

Improvement of the CRESST Phonon/Light Detectors

Michael Kiefer

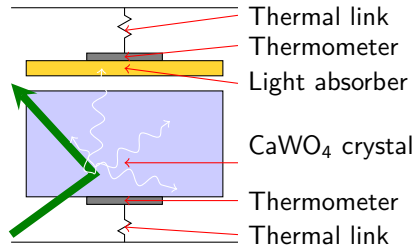
Max-Planck-Institut für Physik, München

Freiburg, 03/03/2007

Direct Dark Matter Search

CRESST

- Search for WIMPs
- Cryogenic experiment
- 2 Readout channels:
 - Phonons:** Energy measurement
 - Light:** Particle Identification

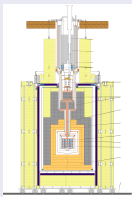


Background suppression

Signal

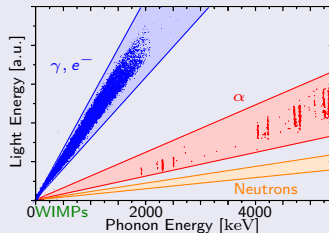
- (Background) \gg (expected WIMP-Signal)

Shielding against cosemics



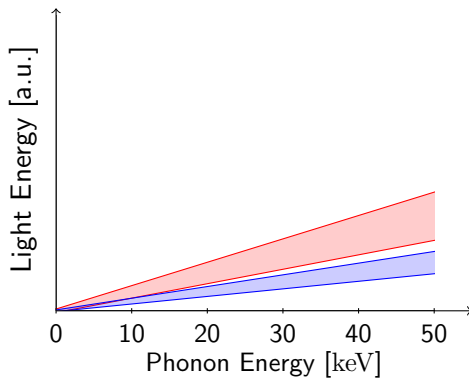
- Underground lab + μ -Veto
- Shields + Radon box

