

IMPRS/GK YSW at Ringberg Castle
July 23rd 2012

The Top Quark Mass in the Dilepton Channel

Andreas Alexander Maier



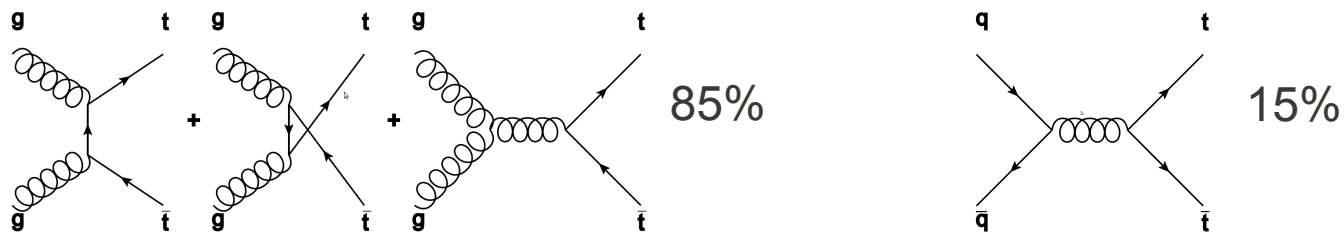
Top Quarks Pairs at LHC

- The LHC serves as a top quark factory

- $\sigma_{t\bar{t}}(7TeV) = 164.6^{+11.4}_{-15.7} pb$

- 2011 dataset: $\sim 800\,000$ top pair events (4.7 fb^{-1})

- Production mechanism



- Decay channels for $t\bar{t} \rightarrow W^+ b W^- \bar{b}$:

- “all jets” $WW \rightarrow qqqq$ 46 %
 - “lepton + jets” $WW \rightarrow l\nu qq$ 45 %
 - “dilepton” $WW \rightarrow l\nu l\nu$ 9 %

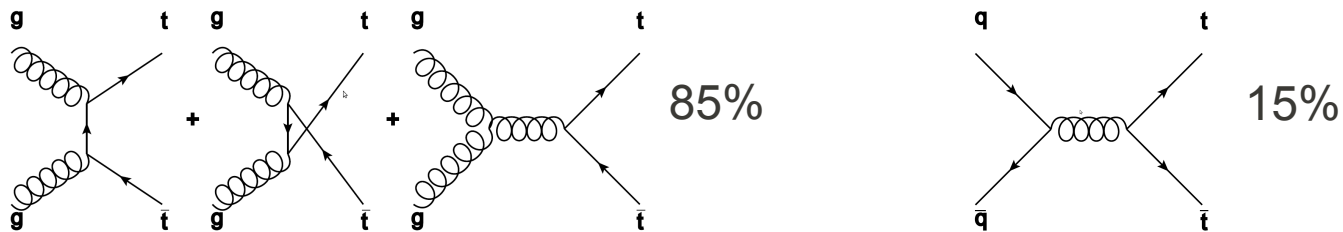
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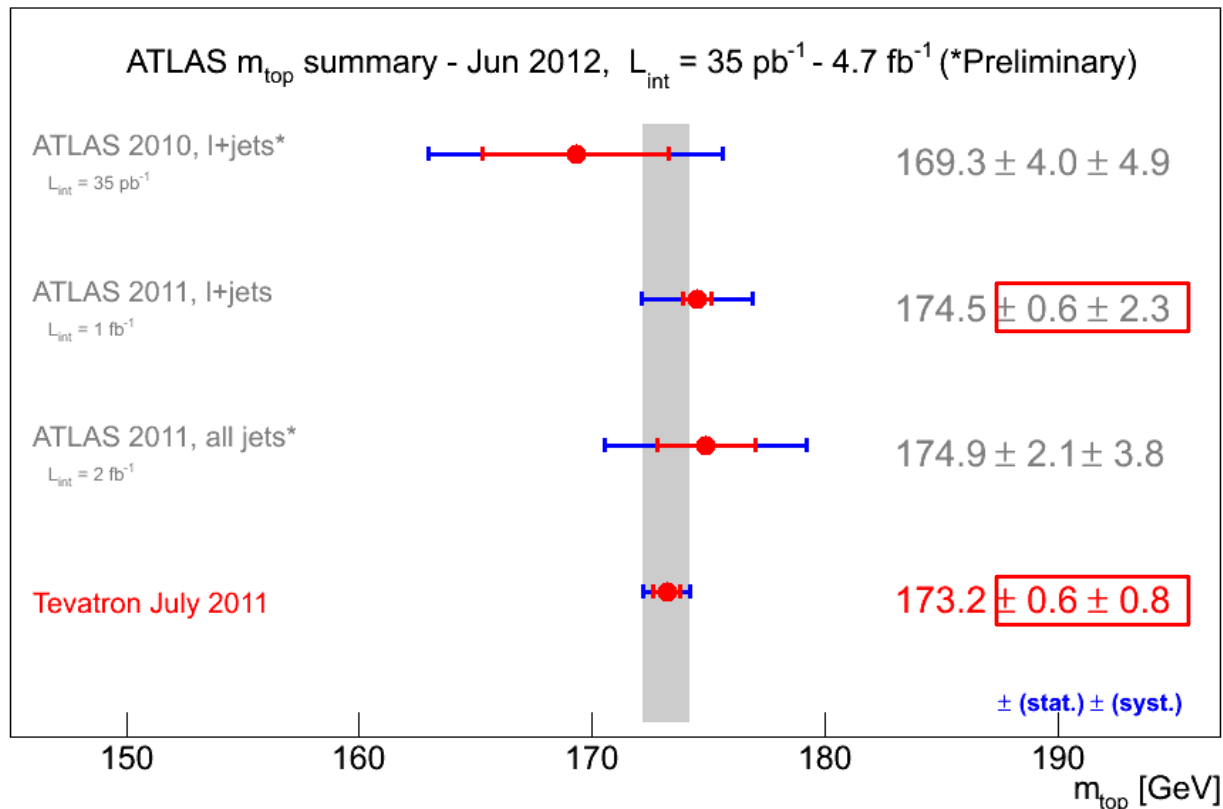
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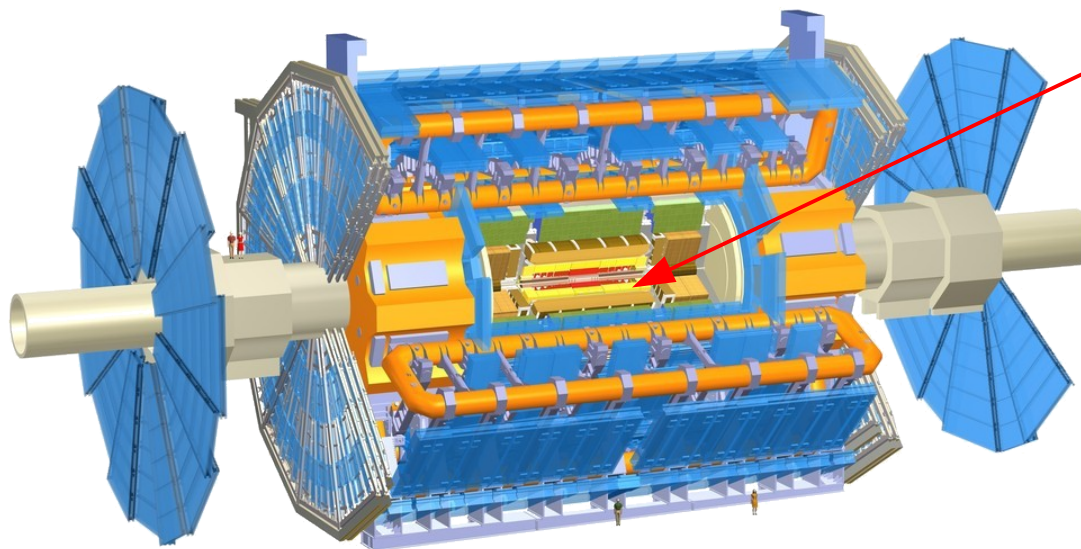
ATLAS Measurements

- ATLAS publications: up to now just lepton + jets, all jets
- Growing interest in the dilepton channel



The ATLAS Detector

- Multipurpose detector covering almost the full solid angle
- Analyzing pp collisions at LHC: 4.7 fb^{-1} in 2011

