Ringberg Workshop "New Trends in HERA Physics 2011"

## On the way to a 3D picture of the nucleon structure



Recent results on GPDs from COMPASS, HERMES, and JLab

## Incredible success of $p Q C D$

## HERA F 2



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have a pretty good knowledge on how many partons (with longitudinal momentum fraction $x$ ) we have in the nucleon

## Incredible success of pQCD


have a pretty good knowledge on how many partons (with longitudinal momentum fraction $x$ ) we have in the nucleon

## BUT: proton not a 1D object!

## 3D glasses for a hadron physicist



## Is it interesting?

a slice of the proton in transverse momentum space:

without spin

## Is it interesting?

a slice of the proton in transverse momentum space:

without spin

with spin

## Is it interesting?

a slice of the proton in transverse position space:


## Is it interesting?

a slice of the proton in transverse position space:


## Is it relevant?

- pQCD: single-spin asymmetries (SSA) heavily suppressed:

$$
\mathbf{A}_{\mathbf{N}} \propto \alpha_{\mathbf{S}} \frac{\mathbf{m}_{\mathbf{q}}}{\mathbf{Q}^{\mathbf{2}}} \quad[\text { Kane, Repko, Pumplin, 1978] }
$$

## Is it relevant?

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$$
\mathbf{A}_{\mathbf{N}} \propto \alpha_{\mathbf{S}} \frac{\mathbf{m}_{\mathbf{q}}}{\mathbf{Q}^{2}} \quad \text { [Kane, Repko, Pumplin, 1978] }
$$

- BUT: large SSA in pp collision and semi-inclusive DIS


1976


2002

|991


2008

## Is it relevant?

- Unpolarized Drell-Yan cross section:

$$
\left(\frac{1}{\sigma}\right)\left(\frac{d \sigma}{d \Omega}\right)=\left[\frac{3}{4 \pi}\right]\left[1+\lambda \cos ^{2} \theta+\mu \sin 2 \theta \cos \phi+\frac{v}{2} \sin ^{2} \theta \cos 2 \phi\right]
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- pQCD predicts Lam-Tung relation $2 \nu=1-\lambda$ $\approx 0$



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- pQCD predicts Lam-Tung relation $2 \nu=1-\lambda$
- BUT: significant violations seen by Drell-Yan experiments



## Is it relevant?

- spin of quarks and gluons don't sum up to give proton spin $\frac{1}{2}$

$$
\begin{array}{rlr}
\frac{1}{2}= & \frac{1}{2} \Delta \Sigma \\
& +\Delta G & \text { quark spin } \approx \frac{1}{2} 1 / 3 \\
& +L_{q}+L_{g}< & \begin{array}{c}
\text { gluon spin } \approx 0 \\
\text { orbital angular } \\
\text { momentum }
\end{array} \approx ?
\end{array}
$$

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\text { orbital angular spin } \approx 0 \\
\text { momentum }
\end{gathered} \approx ?
$$

- need orbital angular momentum (transverse space and momentum d.o.f.)


## Some tradition in position-space

- decades of nucleon form factor measurements:



## Some tradition in position-space

- decades of nucleon form factor measurements:


transverse size of proton


## Last but not least ...

## ... curiosity



## Towards a 3D picture of the nucleon



Form factors:
transverse distribution of partons

## Towards a 3D picture of the nucleon



Form factors:
transverse distribution of partons


Parton distributions:
longitudinal momentum of partons

## Towards a 3D picture of the nucleon



Form factors:
transverse distribution of partons


Nucleon Tomography
correlated info on transverse position and longitudinal momentum

$x$ : average longitudinal momentum fraction of active quark (usually not observed \& $x \neq x_{B}$ )
$\xi$ : half the longitudinal momentum change $\approx x_{B} /\left(2-x_{B}\right)$