Discrimination of remaining events

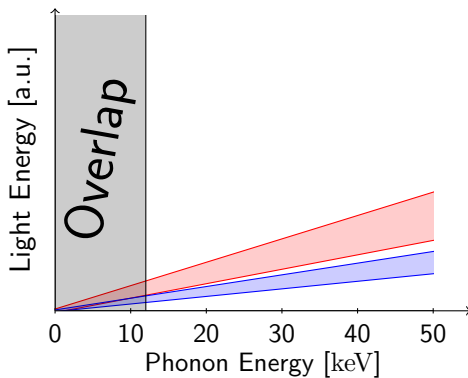


- Phonons give energy
- Light used for identification

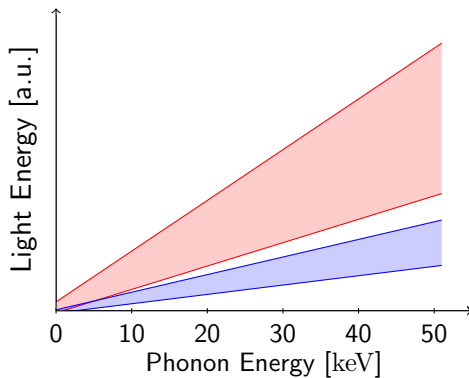
Band separation



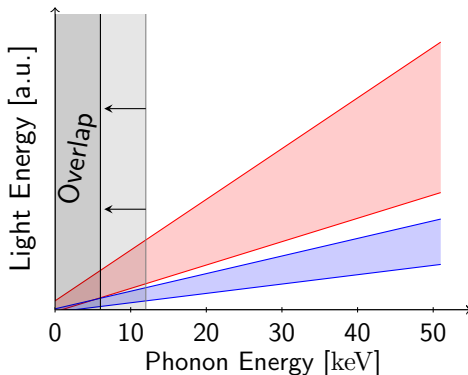
Band separation



Band separation

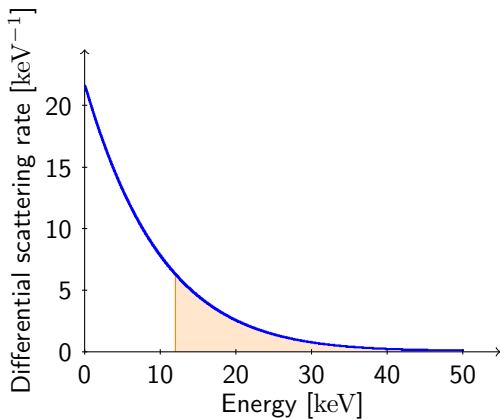


Band separation

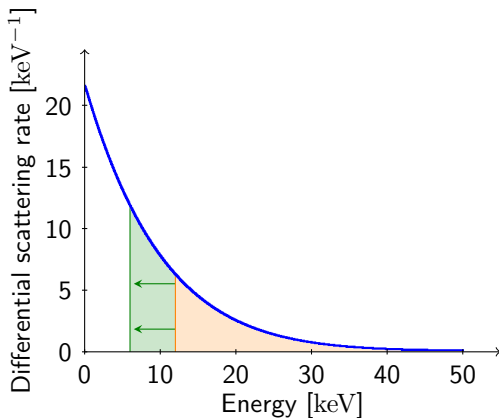


Consequence:

Additional light significantly lowers discrimination threshold

100 GeV WIMPs with $\sigma = 10^{-18}$ b on 1 kg CaWO_4 for 1 yr

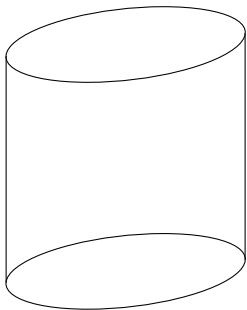
100 GeV WIMPs with $\sigma = 10^{-18}$ b on 1 kg CaWO_4 for 1 yr



Consequence:

Lower discrimination threshold raises expected WIMP count rate

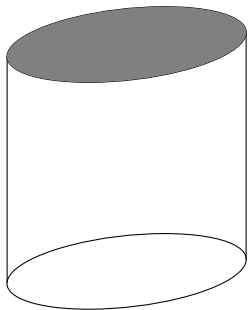
Problem During Detector Production



Steps

- Scintillating crystal

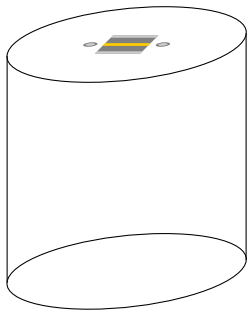
Problem During Detector Production



Steps

- Scintillating crystal
- Evaporation

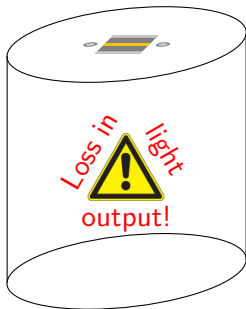
Problem During Detector Production



Steps

- Scintillating crystal
- Evaporation
- Structuring

Problem During Detector Production



Steps

- Scintillating crystal
- **Evaporation**
- Structuring

Problem

- High temperatures needed for evaporation
- Change in chemical composition
- Degradation of light output by factor of 2

Idea for the Solution

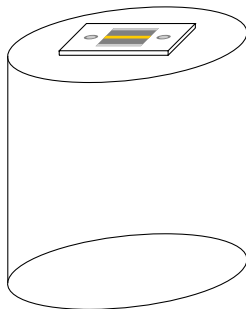
Glue a small thermometer carrier



Idea for the Solution

Glue a small thermometer carrier onto a big absorber

- Improves the light output
- Mass production of detectors



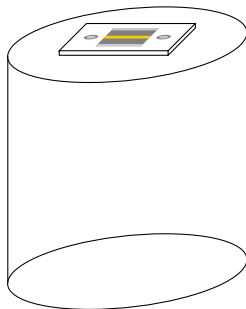
Idea for the Solution

Glue a small thermometer carrier onto a big absorber

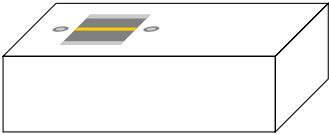
- Improves the light output
- Mass production of detectors

My work: Investigate in gluing technique

- Is it technically possible?
- Is the light gain worth a phonon performance loss?



