



Factorization Breaking in Diffractive Dijet Production

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Publications

With Michael Klasen

PLB 508 (2001) 259: $\gamma p \rightarrow 2 \text{ jets} + n$

EPJC 38 (2004) 39: $\gamma p \rightarrow 2 \text{ jets} + p$

PRL 93 (2004) 232002: $\gamma^* p \rightarrow 2 \text{ jets} + p$

JPG 31 (2005) 1391: New fact. scheme

arXiv:0806.2269

Review based on
H1 and ZEUS data

Motivation

Hard diffraction:

→ Does factorization hold?

Deep inelastic scattering: Yes

→ Direct photoproduction

Hadroproduction: No

→ Resolved photoproduction

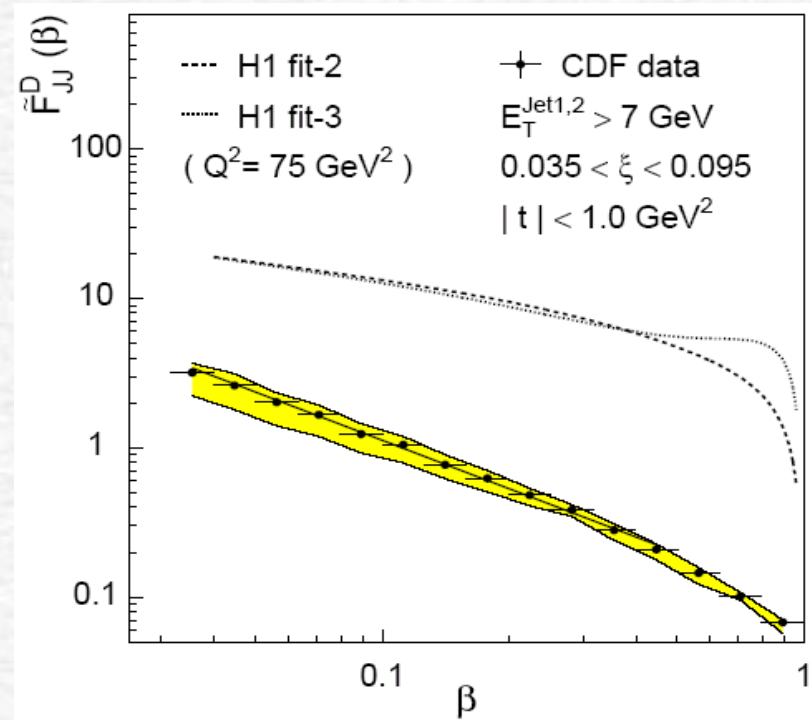
Why next-to-leading order?

→ $\sigma_{\text{tot}} = \sigma_{\text{dir}}(\mathbf{x}_\gamma, M_\gamma) + \sigma_{\text{res}}(\mathbf{x}_\gamma, M_\gamma)$

→ At LO $\mathbf{x}_\gamma = 1$, but at NLO $\mathbf{x}_\gamma \leq 1$

→ $\log(M_\gamma)$ -dependence cancels

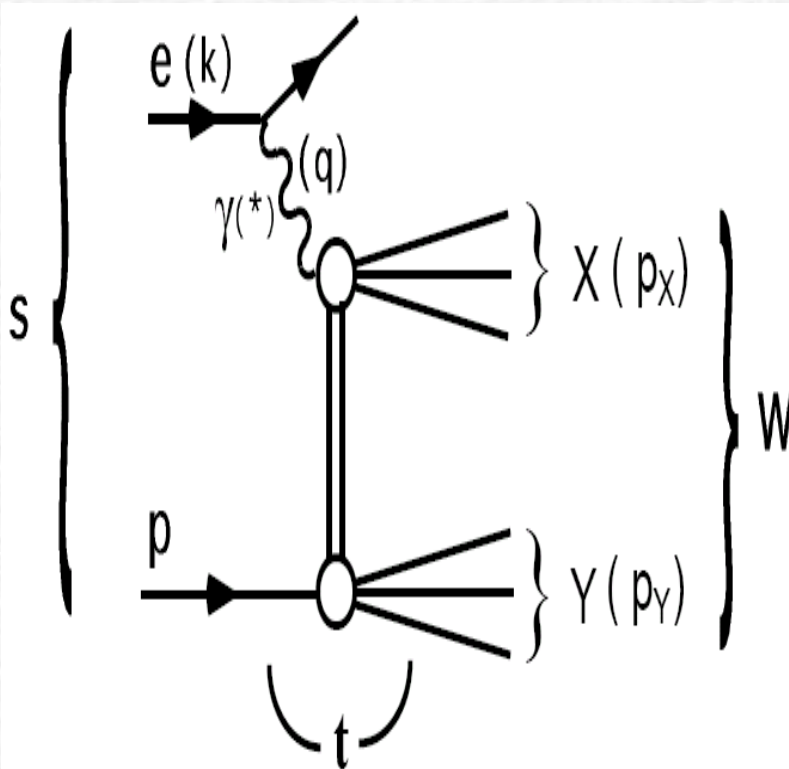
Diffr. hadroproduction of dijets:



CDF Coll., PRL 84 (2000) 5043

Kinematics

Diffractive processes at HERA:



H1 Coll., EPS 2003 and DIS 2004

Inclusive DIS:

$$s = (k + p)^2, \quad Q^2 = -q^2, \quad \text{and} \quad y = \frac{qp}{kp}$$

Diffractive DIS:

$$M_X^2 = p_X^2 \quad \text{and} \quad t = (p - p_Y)^2,$$

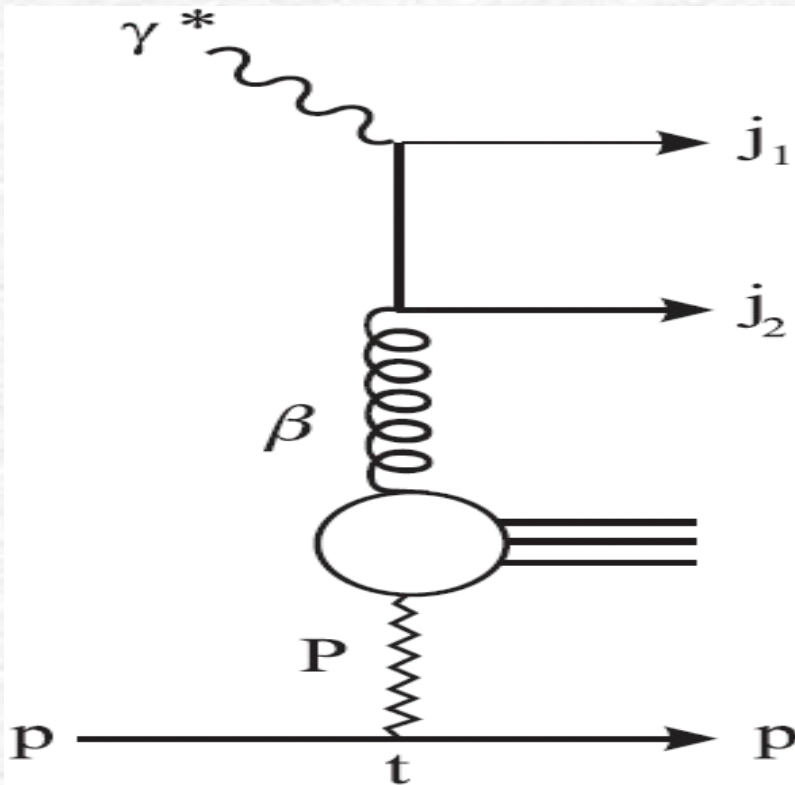
$$M_Y^2 = p_Y^2 \quad \text{and} \quad x_{\mathbb{P}} = \frac{q(p - p_Y)}{qp}$$

Experimental cuts:

0.3	<	y	<	0.65
		Q^2	<	0.01 GeV ²
		E_T^{jet1}	>	5 GeV
		E_T^{jet2}	>	4 GeV
-1	<	$\eta_{\text{lab}}^{\text{jet1,2}}$	<	2
		$x_{\mathbb{P}}$	<	0.03
		M_Y	<	1.6 GeV
		$-t$	<	1 GeV ²

DiffRACTive Parton Distributions

Double factorization:



G. Ingelman, P. Schlein, PLB 152 (1985) 256

Hard QCD factorization:

$$\frac{d^2\sigma}{dx_{\mathbb{P}}dt} = \sum_a \int_x^{x_{\mathbb{P}}} d\xi \sigma_a^{\gamma^*}(x, Q^2, \xi) f_a^D(\xi, Q^2; x_{\mathbb{P}}, t)$$