## Probing GPDs in Exclusive Reactions <br> 

|  | no quark <br> helicity flip | quark <br> helicity flip |
| :---: | :---: | :---: |
| no nucleon <br> helicity flip | $H$ | $\widetilde{H}$ |
| nucleon <br> helicity flip | $E$ | $\widetilde{E}$ |

(+ 4 more chiral-odd functions)

## Probing GPDs in Exclusive Reactions <br> 



$$
\begin{aligned}
& \int \mathrm{d} x H^{q}(x, \xi, t)=F_{1}^{q}(t) \\
& \int \mathrm{d} x E^{q}(x, \xi, t)=F_{2}^{q}(t)
\end{aligned}
$$

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## Probing GPDs in Exclusive Reactions <br> 

$\square$


$$
\begin{array}{ll}
\int \mathrm{d} x H^{q}(x, \xi, t)=F_{1}^{q}(t) & H^{q}(x, \xi=0, t=0)=q(x) \\
\int \mathrm{d} \times E^{q}(x, \xi, t)=F_{2}^{q}(t) & \tilde{H}^{q}(x, \xi=0, t=0)=\Delta q(x)
\end{array}
$$

|  | no quark helicity flip | quark helicity flip |
| :---: | :---: | :---: |
| no nucleon helicity flip | H | $\widetilde{H}$ |
| nucleon helicity flip | E | $\widetilde{E}$ |

## Probing GPDs in Exclusive Reactions <br>  <br> $\rightarrow$ Moments of certain GPDs relate directly to the total angular momentum of quarks

$\sqrt{\square}$


$$
\begin{array}{ll}
\int \mathrm{d} x H^{q}(x, \xi, t)=F_{1}^{q}(t) & H^{q}(x, \xi=0, t=0)=q(x) \\
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\end{array}
$$

## Real-photon production



## Real-photon production



Bethe-Heitler


## Real-photon production



Bethe-Heitler


$$
\frac{d^{4} \sigma}{d Q^{2} d x_{B} d t d \phi}=\frac{y^{2}}{32(2 \pi))^{4} \sqrt{1+\frac{4 M^{2} x_{\mathrm{B}}^{2}}{Q^{2}}}}\left(\left|\mathcal{T}_{\mathrm{DVCS}}\right|^{2}+\left|\mathcal{T}_{\mathrm{BH}}\right|^{2}+\mathcal{I}\right)
$$

## Azimuthal dependences in DVCS/BH

- beam polarization $P_{B}$
- beam charge $C_{B}$
- here: unpolarized target

Fourier expansion for $\phi$ :

$$
\left|\mathcal{T}_{\mathrm{BH}}\right|^{2}=\frac{K_{\mathrm{BH}}}{\mathcal{P}_{1}(\phi) \mathcal{P}_{2}(\phi)} \sum_{n=0}^{2} c_{n}^{\mathrm{BH}} \cos (n \phi)
$$

- calculable in QED
(using FF measurements)


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\left|\mathcal{T}_{\mathrm{DVCS}}\right|^{2} & =K_{\mathrm{DVCS}}\left[\sum_{n=0}^{2} c_{n}^{\mathrm{DVCS}} \cos (n \phi)+P_{\mathrm{B}} \sum_{n=1}^{1} s_{n}^{\mathrm{DVCS}} \sin (n \phi)\right]
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\mathcal{I} & =\frac{C_{B} K_{\mathcal{I}}}{\mathcal{P}_{1}(\phi) \mathcal{P}_{2}(\phi)}\left[\sum_{n=0}^{3} c_{n}^{\mathcal{I}} \cos (n \phi)+P_{B} \sum_{n=1}^{2} s_{n}^{\mathcal{I}} \sin (n \phi)\right]
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\mathcal{I} & =\frac{C_{B} K_{\mathcal{I}}}{\mathcal{P}_{1}(\phi) \mathcal{P}_{2}(\phi)}\left[\sum_{n=0}^{3} c_{n}^{\mathcal{I}} \cos (n \phi)+\beta_{B} \sum_{n=1}^{2} s_{n}^{\mathcal{I}} \sin (n \phi)\right]
\end{aligned}
$$

