

# Study of the decay channel

$$B^0 \rightarrow \psi(2S)\pi^0$$

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- Physics Motivation
- Signal MC Studies
- Toy MC
- Summary and outlook



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DPG - Frühjahrstagung  
06.03.2013, Dresden, Germany

# Physics Motivation

Standard Model is successful but not complete

- Cannot explain the **Dark Matter**
- Assumes massless **Neutrinos**
- Insufficient explanation of the **Matter-Antimatter Asymmetry**

Matter-antimatter asymmetry  $\rightarrow$  **CP** Violation needed

**CP** is a product of two symmetries  
**C** (charge conjugation) and

**P** (parity)



left-handed neutrino



left-handed antineutrino



left-handed neutrino

**CP** transformation =  
Charge Conjugation x Parity Transformation

# CP Violation in the Standard Model

CP violation in the Standard Model → Cabibbo-Kobayashi-Maskawa (CKM) mechanism → relation between the weak and the mass eigenstates

$$\begin{pmatrix} d \\ s \\ b \end{pmatrix} = V^{CKM} \begin{pmatrix} d \\ s \\ b \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$

$V_{ij}$  : quark flavor transition couplings

$$V^{CKM} = \begin{pmatrix} 1 - \lambda^2 / 2 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \lambda^2 / 2 & -A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix} + O(\lambda^4)$$

CKM matrix is unitary

$$V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0$$

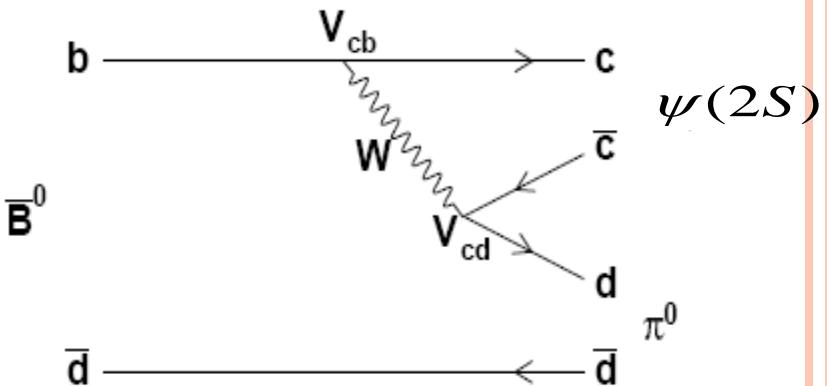
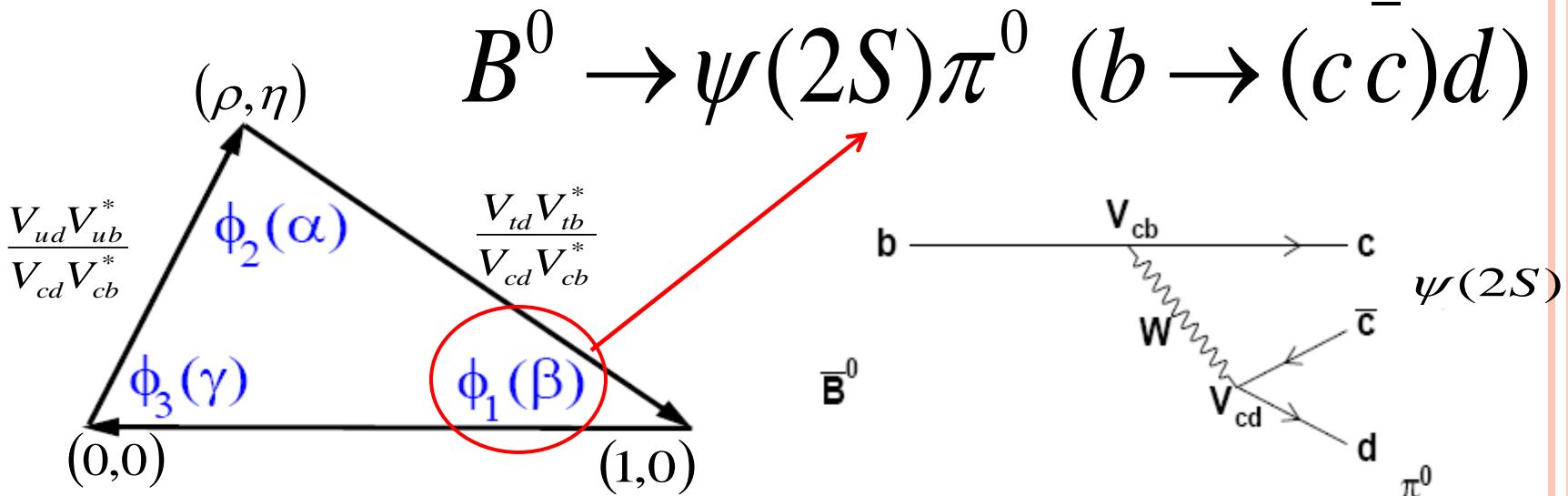
$$O(\lambda^3) \quad O(\lambda^3) \quad O(\lambda^3)$$

relevant for the B meson system 3

Sides with similar size → large angles  
5 observables (2 sides, 3 angels)

Wolfenstein parametrization  
 $\lambda = \sin \theta_C \approx 0.22$  (Cabibbo angle)

- 4 free parameters:  
 ➤ 3 real parameters  
 ➤ 1 complex phase

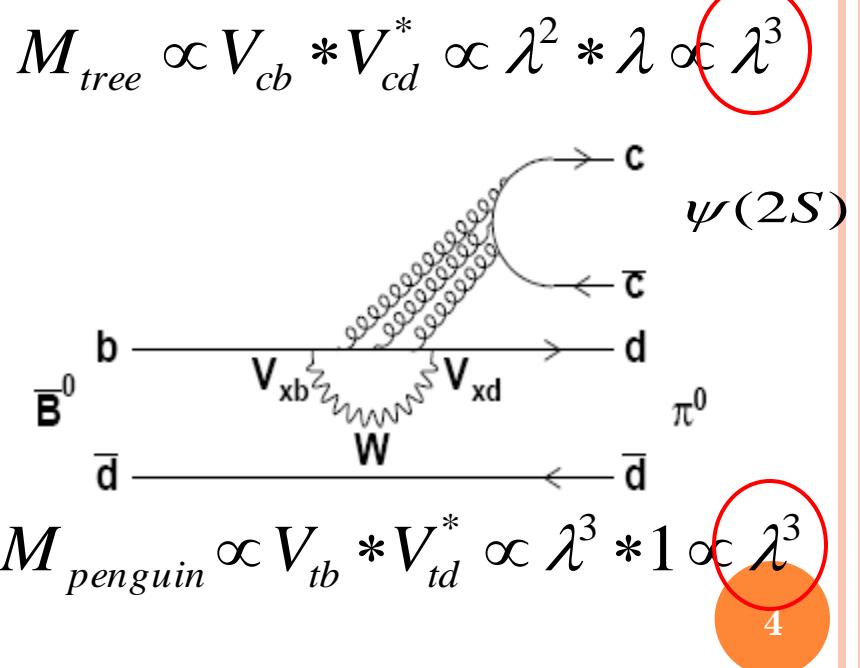


Additional motivation to study charmonium  $b \rightarrow (c\bar{c})d$

Using the result from  $B^0 \rightarrow \psi(2S)\pi^0$  and SU(3) symmetry the penguin pollution to  $B^0 \rightarrow \psi(2S)K_S^0$  can be estimated

For the tree amplitude

- $A_{CP} = 0$
- $S_{CP} = \sin 2\phi_1$



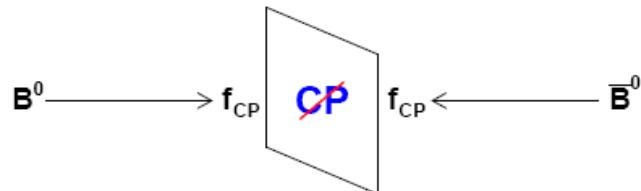
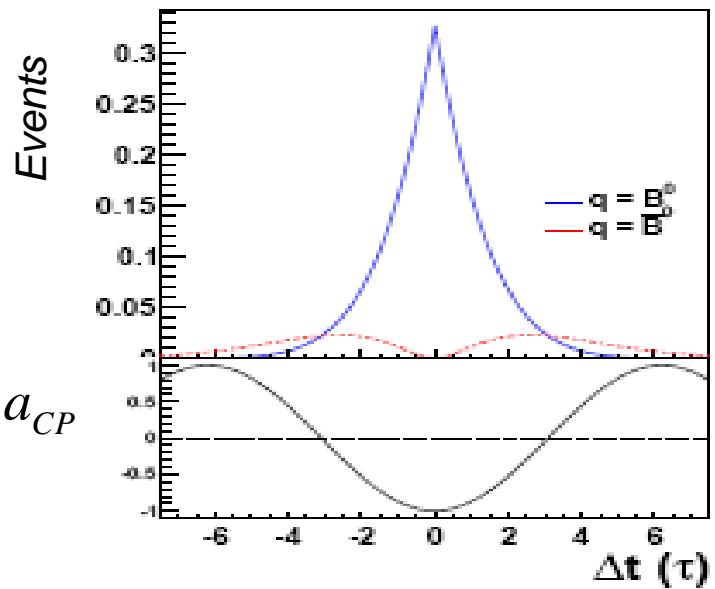
$$M_{penguin} \propto V_{tb} * V_{td}^* \propto \lambda^3 * 1 \propto \lambda^3$$

# CP Violation in the B meson system

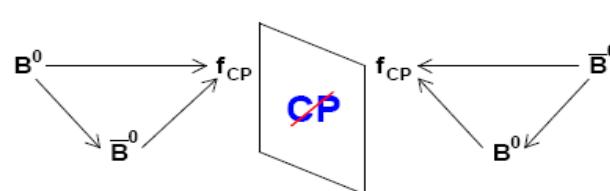
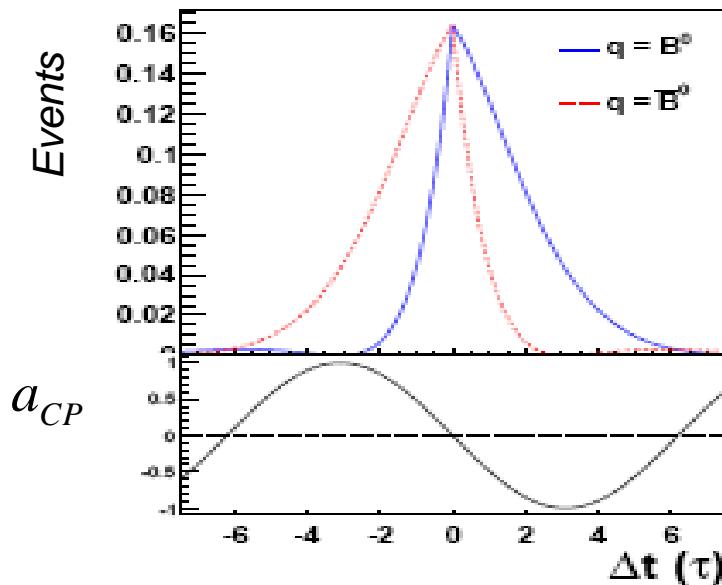
## Time-dependent CP asymmetry

$$a_{CP}(\Delta t, f_{CP}) = \frac{N_{\bar{B}^0}(\Delta t, f_{CP}) - N_{B^0}(\Delta t, f_{CP})}{N_{\bar{B}^0}(\Delta t, f_{CP}) + N_{B^0}(\Delta t, f_{CP})} = A_{CP} \cos(\Delta m \Delta t) + S_{CP} \sin(\Delta m \Delta t)$$

