

Charged Higgs Boson searches with ATLAS

- results from the CSC note, March 08 -

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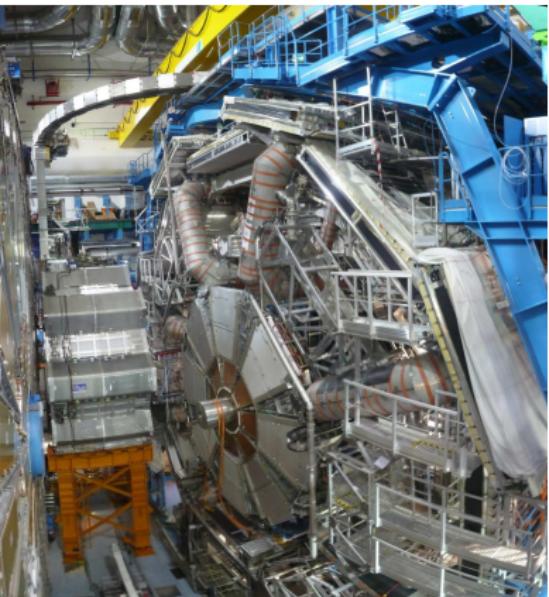
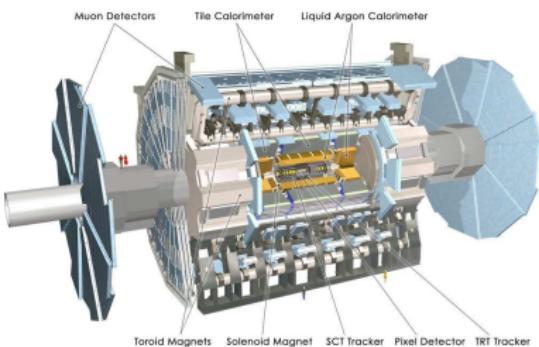
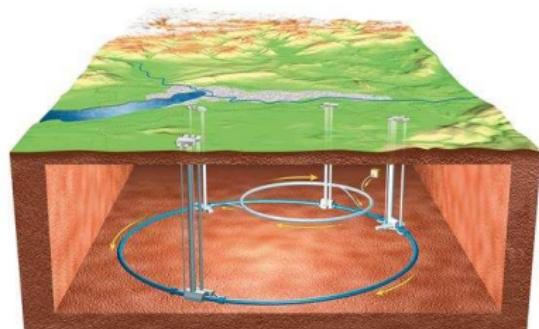
LHC Seminar
29.04.2008





- ➊ The ATLAS detector
- ➋ Basics of charged Higgs Bosons
- ➌ Main charged Higgs search channels
- ➍ Estimation of the $t\bar{t}$ background from data
- ➎ Results

The ATLAS detector



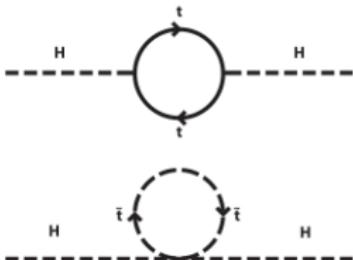
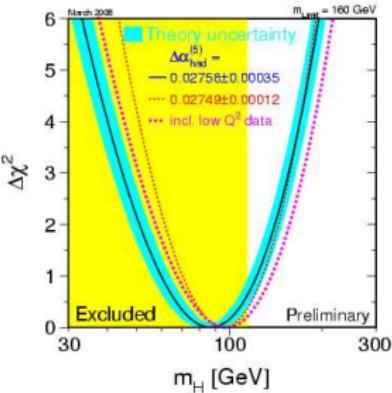
- LHC: proton-proton collider, 14 TeV
- expect first collisions in Summer 08 (starting with 10 TeV)

Higgs mass corrections and the hierarchy problem



- From LEP we know:
Higgs must be light, $m_H \geq 114.4$ GeV
- Higgs mass receives corrections from loops containing particles that couple to the Higgs field.
- if $\mathcal{L} = \dots - \lambda_f H \bar{f} f$, the correction is:
$$\Delta m_H^2 = -\frac{|\lambda_f|^2}{8\pi^2} \Lambda_{UV}^2 + \dots$$

Λ_{UV} : ultraviolet momentum cutoff
should be interpreted as the scale where new physics enters ($m_P \sim 10^{19}$ GeV)
- need new physics at TeV scale





four options:

- Higgs is not fundamental (technicolour)
- the cut-off scale is *much* lower than m_P (extra dimensions)
- some other theories (little Higgs)
- there is a striking cancellation between the various Δm_H^2 terms

→ this cancellation of corrections to scalar masses appears actually *automatically* if there is a symmetry that relate fermions to bosons, a.k.a. Supersymmetry (SUSY)

$$Q|{\rm Boson}\rangle = |{\rm Fermion}\rangle, Q|{\rm Fermion}\rangle = |{\rm Boson}\rangle$$

- we consider MSSM (Minimal supersymmetric extension of the Standard Model) with two Higgs Doublets



Chiral Higgs supermultiplets in the minimal extension of SM

Name	spin 0	spin 1/2	$SU(3)_C, SU(2)_L, U(1)_Y$
H_u	$(H_u^+ \ H_u^0)$	$(\tilde{H}_u^+ \ \tilde{H}_u^0)$	$(\mathbf{1}, \mathbf{2}, +1/2)$
H_d	$(H_d^0 \ H_d^-)$	$(\tilde{H}_d^0 \ \tilde{H}_d^-)$	$(\mathbf{1}, \mathbf{2}, -1/2)$