bilinear ("DVCS") or linear in GPDs

## Azimuthal asymmetries in DVCS/BH

Cross section:

$$
\sigma\left(\phi, \phi_{S}, P_{B}, C_{B}, P_{T}\right)=\sigma_{\mathrm{UU}}(\phi) \cdot\left[1+P_{B} \mathcal{A}_{\mathrm{LU}}^{\mathrm{DVCS}}(\phi)+C_{B} P_{B} \mathcal{A}_{\mathrm{LU}}^{\mathrm{I}}(\phi)+C_{B} \mathcal{A}_{C}(\phi)\right.
$$

| AXY |
| :---: |
| $X=U, L Y=U, L, T$ |
| beam target |
| polarization |

## Azimuthal asymmetries in DVCS/BH

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$$
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$$

$$
\left|\mathcal{T}_{\mathrm{DVCs}}\right|^{2}=K_{\mathrm{DVCs}} P_{B} \sum_{n=1}^{1} s_{n}^{\text {DVCs }} \sin (n \phi)
$$



## Azimuthal asymmetries in DVCS/BH

## Cross section:



## Azimuthal asymmetries in DVCS/BH

Cross section:

$$
\sigma\left(\phi, \phi_{S}, P_{B}, C_{B}, P_{T}\right)=\sigma_{U U}(\phi) \cdot\left[1+P_{B} \mathcal{A}_{L U}^{\operatorname{DVCS}}(\phi)+C_{B} P_{B} \mathcal{A}_{L U}^{I}(\phi)+C_{B} \mathcal{A}_{C}(\phi)\right.
$$



## Azimuthal asymmetries in DVCS/BH

Cross section:

$$
\sigma\left(\phi, \phi_{S}, P_{B}, C_{B}, P_{T}\right)=\sigma_{\mathrm{UU}}(\phi) \cdot\left[1+P_{B} \mathcal{A}_{\mathrm{LU}}^{\mathrm{DVCS}}(\phi)+C_{B} P_{B} \mathcal{A}_{\mathrm{LU}}^{\mathrm{I}}(\phi)+C_{B} \mathcal{A}_{C}(\phi)\right.
$$

$$
\left.+P_{T} \mathcal{A}_{U T}^{\mathrm{DVCS}}\left(\phi, \phi_{S}\right)+C_{B} P_{\mathcal{T}} \mathcal{A}_{U T}^{T}\left(\phi, \phi_{S}\right)\right]
$$



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$$

$$
\left.+P_{T} \mathcal{A}_{\mathrm{OT}}^{\mathrm{DVCS}}\left(\phi, \phi_{S}\right)+C_{B} P_{\mathcal{T}} \mathcal{A}_{\mathrm{UT}}^{\mathrm{T}}\left(\phi, \phi_{S}\right)\right]
$$

Azimuthal asymmetries, e.g.,

- Beam-charge asymmetry $A_{c}(\phi)$ :

$$
d \sigma\left(e^{+}, \phi\right)-d \sigma\left(e^{-}, \phi\right) \propto \operatorname{Re}\left[F_{1} \mathcal{H}\right] \cdot \cos \phi
$$

- Beam-helicity asymmetry $A_{L U}{ }^{I}(\phi)$ :

$$
d \sigma\left(e^{\rightarrow}, \phi\right)-d \sigma\left(e^{\leftarrow}, \phi\right) \propto \operatorname{Im}\left[F_{1} \mathcal{H}\right] \cdot \sin \phi
$$