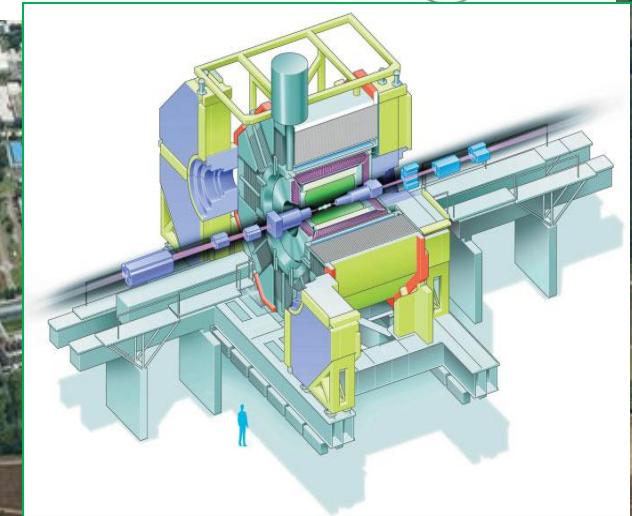
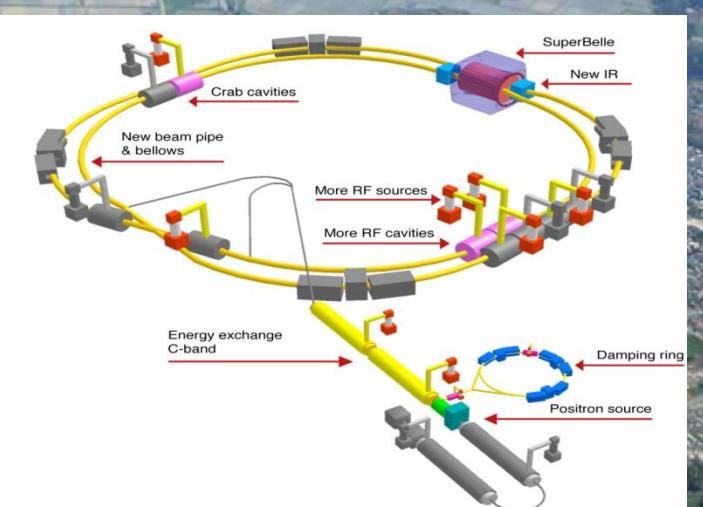
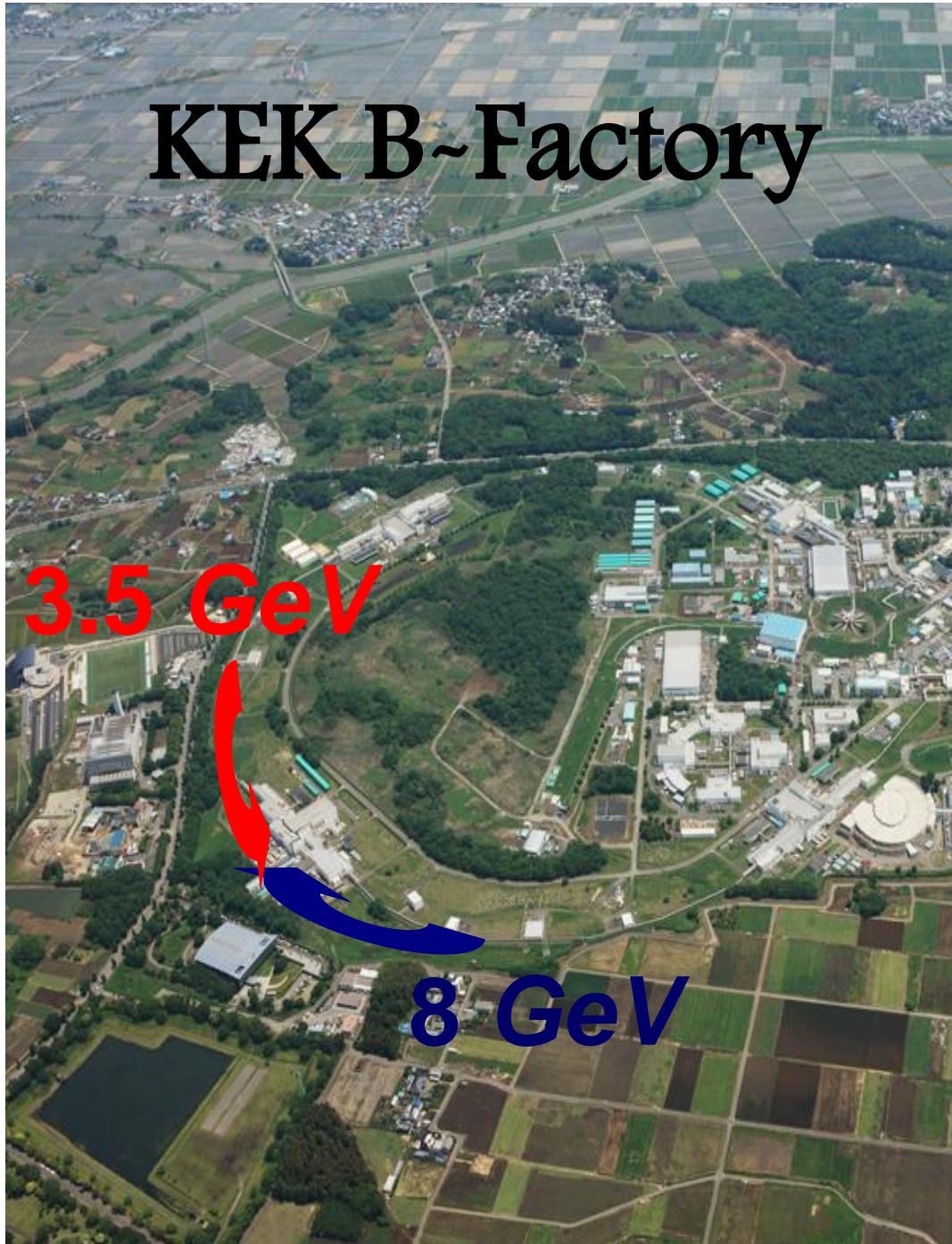
$A_{CP}$  → **direct** CP violation  
different decay rates