Regge factorization:

$$f_a^D(x, Q^2; x_{\mathbb{P}}, t) = f_{\mathbb{P}/p}(x_{\mathbb{P}}, t) f_{a/\mathbb{P}}(\beta = x/x_{\mathbb{P}}, Q^2)$$

Pomeron flux factor:

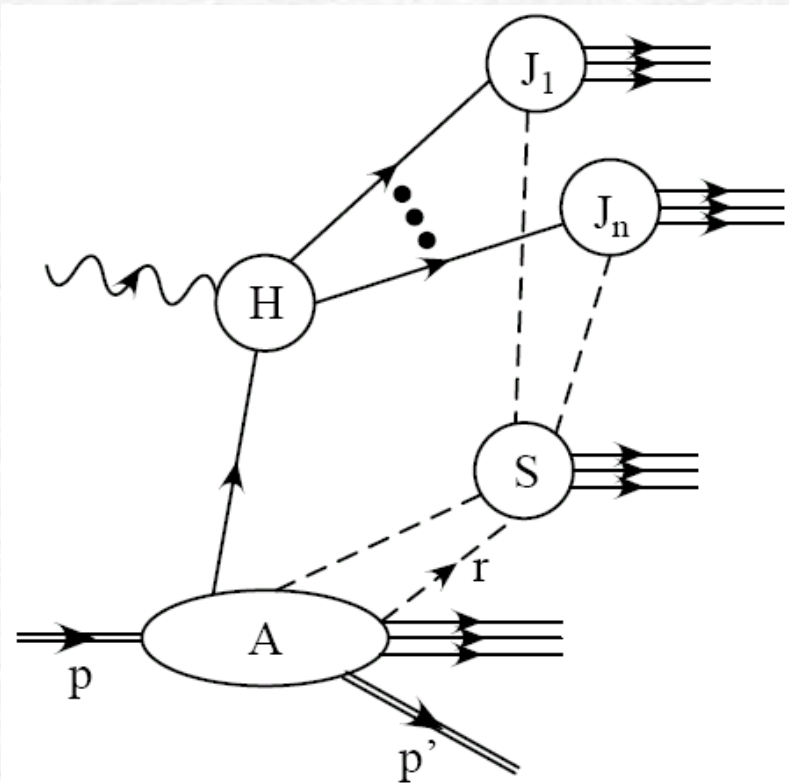
$$f_{\mathbb{P}/p}(x_{\mathbb{P}}, t) = x_{\mathbb{P}}^{1-2\alpha_{\mathbb{P}}(t)} \exp(B_{\mathbb{P}}t)$$

Pomeron trajectory:

$$\alpha_{\mathbb{P}}(t) = \alpha_{\mathbb{P}}(0) + \alpha'_{\mathbb{P}}t$$

Proof of Hard Factorization

Diffractive deep inelastic scattering:



J.C. Collins, PRD 57 (1998) 3051

Light cone coordinates:

$q^\mu = (q^+, q^-, \mathbf{q}_T)$

Leading regions:

$H: q^\mu \approx O(Q)$

$J: l^\mu \approx (0, Q/\sqrt{2}, \mathbf{0}_T)$

$A: |k^\mu| \ll O(Q)$

Soft gluon attachments:

$\frac{1}{(l-k)^2 - m^2 + i\epsilon} \simeq \frac{1}{-2l^-k^+ + \text{transverse} + i\epsilon}$

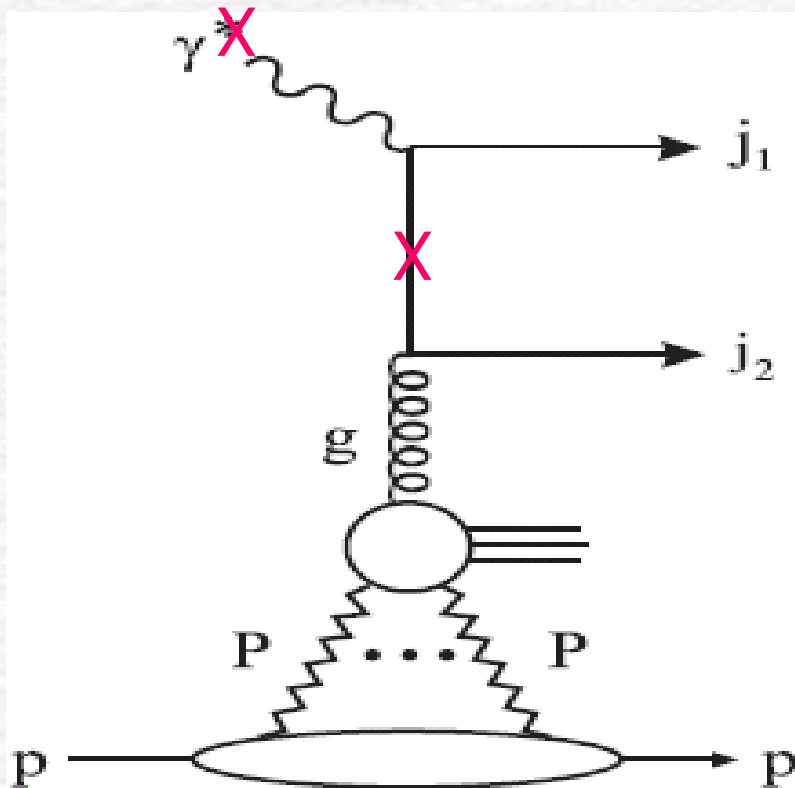
Poles in k^+ -plane:

Final state: Upper half-plane

Initial state: Lower half-plane

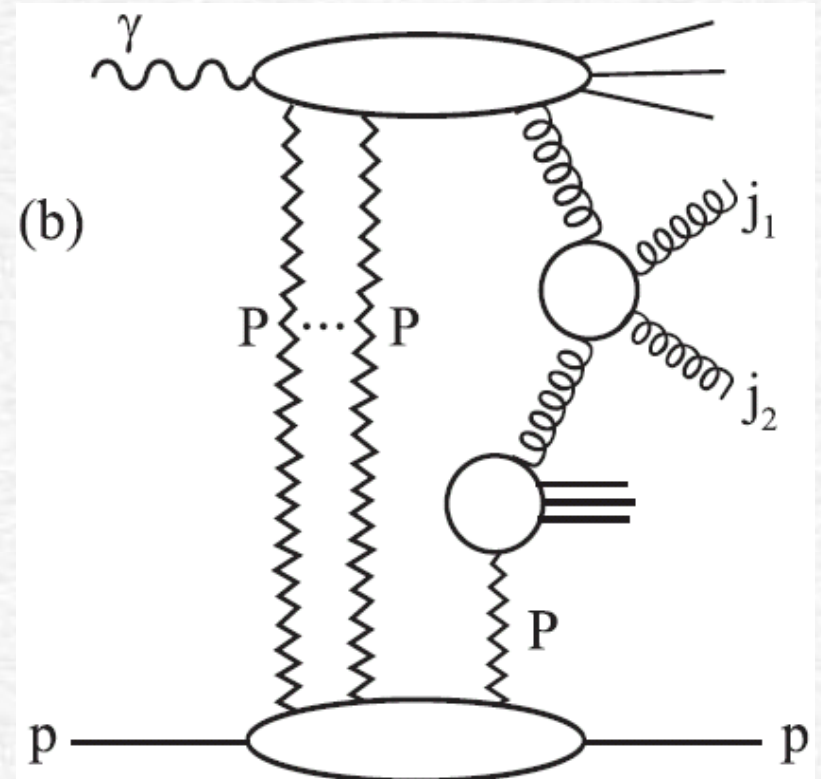
Multipomeron Exchanges

Direct photoproduction:



→ Modify the Regge trajectory

Resolved photoproduction:



→ Factorization breaking

Diffraction Photoproduction of Dijets

Cross section:

$$\begin{aligned} d\sigma^D(ep \rightarrow e + 2 \text{ jets} + X' + Y) = \\ \sum_{a,b} \int_{t_{\text{cut}}}^{t_{\text{min}}} dt \int_{x_{\mathbb{P}}^{\text{min}}}^{x_{\mathbb{P}}^{\text{max}}} dx_{\mathbb{P}} \int_0^1 dz_{\mathbb{P}} \int_{y_{\text{min}}}^{y_{\text{max}}} dy \int_0^1 dx_{\gamma} \\ f_{\gamma/e}(y) f_{a/\gamma}(x_{\gamma}, M_{\gamma}^2) f_{\mathbb{P}/p}(x_{\mathbb{P}}, t) f_{b/\mathbb{P}}(z_{\mathbb{P}}, M_{\mathbb{P}}^2) \\ d\sigma^{(n)}(ab \rightarrow \text{jets}). \end{aligned}$$

