 \gg 1$

Now let's assume that we have a UDM couples only to the QCD sector ($\alpha_s(t)$):

$$\frac{\partial \log f_{\text{Th-229}}}{\partial \log \alpha_s} = \frac{\alpha_s}{f_{\text{Th-229}}} \frac{\partial \Delta E_{\text{nuc}}}{\partial \alpha_s} = \frac{E_{\text{nuc}}}{f_{\text{Th-229}}} \frac{\partial \log E_{\text{nuc}}}{\partial \log \alpha_s} \equiv K_{\text{canc}} \times \frac{\partial \log E_{\text{nuc}}}{\partial \log \alpha_s}$$

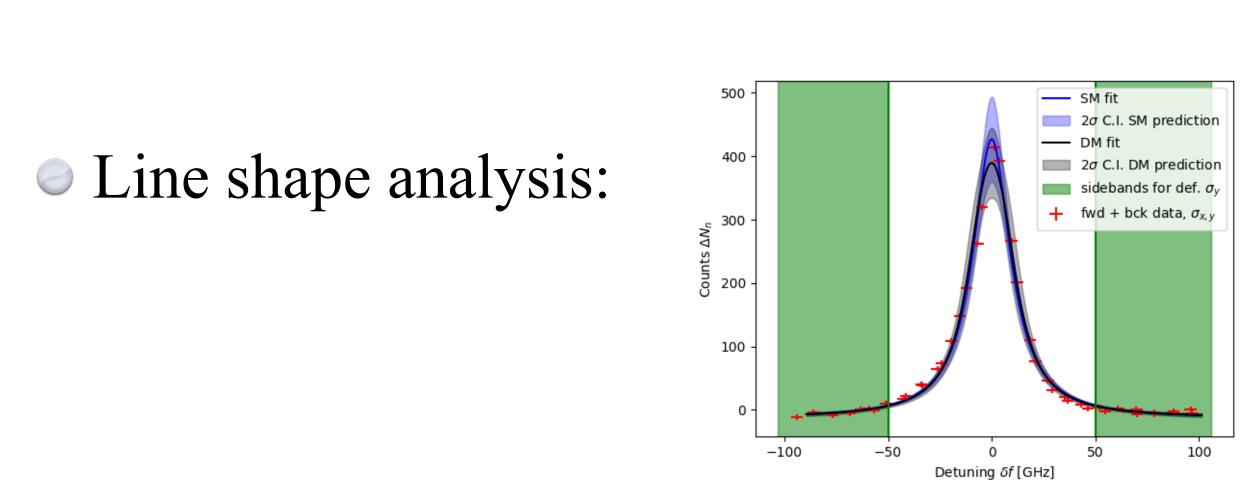


Present and near future implications

• We have now $\frac{\delta f}{f} \sim 10^{-6-11}$, this should be translated to effective sensitivity

$$\frac{\delta f}{f} \times R_{\text{atom}} \times K_{\text{canc}} \sim 10^{-14-19} - 10^{-16-21}$$
 of atomic clocks, possibly beyond the frontier!

- However, how can we use the existing info where nuclear clocks are unavailable?



can already be used to search for DM

& other phenomena

Searching for DM via the line shape

- Line shape analysis, we can understand via considering 2 interesting limits:
 - (i) slow oscillation (DM-mass)-1 >> typical time scale of measurement => drift of line
 - (ii) fast oscillation (DM-mass)⁻¹ << typical time scale => sidebands, and if the amplitude of