- Transverse target-spin asymmetry $\operatorname{AUT}^{\mathrm{T}}(\phi)$ :

$$
\begin{aligned}
d \sigma\left(\phi, \phi_{S}\right)-d \sigma\left(\phi, \phi_{S}+\pi\right) & \propto \operatorname{Im}\left[F_{2} \mathcal{H}-F_{1} \mathcal{E}\right] \cdot \sin \left(\phi-\phi_{S}\right) \cos \phi \\
& +\operatorname{Im}\left[F_{2} \widetilde{\mathcal{H}}-F_{1} \xi \widetilde{\mathcal{E}}\right] \cdot \cos \left(\phi-\phi_{S}\right) \sin \phi
\end{aligned}
$$

( $F_{1}, F_{2}$ are the Dirac and Pauli form factors) $(\mathcal{H}, \mathcal{E} \ldots$ Compton form factors involving GPDs $H, E, \ldots$ )

## Experimental requirements

- different beam charges
- longitudinal beam polarization
- target polarization:
- longitudinal
- transverse
- exclusivity:
- missing-mass technique
- recoil-proton detection


## Experimental requirements



- different beam charges
- (planned)
- longitudinal beam polarization 『
- target polarization:
- longitudinal $\boxed{\square}$
- transverse
- (planned)
- exclusivity:
- missing-mass technique ■
- recoil-proton detection $\square$


## Experimental requirements


－different beam charges

- （planned）凹
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－target polarization：
－Iongitudinal
凹 凹
－transverse
ㅁ（planned）『
－exclusivity：
－missing－mass technique IV

V
－recoil－proton detection
$\square$
E

## Experimental requirements


（planned）
－different beam charges
ㅁ（planned）凹
$\square$
－longitudinal beam polarization 『
（g）
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■
（V）
ㅁ（planned）『
$\square$

II
－transverse
－exclusivity：
－missing－mass technique V V
$\square$
－recoil－proton detection
$\square$
E（g）

## Exclusivity: missing-mass technique



## Exclusivity: missing-mass technique



## Exclusivity: missing-mass technique



## First DVCS signals ...

... from interference with BH [PRL 87 (2001)]


## Increasing statistics



## Increasing statistics



I- Clear evidence of DVCS contribution

## Increasing statistics


(V) Clear evidence of DVCS contribution
[.] High statistics in small range in $Q^{2}, x_{B},-\dagger$

## Increasing statistics


(-) Clear evidence of DVCS contribution
(V) High statistics in small range in $Q^{2}, x_{B},-\dagger$
[- "Verified" Bjorken scaling in small $Q^{2}$ range [nucl-ex/0607029]

## Information about GPD H

[Phys. Rev. Lett. 97 (2006) 262002]


## Information about GPD H



## DVCS on "neutron" (aka $\left.{ }^{3} \mathrm{He}\right)$

beam-helicity asymmetry sensitive to GPD E
-> model-dependent constraint on total angular momentum

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multi-dimensional binning in ( $x_{B},-\dagger, Q^{2}$ )


VGG model calculations:
Phys. Rev. D60 (1999) 094017.
Prog. Nucl. Phys. 47 (2001) 401.

## Increasing statistics

multi-dimensional binning in ( $x_{B},-\dagger, Q^{2}$ )


VGG Model overshoots data (effect also observed for HERMES data)

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multi-dimensional binning in ( $x_{B},-\dagger, Q^{2}$ )


VGG Model overshoots data (effect also observed for HERMES data)
in general no satisfactory description by models

## A wealth of azimuthal amplitudes



Beam-charge asymmetry: GPD H

Beam-helicity asymmetry: GPD H

Transverse target spin asymmetries: GPD E from proton target

Longitudinal target spin asymmetry: GPD $\tilde{H}$
Double-spin asymmetry: GPD $\tilde{H}$

## A wealth of azimuthal amplitudes



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# Beam-charge asymmetry 


constant term:
$\propto-A_{C}^{\cos \phi}$
$\propto \operatorname{Re}\left[F_{1} \mathcal{H}\right]$
[higher twist]
[gluon leading twist]

## Resonant fraction:

$$
e p \rightarrow e \Delta^{+} \gamma
$$

model prediction "VGG": Phys. Rev. D60 (1999) 094017 \& Prog. Nucl. Phys. 47 (2001) 401