- in SUSY only $Y=1/2$ Higgs multiplets can have the necessary Yukawa couplings to give masses to up-type quarks
- $Y=-1/2$ Higgs multiplets needed to give masses to down-type quarks and charged leptons

Charged Higgs Bosons in MSSM (2)

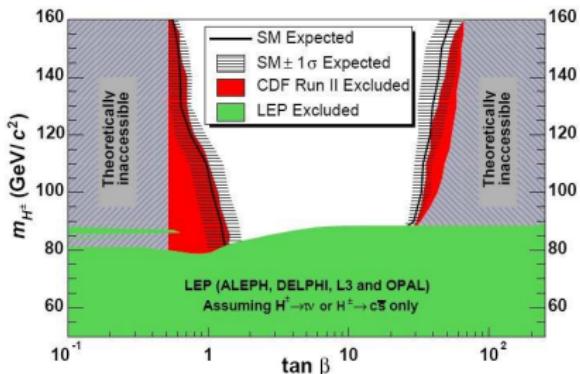


- after EW symmetry breaking 5 Higgs Bosons remain:
 - h^0, H^0 : CP even
 - A^0 : CP odd
 - H^\pm : charged
- at tree-level the Higgs sector is fixed by:
 - m_A (or m_H^\pm , $m_A^2 = m_H^{\pm 2} + m_W^2$)
 - $\tan\beta = v_2/v_1$ (v_i : vev of Higgs fields)
- we check two benchmark scenarios
 - scenario A ($H^+ \rightarrow$ Susy particles suppressed)
 - scenario B (shifts m_h to high values acc. to LEP)

all values in GeV					
$m_{top}=175$	$m_{SUSY}=1000$	$A_t=1000$	$\mu=200$	$M_2=1000$	$M_3=1000$
$m_{top}=175$	$m_{SUSY}=500$	$X_t=1000$	$\mu=200$	$M_2=200$	$M_3=800$

$$\text{where } A_t = X_t + \mu \tan\beta$$

CDF exclusion limits



Phys. Rev. Lett. 96, 042003 (2006)

- H^+ upper mass limit 79.3 GeV (95% CL)
- $\tan \beta$ region around 1-30 not covered

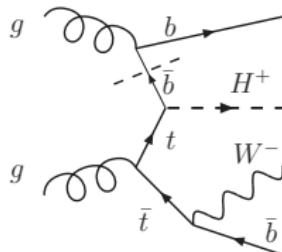
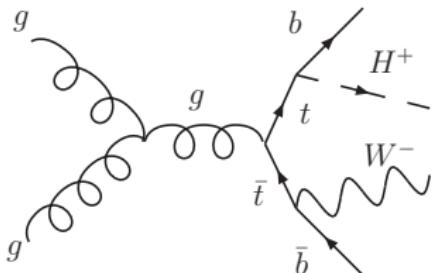
Charged Higgs Boson production

low mass: $m_{H^+} < m_{\text{top}} - m_b$

- charged Higgs produced by on shell top quark decay: $t \rightarrow H^+ b$
- at the LHC top quarks are mainly produced in pairs
- H^+ production through single top quarks not considered

high mass: $m_{H^+} \gtrsim m_{\text{top}} - m_b$

- two different modes: $gb \rightarrow H^+ t$, $gg \rightarrow tbH^+$
- additionally for intermediate mass region $m_H \sim 170$ GeV:
20-30% contribution from $t \rightarrow H^+ b$ (see above)

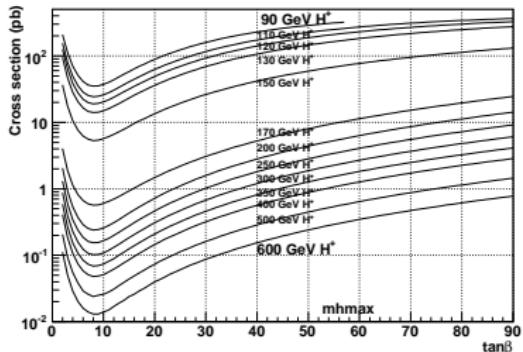


Charged Higgs Boson production and decay

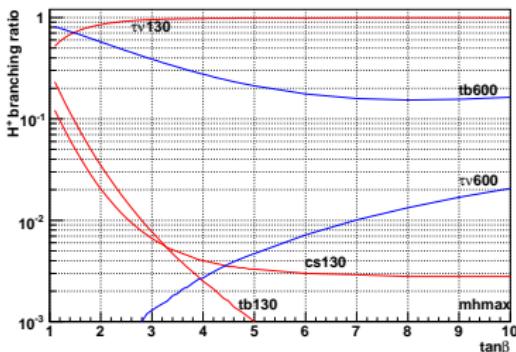


$$\sigma[t\bar{t} \rightarrow (H^+ b)(W b)]$$

$$Br(H^+)$$

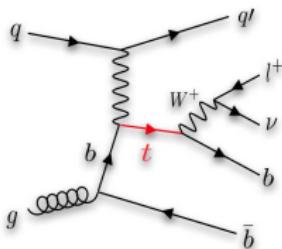
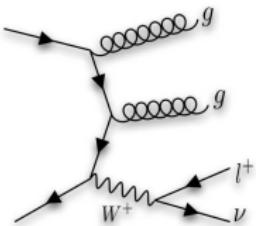
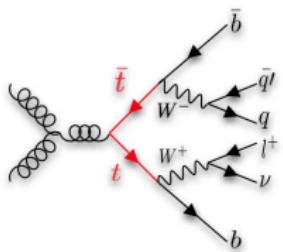