oscillation >> DM-mass => "Barad-Dur" modification of line



=> new constrain

$$\alpha = 100$$

$$\alpha = 0.5$$

$$-100 \quad 0 \quad 100 \quad -2 \quad 0 \quad 2$$

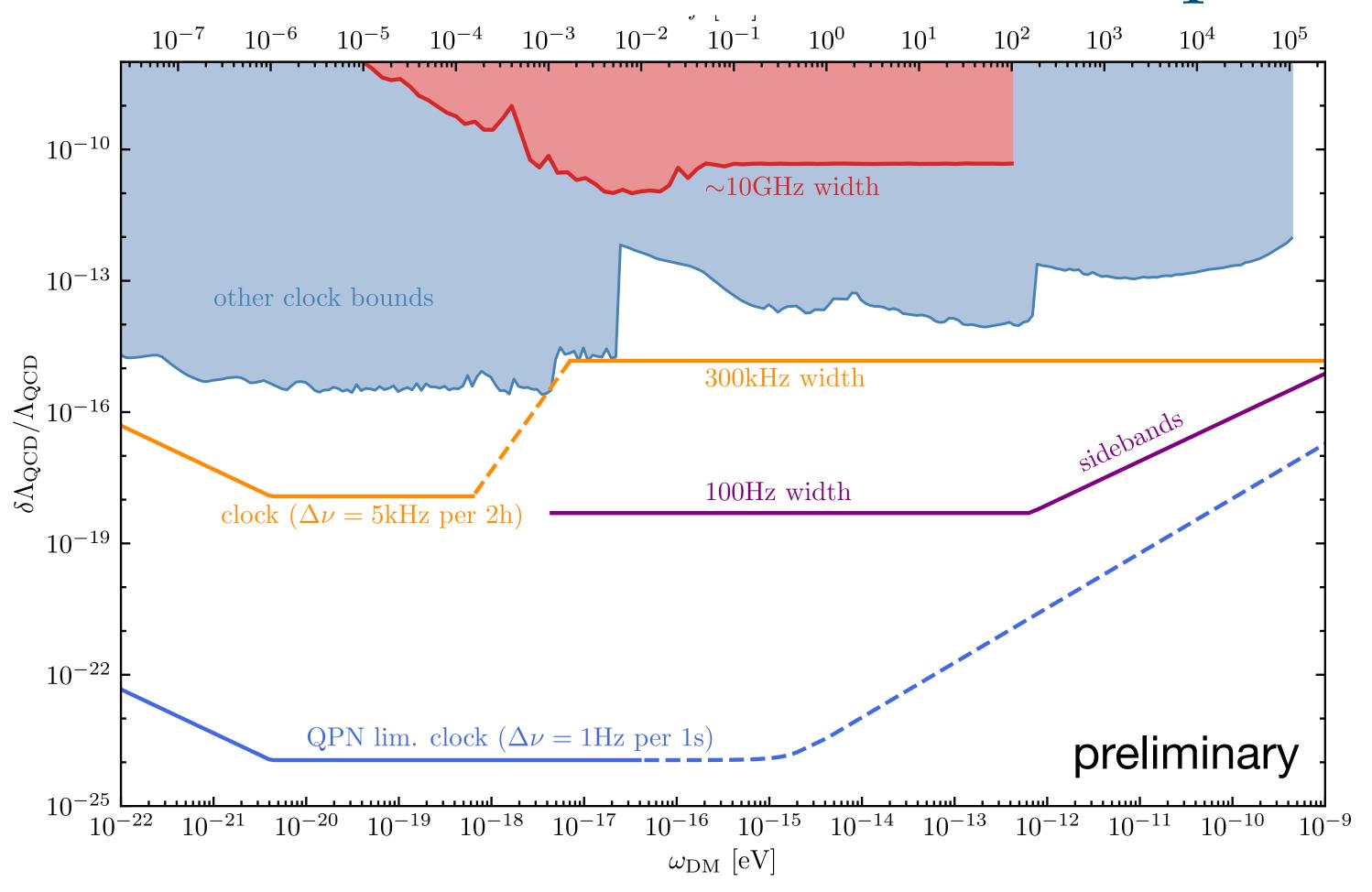
$$\omega/\omega_m \qquad \omega/\omega_m$$

$$\nu(t) \simeq \nu_0 + \delta \nu_{\rm DM} \cos(\omega_{\rm DM} t + \varphi_{\rm DM})$$

$$\alpha = 2\pi \delta \nu_{\rm DM} / \omega_{\rm DM}$$

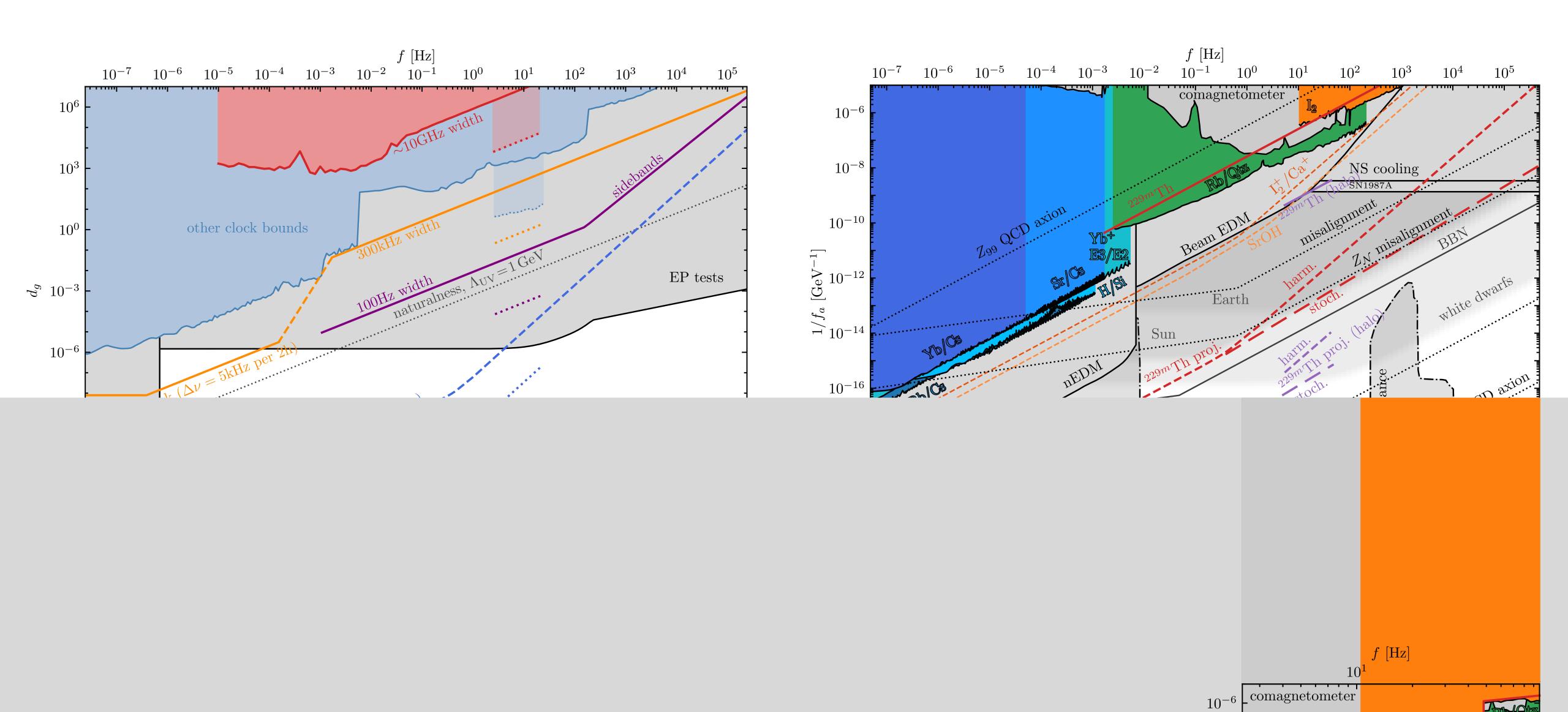
Using Th-229 to search for oscillating signal