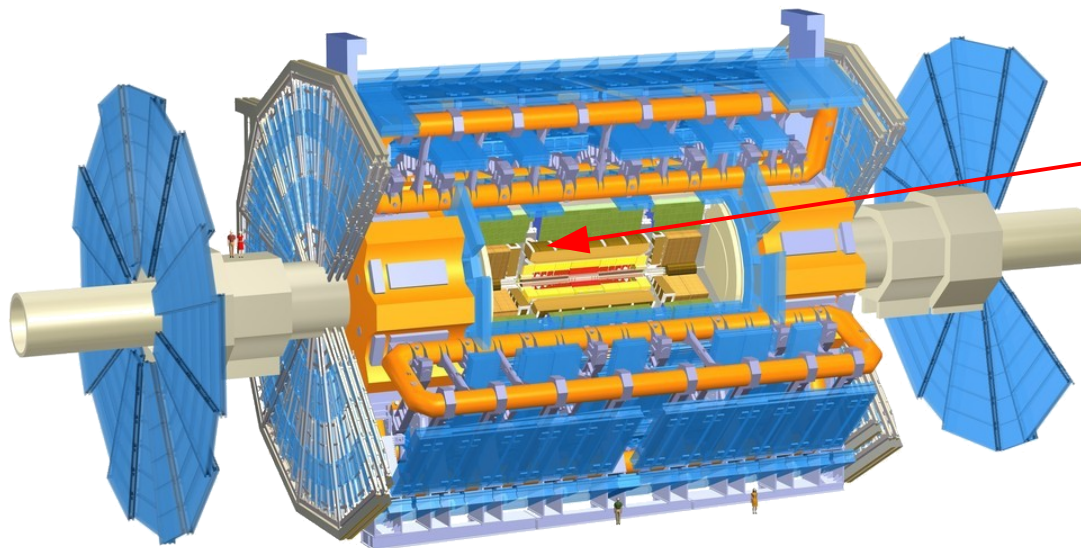


Inner detector

- b-quark identification
- Momenta of electrons and quarks

The ATLAS Detector

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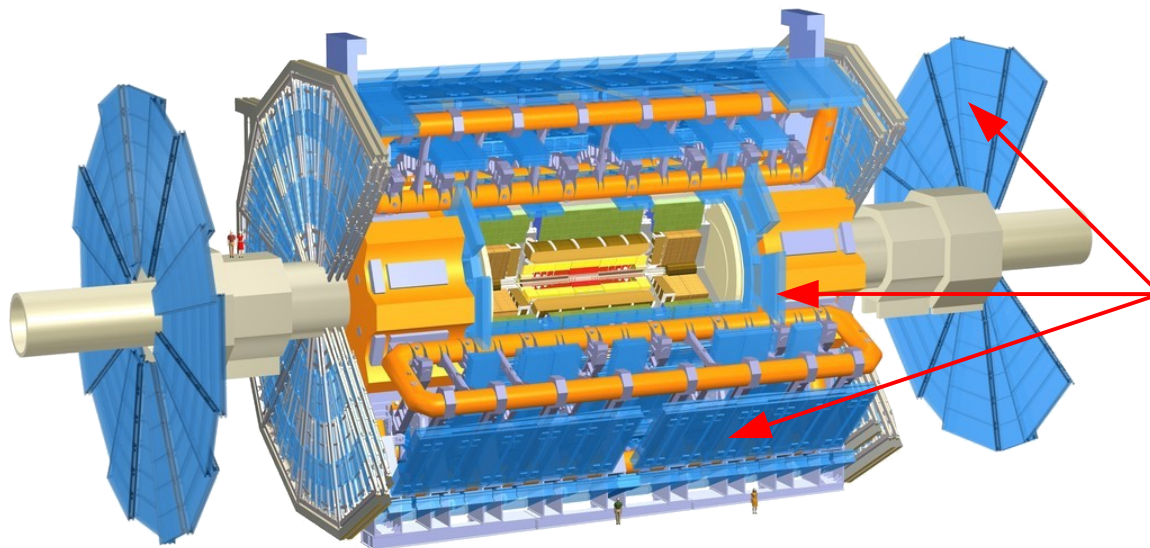
Inner detector

Calorimeters

- Electron energy
- Jet energy

The ATLAS Detector

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Inner detector

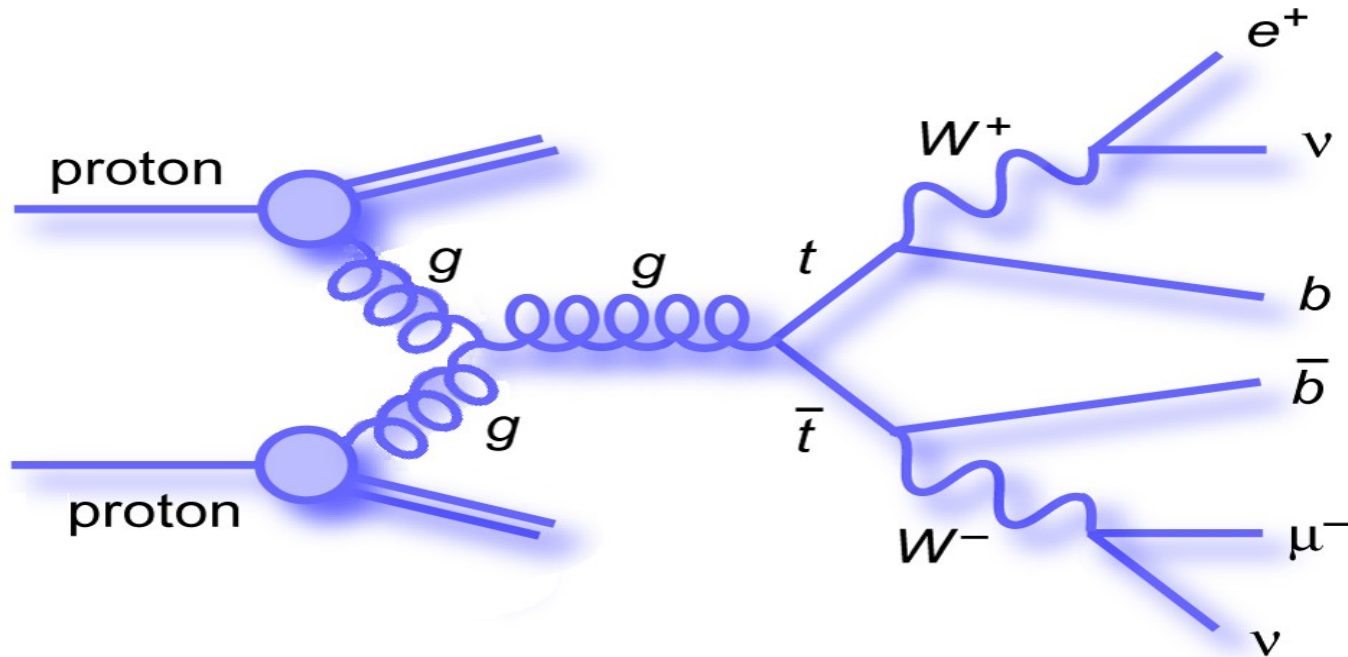
Calorimeters

Muon spectrometer

- Muon momenta

- Muon energy

Selection Cuts



- 2 oppositely charged isolated leptons with high p_T (no τ)
 - High missing transverse energy E_T^{miss} caused by two neutrinos
 - 2 jets identified as originating from a b quark
 - Additional cuts to reduce background
- Expected background $O(5\%)^1$ → up to now: signal only analysis

Event Reconstruction

- 6 final four-vectors $(E, \vec{p}) \rightarrow 24$ parameters

- Available information:

2 x 4 (charged leptons)

2 x 4 (b-quarks from b-jets)

2 (E_T^{miss})

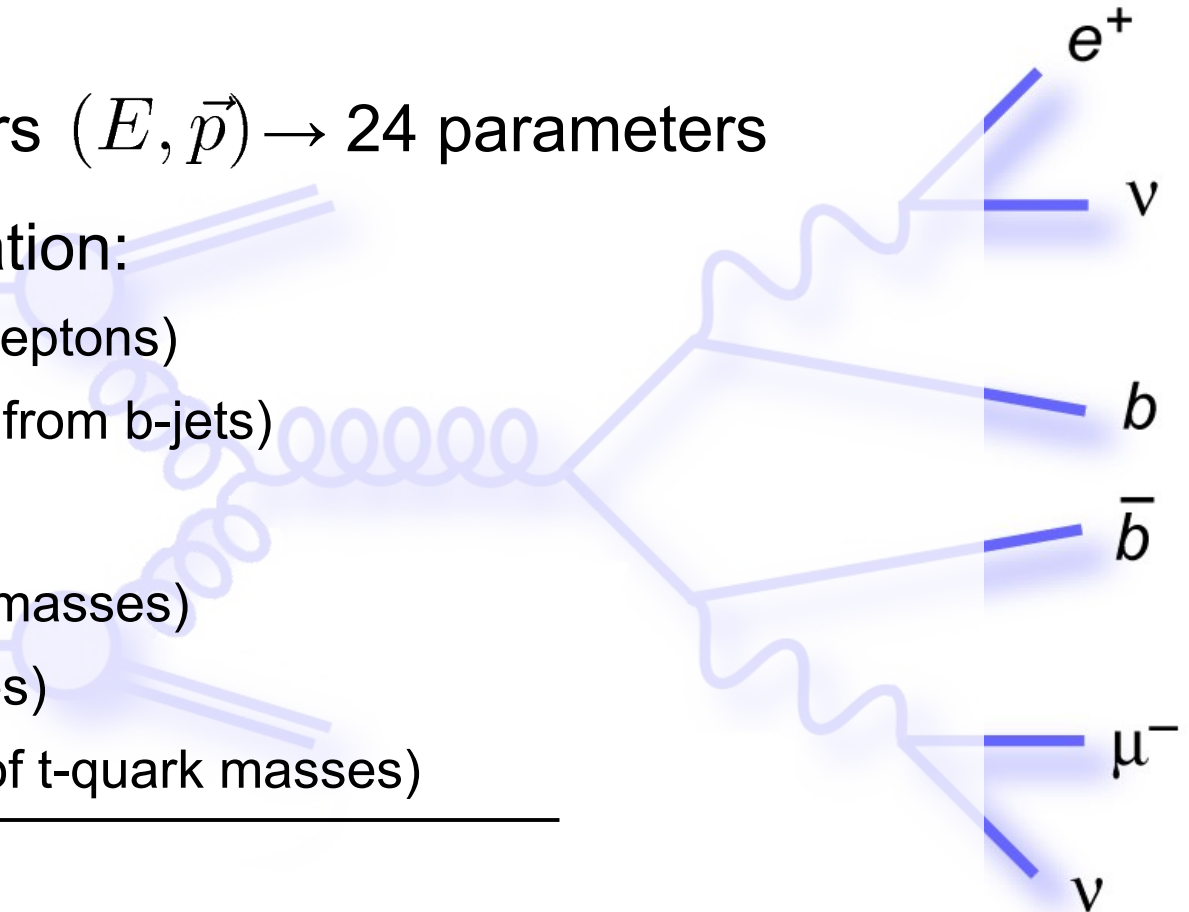
+ 2 (neutrino masses)

+ 2 (W masses)

+ 1 (equality of t-quark masses)

= 23

- Problem: Underconstrained kinematics!