Photon flux: Weizsäcker-Williams approximation

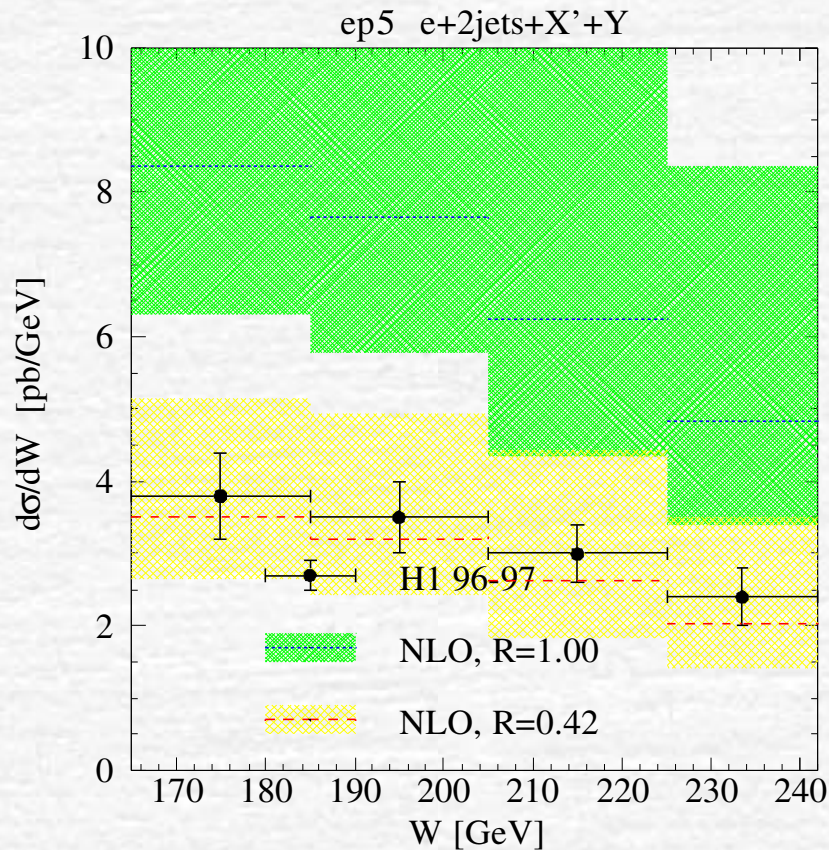
$$f_{\gamma/e}(y) = \frac{\alpha}{2\pi} \left[\frac{1 + (1-y)^2}{y} \ln \frac{Q_{\text{max}}^2(1-y)}{m_e^2 y^2} + 2m_e^2 y \left(\frac{1-y}{m_e^2 y^2} - \frac{1}{Q_{\text{max}}^2} \right) \right]$$

Diffractive parton distributions (DPDFs)

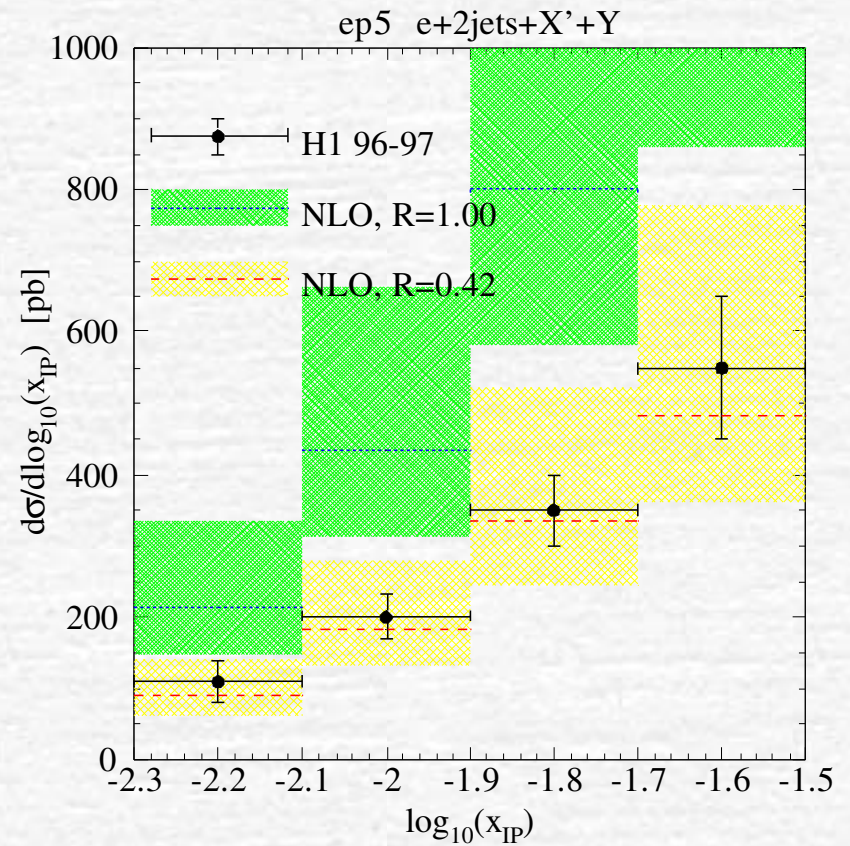
- DPDFS from diffractive DIS measurements of F_2^D :
-
- H1 Coll., A. Aktas et al., Eur. Phys. J C 48 (2006) 715
- H1 2006 fit A and H1 2006 fit B, both $M_Y < 1.6$ GeV
- H1 Coll., A. Aktas et al., JHEP 10 (2007) 042
- H1 2007 fit jets
- ZEUS Coll., S. Chekanov et al., Eur. Phys. J. C38 (2004) 43
- ZEUS LPS fit, measurement for $ep \rightarrow e'pX$, only
- proton, no additional proton dissociation in final state