Th-229 as a QCDometer, nuclear supremacy?

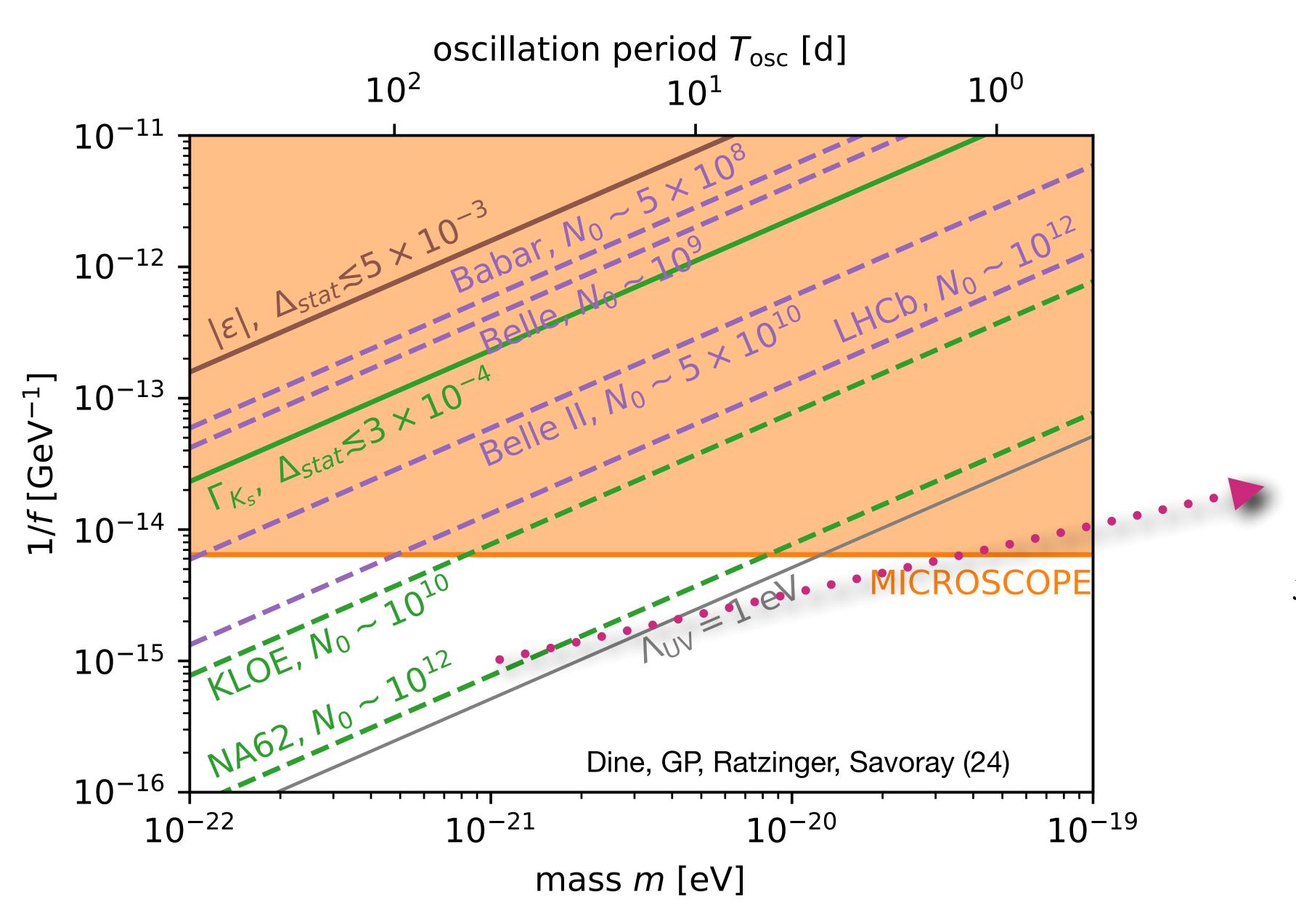


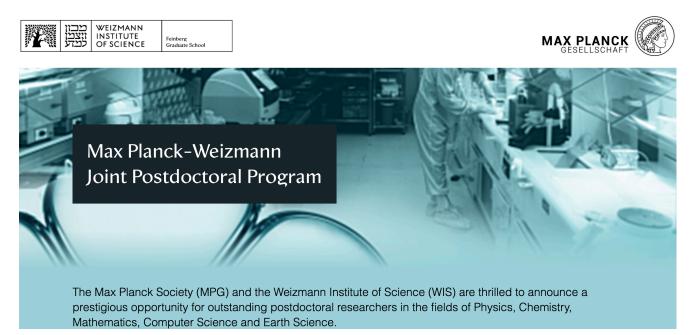
with: Elina Fuchs, Fiona Kirk, Eric Madge, Chaitanya