I Investigated the Following Solutions

- Scan all possible values for unknown variables:

Neutrino Weighting Method: event weight as estimator

- Scan over trial m_{top} and neutrino z-direction

- Do not fully reconstruct:

m_{lb} Method: invariant mass of lepton + b-jet system

- A new method: Use unfolded distributions (no detector effects)
- Compare with NLO calculations
- Cooperation with the Theory 2 group at MPP

$m_{\text{T}2}$ Method: transverse mass of the t-quark

- Used for decays with 2 invisible products (e.g. SUSY searches¹)
- Scan transverse neutrino momenta $p_x^{\nu(1)}, p_y^{\nu(1)}$.
- This allows the calculation of $m_{\text{T}2}$ observable for every assumption

The m_{T2} Method

- Scan $p_x^{\nu(1)}, p_y^{\nu(1)}$. $\vec{p}_T^{\nu(2)}$ is then constrained by $\vec{p}_T^{\nu(1)} + \vec{p}_T^{\nu(2)} = E_T^{miss}$

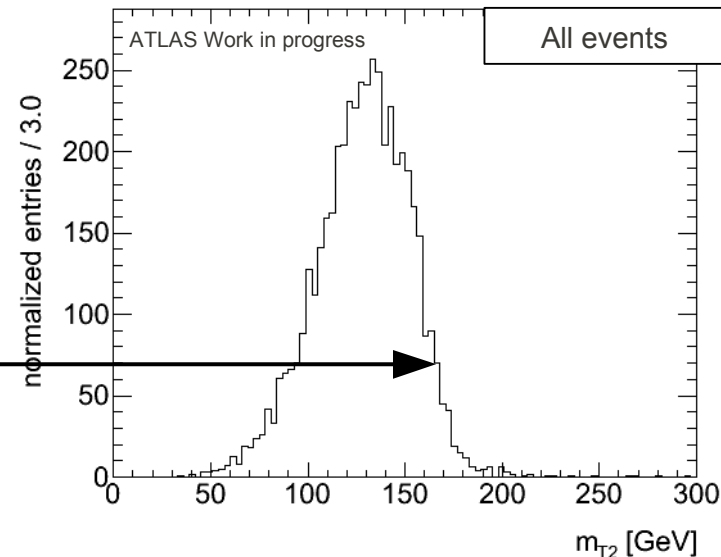
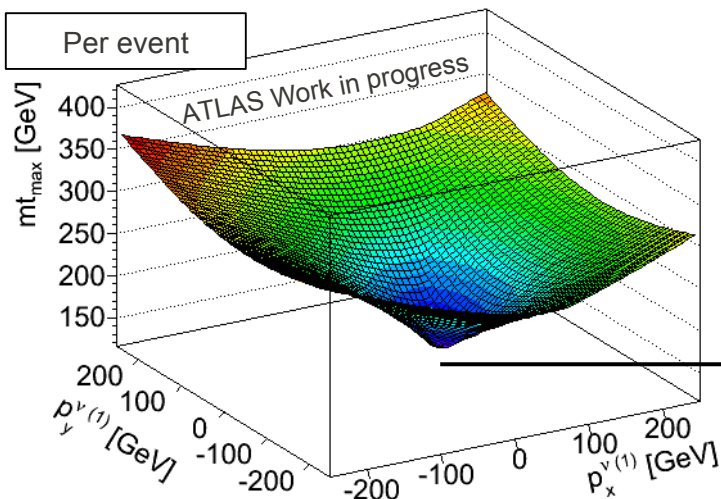
- Definition¹:

$$m_{T2} = \min_{\vec{p}_T^{\nu(1)}, \vec{p}_T^{\nu(2)}} \left[\max \left[m_T^t(m_\nu, \vec{p}_T^{\nu(1)}), m_T^{tbar}(m_\nu, \vec{p}_T^{\nu(2)}) \right] \right]$$

with:

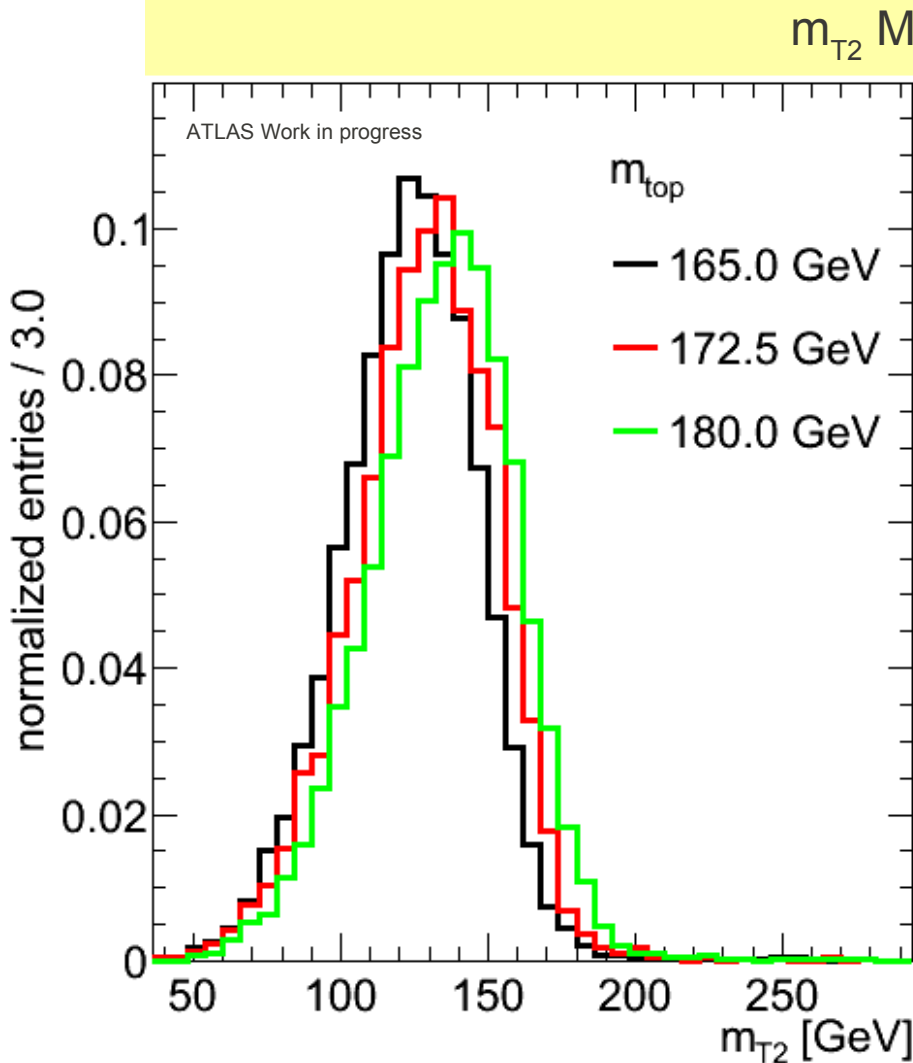
$$m_T(m_\nu, \vec{p}_T^{\nu(i)}) = \sqrt{m_{lb}^2 + m_\nu^2 + 2(E_T^{lb} E_T^{\nu(i)} - \vec{p}_T^{lb} \cdot \vec{p}_T^{\nu(i)})}$$

- m_{T2} distribution has a cutoff at m_{top} (transverse mass)