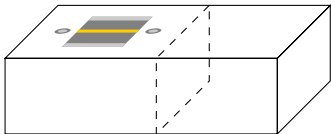
Proof-of-Principle Experiment Set-Up



Steps

- Produce phonon detector

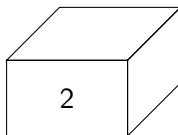
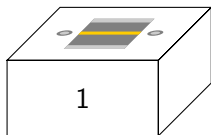
Proof-of-Principle Experiment Set-Up



Steps

- Produce phonon detector
- Cut crystal

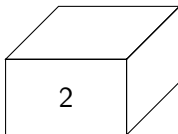
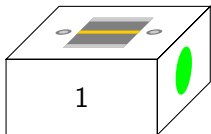
Proof-of-Principle Experiment Set-Up



Steps

- Produce phonon detector
- Cut crystal

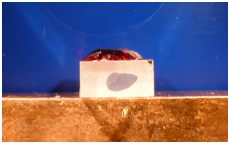
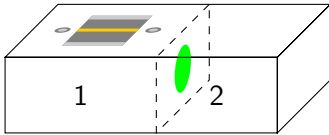
Proof-of-Principle Experiment Set-Up



Steps

- Produce phonon detector
- Cut crystal
- Glue crystal

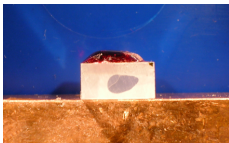
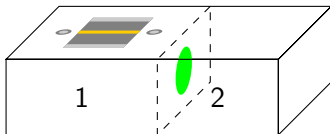
Proof-of-Principle Experiment Set-Up



Steps

- Produce phonon detector
- Cut crystal
- Glue crystal

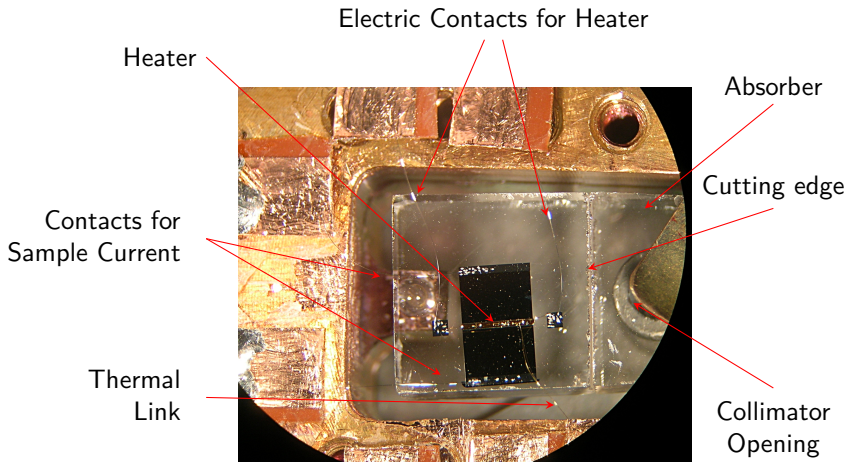
Proof-of-Principle Experiment Set-Up



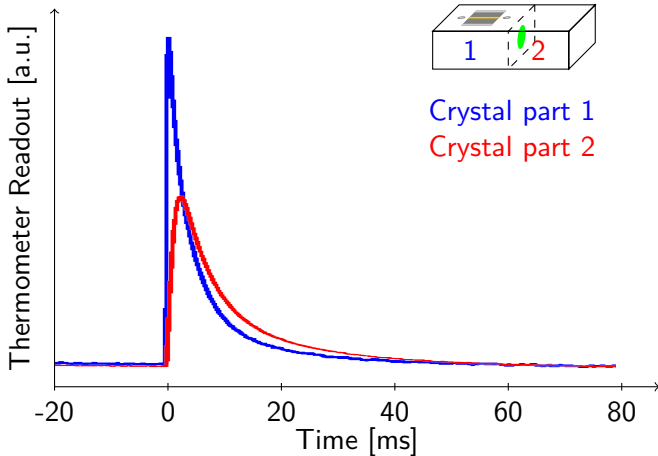
Steps

- Produce phonon detector
- Cut crystal
- Glue crystal
- Measure pulses of known energy