A. Sopczak (ATL-COM-PHYS-2008-013)



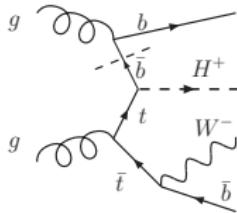
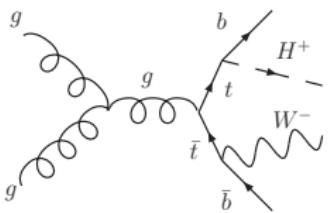
- $xsec[t\bar{t} \rightarrow (W b)(W \bar{b})]$: NLO
- $BR(t \rightarrow H^+ b)$: FeynHiggs 2.6.2
- not considered: $H^+ \rightarrow W^+ h^0$
- $\sigma(\text{Signal}) = 2\sigma_{tt} [Br(t \rightarrow H^+ b)][1 - Br(t \rightarrow H^+ b)]$
- low mass (red) almost exclusive decay: $H^+ \rightarrow \tau\nu$
- high mass (blue) most important contribution $H^+ \rightarrow tb$

Backgrounds



mode	xsec [pb]
t̄t (1l)	452
W+jets	912
Wt	29
s-chan	3.5
t-chan	80

- $t\bar{t}$ is the dominant background (same topology, high xsec)
- single top production also possible through EW Wtb vertex
- these modes should be less important due to small cross sections wrt. $t\bar{t}$ (diff. topo.)
- inclusive $W+jets$ production important due to its high cross section (different topo., but high xsec)
- not shown: QCD background (very high xsec, no MC available)



Light Higgs

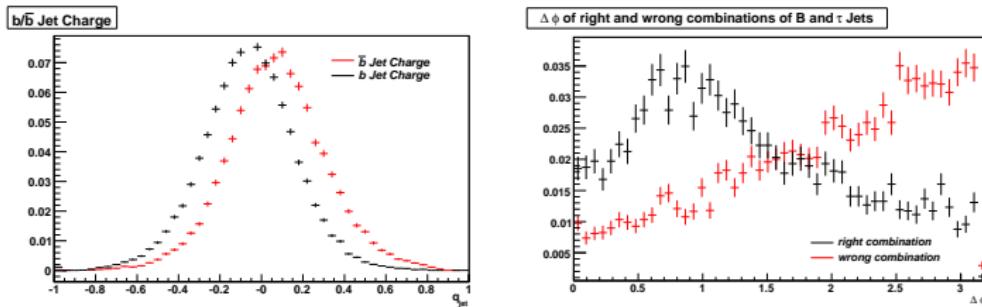
- $\tau_{\text{had}} + W_{\text{had}}$ channel $t\bar{t} \rightarrow (H^+ b)(W\bar{b}) \rightarrow (\tau_{\text{jet}} \bar{\nu}_\tau \nu_\tau b)(q\bar{q}\bar{b})$
high branching ratio, m_T reconstruction, difficult to trigger
- $\tau_{\text{lep}} + W_{\text{had}}$ channel $t\bar{t} \rightarrow (H^+ b)(W\bar{b}) \rightarrow (l\bar{\nu}_\tau \nu_\tau \bar{\nu}_l b)(q\bar{q}\bar{b})$
easy trigger, m_T reconstruction, high $t\bar{t}$ background
- $\tau_{\text{had}} + W_{\text{lep}}$: $t\bar{t} \rightarrow (H^+ b)(W\bar{b}) \rightarrow (\tau_{\text{jet}} \bar{\nu}_\tau \nu_\tau b)(q\bar{q}\bar{b})$
easy trigger, low background, neutrinos on both sides

Heavy Higgs

- $H^+ \rightarrow tb$ channel: $gg/g\bar{b} \rightarrow t[\bar{b}]H^+ \rightarrow W_{qq}b [\bar{b}]l\nu_l bb$
full Higgs mass reconstruction, complex signature
- $H^+ \rightarrow \tau\nu$ channel: $gg/g\bar{b} \rightarrow t[\bar{b}]H^+ \rightarrow W_{qq}b [\bar{b}]\tau_{\text{jet}}\nu_{\bar{\tau}}$
low background, m_T reconstruction, low branching ratio

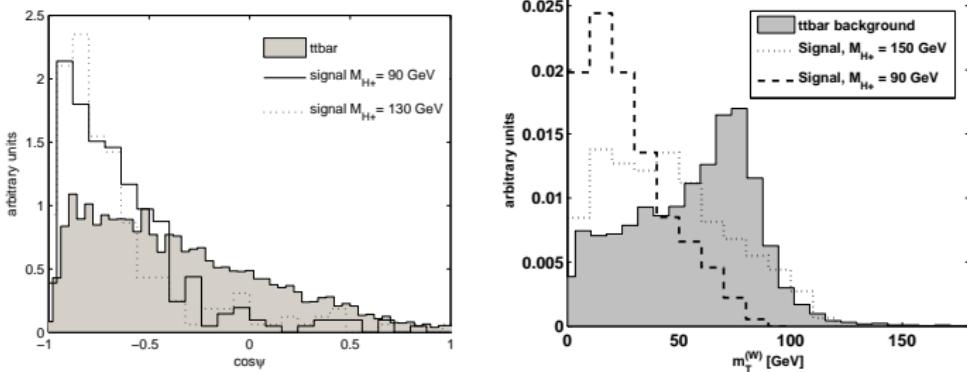
$$t\bar{t} \rightarrow (H^+ b)(W^- b) \rightarrow (l\nu_l \nu_\tau \nu_{\bar{\tau}} b)(q\bar{q} b)$$