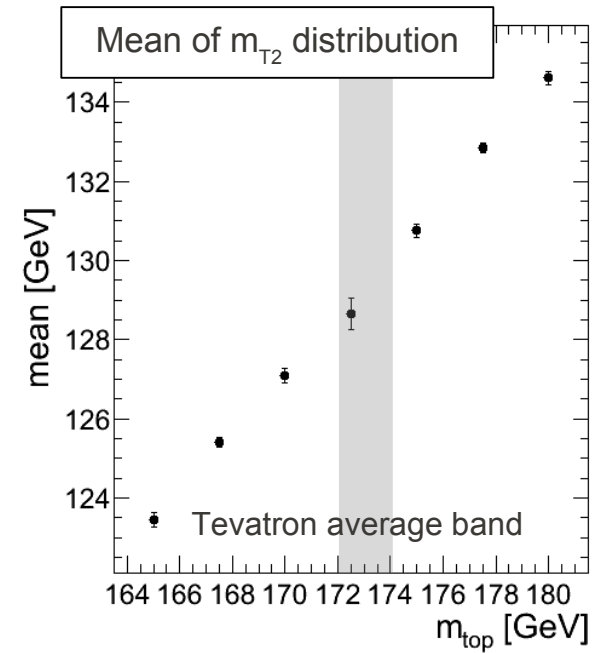


Change of Distributions with m_{top}

Using MC samples with different m_{top} as input

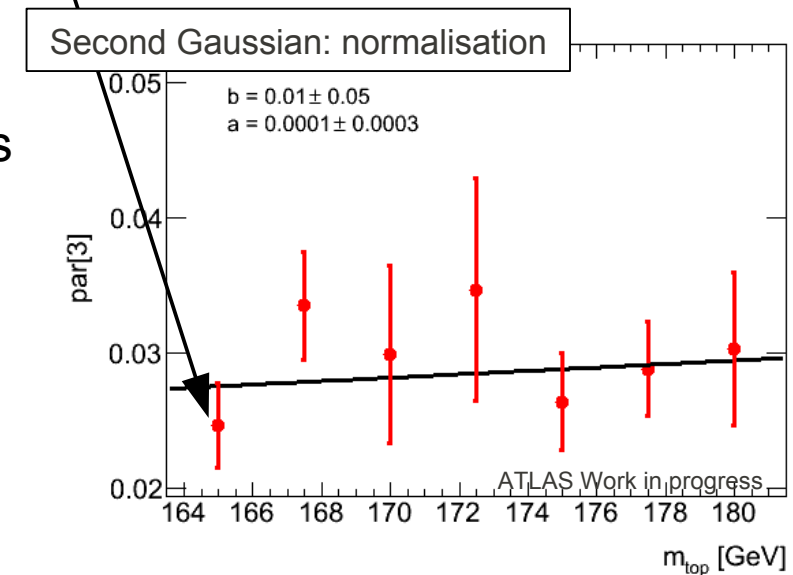
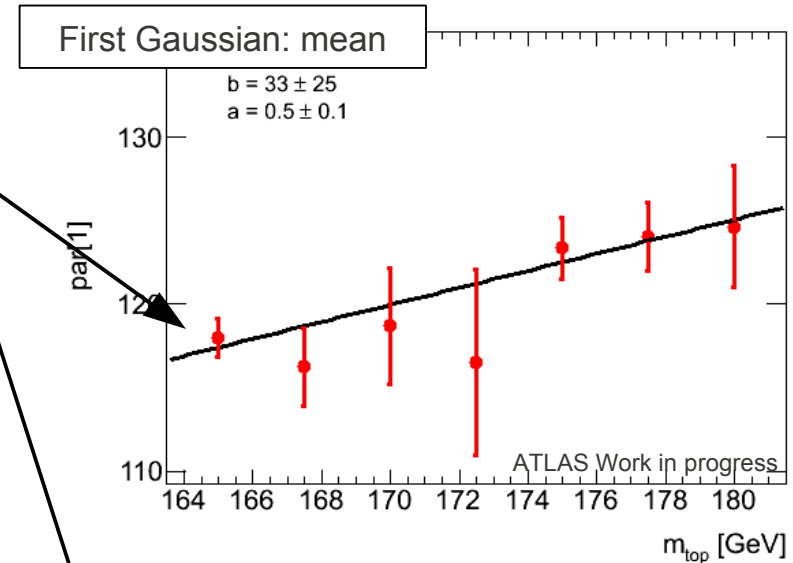
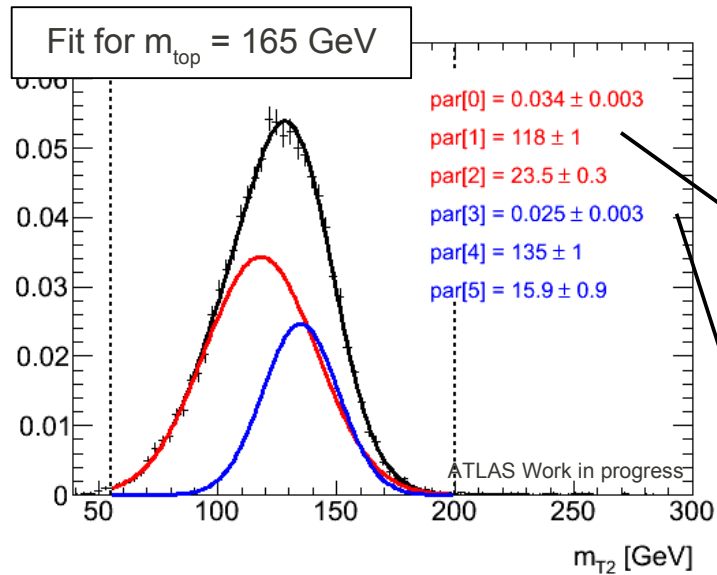


- Distributions change with m_{top}
- High sensitivity is illustrated by a simple estimator: the mean



But we can do more ...

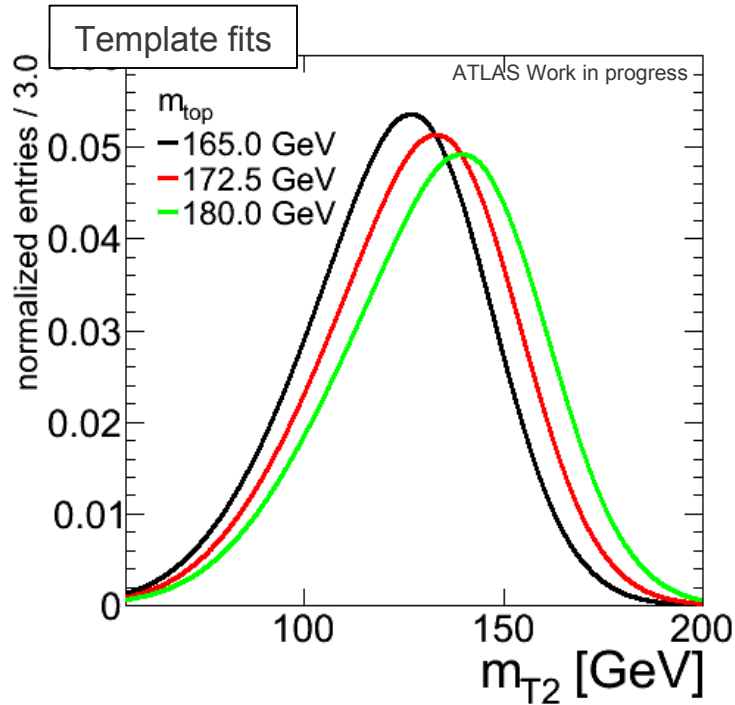
The Separate Fit



- Fit with sum of two Gaussian functions
- Shown here: 2 out of 6 parameters
- Linear dependence on m_{top}

$$p_i = a_i \cdot m_{top} + b_i \quad i \in \{0, \dots, 5\}$$

The Template Method



- Construct the template fit functions

- Fit distributions separately for each m_{top}

- Parameters approximately linear in m_{top} :

$$p_i(m_{top}) = a_i \cdot m_{top} + b_i \quad i \in \{0, \dots, 5\}$$

- Get a_i and b_i from combined fit

- Fit functions ready for use:

$$f(p_i(m_{top}); m_{T2}) = f(m_{top}; m_{T2})$$

- Now we have a function with

- m_{top} as the **only free** parameter

- Strong **dependence** on m_{top} (position and shape)

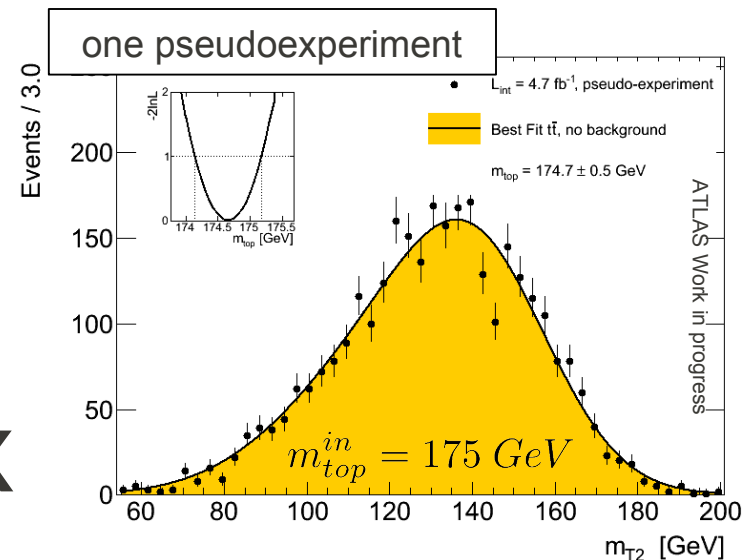
- Fit to a distribution yields most probable value for m_{top}