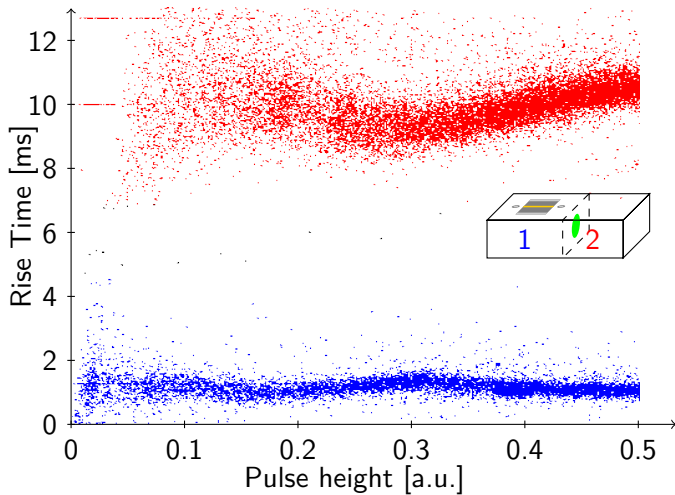
Sample in Holder



60 keV-Pulses

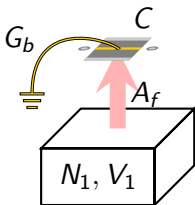


Analysis of Pulses



Theory of Pulse Formation

Mathematical model

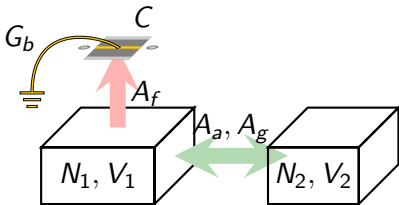


Differential equations for phonon transport

Temp. /Phon. balance	to Thermometer	heat bath	glue transm.	glue abs.
$\frac{d}{dt} \Delta T(t) C$	$= \mathcal{E} A_f \frac{N_1(t)}{V_1}$	$- G_b \Delta T(t)$		
$\frac{d}{dt} N_1(t)$	$= -A_f \frac{N_1(t)}{V_1}$			

Theory of Pulse Formation

Mathematical model (extended)



Differential equations for phonon transport

Temp. /Phon. balance	to Thermometer	heat bath	glue transm.	glue abs.
$\frac{d}{dt} \Delta T(t) C$	$= \mathcal{E} A_f \frac{N_1(t)}{V_1}$	$- G_b \Delta T(t)$		
$\frac{d}{dt} N_1(t)$	$= -A_f \frac{N_1(t)}{V_1}$		$- A_g \left(\frac{N_1(t)}{V_1} - \frac{N_2(t)}{V_2} \right)$	$- A_a \frac{N_1(t)}{V_1}$
$\frac{d}{dt} N_2(t)$	$=$		$+ A_g \left(\frac{N_1(t)}{V_1} - \frac{N_2(t)}{V_2} \right)$	$- A_a \frac{N_2(t)}{V_2}$