- W boson resonance and top quark fully reconstructed
- b - \bar{b} flavour tagging performed using b jet-lepton angular correlation and b jet charge distribution



- likelihood combination gives 68% purity

$$t\bar{t} \rightarrow (H^+ b)(W^- b) \rightarrow (l\nu_l \nu_\tau \nu_{\bar{\tau}} b)(q\bar{q} b)$$

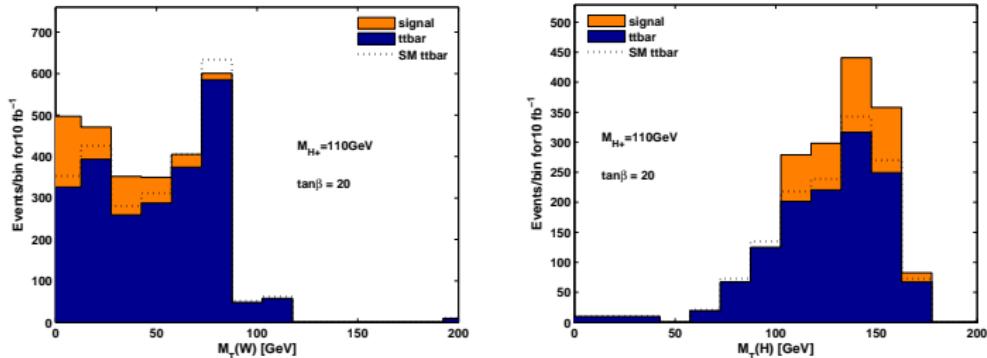


- cut on 'decay angle' $\cos\theta^* = \frac{2m_{\ell b}^2}{m_{top}^2 - m_W^2} - 1$
(b jet and lepton have to be on the same side)
- but we loose a lot of events by requiring 2 b jets wrt $t\bar{t}$

$$t\bar{t} \rightarrow (H^+ b)(W^- b) \rightarrow (l\nu_l \nu_\tau \nu_{\bar{\tau}} b)(q\bar{q} b)$$

- generalized transverse mass calculated for the Higgs:

$$(m_T^{H+})^2 = (\sqrt{m_{top}^2 + (\vec{p}_T^{lep} + \vec{p}_T^b + \vec{p}_T^{miss})^2} - p_T^b)^2 - (p_T^{miss} + \vec{p}_T^{lep})^2$$

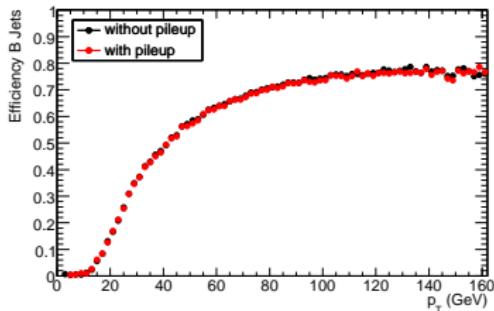
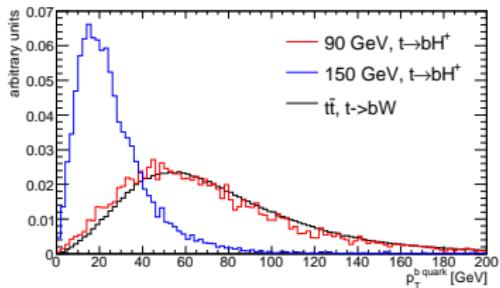


- finally both transverse masses are used for the significance calculation

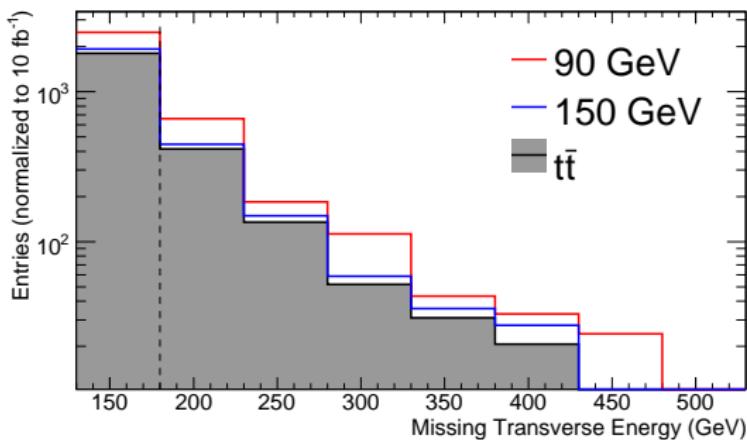
$$t\bar{t} \rightarrow (H^+ b)(W b) \rightarrow (\tau_{jet} \bar{\nu}_\tau \nu_\tau b)(l \bar{\nu}_l b)$$



- most difficult channel because of the neutrinos on both sides
- avoid $t\bar{t}$ enrichment by requiring only one b jet