Factorization Breakink at NLO

W-depend.: photon flux



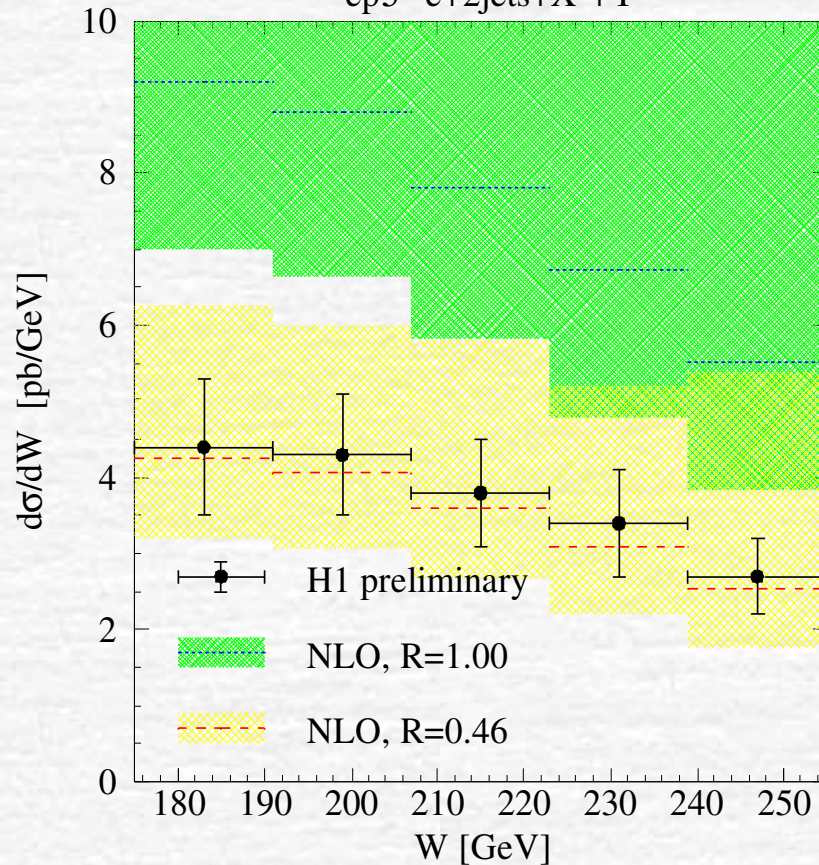
x_{IP} -depend.: Pomeron flux



Factorization Breaking at NLO

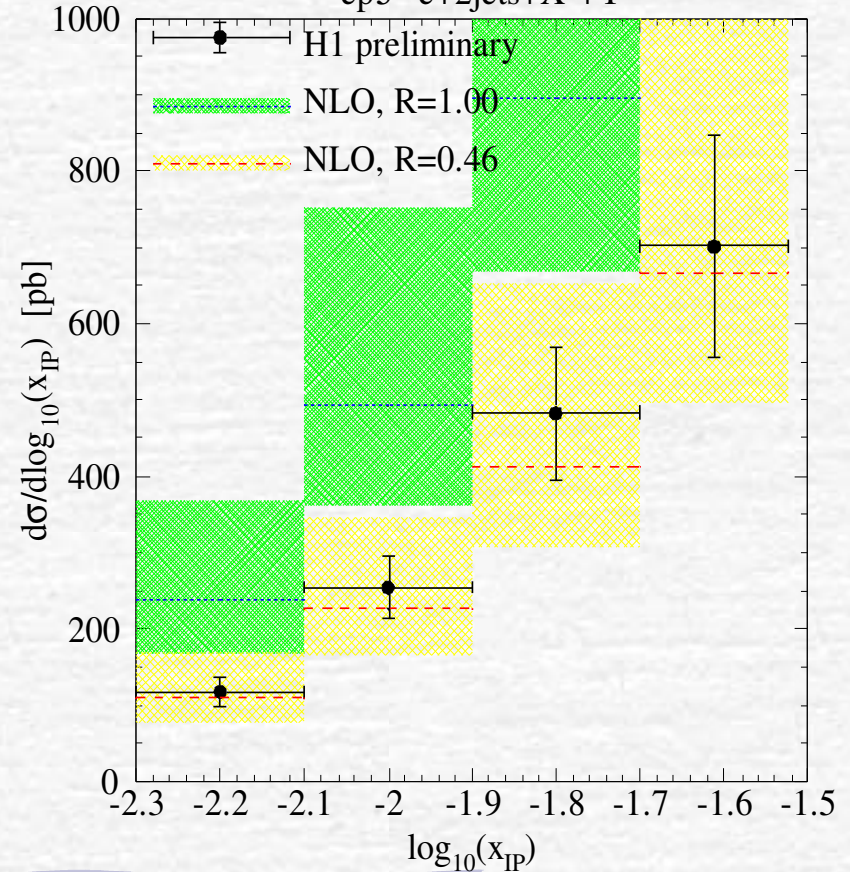
W depend.: photon flux

ep5 e+2jets+X'+Y



x_{IP} depend.: pom. flux

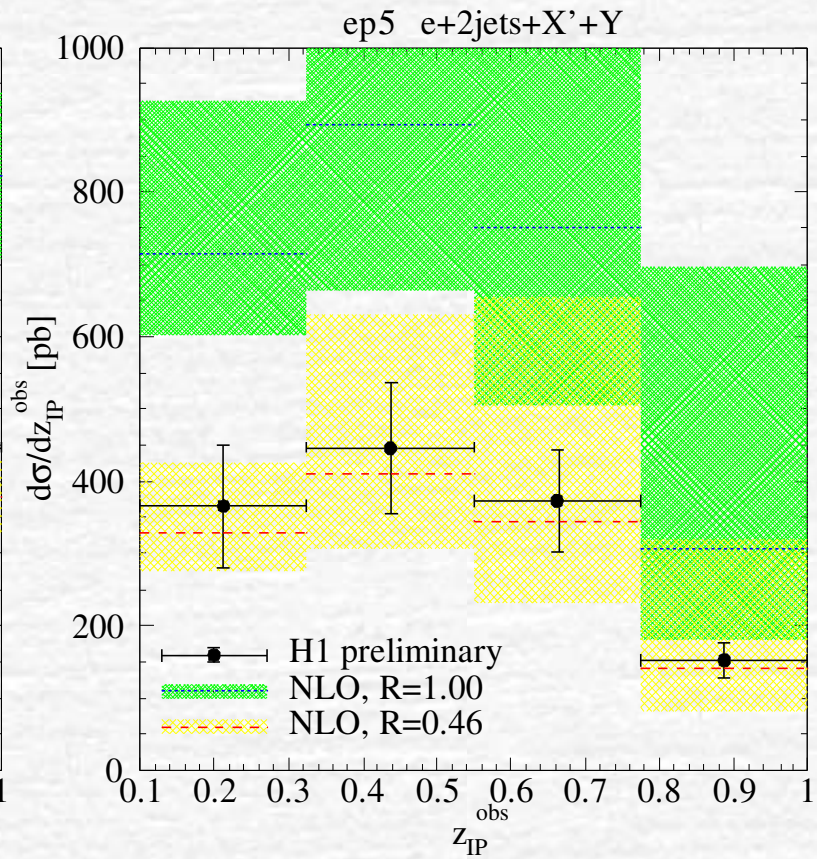
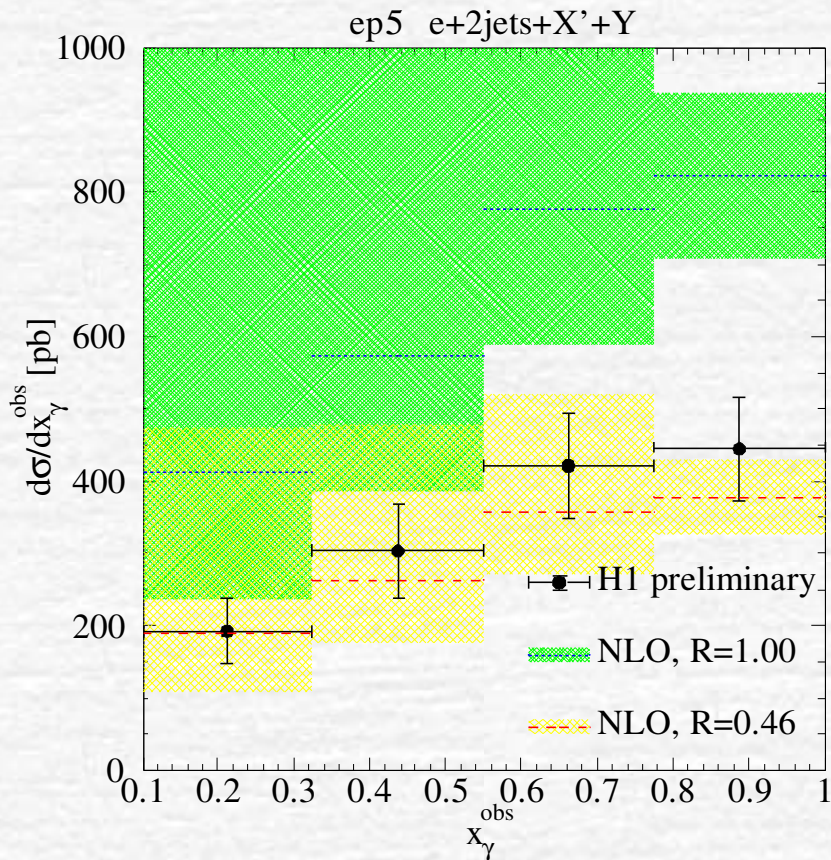
ep5 e+2jets+X'+Y



Factorization Breaking at NLO

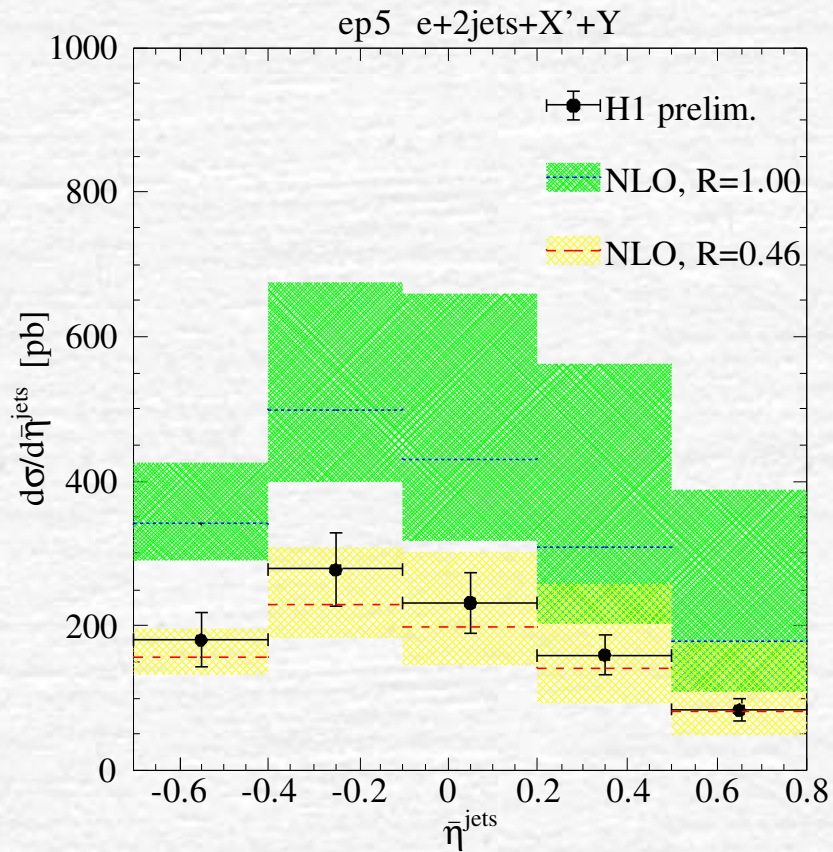
xgam-depend., dir./resolv

z_{IP} depend., gluonipom.