Paranjape, Ekkehard Peik, Wolfram Ratzinger & Johannes Tiedau

Using Th-229 to search for UDM signal



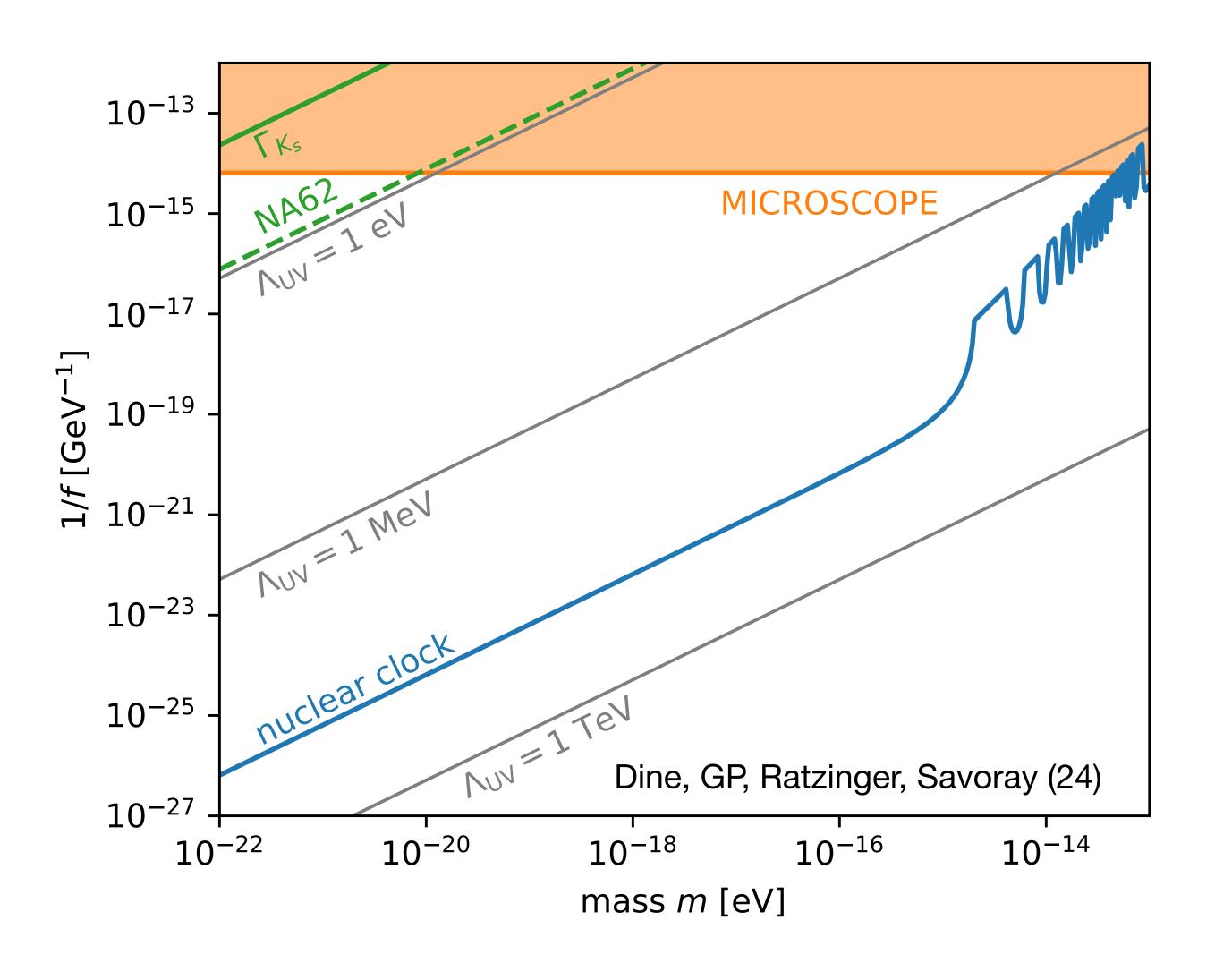
Nelson-Barr-UDM parameter space, luminosity exp.





