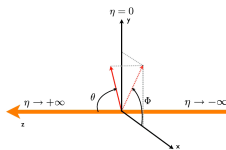
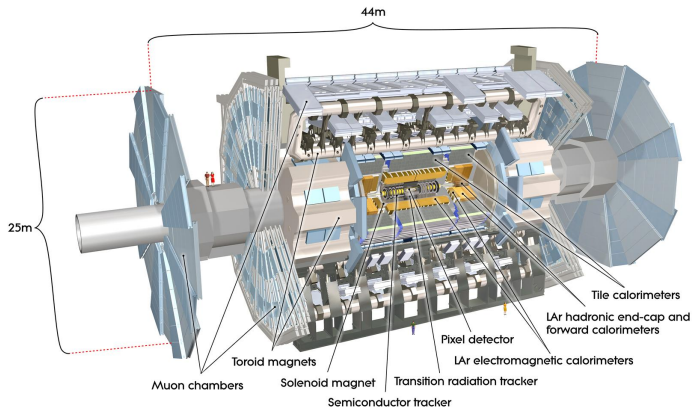


Measurement of the lepton-identification efficiencies for searches for Supersymmetry in events with two taus in the final state

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The pseudorapidity is defined as $\eta = -\ln \tan(\theta/2)$

Space-time symmetry between bosons and fermions that turns a bosonic state into a fermionic state, and vice versa.

$$Q |Boson\rangle = |Fermion\rangle \quad Q |Fermion\rangle = |Boson\rangle \quad (1)$$

Bosons		Fermions	
gluon weak hyper-charge	g W^\pm, Z B^0	gluino wino, zino bino	\tilde{g} \tilde{w}^\pm, \tilde{z} \tilde{B}^0
sleptons	$\tilde{\nu}_L, \tilde{e}_L$ \tilde{e}_R	leptons	ν_L, e_L e_R
squarks	\tilde{u}_L, \tilde{d}_L \tilde{u}_R \tilde{d}_R	quarks	u_L, d_L u_R d_R
Higgs	H_1 H_2	higgsinos	H_1 H_2

Particle Content of the MSSM

Electroweak Production

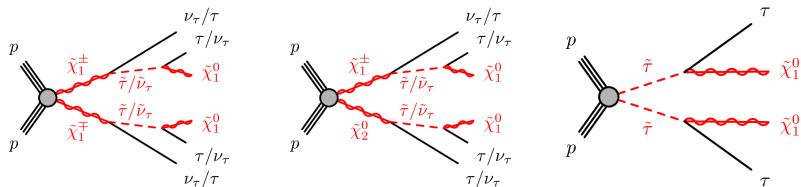
Electroweak symmetry breaking process mix the higgsinos and the electroweak gauginos.

$$\tilde{H}_u^0, \tilde{H}_d^0 \text{ and } \tilde{B}^0, \tilde{Z} \longrightarrow \text{neutralinos } \tilde{\chi}_i^0 \text{ (} i=1,2,3,4 \text{)}$$

$$\tilde{H}_u^+, \tilde{H}_d^- \text{ and } \tilde{W}^\pm \longrightarrow \text{charginos } \tilde{\chi}_i^\pm \text{ (} i=1,2 \text{)}$$

The lightest neutralino, $\tilde{\chi}_1^0$, is assumed to be the LSP.

The dominant EW channels:



light stau models

- Chargino-chargino production
- Direct stau production

One τ decays **hadronically** and the other τ decays **leptonically**.

Identification of a leptonically decaying tau is done via the final lepton.