$S_{CP}$  → **indirect** CP violation  
different time evolution



# KEK B-Factory



# B Meson Production

$\Upsilon(4S)$  resonance decays  $\rightarrow$  into  $B \bar{B}$  pair

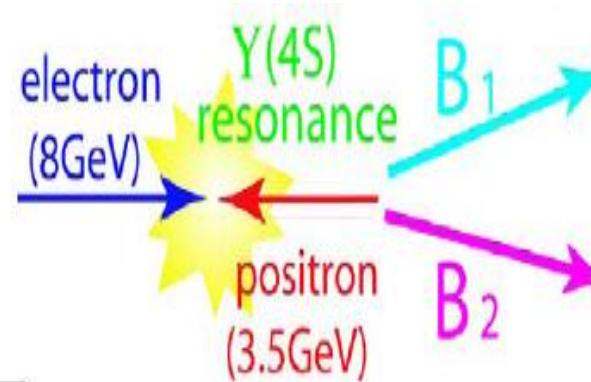
$$\Upsilon(4S): J^{PC} = 1^{--}$$

$$B: J^P = 0^-$$

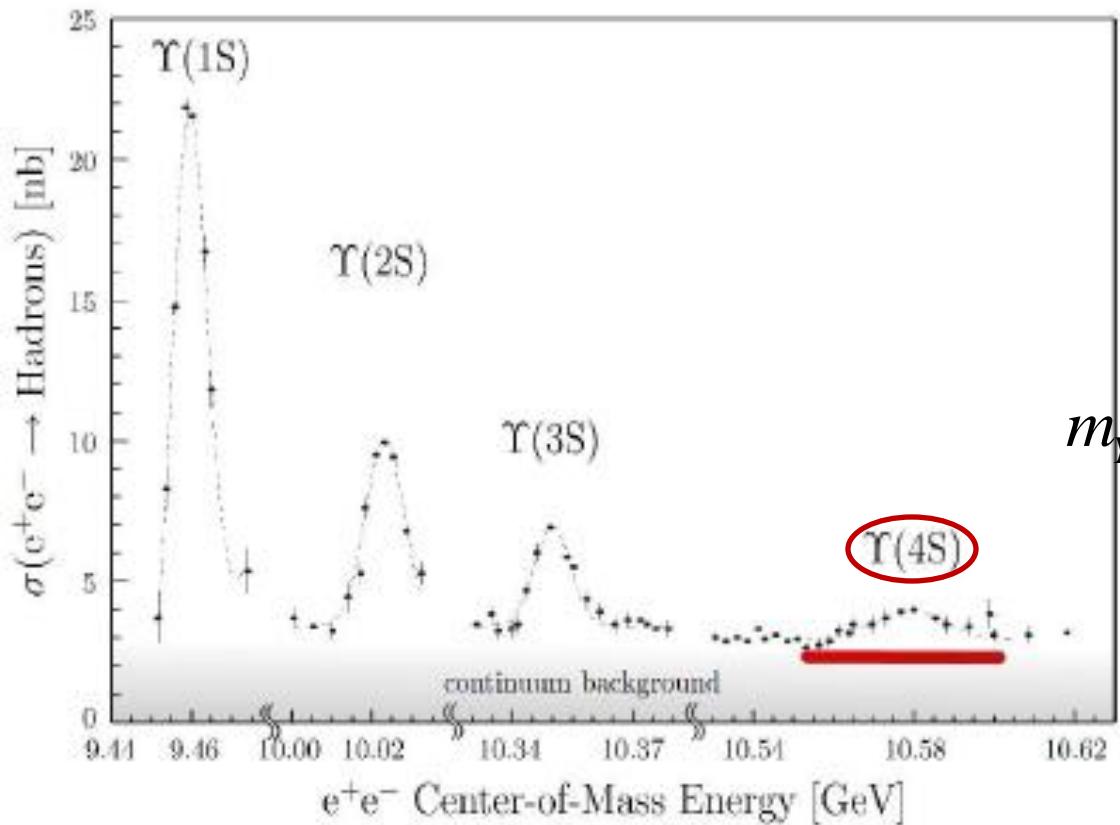
$\rightarrow$  B meson pair in a p-wave

Asymmetric wave function

$\rightarrow$  B mesons have opposite flavor



B meson pair in an entangled state



$$m_{\Upsilon(4S)} = 10.58 \text{ GeV} / c^2 \approx 2 \times m_B$$

$$m_B = 5.28 \text{ GeV} / c^2$$

# Signal Monte Carlo study

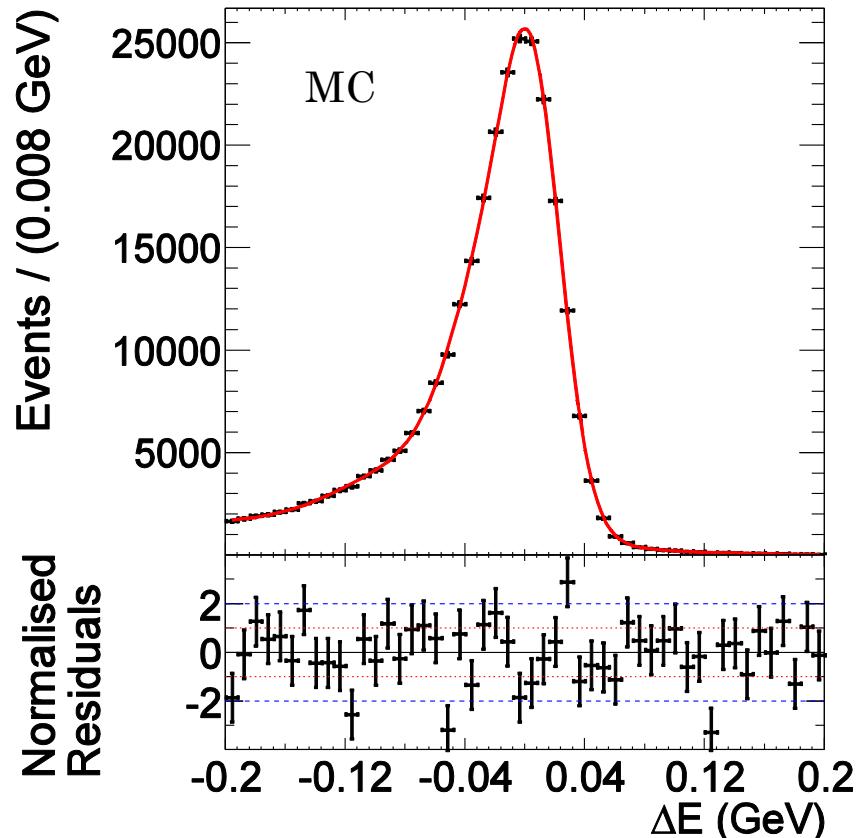
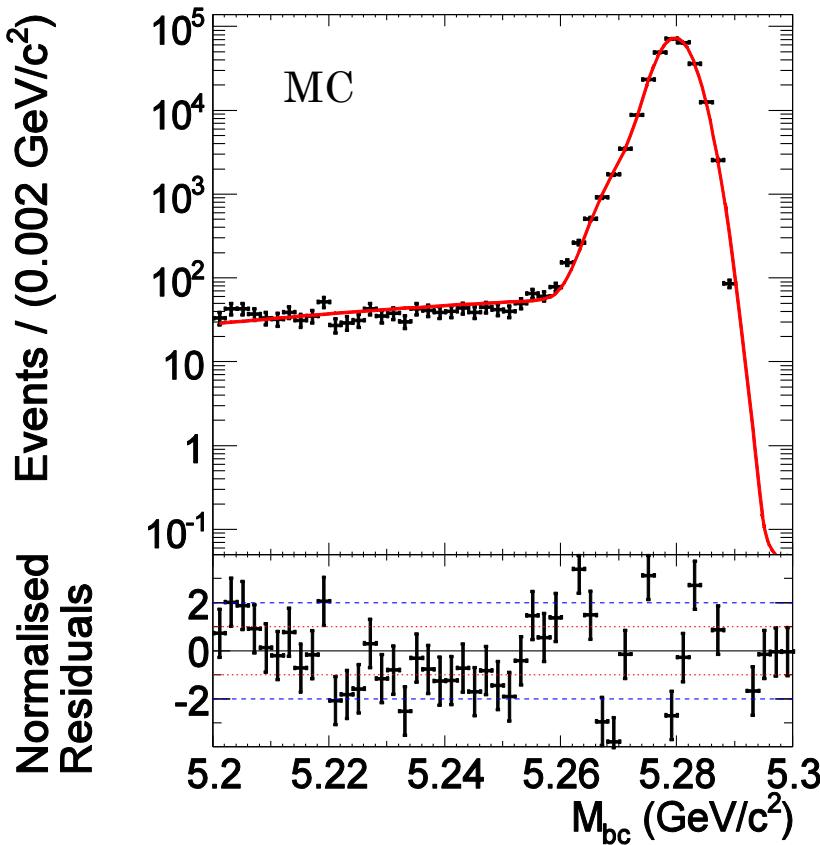
Reconstructed B mesons – described by:

$$M_{BC} = \sqrt{(E_{beam}^{CMS})^2 - (p_B^{CMS})^2}$$

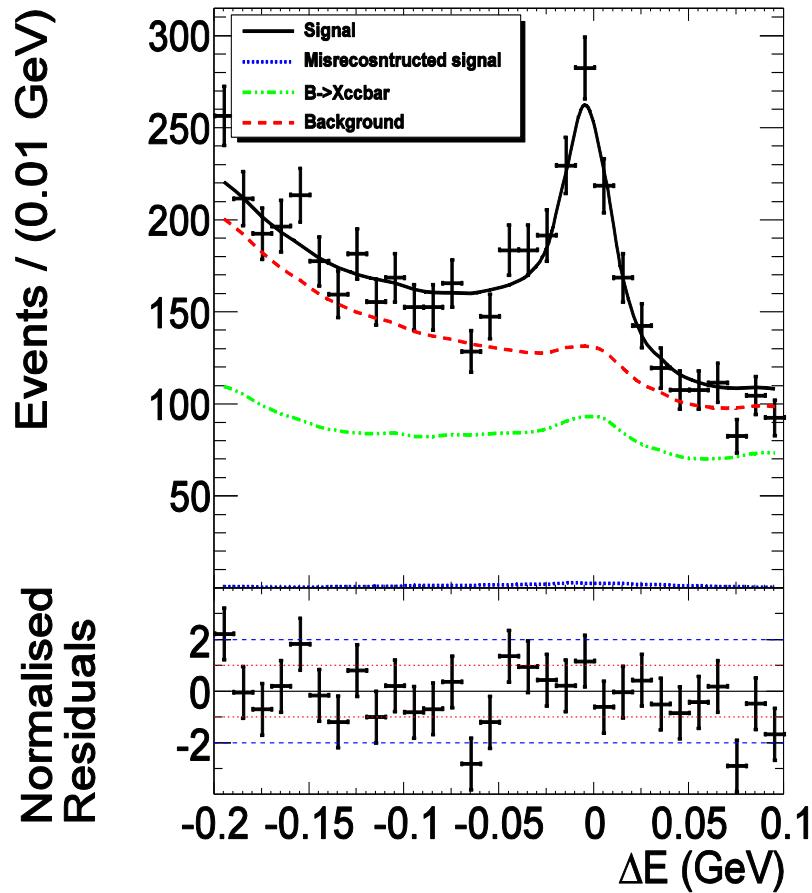
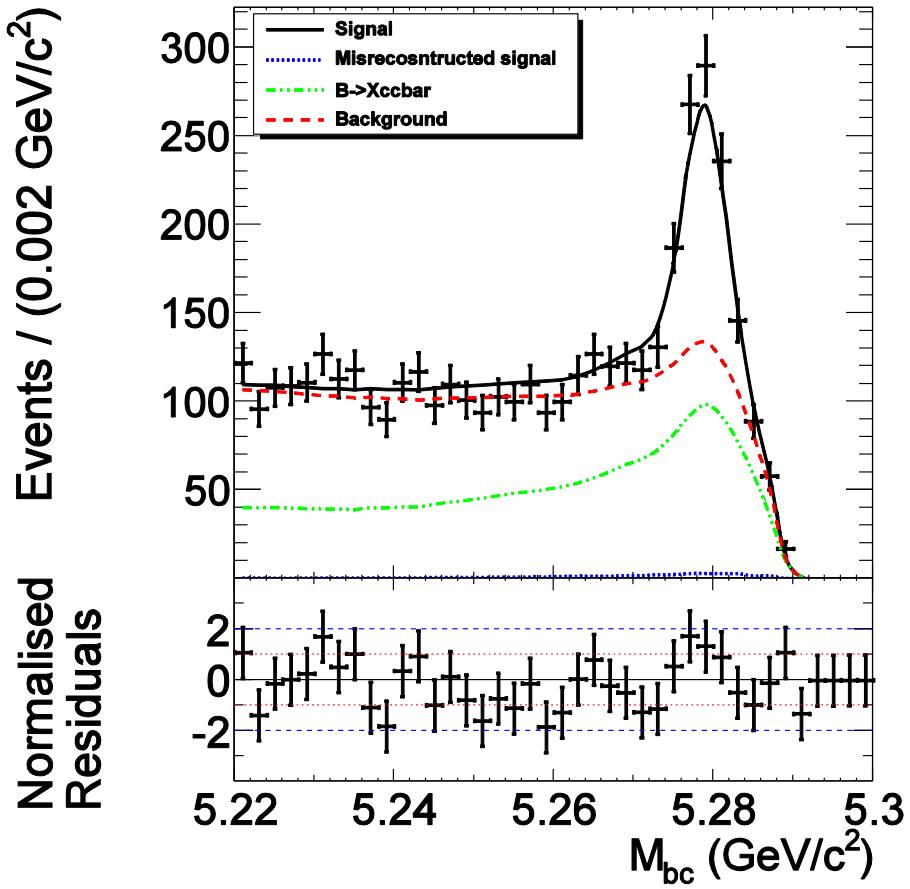
$$5.2 GeV/c^2 < M_{BC} < 5.3 GeV/c^2$$

$$\Delta E = E_B^{CMS} - E_{beam}^{CMS}$$

$$-0.2 GeV < \Delta E < 0.2 GeV$$



# Branching fraction – Control Sample



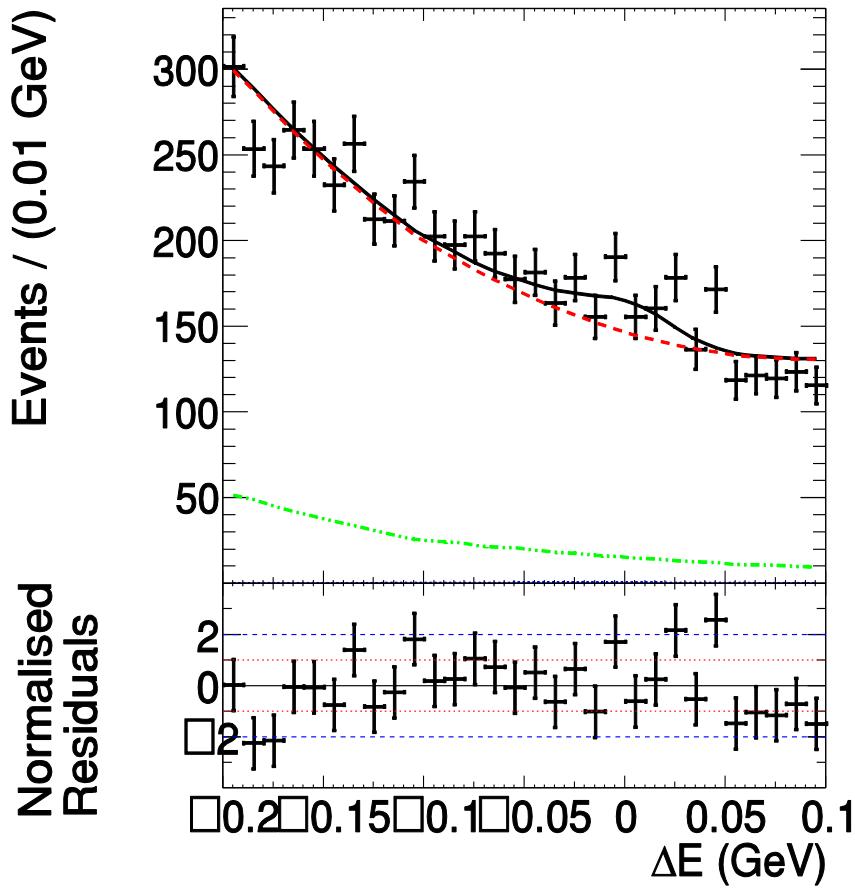
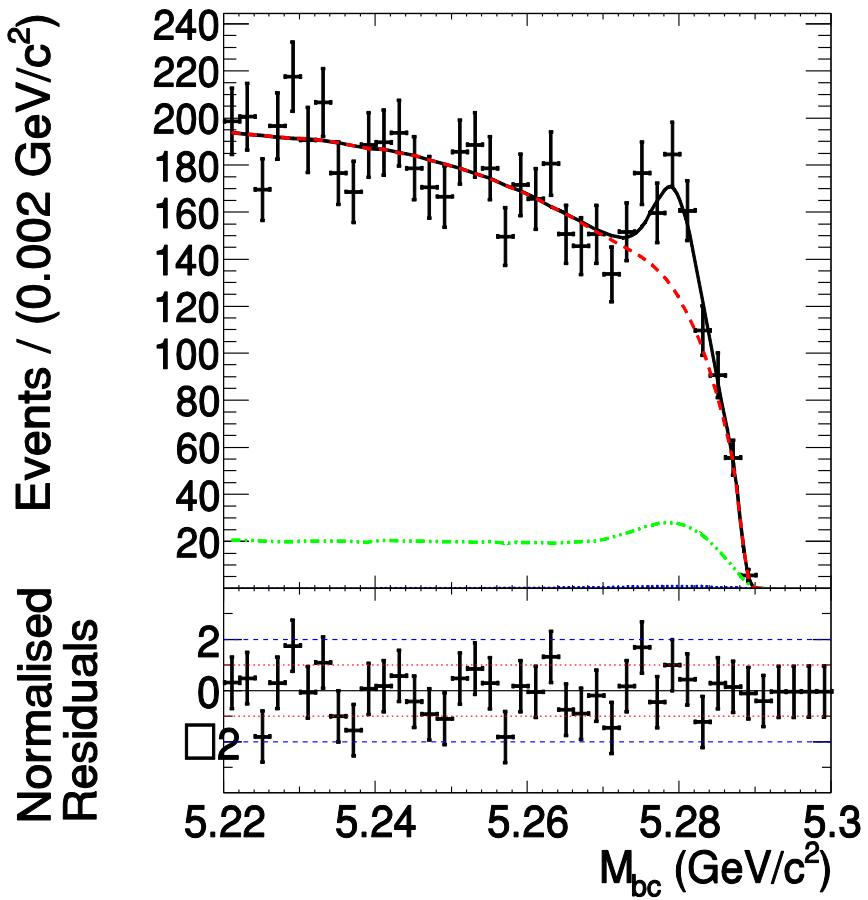
**Measurement:**