Joint postdoc: P. Chiatto \w Babette Dobrich

Nelson-Barr-UDM & nuclear clock



How robust is the sensitivity factor?

with: Andrea Caputo, Doron Gazit, Hans Werner Hammer, Joachim Kopp, Gil Paz & Konstantin Springmann

- Can we measure or test this enhancement factor, $K_{\rm canc} = \Delta E_{\rm nu}/\Delta E_{\rm nu-clock} \sim 10^5 \gg 1$?
- Calculation of the nuclear binding energy difference is very challenging ...
- Can instead consider at the electrostatic binding energy of the two states
- We provide two ways to do it:
 - (i) classical approach to the nuclei (charge density is a simple function)

Berengut, Dzuba, Flambaum & Porsev (09); Fadeev, Berengut & Flambaum (20)

(ii) QFT-EFT inspired way, using QM model of the neutron-core system

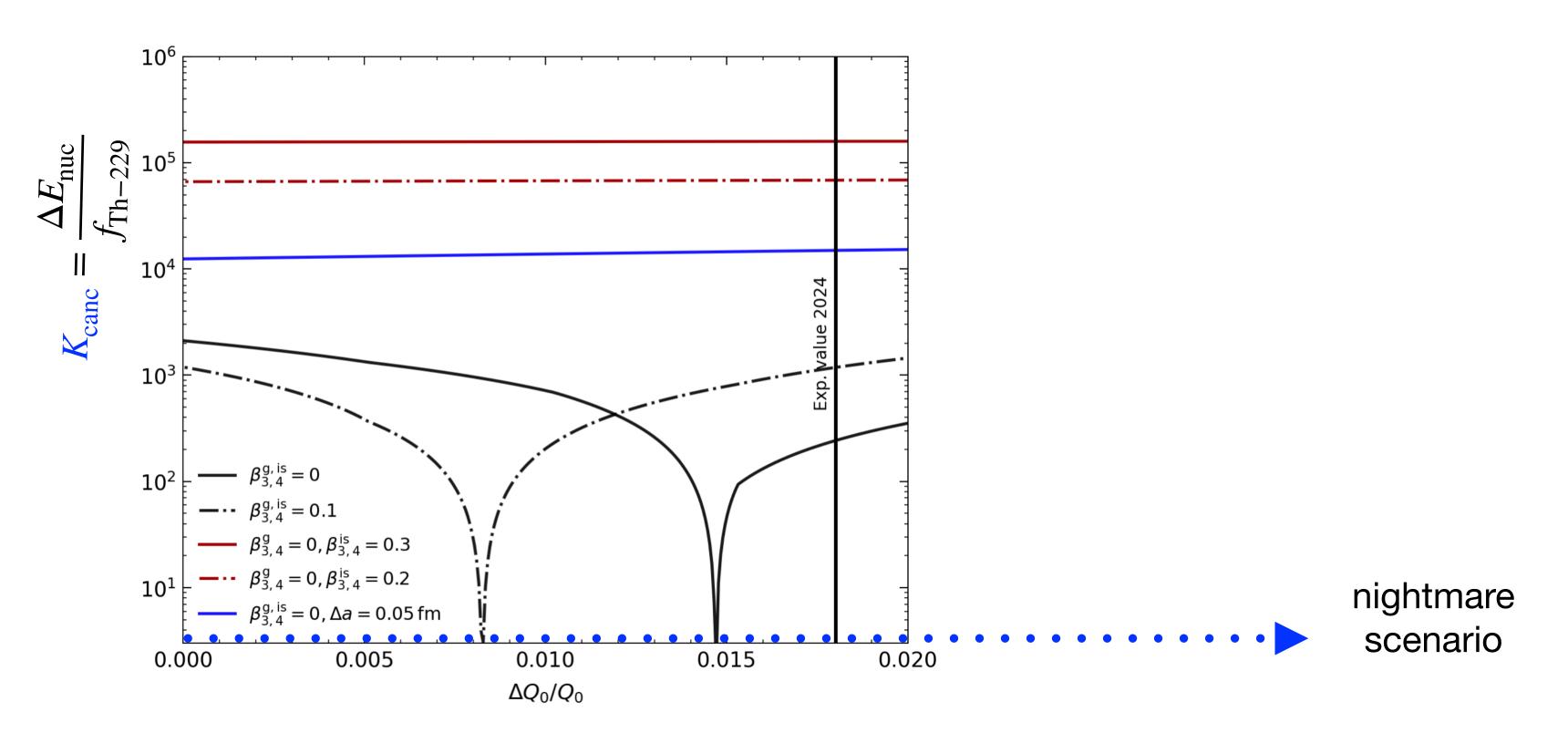
Hammer, König, & van Kolck (19)