⇒ Search for events with:

- one hadronically decaying **tau** (T)
- one **light lepton**: muon (M) or electron (E)
- **missing energy**

TE - one tau and one electron

TM - one tau and one muon

The main background to the di-tau channel arises from five different SM processes:

- W +jets processes
- Z +jets processes
- Diboson processes
- $t\bar{t}$ processes
- Multi-jet processes

- **Single lepton trigger (muon/electron trigger)**
- **Cosmic muon veto**
- **2 OS leptons cut: tau + electron / tau + muon**

- **P_T cuts:**
 - **electron/muon -**
 $p_T > 25\text{GeV}$
 - **tau -** $p_T > 20\text{GeV}$

- **η cuts:**
 - **electron** $|\eta| < 2.47$
 - **muon -** $|\eta| < 2.4$
 - **tau -** $|\eta| < 2.47$

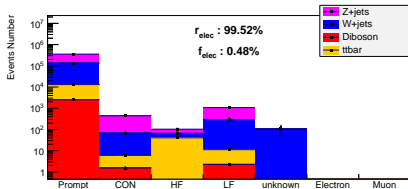
The possible origins of the reconstructed leptons are split into seven categories:

- 1 Prompt lepton - real lepton
- 2 Conversion (CON) - electrons from photon conversion.
- 3 Light flavour (LF) - Light flavour hadron
- 4 Heavy flavour (HF)- Heavy flavour hadron or semi-leptonic heavy quark decays.
- 5 Electron - prompt electron (only for taus).
- 6 Muon - prompt muon (only for taus).
- 7 Unknown - the reconstructed lepton does not match any other category.

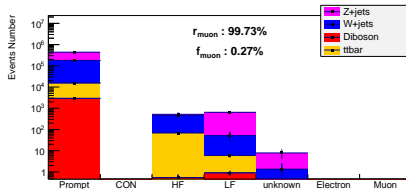
prompt leptons \longrightarrow '**real leptons**'
other origins \longrightarrow '**fake leptons**'

Origin of Leptons in the Tau+light lepton Events in SM Background Processes

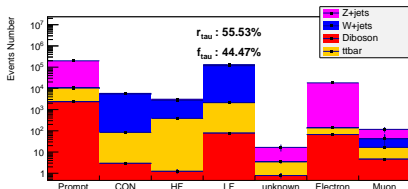
electrons - TE



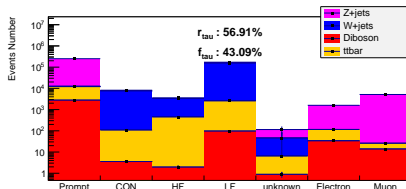
muons - TM



taus - TE



taus - TM



Light lepton is real, fake taus are mostly from the W+jets

Measurement of the SM background originating from fake τ aus

Assumption: The light lepton is always real.

Method: Semi-data driven method - Matrix method.

Data: the full datasets recorded in 2012 at $\sqrt{s} = 8$ TeV with an integrated luminosity of approximately 20.3 fb^{-1} .

Two sets of selection criteria for taus are defined:
loose taus and **tight** taus.

Efficiency definitions:

Real efficiency:

The probability of a real, prompt lepton to pass the tight selection criteria. $r = \frac{N_{real}^{tight}}{N_{real}^{loose}}$

Fake efficiency:

The probability of a fake, non-prompt lepton to pass the tight selection criteria. $f = \frac{N_{fake}^{tight}}{N_{fake}^{loose}}$

Matrix Method:

$$N^{loose} = N_{real}^{loose} + N_{fake}^{loose}$$

$$N^{tight} = N_{real}^{tight} + N_{fake}^{tight} = r N_{real}^{loose} + f N_{fake}^{loose}$$

$$N_{fake}^{tight} = \frac{f}{r - f} (N^{loose} r - N^{tight})$$

Matrix Method in the TM Channel:

Fake efficiencies:

Weighted average fake efficiency for taus: $f^\tau = \sum_j (sf \times R_f^j \times f^j)$

- **Light-flavor** fake efficiency is the most dominant type of fake taus. It is evaluated in the **W+jets CR**, which is rich in fake taus.