$$Br(B^+ \rightarrow \psi(2S)K^{*+}) = (7.3 \pm 0.5) \times 10^{-4}$$

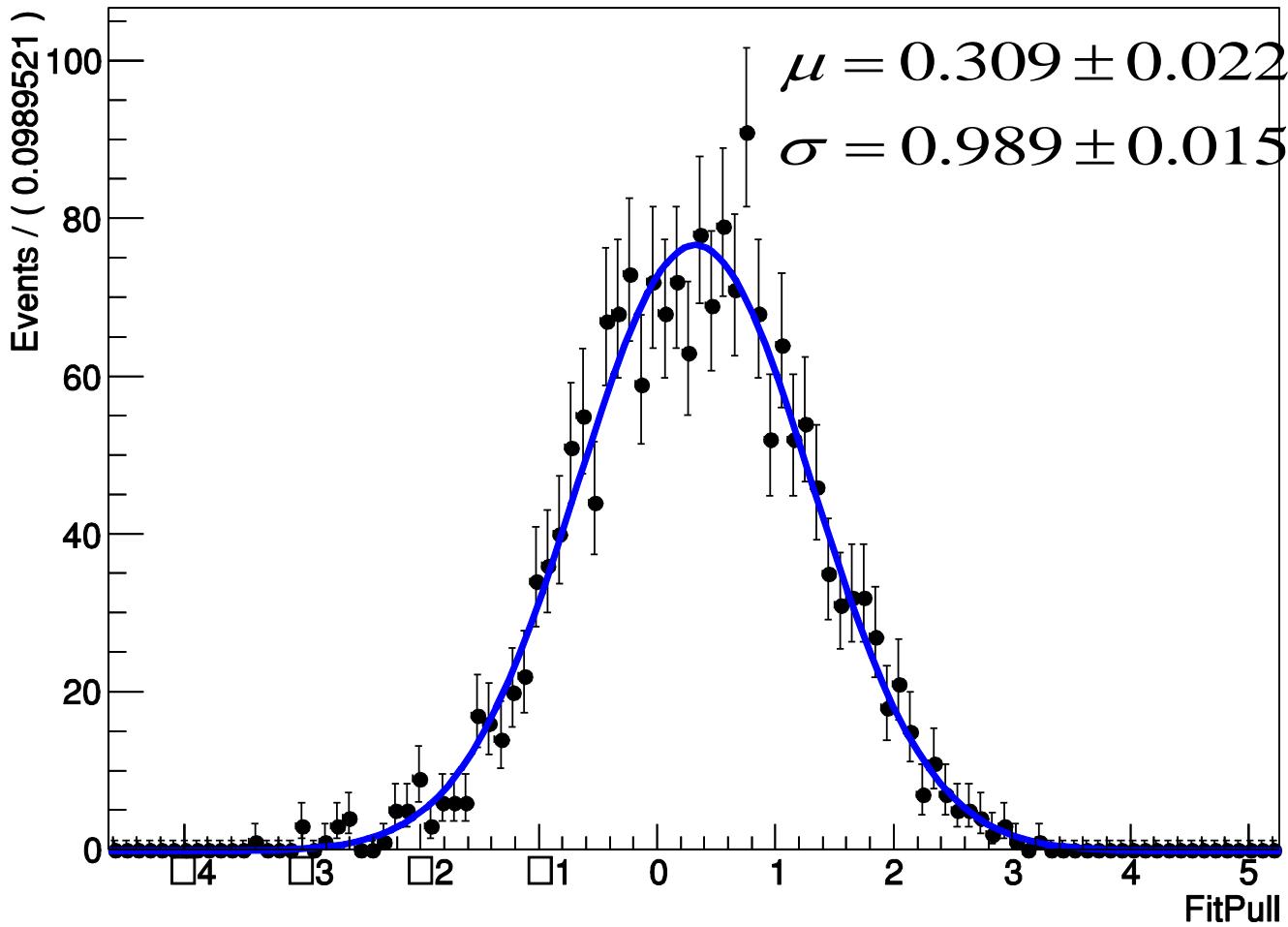
**PDG:**

$$Br(B^+ \rightarrow \psi(2S)K^{*+}) = (6.1 \pm 1.2) \times 10^{-4}$$

# Complete fit of the MC sample



# Toy MC

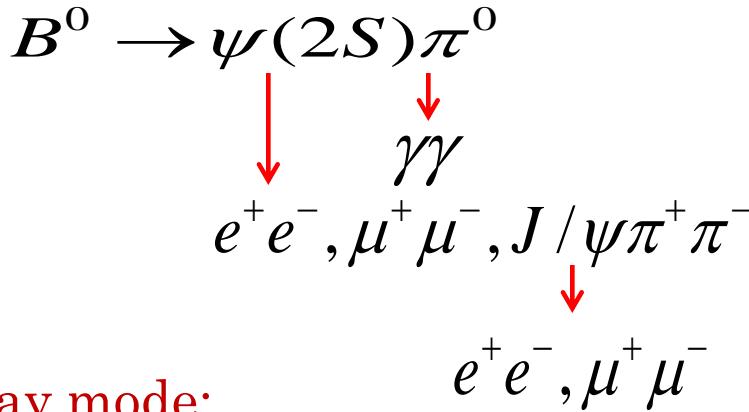


# Summary and outlook

- $B^0 \rightarrow \psi(2S)\pi^0$  helps to estimate the penguin pollution in  $B^0 \rightarrow \psi(2S)K_S^0$ , one of the “golden” modes
- Clean experimental signature and relatively small background
- Signal Monte Carlo studies
- Parameterize the distribution with functions
- Study the background from separate B decays
- Test the model with pseudo experiments
- Apply the model to the real data
- Measure the branching fraction
- World’s first measurement

# *Backup*

# Reconstruction of $B^0 \rightarrow \psi(2S)\pi^0$



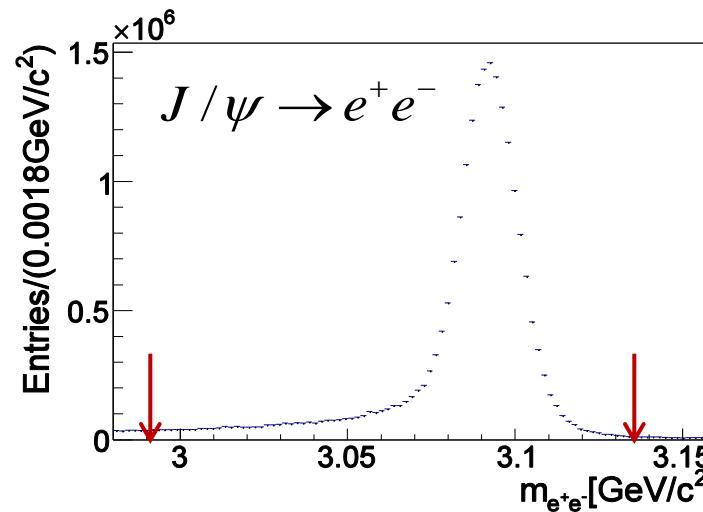
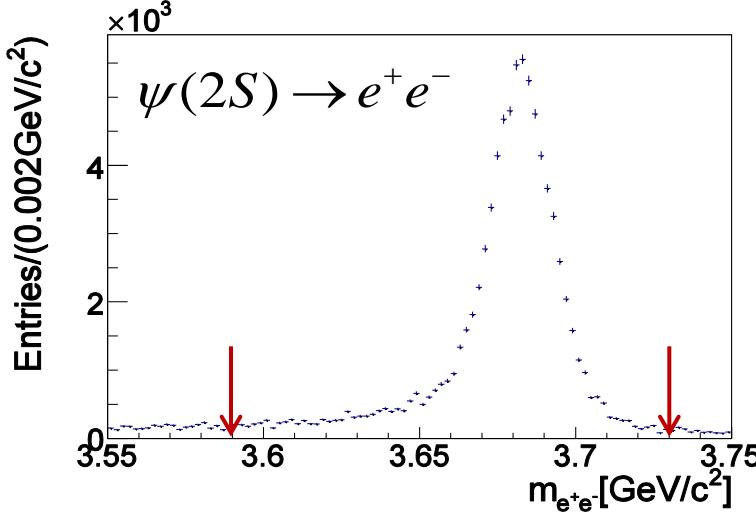
For the  $e^+e^-$  decay mode:

`eid.prob(3,-1,5) > 0.01`

`eid.prob(3,-1,5) > 0.01; eid.le_eoverp() > 0.5 || eid.le_dedx() > 0.5`

radiate photons – ECL clusters within 50 mrad of the  $e^+e^-$  tracks  $\rightarrow E < 3.5 \text{ GeV}$

$$-150 \leq m_{e^+e^-} - m_{\psi(2S)(J/\psi)} \leq 36 \text{ MeV}/c^2$$



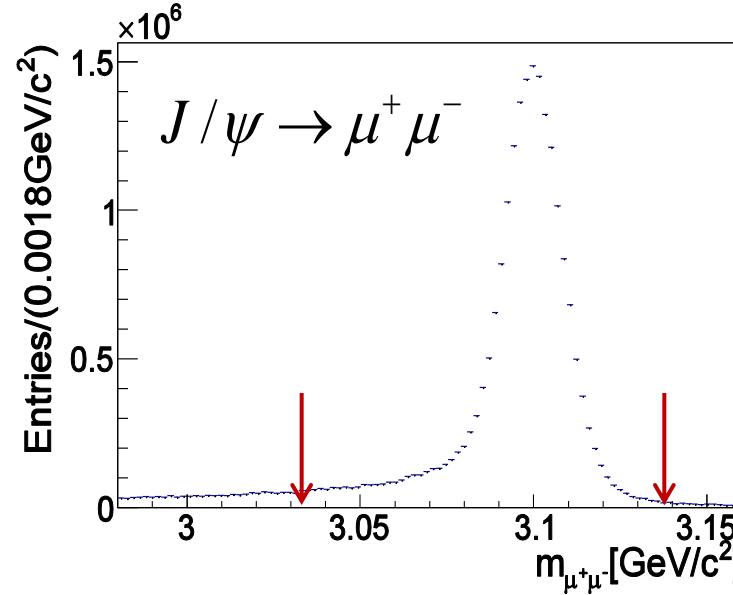
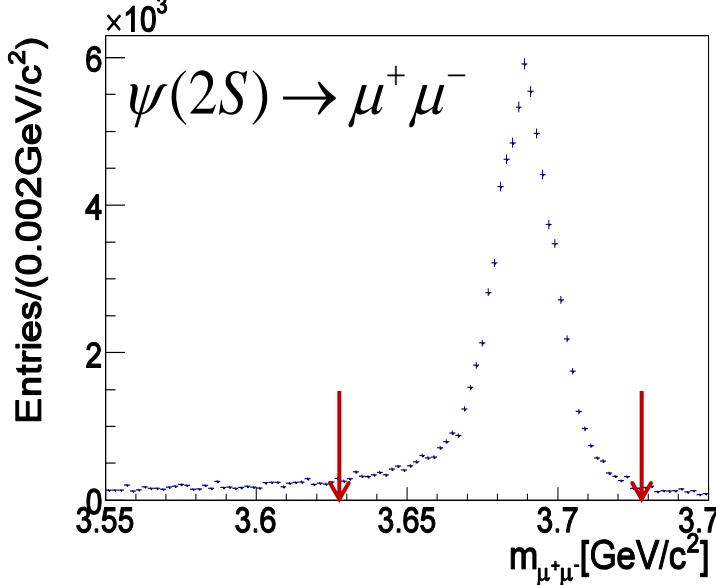
# Reconstruction of $B^0 \rightarrow \psi(2S)\pi^0$