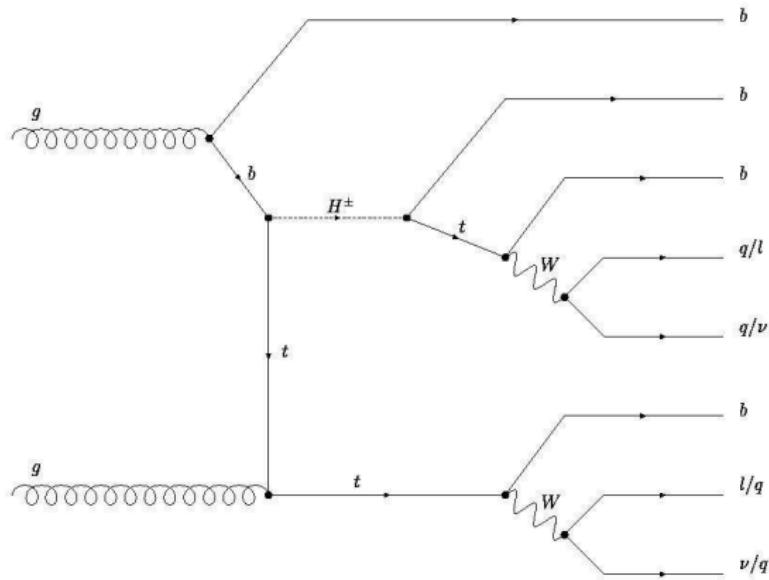
- signal can still be extracted as the excess of τ jets wrt SM
- but no possibility to extract any shaped variables



$$gg/g\bar{b} \rightarrow t[\bar{b}]H^+ \rightarrow W_{qq}b [\bar{b}]l\nu_l bb$$



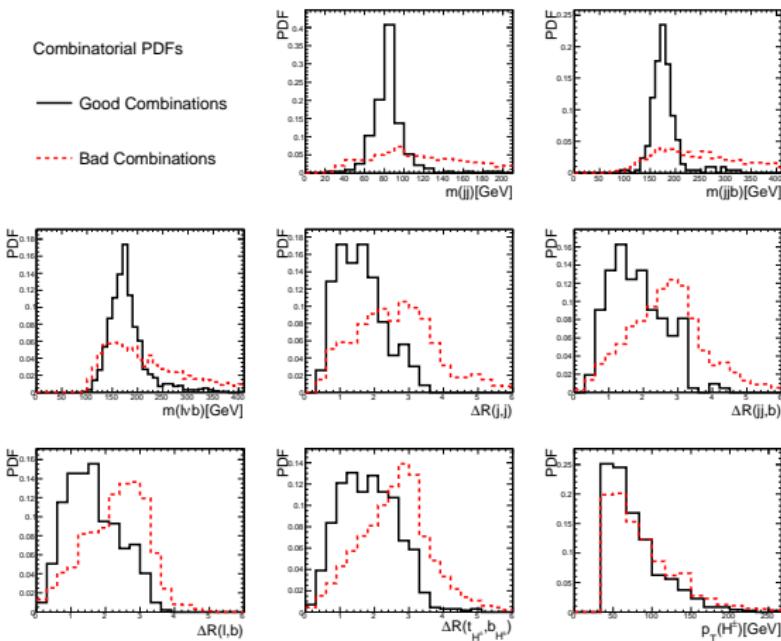
- only channel which allows full Higgs mass reconstruction
- high combinatorial background from jets



$$gg/g\bar{b} \rightarrow t[\bar{b}]H^+ \rightarrow W_{qq}b [\bar{b}]l\nu_l \ bb$$



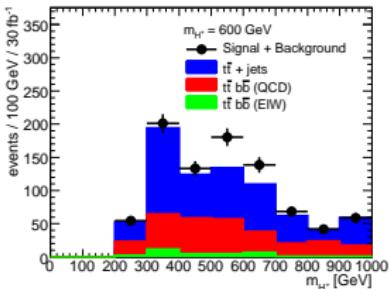
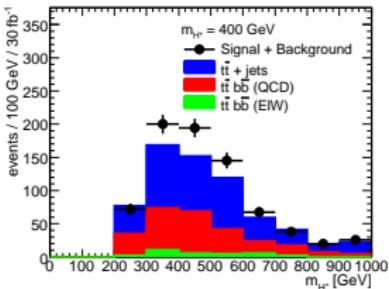
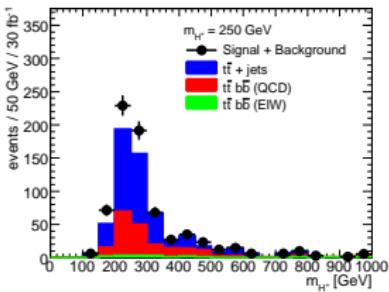
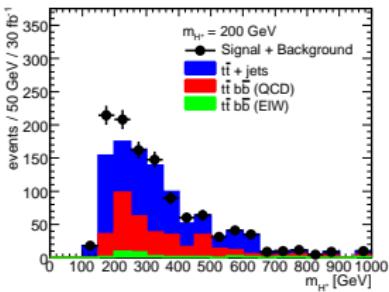
- try to find right combination of jets by combinatorial likelihood



$$gg/g\bar{b} \rightarrow t[\bar{b}]H^+ \rightarrow W_{qq}b [\bar{b}]l\nu_l \ bb$$



- physical background $t\bar{t} + \text{jets}$ is reduced by another likelihood
(require 4 b jets, pdf's not shown)
- reconstruct charged Higgs mass

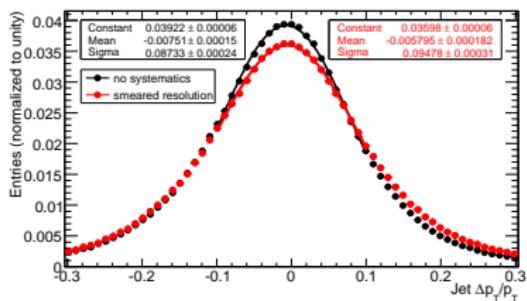


Systematic Uncertainties



To evaluate systematic uncertainties, several effects where taken into account.