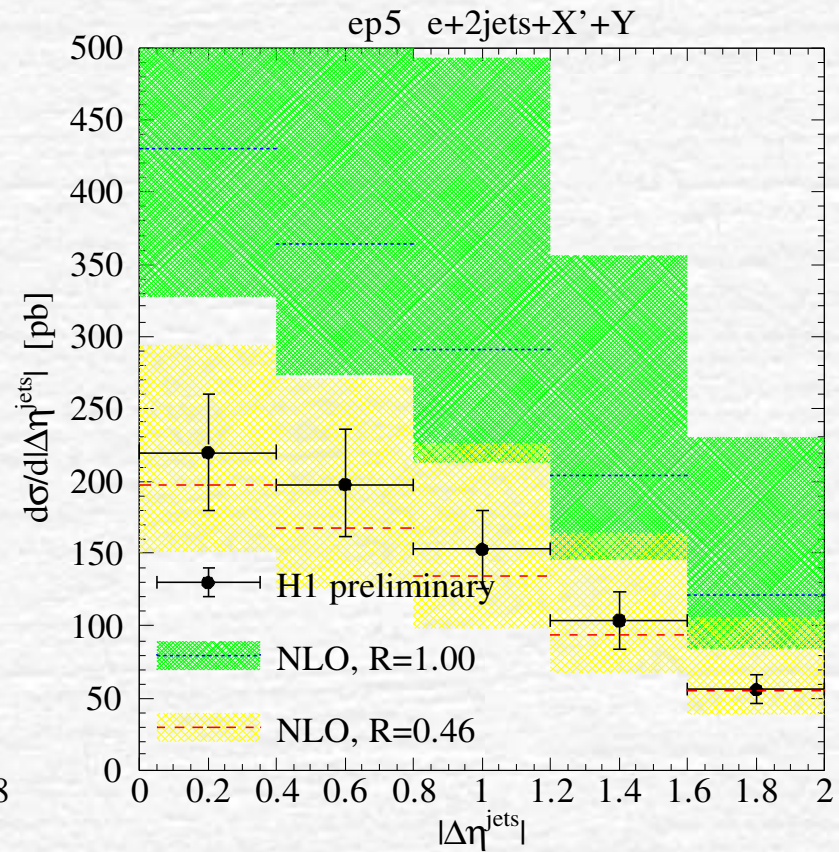


Factorization Breaking in NLO

eta^jets-dependence



Delta eta^jets-depend.



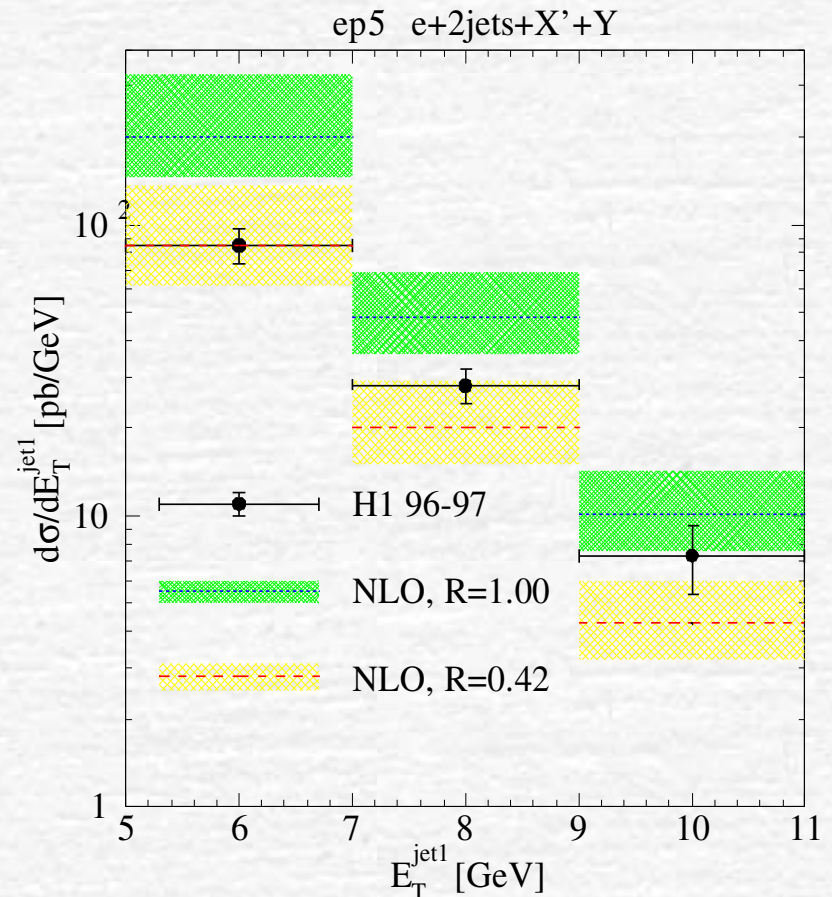
E_T -Distribution

Importance of large E_T :

- Direct process dominates
- IS singularity less important
- Hadronization corrections small
- Experimentally directly accessible
- Less sensitive than $x\gamma$

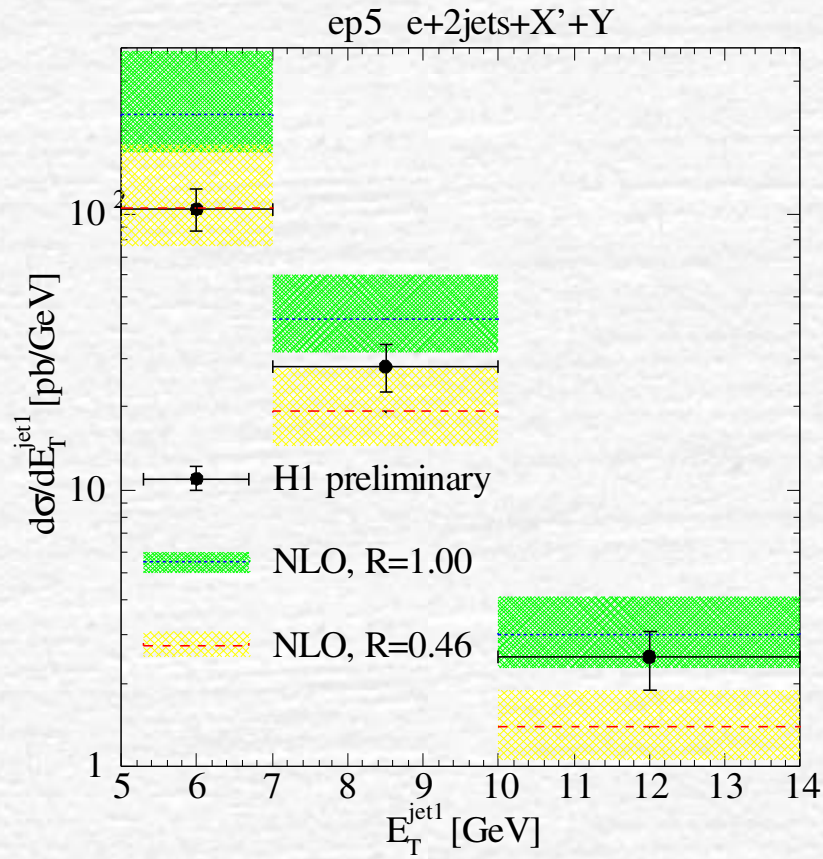
Result:

- Suppressed result fitted at
- Low E_T
- Unsuppressed 50% too low
- for low E_T
- Suppression less at high E_T