Method Validation

- Perform pseudoexperiments: Analyze many times samples with known m_{top}^{in}
 - Draw random histograms from the same histograms used to create the template fit functions (pseudodata)
 - Determine m_{top}^{out} by applying the template method for each histogram
- Validate the method
 - Check agreement of m_{top}^{in} and m_{top}^{out}
 - Get statistical fluctuation from m_{top}^{out}
 - Check the pull distributions:

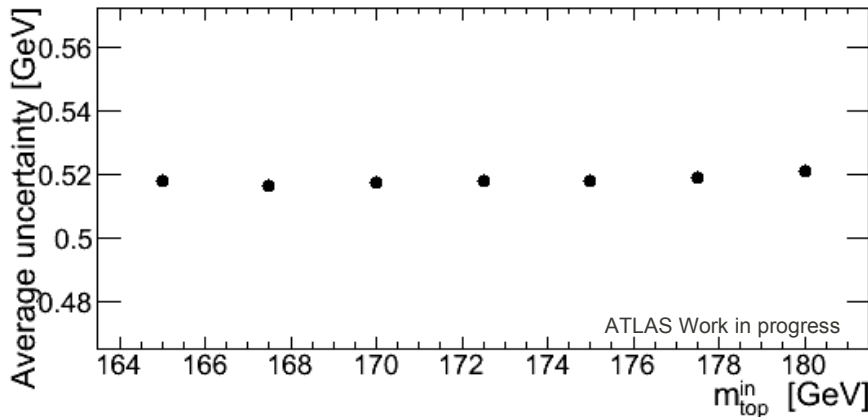
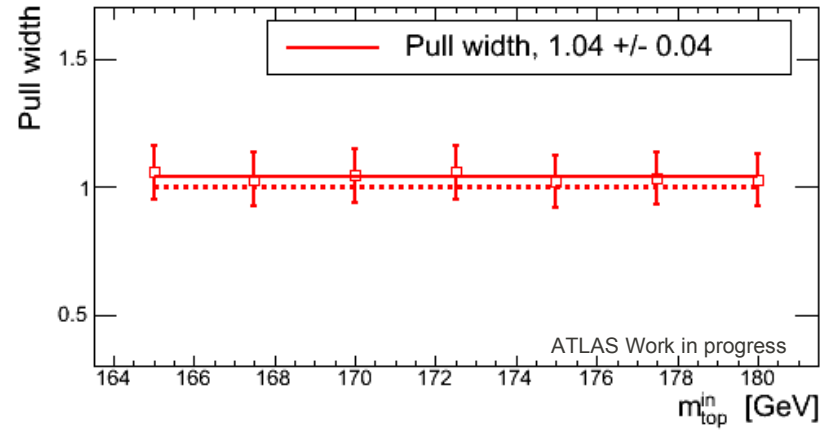
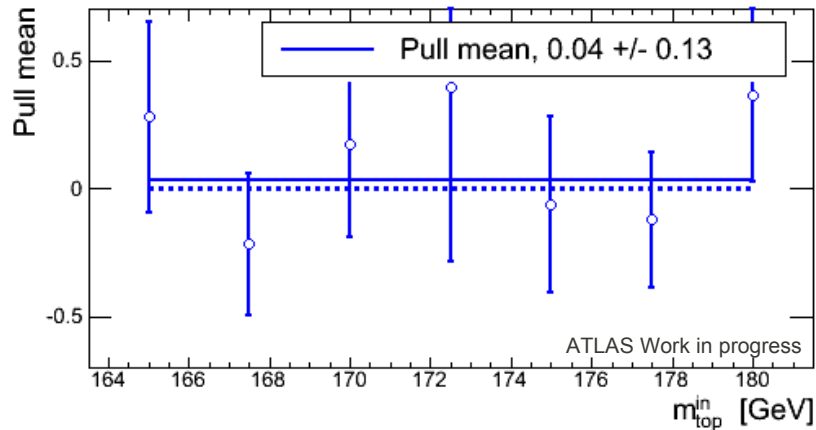
$$pull = \frac{m_{top}^{in} - m_{top}^{out}}{\sigma_{stat}}$$

e.g. 50 x



Pseudoexperiments for 4.7 fb⁻¹

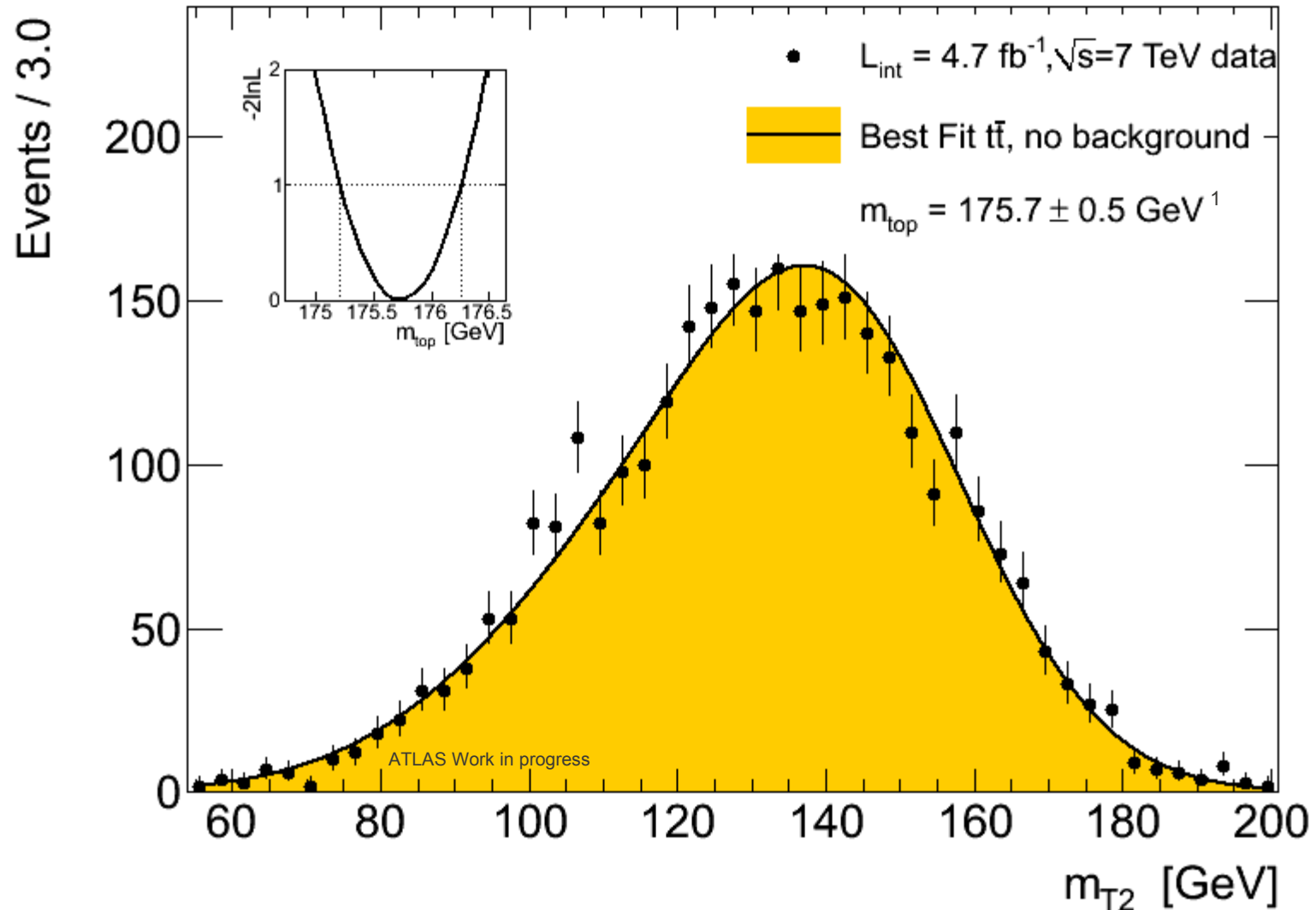
Per definitionem: $pull = \frac{m_{top}^{in} - m_{top}^{out}}{\sigma_{stat}}$ ideally \rightarrow $mean = 0$
 $width = 1$



Expected statistical uncertainty:

■ $\sigma (172.5 \text{ GeV}) = 0.52 \text{ GeV}$

Central value of m_{top} (2011 ATLAS data)



¹no background

Systematic Uncertainties

Evaluate systematic uncertainties

- Analyse distributions varied by systematic effect
- Difference in m_{top}^{out} as estimate of the systematic effect

Systematic uncertainty ¹ [GeV]	m_{T2}
Data Statistics	0.5
Signal MC generator	0.2
Hadronisation	0.9
ISR and FSR	0.8
Jet Energy Scale	1.8
b-Jet Energy Scale	1.8
Total Systematic Uncertainty	2.8
Total Uncertainty	2.8

¹no background, just systematic effects shown here, ATLAS work in progress

Systematic Uncertainties

Difference in m_{top}^{out} using two different MC generators

- MC@NLO vs. POWHEG both using HERWIG

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Systematic Uncertainties

Difference in m_{top}^{out} using two different hadronisation programs

- Pythia vs. HERWIG both using POWHEG

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Data Statistics	0.5
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Systematic Uncertainties

Difference in m_{top}^{out} using different amount of QCD initial and final state radiation