- measuring fake efficiency in process j from truth information in MC: $f^j = \frac{N_f^{tight}}{N_f^{loose}}$

- Calculating process independent scale factors in WCR: $sf = \frac{f_{data}}{f_{mc}}$

- Measuring in MC the fraction of fake efficiency in process j in WCR from MC:

$$R^j = \frac{f^j}{f^{all_processes}}$$

Real efficiencies:

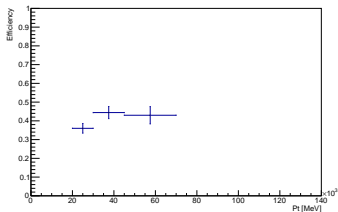
Weighted average real efficiency for taus: $r^\tau = \sum_j (sf \times R_r^j \times r^j)$

- Evaluating real efficiencies in **Z+jets CR**.

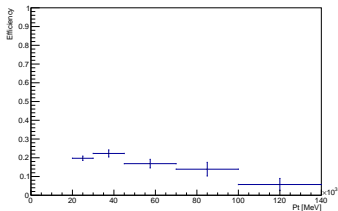
- measuring real efficiency in process j from truth information in MC: $r^j = \frac{N_r^{tight}}{N_r^{loose}}$

- ...

real efficiency



fake efficiency

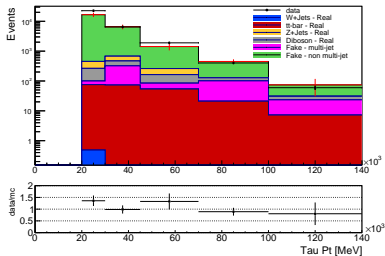


Average values

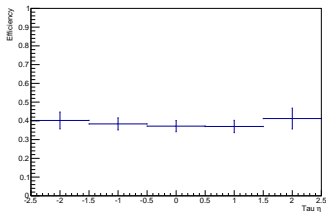
Real efficiency: 0.40 ± 0.09

Fake efficiency: 0.18 ± 0.05

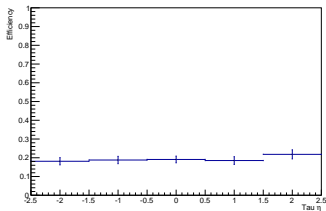
fake background



real efficiency



fake efficiency

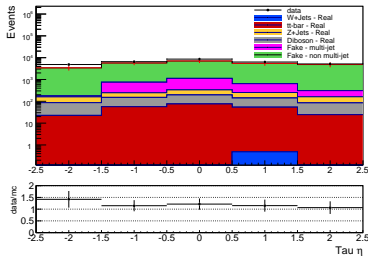


Average values

Real efficiency: 0.40 ± 0.09

Fake efficiency: 0.18 ± 0.05

fake background

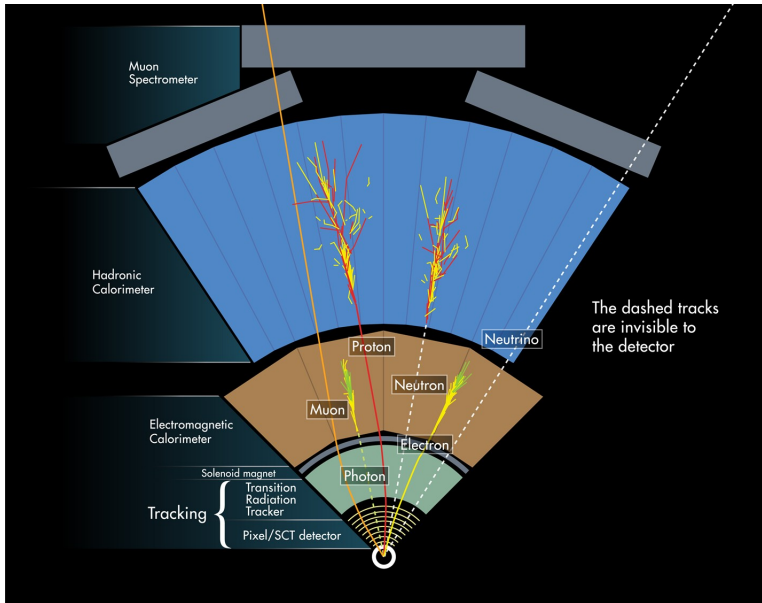


In the search for events with two taus (hadronically decaying tau and leptonically decaying tau) in the final state:

- The origin of the reconstructed leptons in SM background processes has been evaluated through the MC simulations.
 - ① 99% of light leptons are real.
 - ② most of the fake taus are from light flavour jets.
 - ③ most of the fake background is in W +jets processes.
- Real and fake efficiencies of taus have been measured in data and MC.
- This study proves that the fake background can be estimated via the Matrix Method.
- The method is proposed for LHC run-2, which will start in 2015.