For the  $\mu^+ \mu^-$  decay mode:

`muid.Muon_likelihood() > 0.1`

`muid.Muon_likelihood() > 0.1; 0.1 < Energy(ECL) < 0.3GeV`

$$-60 \leq m_{\mu^+ \mu^-} - m_{\psi(2S)(J/\psi)} \leq 36 MeV/c^2$$

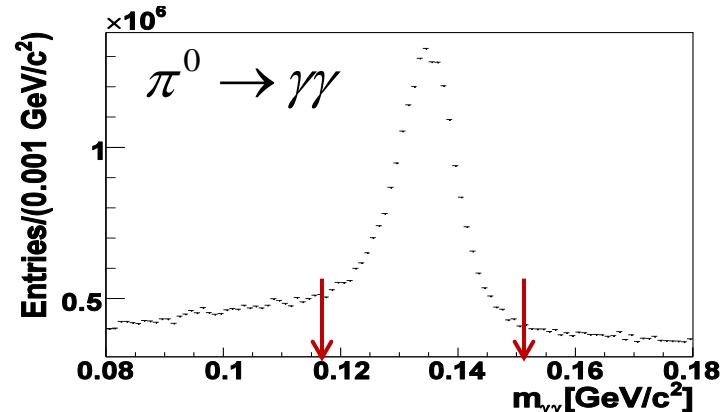


For the  $\pi^0$  selection:

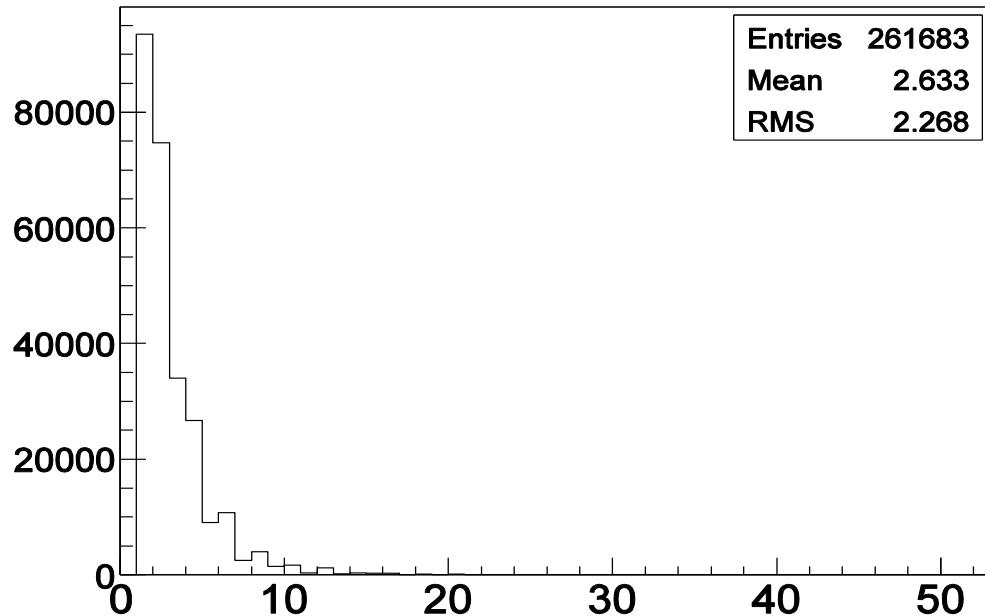
$E_\gamma > 0.05 GeV$  (Barrel)

$E_\gamma > 0.10 GeV$  (Endcap)

$$0.118 GeV/c^2 < m_{\gamma\gamma} < 0.150 GeV/c^2$$



# Best $B^0$ selection



Number of  $B^0$   
per event = 2..6

$$\chi^2 = \left( \frac{m_{l^+l^-} - m_\psi}{\sigma_{l^+l^-}} \right)^2 + \left( \frac{m_{\gamma\gamma} - m_{\pi^0}}{\sigma_{\gamma\gamma}} \right)^2, \quad l = e, \mu$$

$$\chi^2 = \left( \frac{m_{\pi^+\pi^-} - (m_\psi - m_{J/\psi})}{\sigma_{\pi^+\pi^-}} \right)^2 + \left( \frac{m_{l^+l^-} - m_{J/\psi}}{\sigma_{l^+l^-}} \right)^2 + \left( \frac{m_{\gamma\gamma} - m_{\pi^0}}{\sigma_{\gamma\gamma}} \right)^2$$

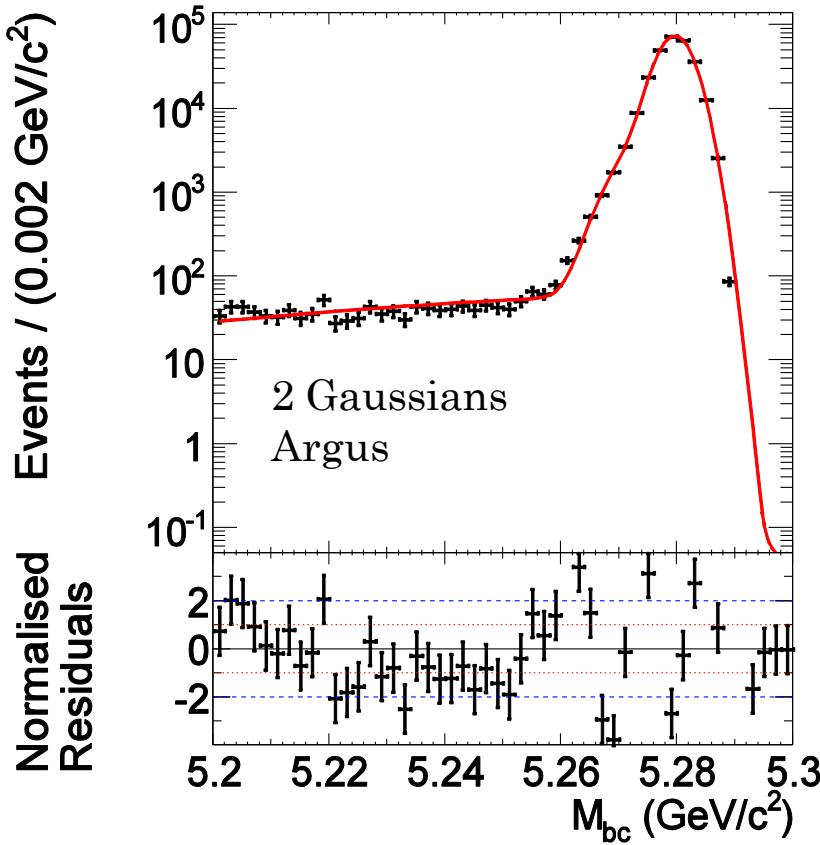
- choose B meson with smallest  $\chi^2$

# Signal Monte Carlo study

Reconstructed B mesons – described by:

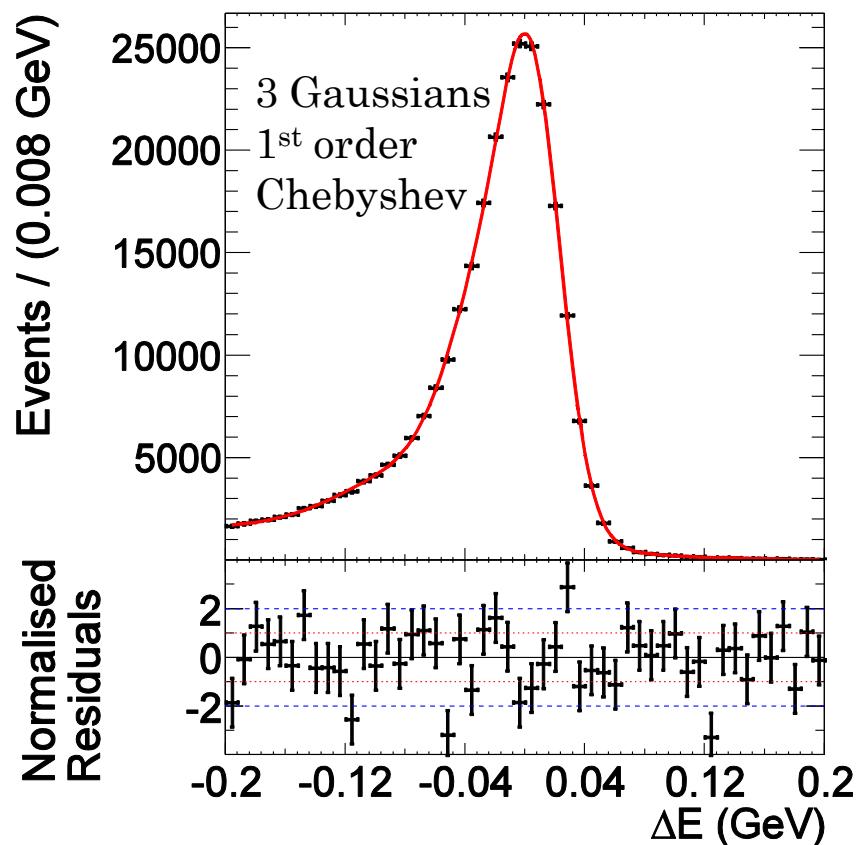
$$M_{BC} = \sqrt{(E_{beam}^{CMS})^2 - (p_B^{CMS})^2}$$