Theory of Pulse Formation

Mathematical model (extended) → Solution

$$\Delta T(t) = \alpha_2 \left[e^{-\frac{G_b}{C}t} - \left(\frac{\gamma_2}{\phi} \sinh(\phi t) + \cosh(\phi t) \right) e^{-\beta t} \right]$$

where

$$\phi = \frac{\sqrt{([A_f + A_a + A_g]V_2 - [A_a + A_g]V_1)^2 + 4A_g^2 V_1 V_2}}{2V_1 V_2}$$

$$\alpha_2 = \frac{A_f E A_g C}{(G_b^2 V_1 - [A_f + A_a + A_g]G_b C)V_2 + (A_a + A_g)([A_f + A_a] - G_b C V_1) + A_a A_g}$$

$$\beta = \frac{(A_f + A_a + A_g)V_2 + (A_a + A_g)V_1}{2V_1 V_2}$$

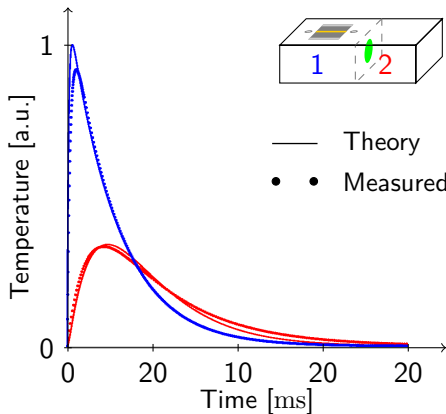
$$\gamma_2 = \beta - 2\frac{G_b}{C}V_1$$

Differential equations for phonon transport

Temp. /Phon. balance	to Thermometer	heat bath	glue transm.	glue abs.
$\frac{d}{dt} \Delta T(t) C$	$= \mathcal{E} A_f \frac{N_1(t)}{V_1}$	$- G_b \Delta T(t)$		
$\frac{d}{dt} N_1(t)$	$= -A_f \frac{N_1(t)}{V_1}$		$- A_g \left(\frac{N_1(t)}{V_1} - \frac{N_2(t)}{V_2} \right)$	$- A_a \frac{N_1(t)}{V_1}$
$\frac{d}{dt} N_2(t)$	$=$		$+ A_g \left(\frac{N_1(t)}{V_1} - \frac{N_2(t)}{V_2} \right)$	$- A_a \frac{N_2(t)}{V_2}$

Theory of Pulse Formation

Mathematical model (extended) → Solution → Information about glue



Transition properties

$A_f = (5.5772 \pm 0.0093) \cdot 10^{-3} \text{ m}^3 \text{ s}^{-1}$
 $A_a = (0.82 \pm 0.34) \cdot 10^{-4} \text{ m}^3 \text{ s}^{-1}$
 $A_g = (1.797 \pm 0.090) \cdot 10^{-4} \text{ m}^3 \text{ s}^{-1}$

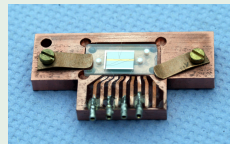
Conclusion

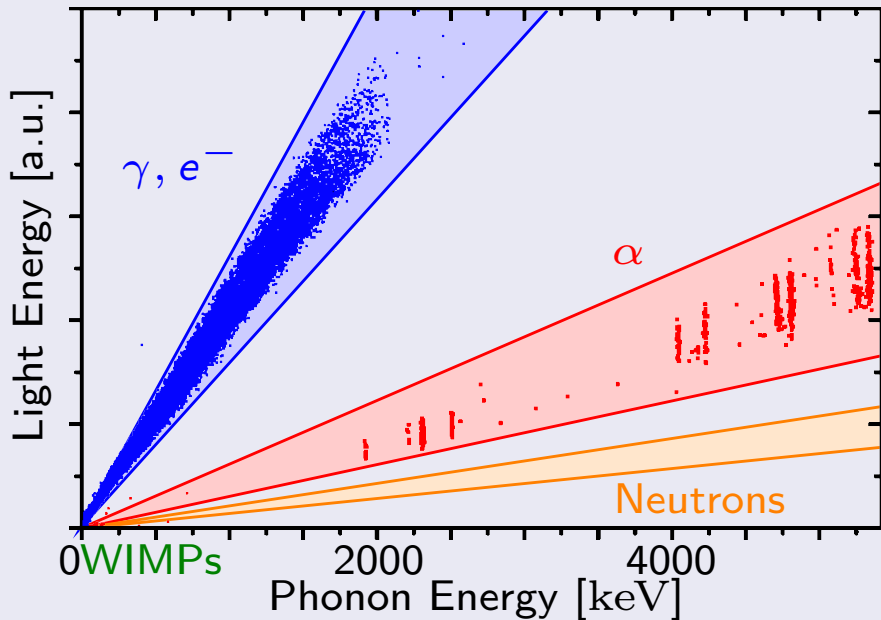
Observations

- Pulses are distinguishable by shape
- Signal loss in phonon channel $\approx 50\%$
- Separation threshold improved by a factor 2
- Overall performance gain
- Model allows prediction of behaviour in different geometry