E_T-distribution for preliminary data

Fit to low E_T bin



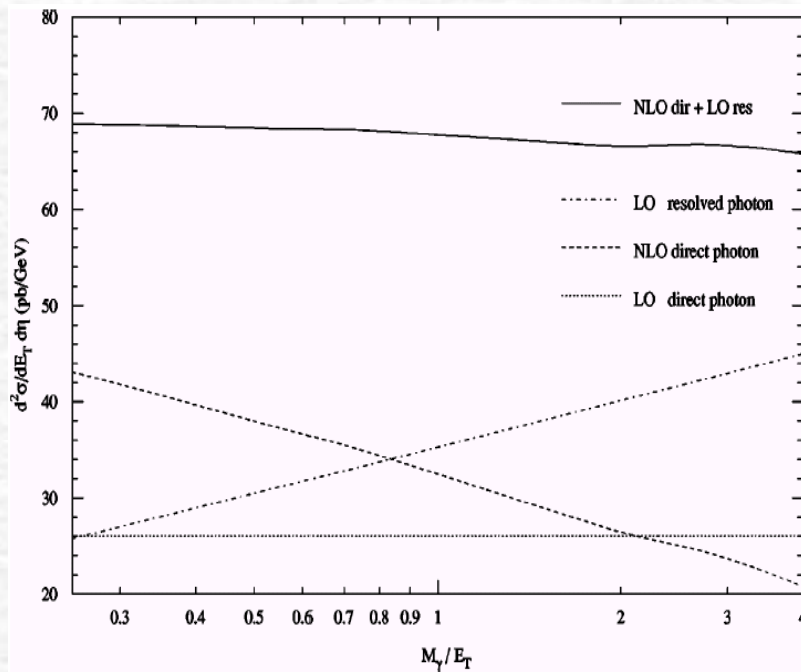
Largest E_T-bin

- fitted better with R=1
- (unsuppressed)
- resolved suppression only should fit better

Factorization Scale Dependence

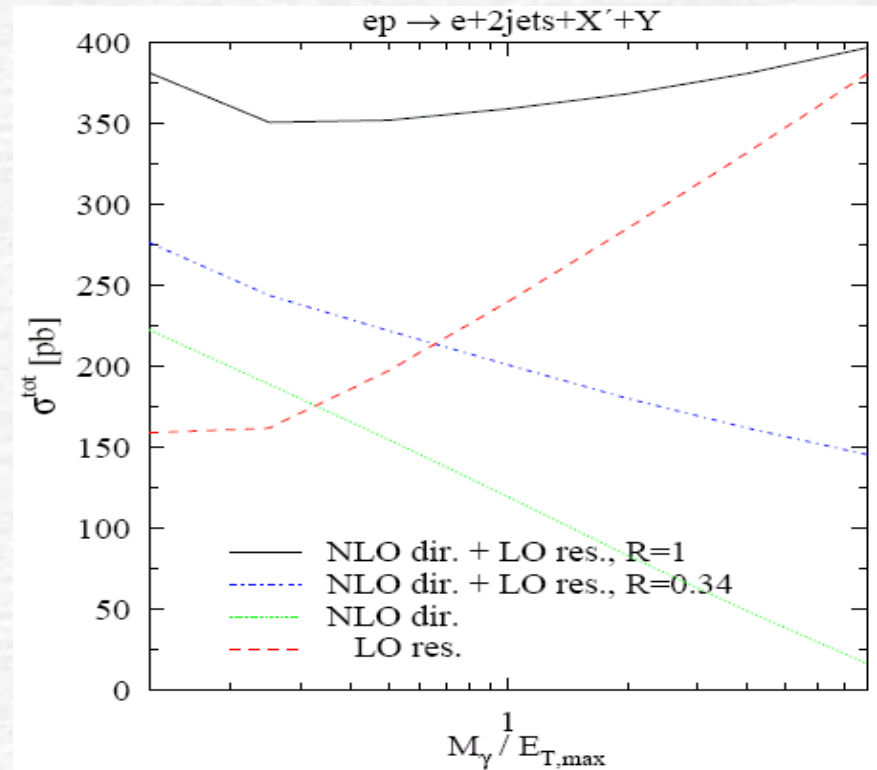
Inclusive photoproduction:

$$|\mathcal{M}^I|_{ab \rightarrow 123}^2 = \ln\left(\frac{M^2}{Q^2}\right) |\mathcal{M}^B|_{cb \rightarrow 12}^2 P_{c \leftarrow a}(x) + \dots$$



MK, Rev. Mod. Phys. 74 (2002) 1221

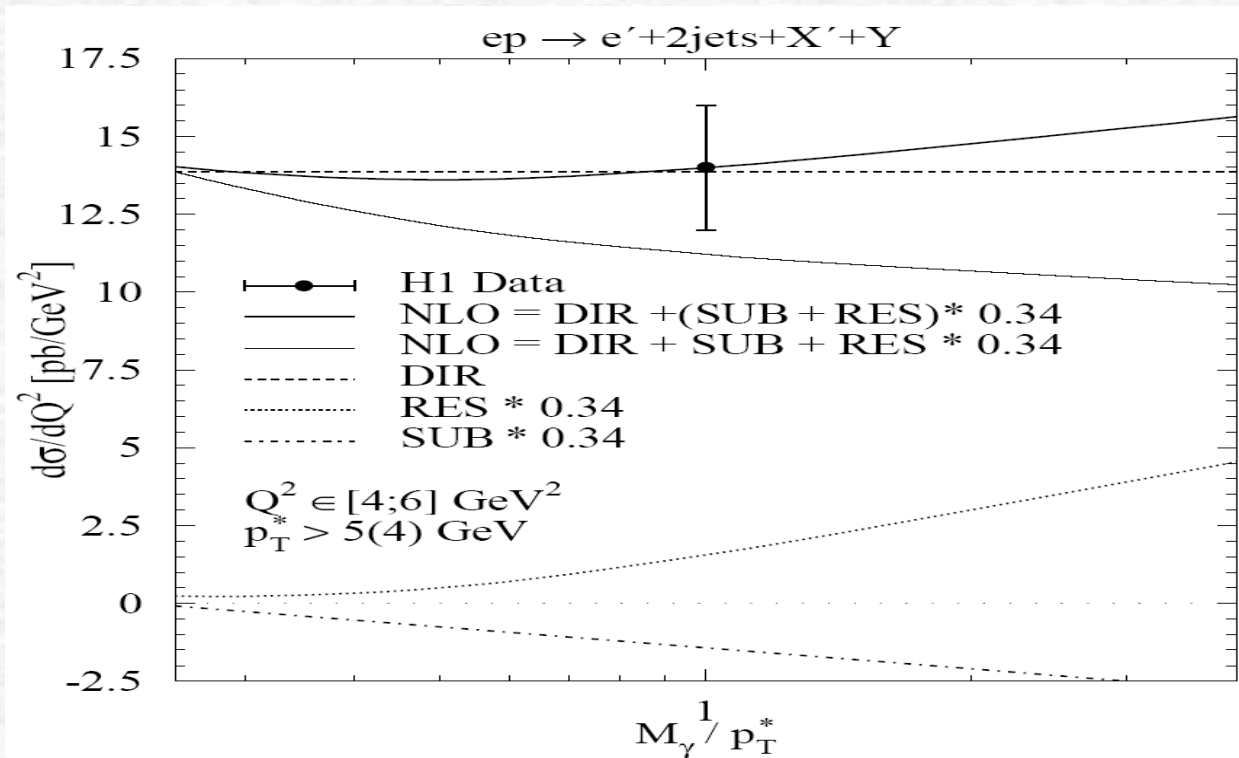
Diffractive photoproduction:



M. Klasen, G. K., EPJC 38 (2004)39

Factorization Scale Dependence (1)