$$5.2 GeV/c^2 < M_{BC} < 5.3 GeV/c^2$$

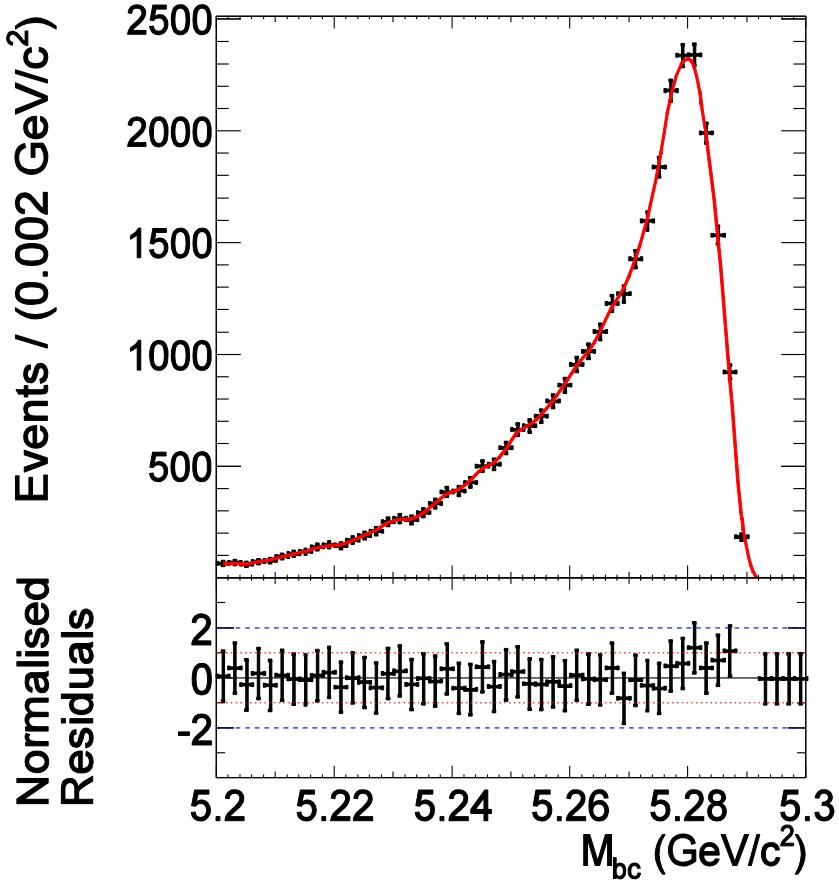


$$\Delta E = E_B^{CMS} - E_{beam}^{CMS}$$

$$-0.2 GeV < \Delta E < 0.2 GeV$$

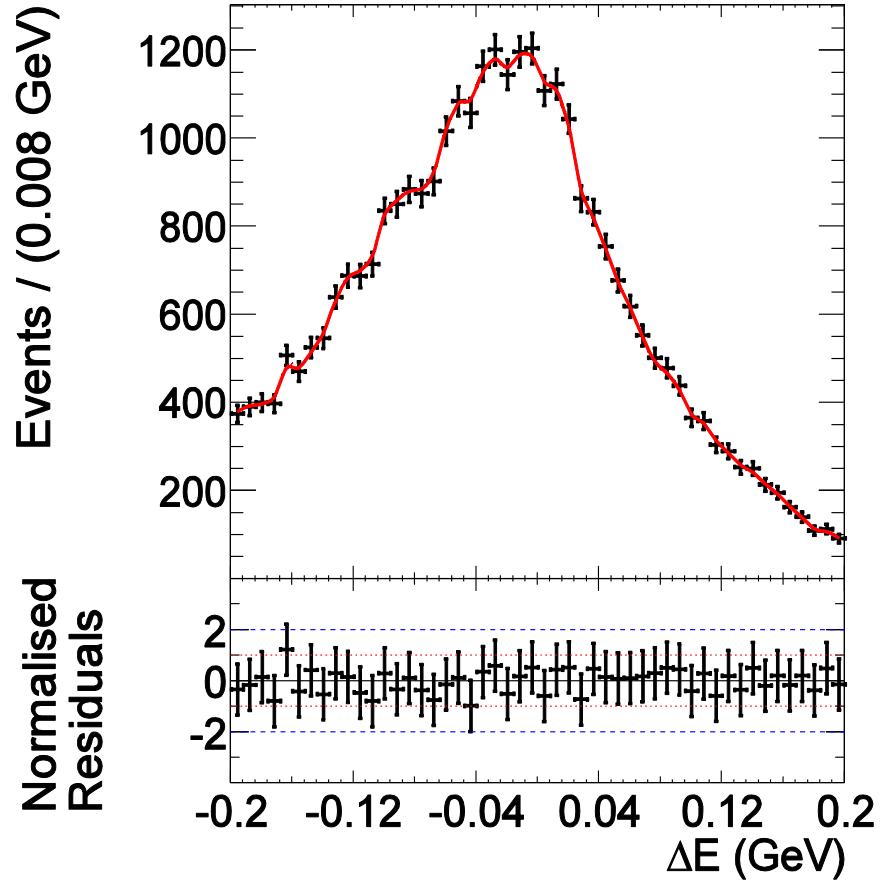


# Misreconstructed Signal



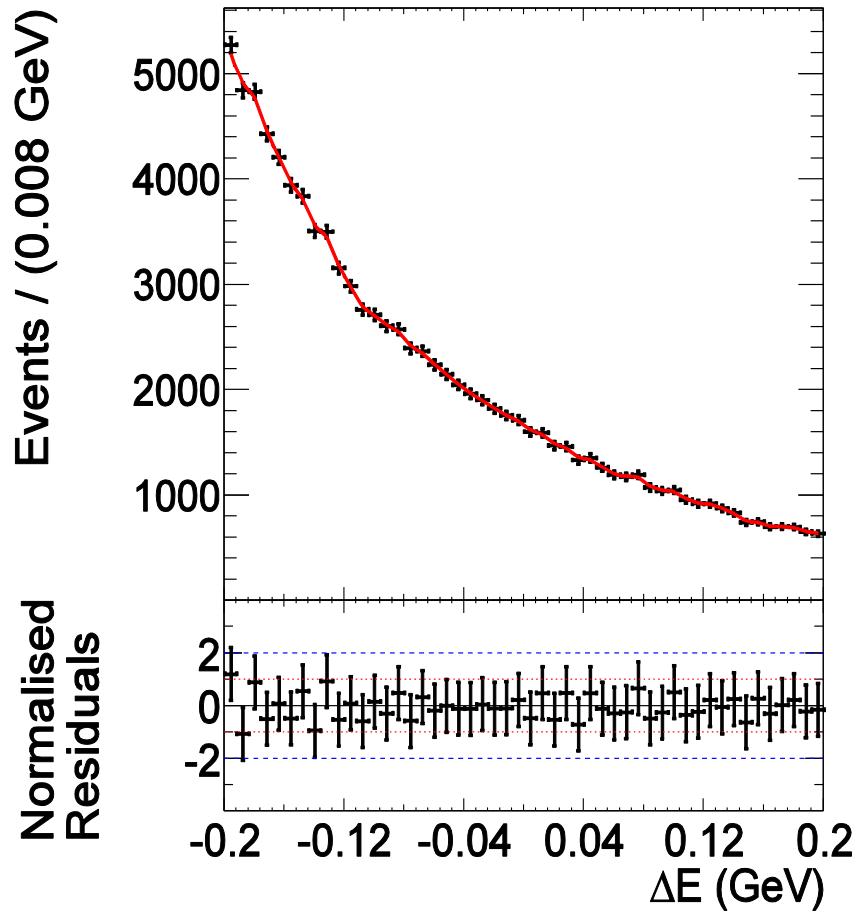
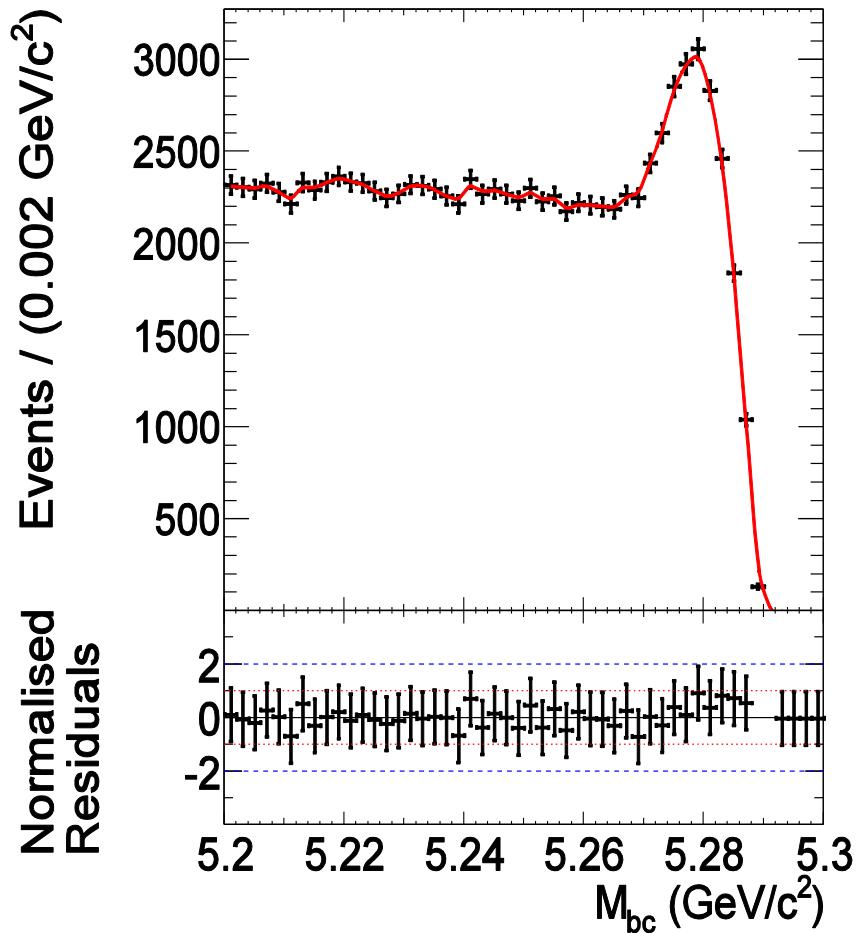
smoothed histogram PDFs

10 % misreconstructed particles



# Background

$B \rightarrow (c\bar{c})X$

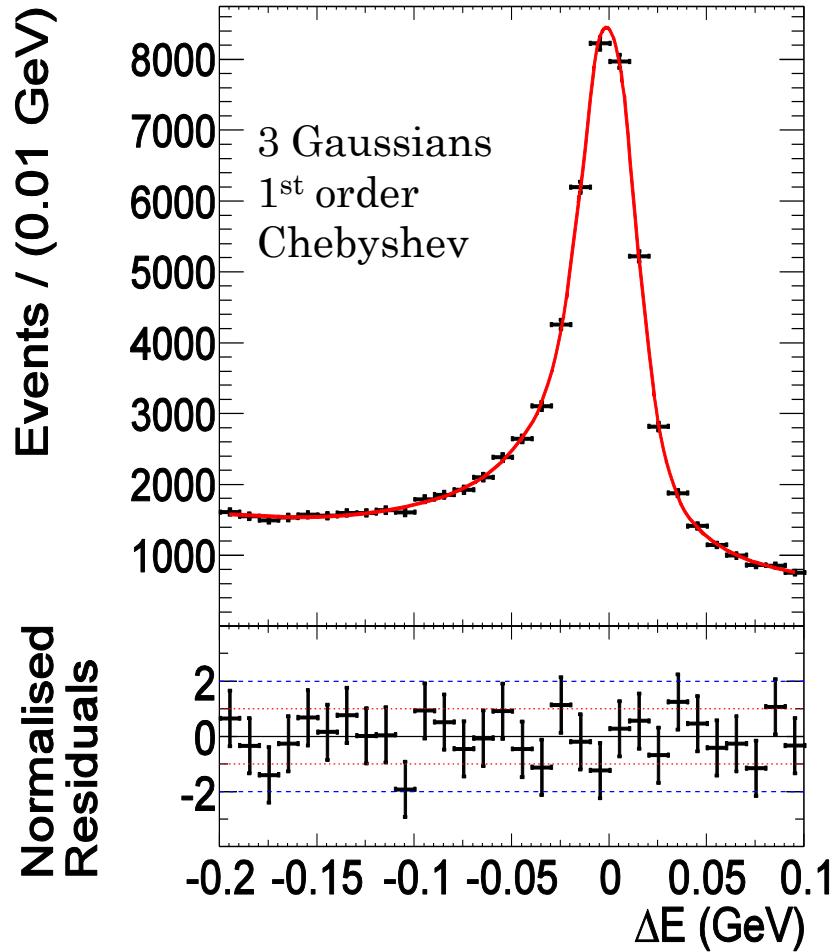
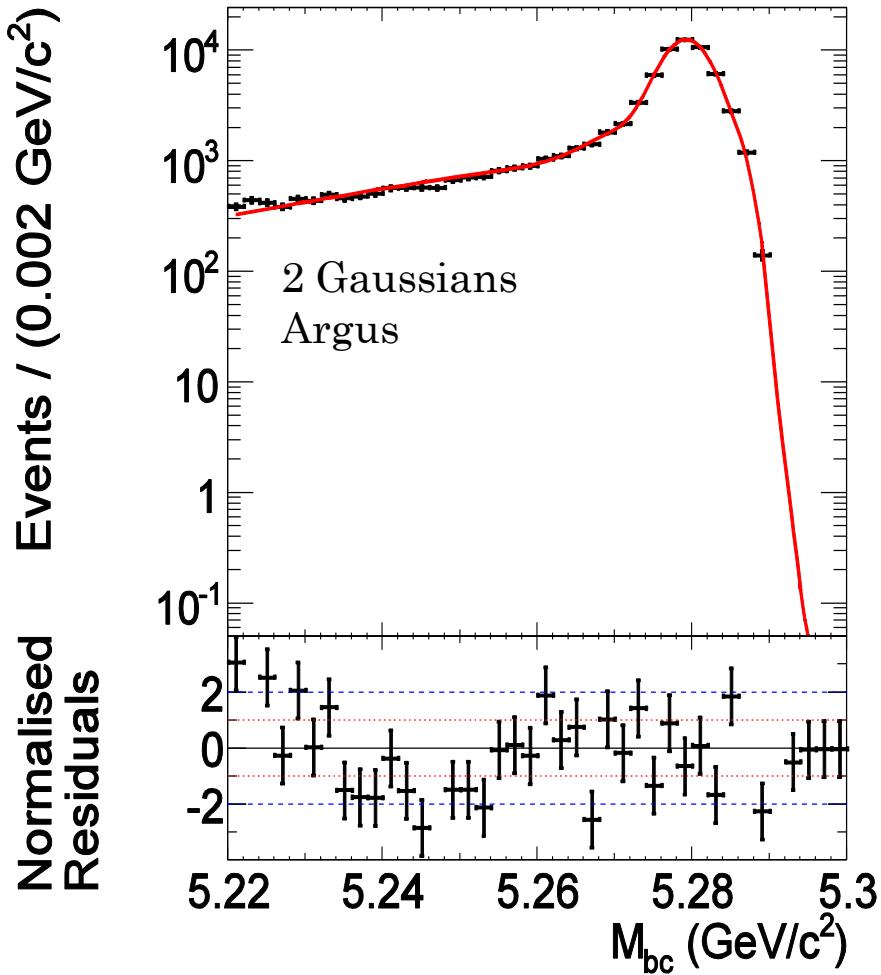