Future: Prototype detector with Gran Sasso dimensions

- Detector is being built right now
- Fake signals by stress relaxation?
- Should be included in next run

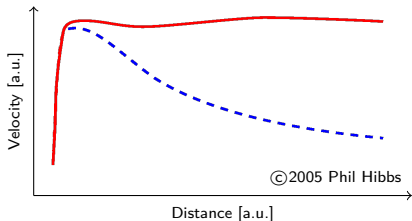




Evidence for Dark Matter



Rotation curves
of galaxies



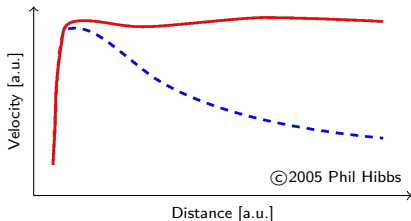
Theory vs.
Measurement

Evidence for Dark Matter



Rotation curves
of galaxies

⇒ Dark Matter



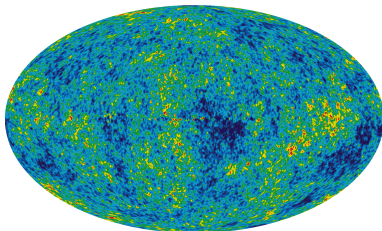
Theory vs.
Measurement

Evidence for Dark Matter 2



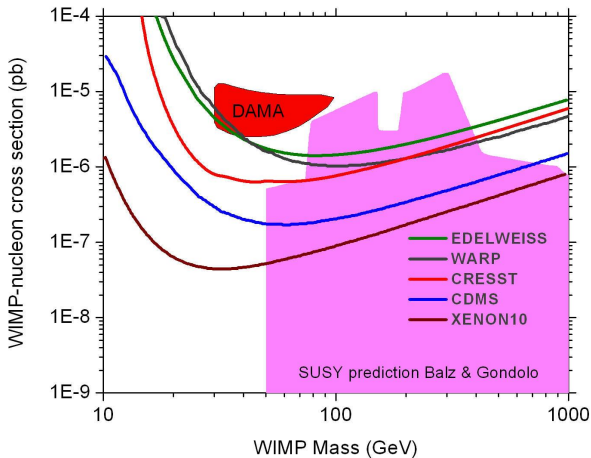
Structures in
the Bullet cluster

⇒ Dark Matter

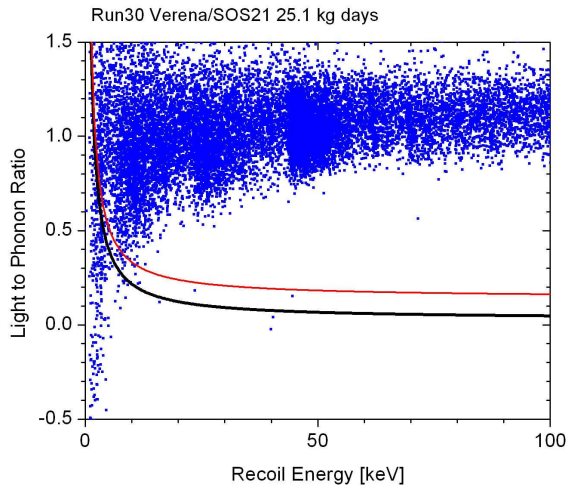


Cosmic
Microwave Background

Current Exclusion Limits



Data of one CRESST Detector Module



Dark Matter Experiments