Most important: smearing of the jet energy scale



Uncertainty	Value	x-sec[fb]	
		S	B
None		30	78
τ E Resolution	$0.45 \times \sqrt{E}$	32	76
τ E Scale	-5% +5%	30	71 32
τ -tag Efficiency	±5%	27	77
Jet E Resolution	$0.45\sqrt{E}, \eta < 3.2$ $0.63\sqrt{E}, \eta > 3.2$	32	80
Jet E Scale	+7(15)%, $ \eta < (>)3.2$ -7(15)%, $ \eta < (>)3.2$	40	93 24
b -tag Efficiency	$\pm 5\% \epsilon_{btag}$	30	76
b -tag Rejection	-10% +10%	30	78 77
μ E Resolution	$0.011/P_T \oplus 0.00017$	30	79
μ E Scale	-1% +1%	31	77 30
μ Efficiency	±1%	30	78
e E Resolution	$0.0073 \times E_T$	30	77
e E Scale	-0.5% +0.5%	30	77 31
e Efficiency	±0.2%	30	78
Luminosity	-3% +3%	29	76 31

Background estimation from data (1)



- get clean $t\bar{t} \rightarrow ll$ sample from data
 - two isolated muons (E_T in cone $(0.3) < E_T < 20$ GeV)
 - Z veto (90 GeV $< m_{\mu\mu} < 110$ GeV)
 - $E_T^{\text{miss}} > 40$ GeV

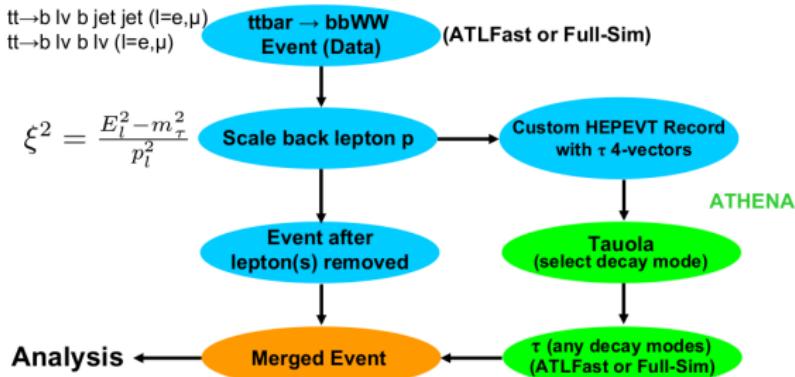
Process	cross section (pb)	events used	events passed	expected events in 1 fb^{-1}
$t\bar{t} \rightarrow \mu\mu$	9.3	1265	359	2641.2
tt background	823.7	46500	23	407.4
W+1J	65.3	5000	1	13.1
W+2J	71.0	9450	1	7.7
W+3J	53.3	6500	0	<8.2
W+4J	28.0	7000	3	12.0
W+5J	15.3	5000	0	<3.1
Z+1J	172.7	3750	3	138.2
Z+2J	65.7	14500	17	77.0
Z+3J	20.7	2000	6	62.1
Z+4J	5.9	5250	18	20.1
Z+5J	2.1	2950	11	8.0
$b\bar{b}(mu20mu20)$	261	2435	3	321.6
Total BG	-	-	-	1066.8

- efficiency=28% (signal events that survive selection)
- purity=71% (1-background/all events)

Background estimation from data (2)