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G. Schnell - EHU/UPV \& IKERBASQUE

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## Transverse target-spin asymmetry


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## HERMES detector (2006/07)

## detection of recoiling proton



## HERMES detector (2006/07)

## kinematic fitting



## HERMES detector (2006/07)

## kinematic fitting




- All 3 particles in final state detected $\rightarrow 4$ constraints from energy-momentum conservation
- Selection of pure BH/DVCS (ep $\rightarrow$ ep $\gamma$ ) with high efficiency ( $\sim 84 \%$ )
- Allows to suppress background from associated and semi-inclusive processes to a negligible level ( $\sim 0.1 \%$ )


## Event samples

## Without Recoil Detector

In Recoil Detector acceptance

## With Recoil Detector



## DVCS with recoil detector 



# indication of larger amplitudes for pure sample 

extraction of amplitudes for associated production underway

## Exclusive meson production



## Exclusive meson production

- GPDs convoluted with meson amplitude

- access to various quark-flavor combinations

| $\pi^{0}$ | $2 \Delta u+\Delta d$ |
| :---: | :---: |
| $\eta$ | $2 \Delta u-\Delta d$ |
| $\rho^{0}$ | $2 u+d, 9 \mathrm{~g} / 4$ |
| $\omega$ | $2 u-d, 3 \mathrm{~g} / 4$ |
| $\phi$ | $\mathrm{~s}, \mathrm{~g}$ |
| $\rho^{+}$ | $u-d$ |
| $\mathrm{~J} / \psi$ | $g$ |

## Exclusive meson production

- GPDs convoluted with meson amplitude

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- factorization proven for longitudinal photons

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| $J / \psi$ | $g$ |

## Exclusive meson production

- GPDs convoluted with meson amplitude

- access to various quark-flavor combinations
- factorization proven for longitudinal photons
- vector-meson cross section:
$\frac{\mathrm{d} \sigma}{\mathrm{d} x_{B} \mathrm{~d} Q^{2} \mathrm{~d} t \mathrm{~d} \phi_{S} \mathrm{~d} \phi \mathrm{~d} \cos \theta \mathrm{~d} \varphi}=\frac{\mathrm{d} \sigma}{\mathrm{d} x_{B} \mathrm{~d} Q^{2} \mathrm{~d} t} W\left(x_{B}, Q^{2}, t, \phi_{S}, \phi, \cos \theta, \varphi\right)$
$W=W_{U U}+P_{B} W_{L U}+S_{L} W_{U L}+P_{B} S_{L} W_{L L}+S_{T} W_{U T}+P_{B} S_{T} W_{L T}$
look at various angular modulations to study helicity transitions ("spin-density matrix elements")


## $\rho^{0}$ SDMEs from HERMES


target-polarization independent SDMEs

## $\rho^{0}$ SDMEs from HERMES



## $\rho^{0}$ SDMEs from HERMES



## $\rho^{0}$ SDMEs from HERMES



"transverse" SDMES sdme valus

## $\rho^{0}$ SDMEs from HERMES



## $\rho^{0}$ SDMEs from HERMES



## $\rho^{0}$ SDMEs from HERMES



## $\rho^{0}$ SDMEs from HERMES



## Transverse SSA


overall


- COMPASS results: no L/T separation
- more data to come from 2010 run and future transverse DVCS program
- in principle sensitive to GPD E $\rightarrow$ total angular momentum


## Towards global GPD analyses (cf. next speaker)


G. Schnell - EHU/UPV \& IKERBASQUE


Goloskokov, Kroll (2007)


40


Ringberg 2011

## Towards global GPD analyses

$\Rightarrow$ try out GPDs on set of DVCS azimuthal asymmetries:


## Towards global GPD analyses

$\Rightarrow$ try out GPDs on set of DVCS azimuthal asymmetries:


## The proton - seen with multi-D glasses