Thank you for your attention.

Backup



- The transverse missing energy \vec{E}_T^{miss} : the vectorial sum of the transverse energy of all the particles in the event multiplied by (-1),

$$\vec{E}_T^{miss} = - \sum_{i \in particles} \vec{E}_{Ti}$$
- The transverse mass:

$$m_T = \sqrt{2 \cdot E_T^{miss} \cdot p_T(lepton) \cdot (1 - \cos \Delta\phi(\vec{E}_T^{miss}, \vec{p}_T(lepton)))}$$

WCR optimized for purity and statistics.

W+Jets CR definition:

TM Channel

B-jet veto

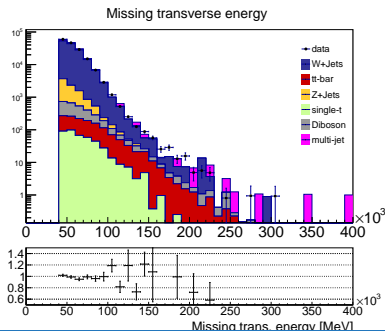
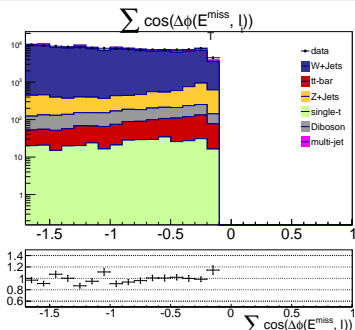
$$m_T(\text{muon}, E_T^{\text{miss}}) > 60 \text{ GeV}$$

$$\sum_{lep} \cos(\Delta\phi(E_T^{\text{miss}}, lep)) < -0.15$$

$$\Delta R(\text{muon}, \text{tau}) > 0.3$$

The transverse missing energy > 40 GeV

	Events number
W+jets	140979 ± 1776
Multi-jet	13001 ± 1410
Z+jets	6439 ± 152
Diboson	1692 ± 14
tt-bar	1014 ± 14
Single-t	424 ± 17
SM total	163551 ± 2273
Data	162304 ± 400
Purity	0.861 ± 0.001



ZCR optimized for purity and statistics.

Z+Jets CR definition:

B-jet veto

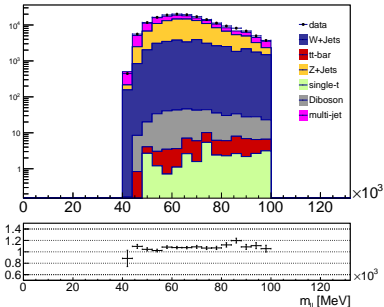
in Z window

$$\Sigma_{lep} m_T < 80 \text{ GeV}$$

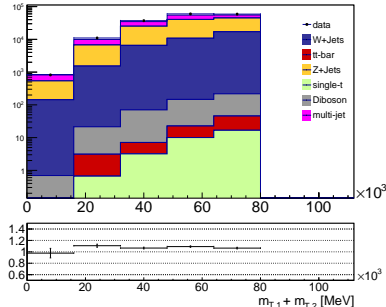
$$\Delta\phi_{ll} > 2.4$$

	Events number
Z+jets	81683 ± 571
Multi-jet	38058 ± 717
W+jets	35609 ± 890
Diboson	378 ± 6
tt-bar	48 ± 3
Single-t	31 ± 4
SM total	155806 ± 1278
Data	167805 ± 410
Purity	0.5242 ± 0.0006