Geometrical/classical model

with: Andrea Caputo, Doron Gazit, Hans Werner Hammer, Joachim Kopp, Gil Paz & Konstantin Springmann

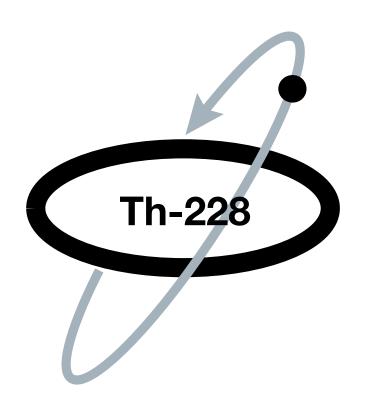
- ullet Given a shape and charge density of both states we can evaluate $\Delta E_{\rm EM}$
- Result depends on number of variables (some are measured some are not)

with Q_0 being the quadrupole moment, Δ stands for isomer-ground-state difference, $\beta_{3,4}$ corresponds to higher moments (charge radius is set to mean) Δa corresponds to thickness using WS (Fermi) distribution



Halo-inspired model

with: Andrea Caputo, Doron Gazit, Hans Werner Hammer, Joachim Kopp, Gil Paz & Konstantin Springmann



- \bigcirc Consider QM model of single neutron at d=2 state, weakly boundedfar from a Th-228 core
- Th-228 is a scalar thus one can match all the effects to a simple leading set of operators and calculate observables, up to possible short distance effects
- The results are rather interesting (exciting?), but you'd have to wait for the paper to see how these fare with data, and the prediction of K_{cane} ...

Conclusions

- Most well motivated models coupled to the QCD/nuclear sector, however currently we have only limited ways to probe the UDM-nuclear coupling
- Nuclear clock will change it all:
 - (i) direct coupling to the nuclear sector
 - (ii) enhanced sensitivity due to the fine cancellation
- New measurement => game changer moving to precision nuclear phase
- Existing measurement already give impressive bounds nuclear supremacy?
- Discussed robustness

Backups

NB-UDM signature & parameter space

- What is the size of the effect? $\delta a \sim \frac{\sqrt{\rho_{\rm DM}}}{m_{\rm NB}f} \cos(m_{\rm NB}t) \sim 10^{-4} \times \frac{10^{13}\,{\rm GeV}}{f} \times \frac{10^{-21}\,{\rm eV}}{m_{\rm NB}} \times \cos(m_{\rm NB}t)$
- How to search such signal?
 - (i) Luminosity frontier: oscillating CP violation + oscillating CKM angles:

$$\frac{\delta V_{us}}{V_{us}} \sim \delta a \Rightarrow$$
 oscillating Kaon decay lifetime

$$\frac{\delta\theta_{\rm KM}}{\theta_{\rm KM}} \sim \delta a \Rightarrow \text{oscillating CP violation}$$

$$\frac{\delta V_{ub}}{V_{ub}} \sim \delta a \Rightarrow \text{oscillating semi inclusive } b\text{->}u \text{ decay}$$

NB-UDM signature & parameter space

- How to search such signal?
 - (ii) Equivalence principle (EP)+clocks, at 1-loop scalar coupling to mass is induced:

$$\frac{\Delta m_u}{m_u} \approx \frac{3}{32\pi^2} y_s^2 |V_{us}^{\text{SM}}|^2 \frac{a}{f}$$

- EP $\Rightarrow f \gtrsim 10^{14} \, \text{GeV}$
- Nuclear clock (1:10²⁴) $\Rightarrow f \gtrsim 10^{19} \,\text{GeV} \times \frac{\text{m}_{\text{NB}}}{10^{-15} \,\text{eV}}$

Challenges

• Minimal misalignment DM bound, can't be satisfied: $f \gtrsim 10^{15} \, \text{GeV} \left(\frac{10^{-19} \, \text{eV}}{m_{\phi}} \right)^{\frac{1}{4}}$, but pretty close ...