- replace μ by τ

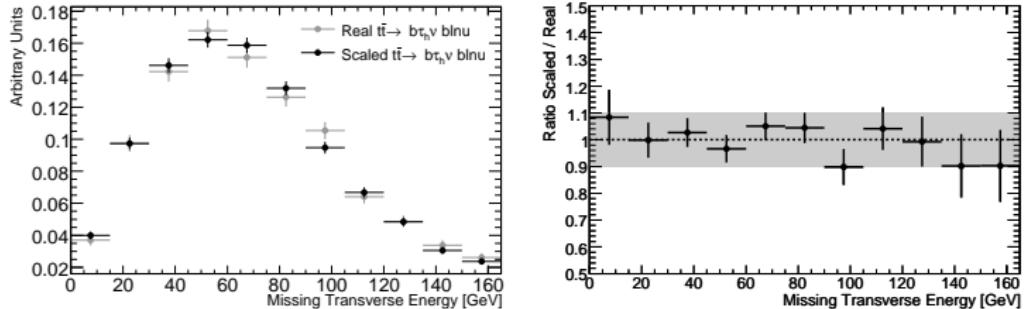


- scale 3-Vector of the lepton until it has τ mass

$$\xi^2 = \frac{E_\mu^2 - m_\tau^2}{|\vec{p}_\mu|^2}$$

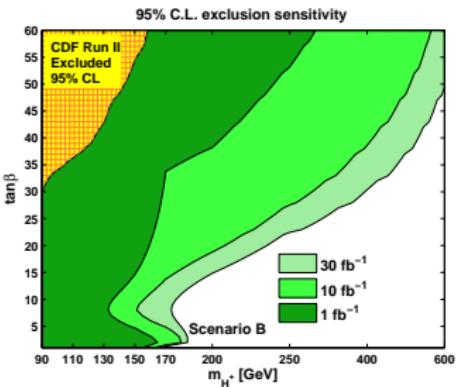
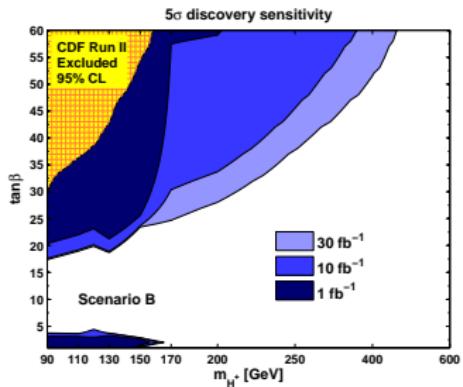
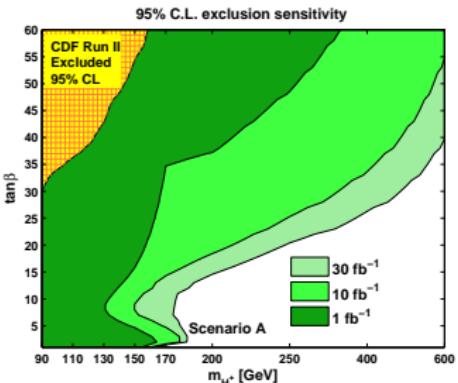
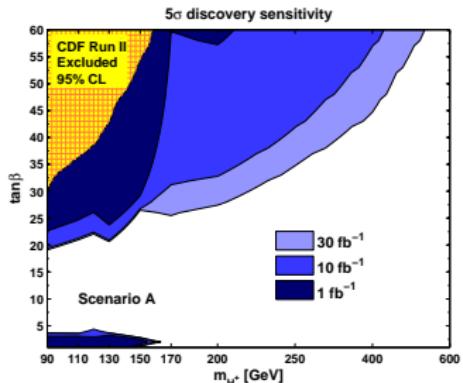
- τ decay products fed into the athena detector simulation
- '2nd order' MC effect still included

Background estimation from data (3)



- error within 10%
- this is only due to worse jet resolution (wrt leptons)

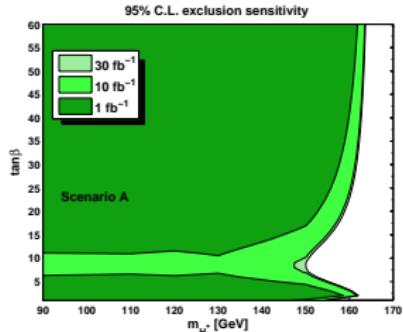
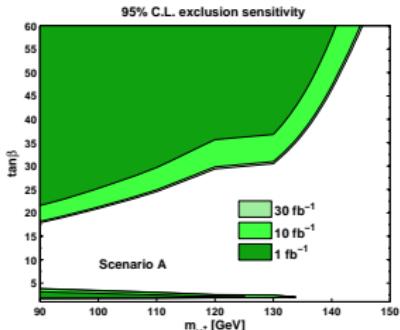
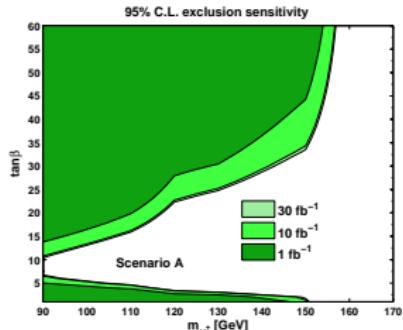
Final combined results (all five channels)



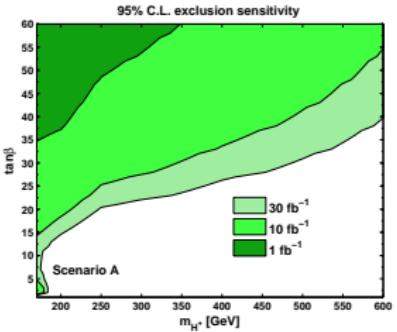
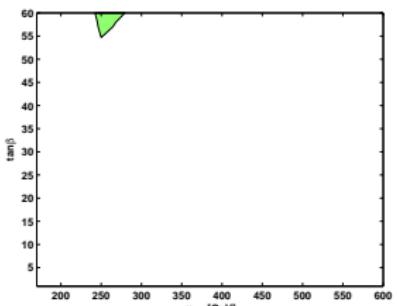
single results (only exclusion contours)



light Higgs



heavy Higgs



Backup





- take some shaped histogram (i.e. higgs mass)
- model each bin as a Poisson variable with mean:

$$\begin{aligned}E[n_i] &= \mu L \epsilon_i \sigma_i B_i + b_i \equiv \mu s_i + b_i \\s_i &= s_{tot} \int_{bins} f_s(x; \theta_s) dx \\b_i &= b_{tot} \int_{bins} f_b(x; \theta_b) dx\end{aligned}$$