smoothed histogram PDFs

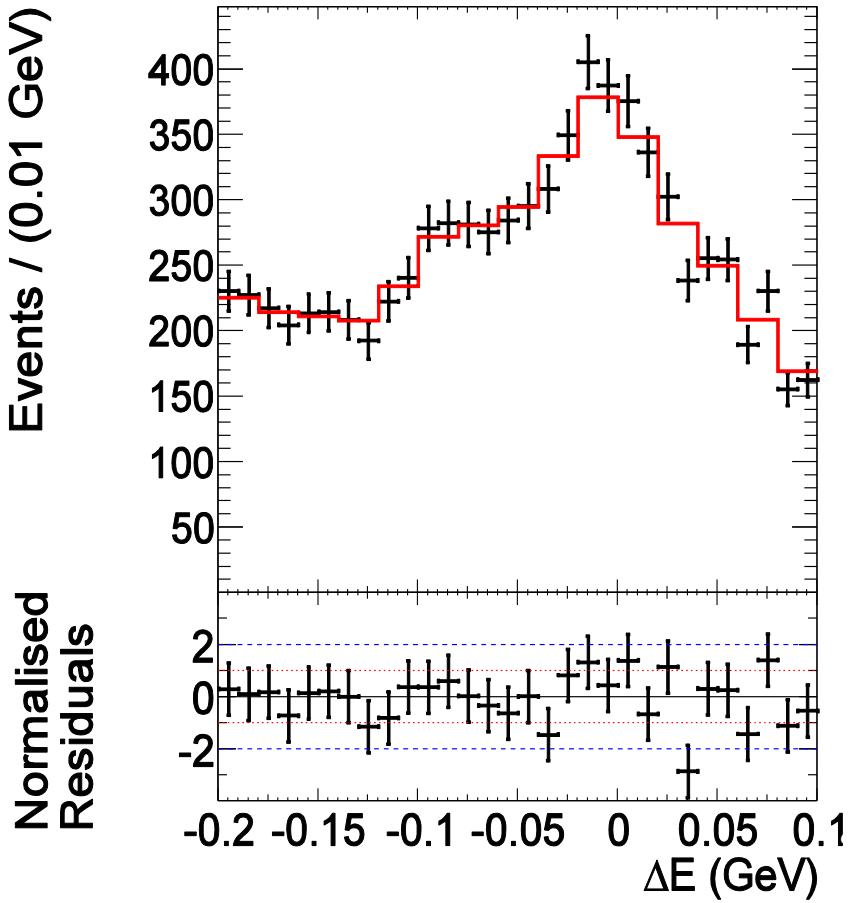
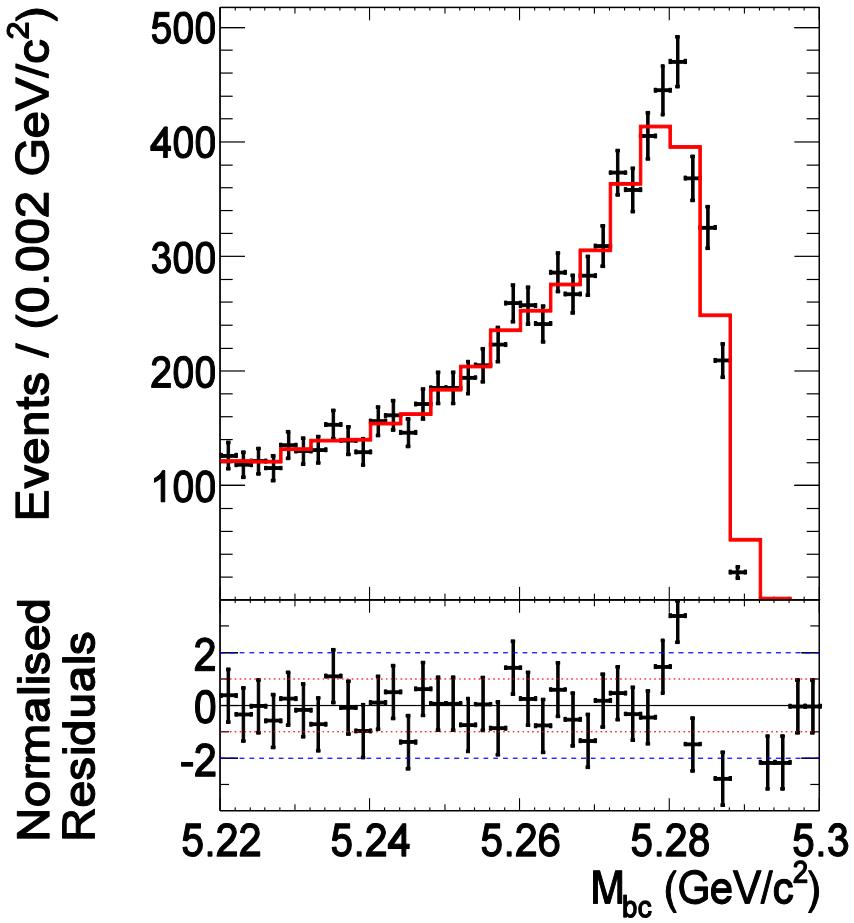
# Control Sample

$B^+ \rightarrow \psi(2S)K^{*+}$

$\downarrow$   
 $K^+ \pi^0$



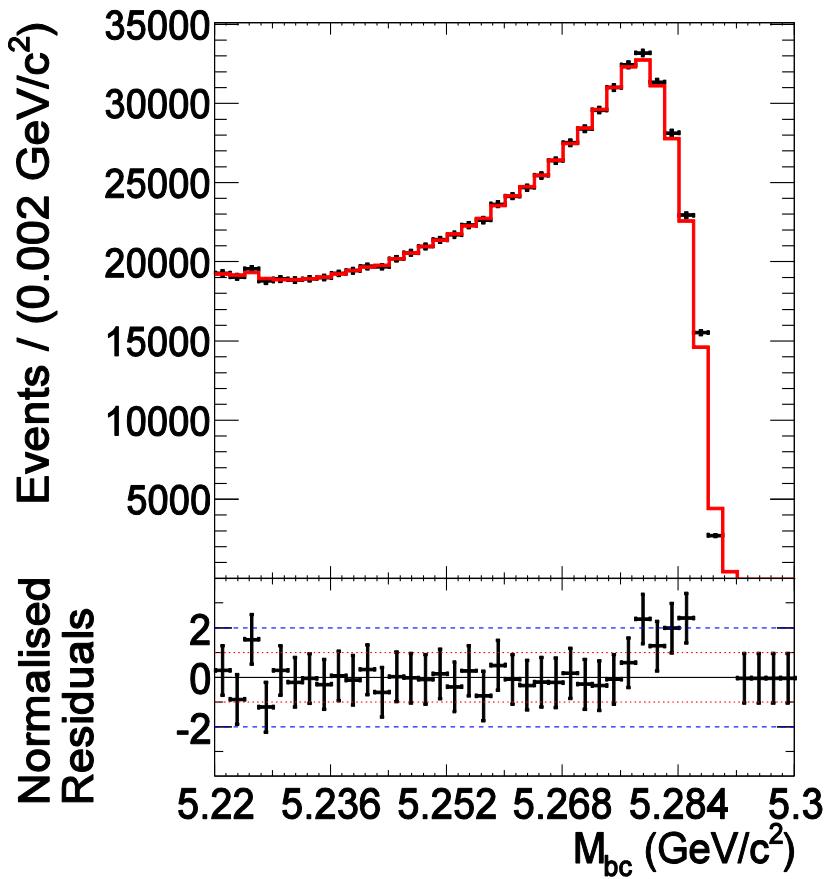
# Control Sample~ Misreconstructed Signal



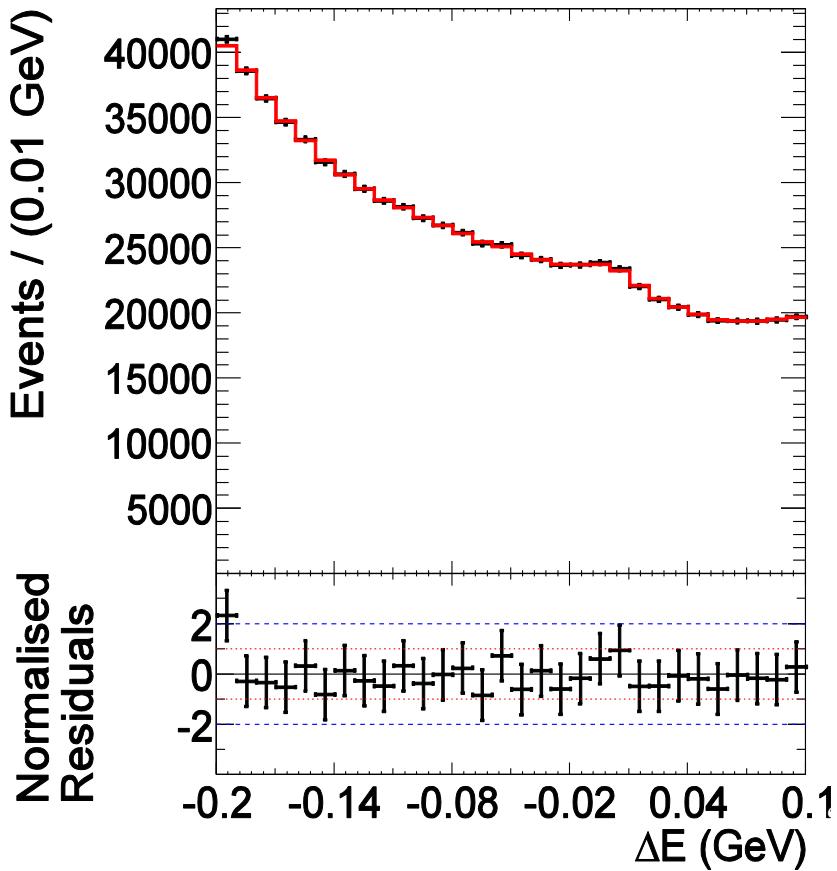
smoothed histogram PDFs

# Control Sample ~Background

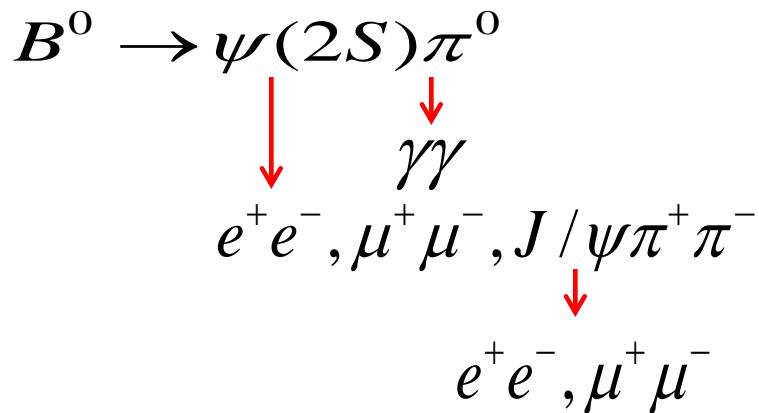
$B \rightarrow (c\bar{c})X$



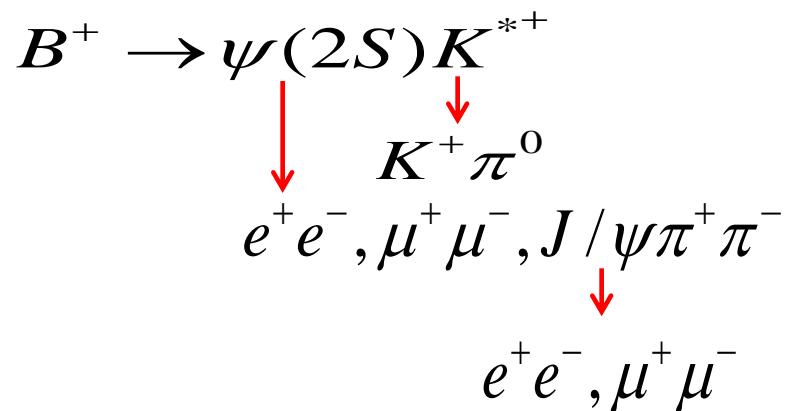
smoothed histogram PDFs



# Determination of the efficiency



## Control Sample



SVD1:

$$Eff(B^0 \rightarrow \psi(2S)\pi^0) = 0.0087 \pm 0.0003$$

SVD2:

$$Eff(B^0 \rightarrow \psi(2S)\pi^0) = 0.0106 \pm 0.0003$$

SVD1:

$$Eff(B^0 \rightarrow \psi(2S)K^{*+}) = 0.0018 \pm 3.36e-05$$

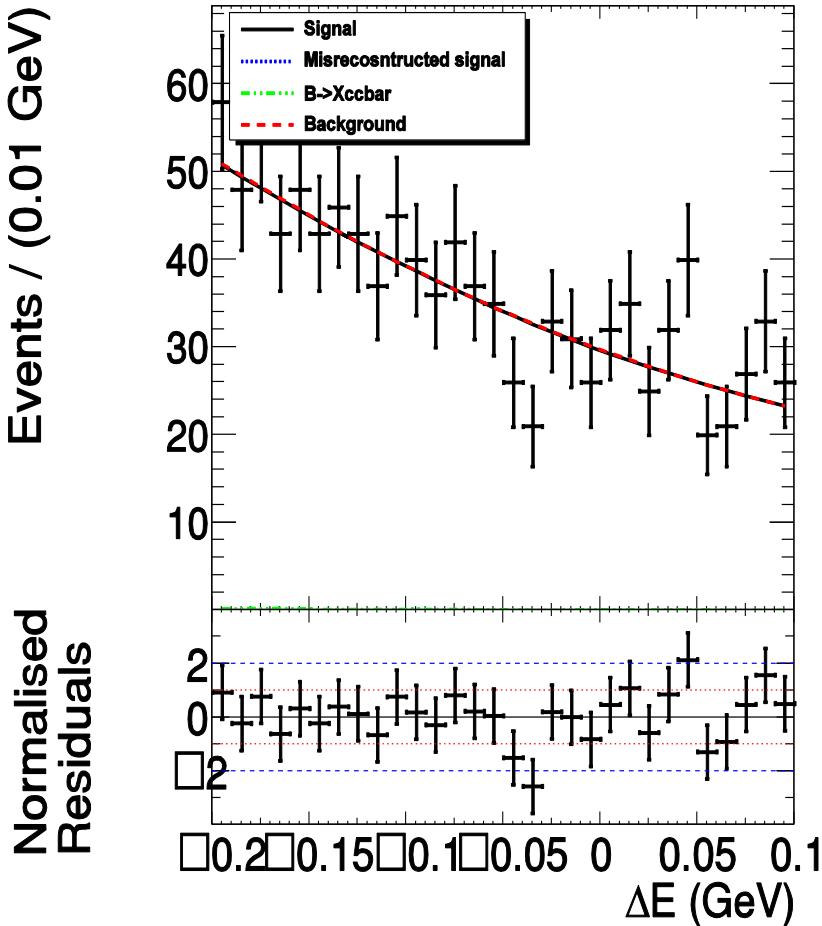
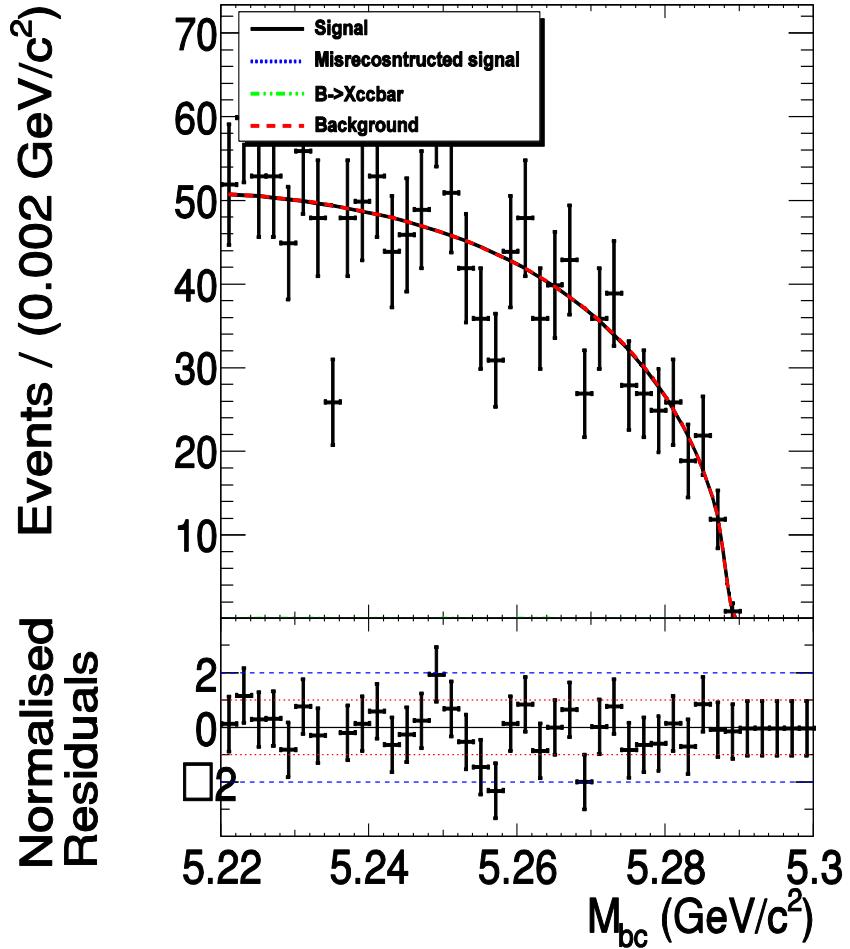
SVD2:

$$Eff(B^0 \rightarrow \psi(2S)K^{*+}) = 0.0024 \pm 4.17e-05$$

# Psi2S Sideband

$3.45 < m(ll) < 3.53 \quad or$

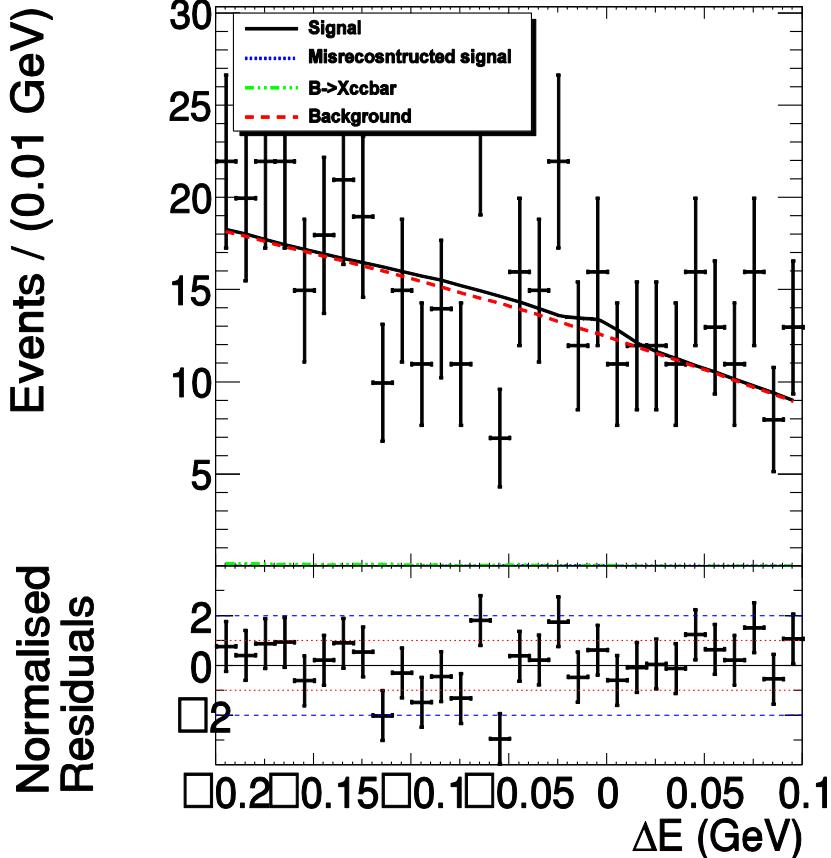
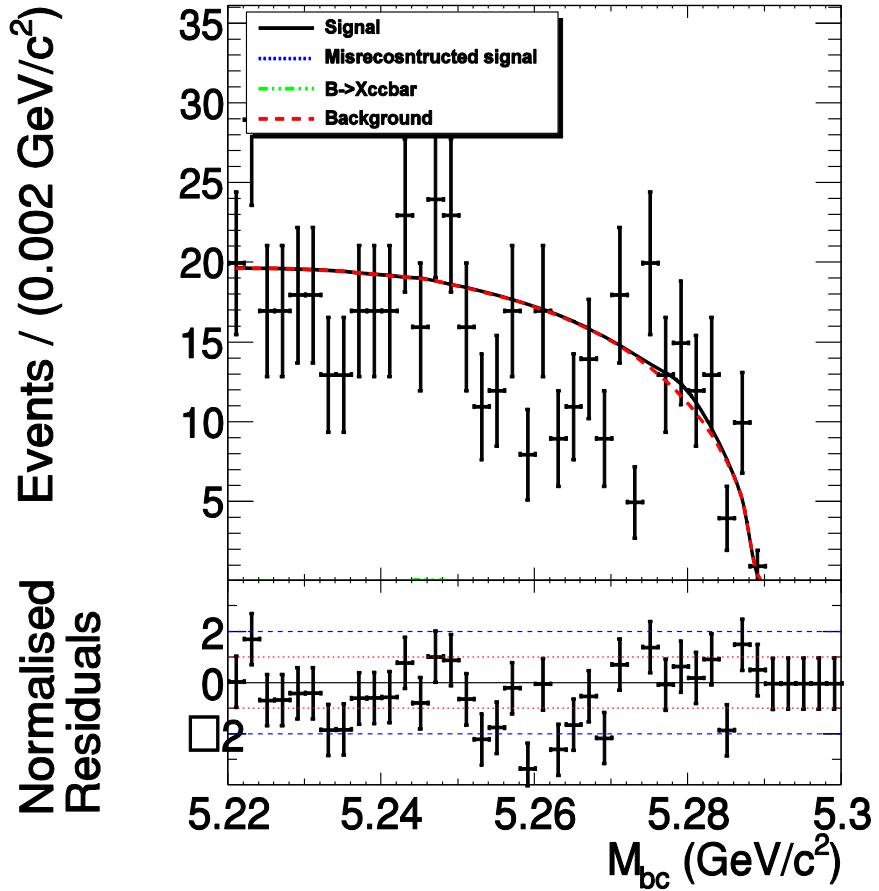
$3.8 < m(ll) < 3.9$



# J/Psi Sideband

$2.6 < m(ll) < 2.8 \text{ or}$

$3.2 < m(ll) < 3.4$



# PiPi Sideband

$0.49 < m(\pi\pi) < 0.53 \quad or$

$0.64 < m(\pi\pi) < 0.68$