• Naive naturalness => currently only probing sub-MeV cutoff , $\Delta m_a \approx \frac{y_b |V_{ub}| m_u \Lambda_{\rm UV}}{16\pi^2 f}$

 \bigcirc Rely on NB construction, $\bigvee Z_2$ and a (non-anomalous) U(1)

$$Q^{U(1)}(\Phi, u_1, Q_1, d_1, u_2, Q_2, d_1) = (+1, +1, +1, +1, -1, -1, -1)$$

Two models:

$$Q^{U(1)}(\eta, \Phi, \psi, \psi^c, \bar{u}_1) = +1, +1/2, -1/2, -1/2, +1 \qquad (\eta \text{ additional flavon})$$

Planck suppression for ultralight spin 0 field

Let's consider some dimension 5 operators, and ask if current sensitivity reach the

Planck scale (assumed linear coupling and that gravity respects parity):

Graham, Kaplan, Rajendran; Stadnik & Flambaum; Arvanitaki Huang & Van Tilburg (15)

$$m_{\phi} = 10^{-18} \text{ eV}$$
 (1/hour)

operator	current bound	type of experiment
$rac{d_e^{(1)}}{4M_{ m Pl}}\phiF^{\mu u}F_{\mu u}$	$d_e^{(1)} \lesssim 10^{-4} \ [58]$	DDM oscillations
$-rac{ ilde{d}_e^{(1)}}{M_{ m Pl}}\phiF^{\mu u} ilde{F}_{\mu u}$	$\tilde{d}_e^{(1)} \lesssim 2 \times 10^6 [68]$	Astrophysics
$ \frac{\frac{d_{e}^{(1)}}{4 M_{\text{Pl}}} \phi F^{\mu\nu} F_{\mu\nu}}{\frac{\tilde{d}_{e}^{(1)}}{M_{\text{Pl}}} \phi F^{\mu\nu} \tilde{F}_{\mu\nu}} \\ -\frac{ d_{e}^{(1)}}{M_{\text{Pl}}} \phi F^{\mu\nu} \tilde{F}_{\mu\nu} $ $ \frac{ d_{e}^{(1)}}{M_{\text{Pl}}} \phi m_{e} \psi_{e} \psi_{e}^{c} $	$\left d_{m_e}^{(1)} \right \lesssim 2 \times 10^{-3} [58]$	DDM Oscillations D
$i \frac{\left \tilde{d}_{m_e}^{(1)}\right }{M_{\mathrm{Pl}}} \phi m_e \psi_e \psi_e^c$	$\left \tilde{d}_{m_e}^{(1)} \right \lesssim 7 \times 10^8 \text{ [63]}$	Astrophysics
$\frac{\frac{d_g^{(1)}\beta(g)}{2M_{\rm Pl}g}\phiG^{\mu\nu}G_{\mu\nu}}{\frac{\tilde{d}_g^{(1)}}{M_{\rm Pl}}\phiG^{\mu\nu}\tilde{G}_{\mu\nu}}$	$d_g^{(1)} \lesssim 6 \times 10^{-6} [67]$	EP test: MICROSCOPE
$rac{ ilde{d}_g^{(1)}}{M_{ m Pl}}\phiG^{\mu u} ilde{G}_{\mu u}$	$\tilde{d}_g^{(1)} \lesssim 4 [69]$	Oscillating neutron EDM
$\frac{\left d_{m_N}^{(1)}\right }{M_{ m Pl}}\phim_N\psi_N\psi_N^c$	$\left d_{m_N}^{(1)} \right \lesssim 2 \times 10^{-6} [67]$	EP test: MICROSCOPE Oscillating neutron EDM Represe Safranova Savaray & Shalit (22)
$i \frac{\left \tilde{d}_{m_N}^{(1)}\right }{M_{\mathrm{Pl}}} \phi m_N \psi_N \psi_N^c$	$\left \tilde{d}_{m_N}^{(1)} \right \lesssim 4 [69]$	Oscillating neutron EDM
For updated compilation see: Banerjee, Perez, Safronova, Savoray & Shalit (22)		

DDM = direct dark matter searches

Status of spin-0 UDM, generalized quality problem

It seems that genially linearly-coupled models are in troubles, however:
 If coupling is quadratic or more than situation is better -

$$\frac{d_e^{(2)}}{8M_{\rm Pl}^2} \phi^2 F^{\mu\nu} F_{\mu\nu} \qquad d_e^{(2)} \lesssim 10^{11} \ [67] \qquad \text{EP test: MICROSCOPE}$$