- AcerMC using HERWIG

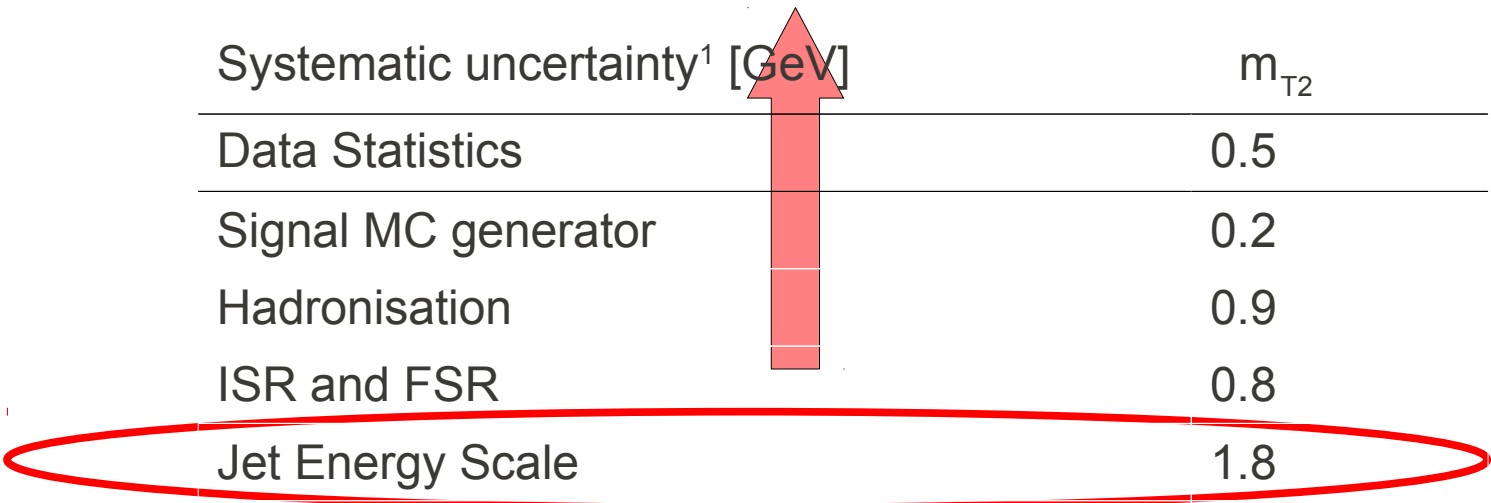
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Systematic Uncertainties

Difference in m_{top}^{out} using different jet energy scales

- Variation of the JES up and down by 1σ



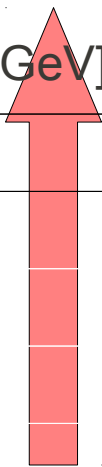
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Systematic Uncertainties

Difference in m_{top}^{out} using different b-jet energy scales

- Variation of the bJES up and down by 1σ



Systematic uncertainty ¹ [GeV]	m_{T2}
Data Statistics	0.5
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ISR and FSR	0.8
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Preliminary result: $m_{top} = 175.7 \pm 0.5 \pm 2.8 \text{ GeV}^1$

¹no background, just systematic effects shown here, ATLAS work in progress

- The Template Method for the m_{T2} Method was presented
 - Calculation of the observable
 - Construction of the templates
 - Method validation
 - Application on data
 - Evaluation of the most important systematics

Thank you for your attention!

The background is a complex, abstract composition of numerous overlapping, semi-transparent lines and streaks in a wide range of colors including yellow, green, blue, purple, and red. These lines vary in thickness and orientation, creating a sense of dynamic movement and depth. In the center of the image, there is a prominent starburst or radial pattern formed by several thin, white lines intersecting at a central point. A series of small, light blue dots forms a curved path that passes through this central intersection. Two thick, bright green lines are also present, one extending from the upper right towards the center and another from the lower left towards the center, both appearing to converge towards the central starburst area.

Backup

Andreas Alexander Maier

Data and MC Samples

- Data sample
 - Corresponding to 4.7 fb^{-1}
 - Recorded by ATLAS in 2011
- MC samples for templates
 - Event generator: MC@NLO + HERWIG/Jimmy
 - Detector simulation: GEANT4
 - Jet reconstruction algorithm: AntiKt 0.4 TopoCluster jets
 - B-Jet identification:
MV1 b-tag algorithm with 70 % efficiency, 1/134 mistag rate
 - Different m_{top} (160 GeV – 190 GeV)
 - Up to 20 times data statistics

Expected Background

Main background sources:

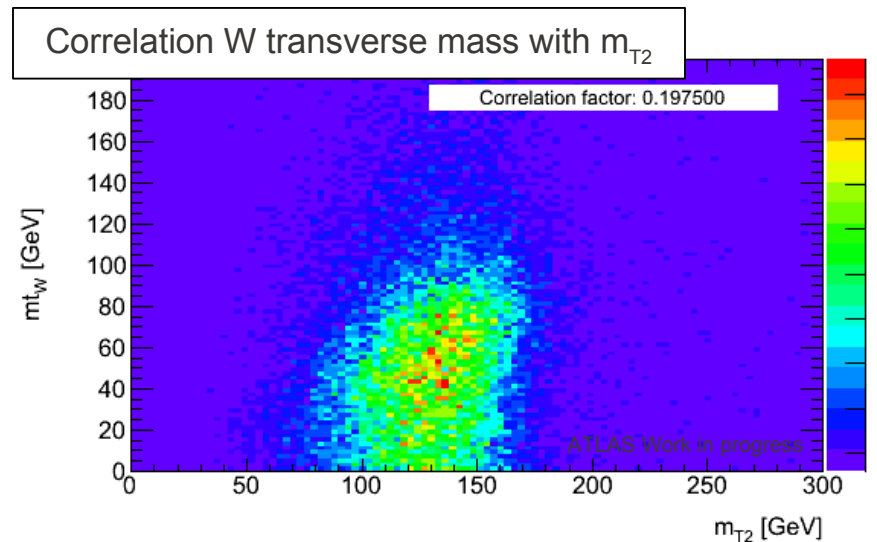
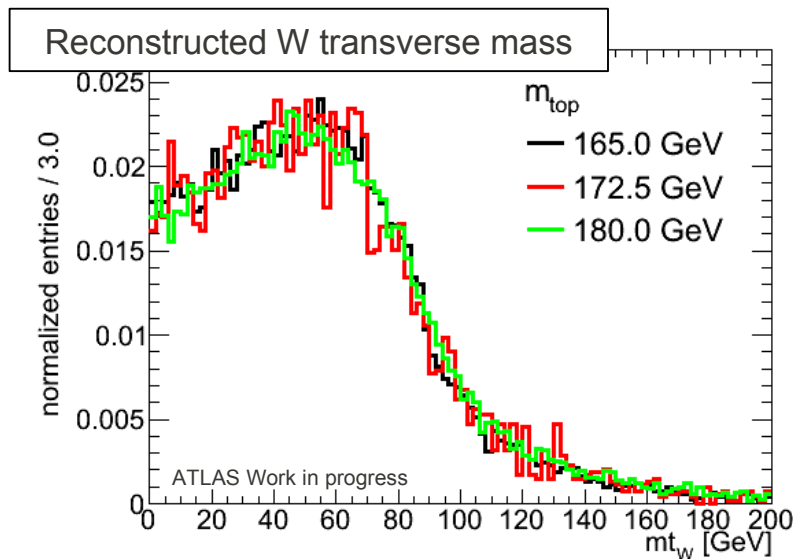
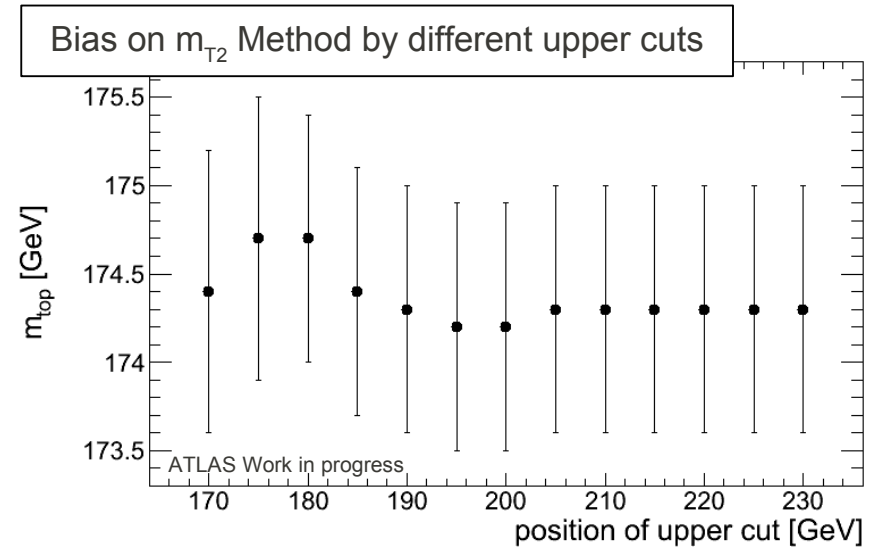
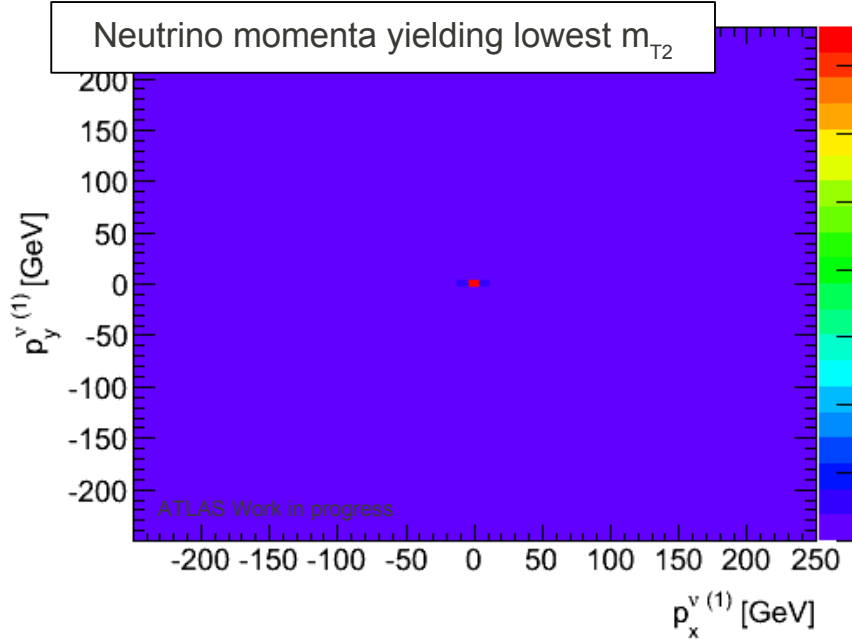
- Single top production
- Drell-Yan process
- Diboson production
- Fake leptons