inv. mass of selected dilepton pair

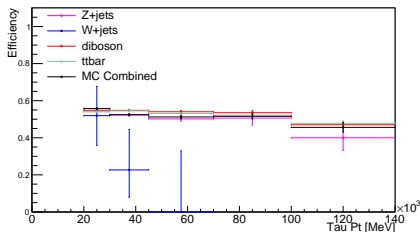


Sum of transverse masses m_T with the two leptons

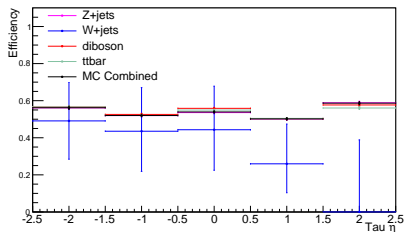


Efficiencies from MC (1 prong taus)

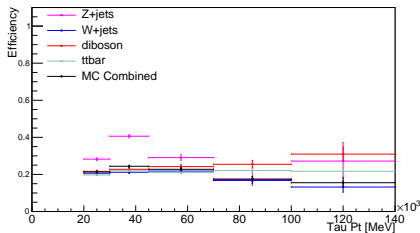
real efficiency vs tau momenta



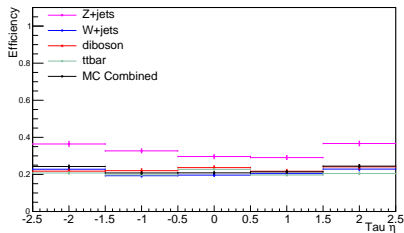
real efficiency vs tau eta



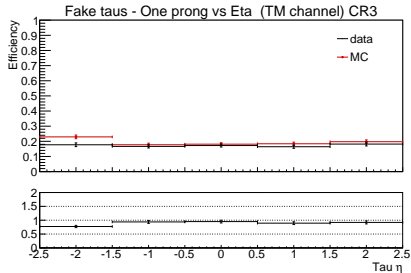
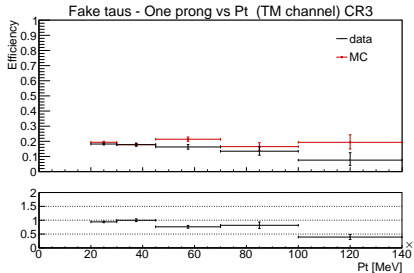
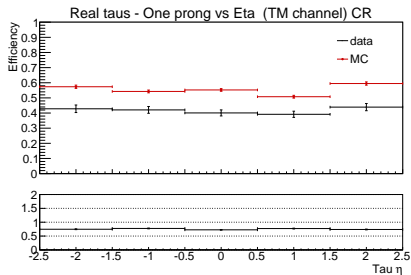
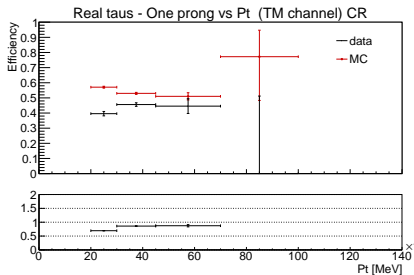
fake efficiency vs tau momenta



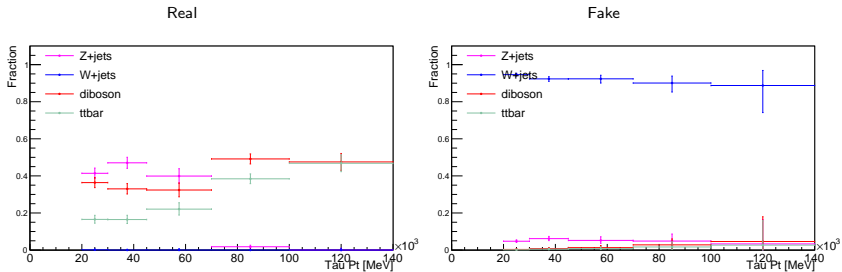
fake efficiency vs tau eta



Scale Factors for Real and Fake Efficiencies (1 prong taus)



Fake/Real Fractions in WCR from MC (1 prong taus)



Tight/Loose Events in WCR from Data (1 prong taus)