- μ (signal strength) is the only parameter of interest
- the pdf's f_s and f_b can be obtained from MC or control samples
- systematic uncertainties can be included through θ parameters

Significance calculation by profile Likelihood



- calculate Likelihood function for each channel i:

$$L_i(\mu, \theta) = \prod_j \frac{(\mu s_j + b_j)^{n_j}}{n_j!} e^{-(\mu s_j + b_j)} \prod_k \frac{u_k^{m_k}}{m_k!} e^{-u_k}$$

- combine them straightforward for all channels:

$$L(\mu, \theta) = \prod L_i(\mu, \theta_i)$$

- construct profile likelihood ratio:

$$\lambda(\mu) = \frac{L(\mu, \hat{\theta})}{L_{max}(\hat{\mu}, \hat{\theta})}$$

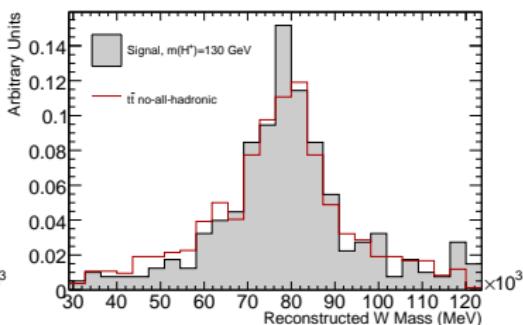
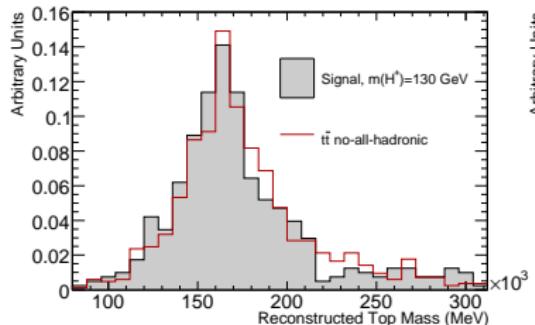
$\hat{\theta}$: maximizes L for given μ , $\hat{\theta} = \hat{\theta}(\mu)$

denominator: maximized Likelihood of full phase space

- of course $0 \leq \lambda \leq 1$,
 $\lambda = 1$ implies good agreement with hypothesis

$$t\bar{t} \rightarrow (H^+ b)(W b) \rightarrow (\tau_{had} \nu b)(q \bar{q} b)$$

- a priori important channel: high branching ratio
- trigger: tau35i+xe50 or tau35i+xe40+3jet20:
9-17% efficiency)

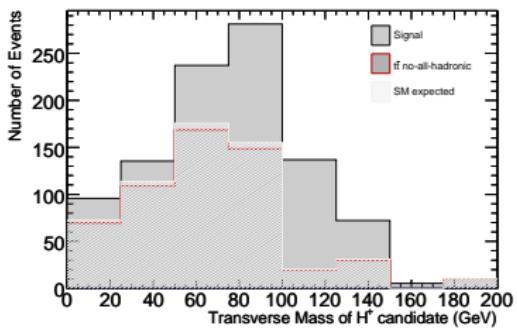
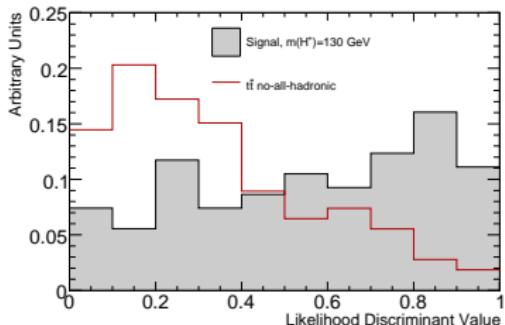


- full reconstruction of W side \rightarrow apply mass window cuts
- E_T^{miss} is used to calculate the p_T^τ of second top
- use back-to-back characteristic of top quarks

$$p_T^{top2} = \vec{p}_T^b + \vec{p}_T^{\pi jet} + \vec{p}_T^{\text{miss}}$$



- remaining events supposed to be mainly $t\bar{t}$
- many topologic variables (angles, inv. masses, ...) are combined in a likelihood discriminant
- finally the transverse Higgs mass is calculated



The Standard Model Higgs Sector



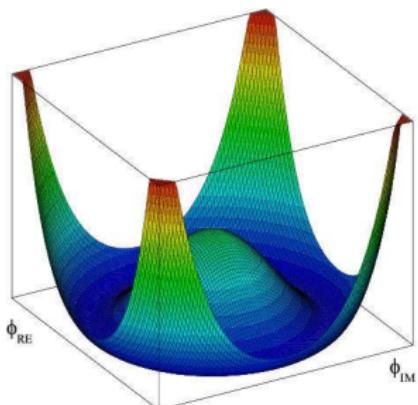
One fundamental question in particle physics is:

What's the origin of mass?

Answer: introduce scalar (Higgs-)field,
and break electroweak symmetry.

Examples are already there:

- super conductivity (Meissner-Ochsenfeld effect)
- ferro magnetism



$$\mathcal{L}_{Higgs} = (\hat{D}_\mu \phi)^+ (\hat{D}^\mu \phi) + m_H^2 \phi^+ \phi - \lambda (\phi^+ \phi)^2$$
$$|\langle \phi \rangle| = \sqrt{\frac{-m_H^2}{2\lambda}}$$