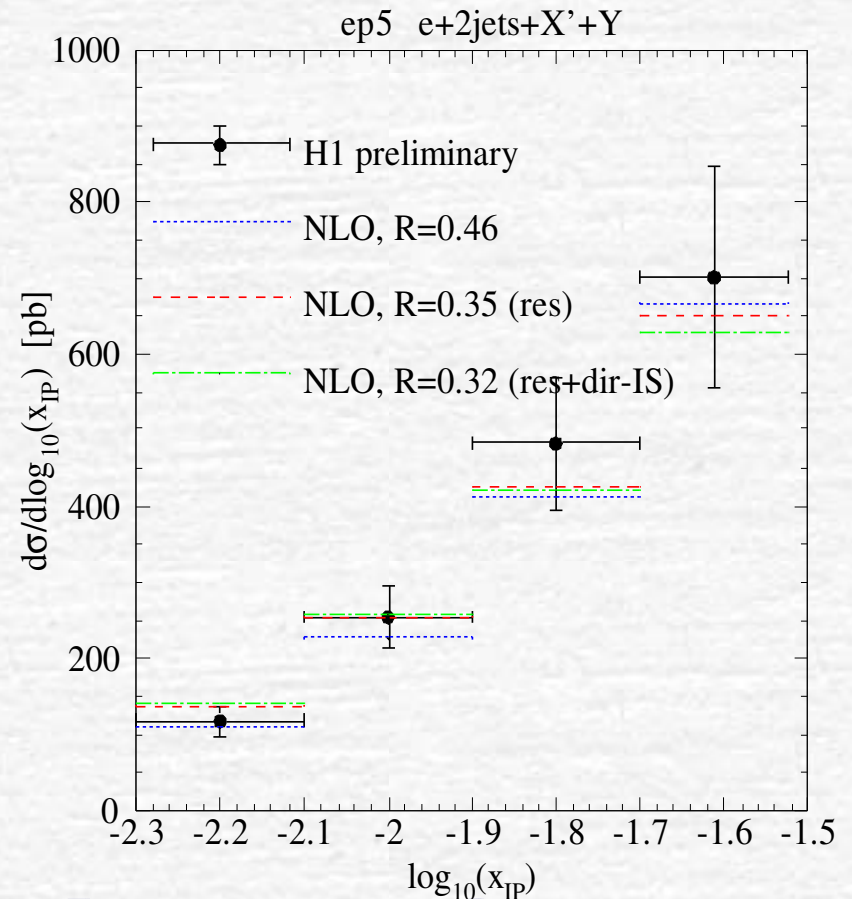
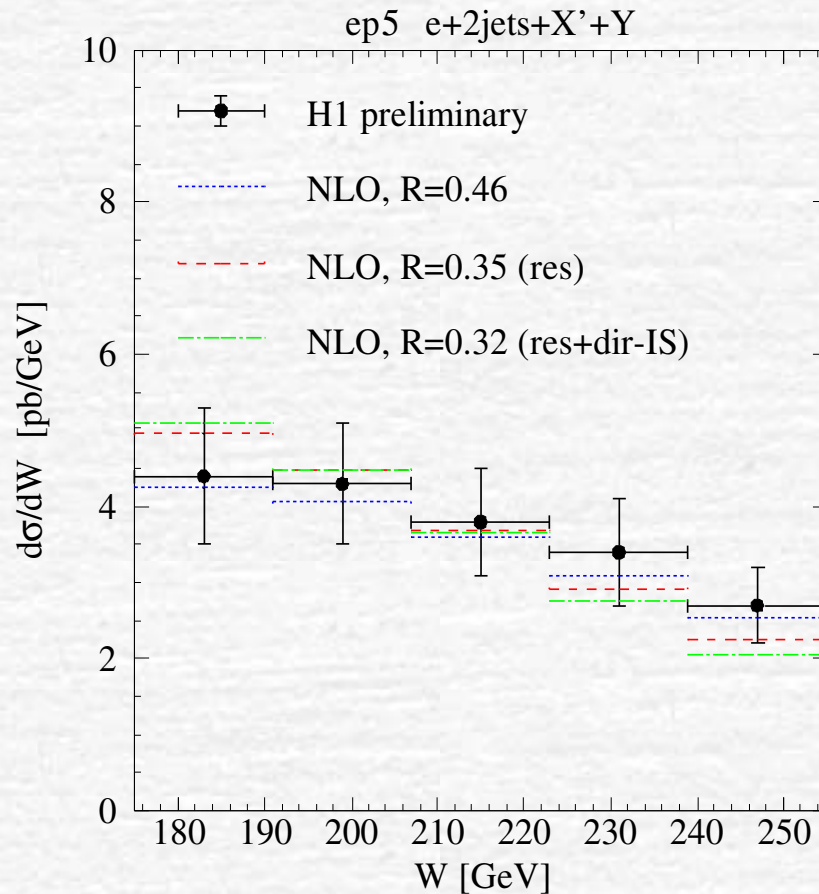
$$M(P^2)_{\overline{MS}} = -\frac{1}{2N_c} P_{q_i \leftarrow \gamma}(z_a) \ln \left(\frac{M_\gamma^2 z_a}{(z_a P^2 + y_s s)(1 - z_a)} \right) + \frac{Q_i^2}{2}$$



Michael Klasen , G. K., JPG 31 (2005) 1391

Breaking in resolved/resolved/direct-IS

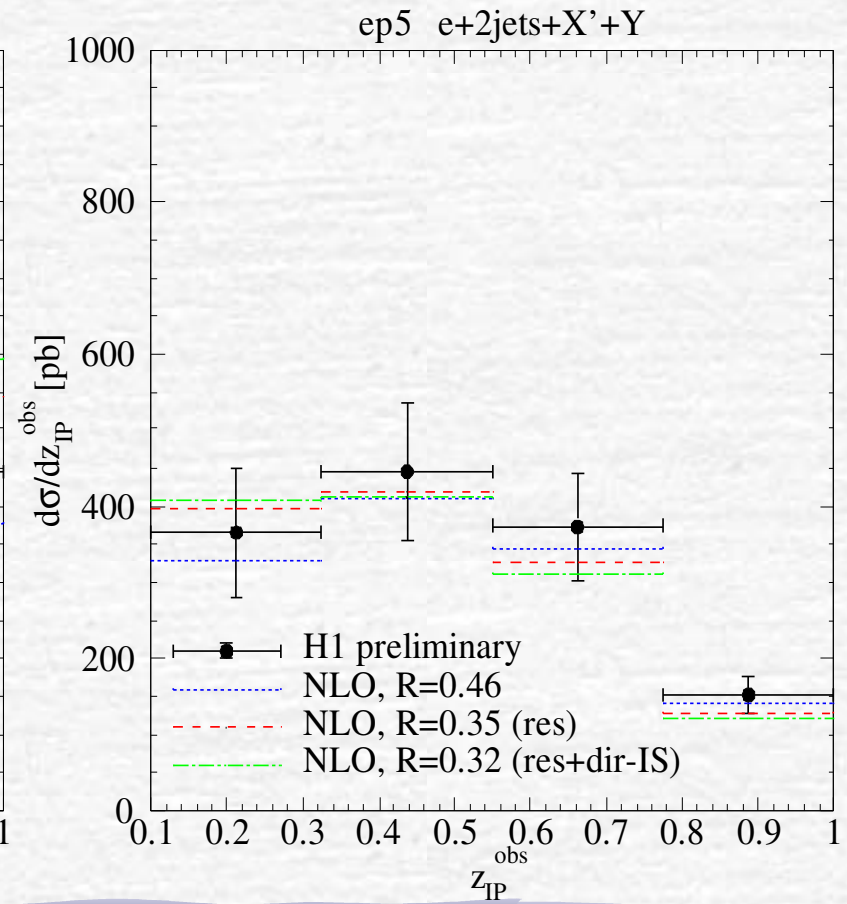
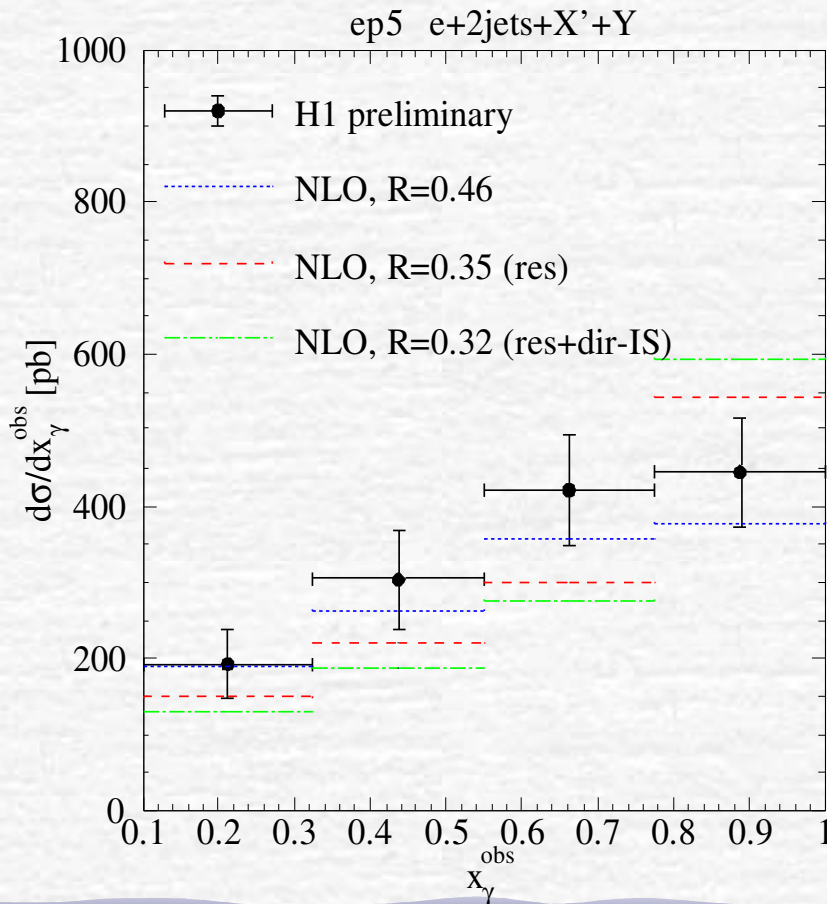
W-dependence: Photon fl. $x|P$ -dependence: Pom. fl.