Analysis taking the mean as estimator¹

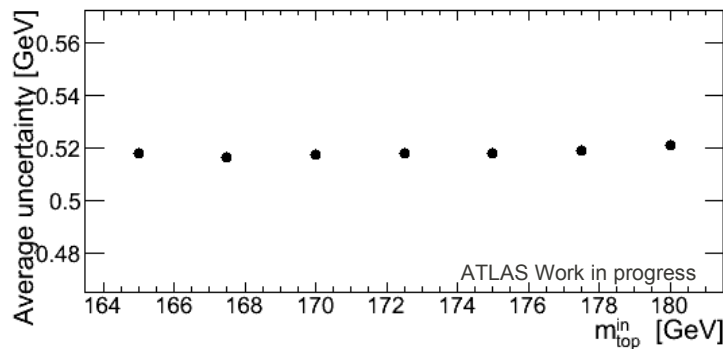
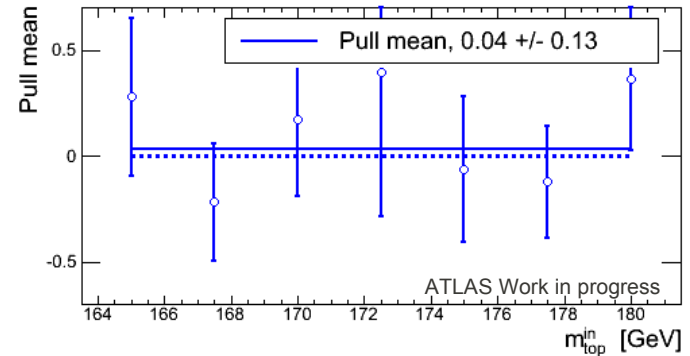
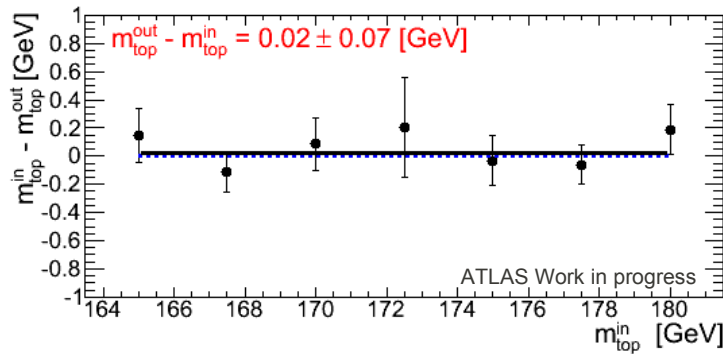
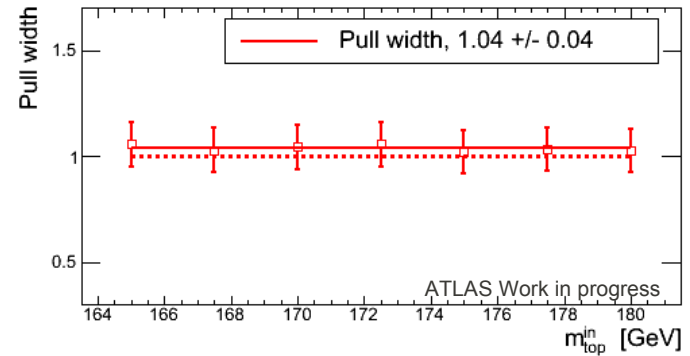
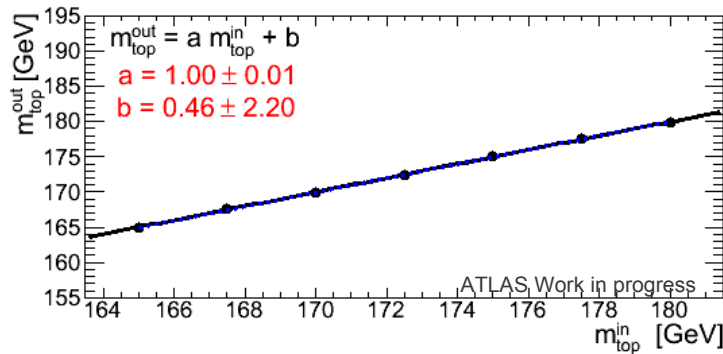
Total Signal	719
Total Background	38
Total Events	757
Background Fraction	5%

Expected background fraction: Same order of magnitude $O(5\%)$

Some Control Plots



Pseudoexperiments for 4.7 fb^{-1}



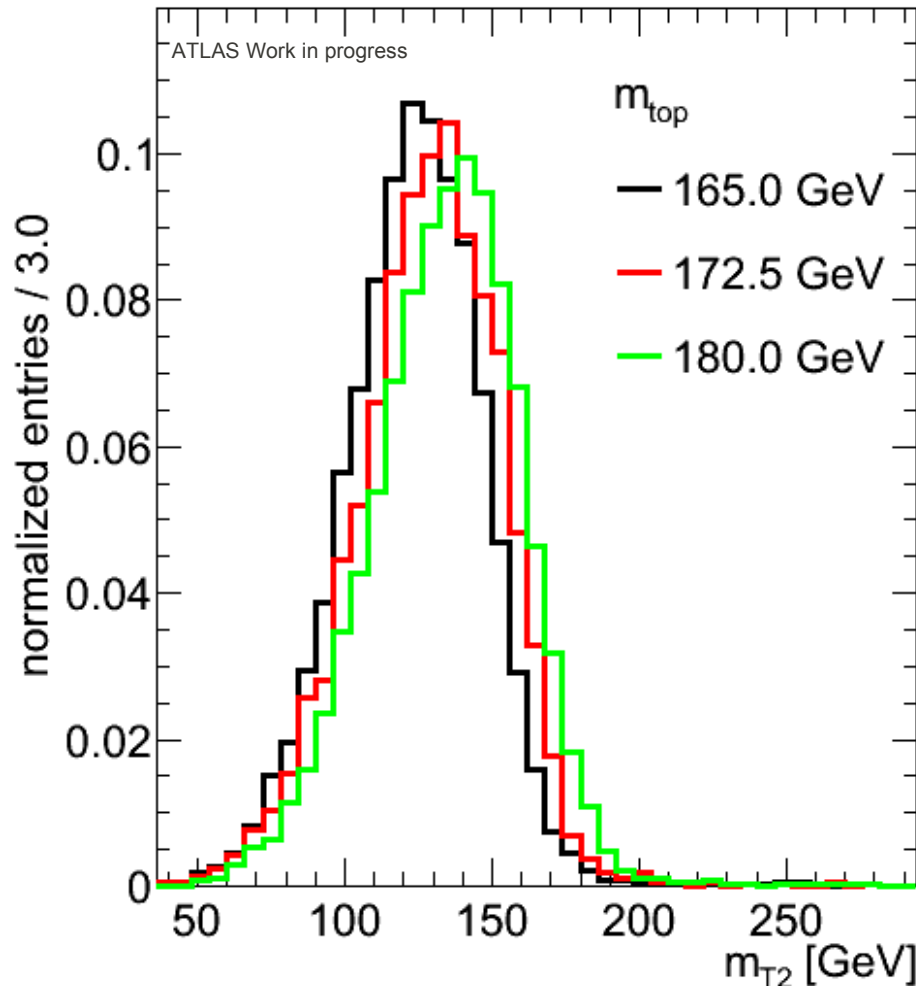
Expected statistical uncertainty:

■ $\sigma (172.5 \text{ GeV}) = 0.52 \text{ GeV}$

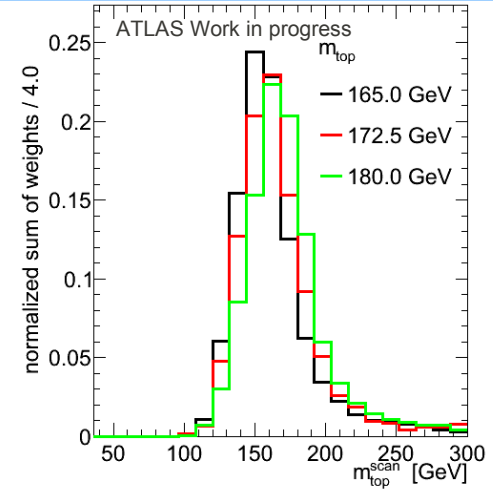
Change of Distributions with m_{top}

Using MC samples with different m_{top} as input

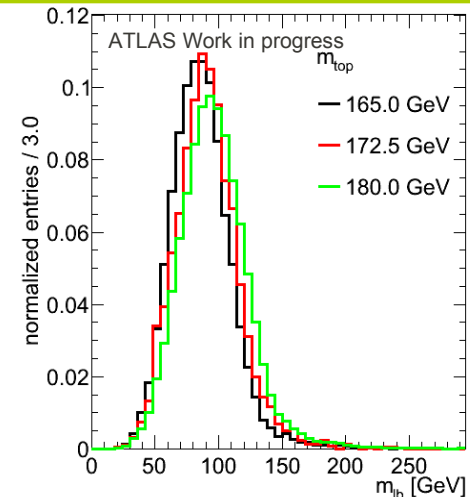
m_{T2} Method



Neutrino Weighting Method



m_{lb} Method:



Systematic Uncertainties

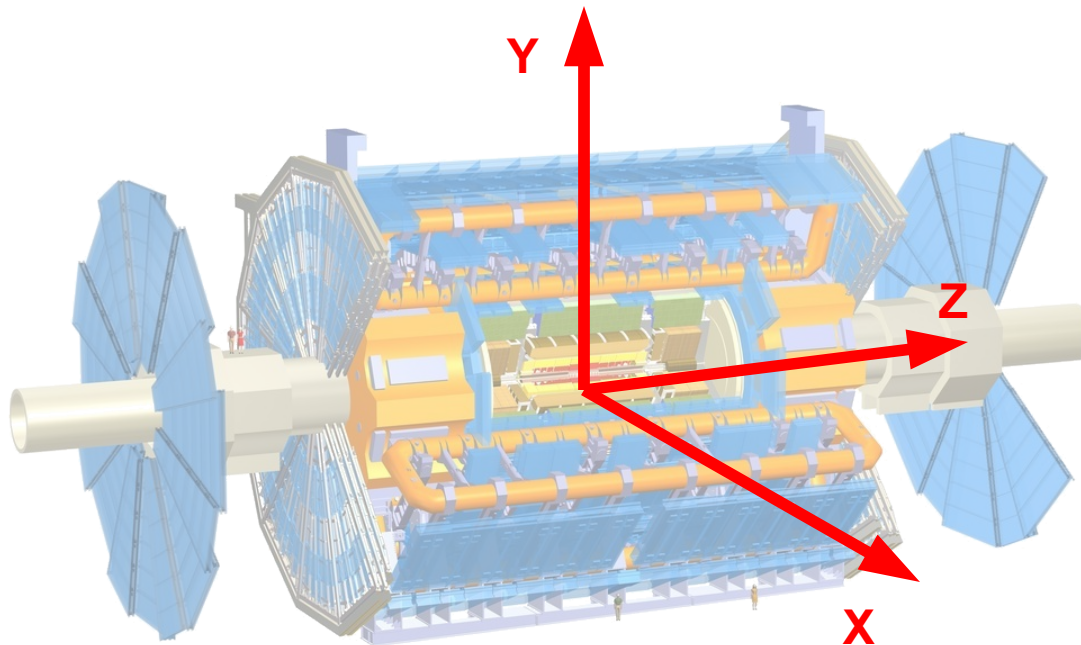
Systematic uncertainty	m_{T2}	Neutrino Weighting
Data Statistics	0.5	0.6
Signal MC generator	0.2	0.4
Hadronisation	0.9	0.6
ISR and FSR	0.8	1.0
Jet Energy Scale	1.8	1.5
b-Jet Energy Scale	1.8	1.6
Total Systematic Uncertainty	2.8	2.5
Total Uncertainty	2.8	2.6

Comparison m_{T2} and Neutrino Weighting Method

- Difference in uncertainty is not significant
- At the moment none of both is the better method

The ATLAS Detector

- Multipurpose detector covering almost the full solid angle
- Analyzing pp collisions at LHC: 4.7 fb^{-1} in 2011



Inner detector
Calorimeters
Muon spectrometer
Magnet system

Measure for forward direction: pseudorapidity $\eta = -\log \tan \Theta/2$

Neutrino Weighting Method¹

- Scan neutrino etas $\eta_\nu, \eta_{\bar{\nu}}$ and m_{top}^{scan}
- Combinatorics: up to 4 solutions of kinematics
- Weight of solution $w_i, i \in \{1, 2, 3, 4\}$

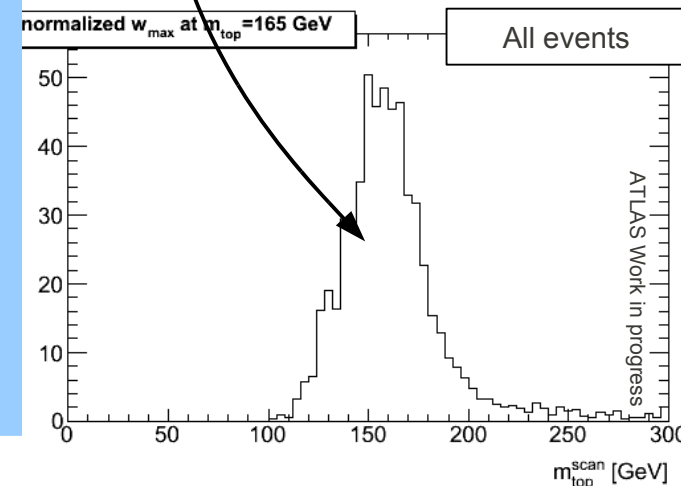
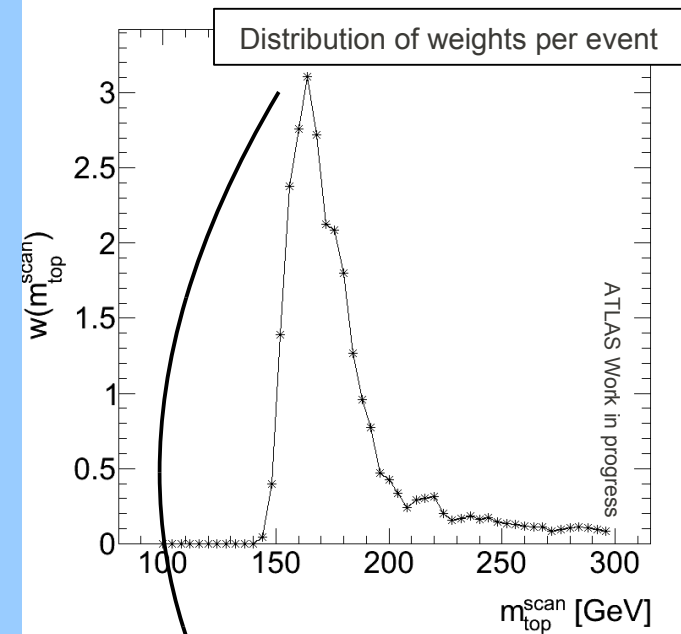
$$w_i = \exp \left(- \frac{(MET_x - p_{x,i}^\nu - p_{x,i}^{\bar{\nu}})^2}{2\sigma_x^2} \right) \cdot \exp \left(- \frac{(MET_y - p_{y,i}^\nu - p_{y,i}^{\bar{\nu}})^2}{2\sigma_y^2} \right)$$

- Sum it up for the event weight

$$w(m_{top}^{scan}, \eta_\nu, \eta_{\bar{\nu}}, bPaar) = \sum_{i=1}^4 w_i$$

$$w(m_{top}^{scan}) = \sum_{bPaare} \int d\eta_\nu d\eta_{\bar{\nu}} P(\eta_\nu, \eta_{\bar{\nu}}) w(m_{top}^{scan}, \eta_\nu, \eta_{\bar{\nu}}, bPaar)$$

- For every event take the maximum w_{max}



Cut Flow on MC samples

True dilepton events/after GRL for data	4%
trigger	82%
good vertex	100%
cosmic rejection	100%
≥ 2 leptons	30%
one of the leptons matches the trigger	100%
remove events tagged as e-mu overlap	100%
Jet Cleaning	99%
MET & HT (MET(ee,mumu) >60 GeV, HT (emu) >130 GeV)	74%
At least 2 jets with $p_t > 25$ GeV, $ \eta < 2.5$	80%
exactly 2 leptons	100%
Opposite-sign leptons	100%
$M(\text{ee, mumu}) > 15$ GeV	100%
$ M(\text{ee, mumu}) - 91 > 10$ GeV	94%
Both leptons match to truth leptons	100%
≥ 1 tagged jet with MV1 $w > 0.601713$	87%
≥ 2 tagged jet with MV1 $w > 0.601713$	51%