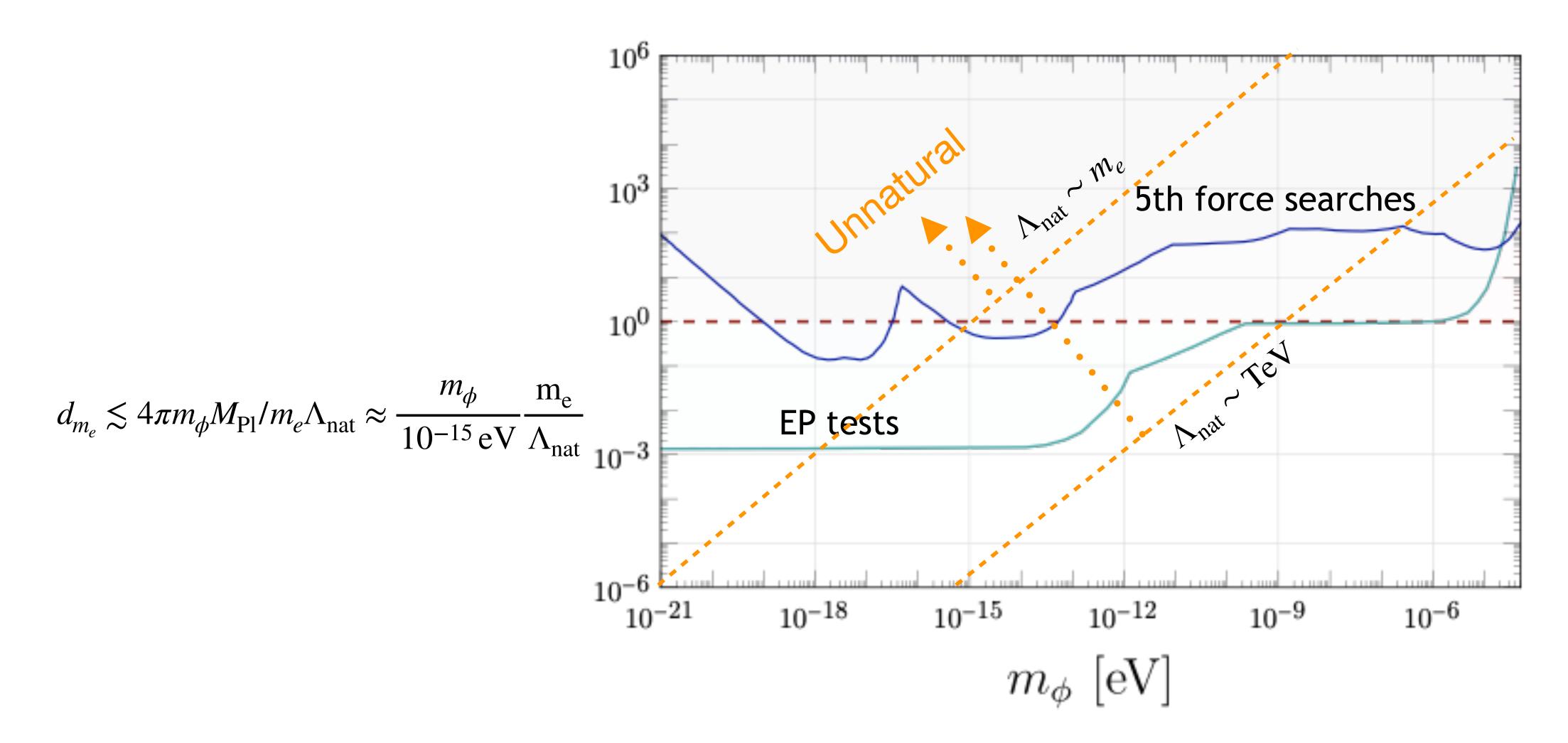
$$\frac{\left| d_{m_e}^{(2)} \right|}{2M_{\rm Pl}^2} \phi^2 m_e \psi_e \psi_e^c \qquad \left| d_{m_e}^{(2)} \right| \lesssim 10^{12} \ [67] \qquad \text{EP test: MICROSCOPE}$$

$$\frac{d_g^{(2)} \beta_g}{4M_{\rm Pl}^2} \phi^2 G^{\mu\nu} G_{\mu\nu} \qquad d_g^{(2)} \lesssim 10^{11} \ [67] \qquad \text{EP test: MICROSCOPE}.$$

$$\frac{\left| d_{m_N}^{(2)} \right|}{2M_{\rm Pl}^2} \phi^2 m_N \psi_N \psi_N^c \qquad \left| d_{m_N}^{(2)} \right| \lesssim 10^{11} \ [67] \qquad \text{EP test: MICROSCOPE}.$$

For updated compilation see: Banerjee, GP, Safronova, Savoray & Shalit (22)

Naturalness



Linear coupling seems to also be seriously challenged by naturalness

Oscillations of energy levels induced by QCD-axion-like DM

Kim & GP, last month

- Consider axion model w ($\alpha_s/8$) (a/f) $G\tilde{G}$ coupling, usually searched by magnetometers
- However, spectrum depends on $\theta^2 = (a(t)/f)^2$: $m_\pi^2(\theta) = B\sqrt{m_u^2 + m_d^2 + 2m_u m_d \cos \theta}$ Brower, Chandrasekharanc, Negele & Wiese (03)

$$\text{MeV} \times \theta^2 \bar{n}n \Rightarrow \frac{\delta f}{f} \sim \frac{\delta m_N}{m_N} \sim 10^{-16} \times \cos(2m_a) \times \left(\frac{10^{-15} \,\text{eV}}{m_\phi} \frac{10^9 \,\text{GeV}}{f}\right)^2 \quad \text{vs} \quad m_N \frac{a}{f} \bar{n} \gamma^5 n \Rightarrow \left(f \gtrsim 10^9 \,\text{GeV}\right)_{\text{SN}}$$

It's exciting as clocks (& EP tests) are much more precise than magnetometers. They can sense oscillation of energy level due to change of mass of the electron or QCD masses to precision of better than 1:10¹⁸!