Breaking in resolved or resolved/direct-IS

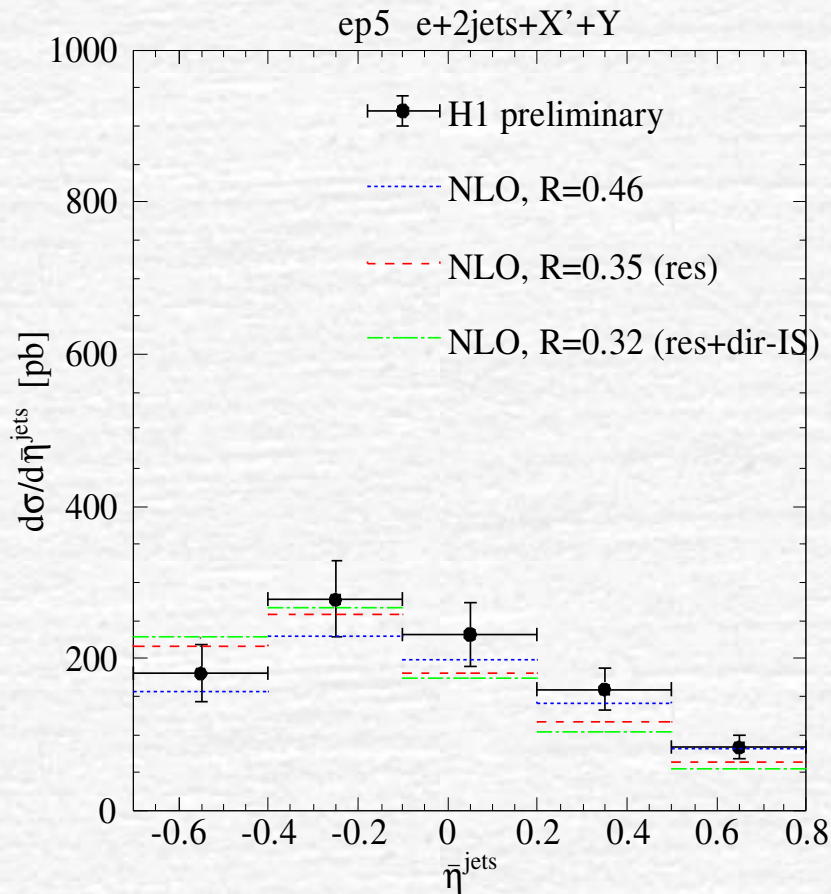
xgam-depend.: direct/res.

$z|P$ -depend.: gluon in $|P$

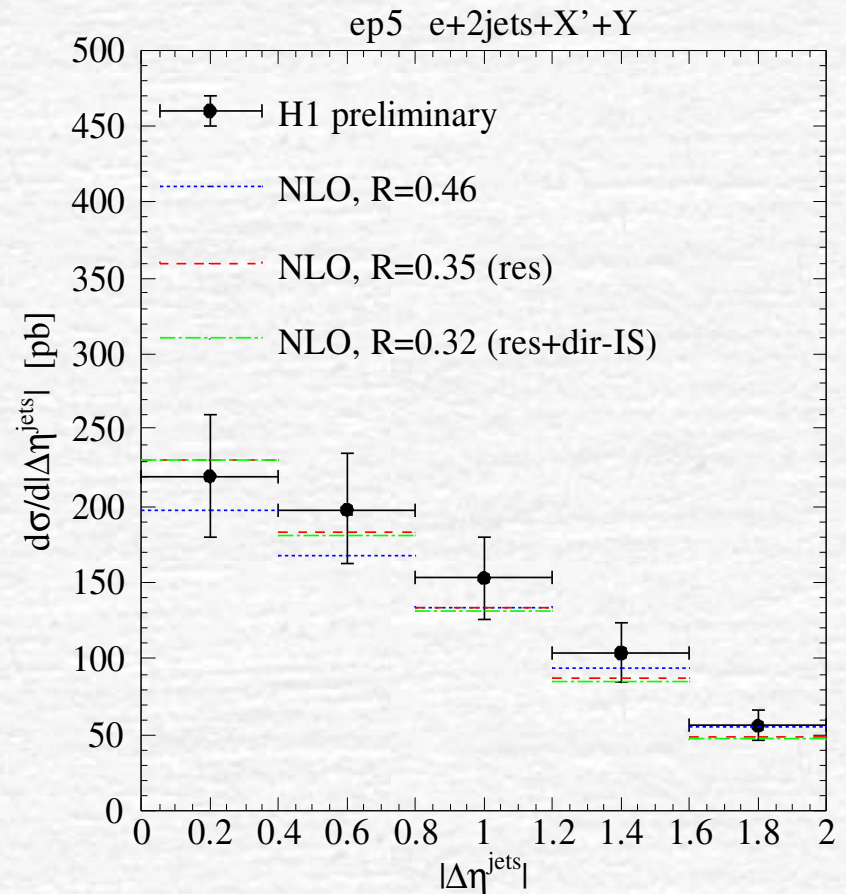


Breaking in resolved or resolved/direct_IS

eta^{jets}-dependence

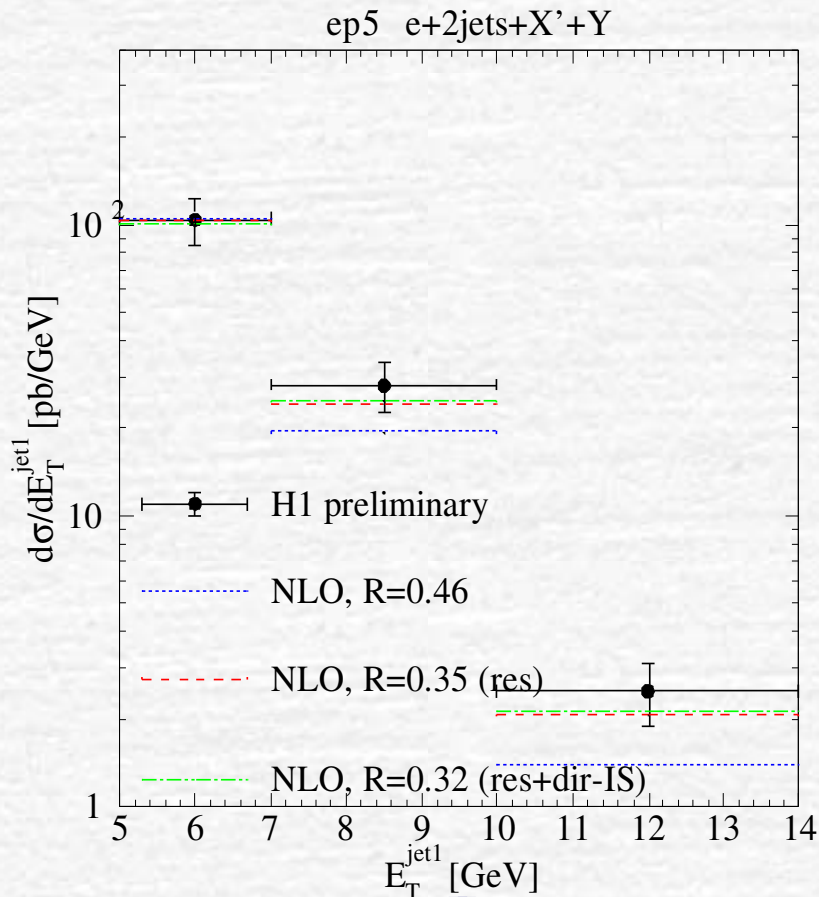


Delta eta^{jets}-depend.



Breakind in resolved or resolved/direct-IS

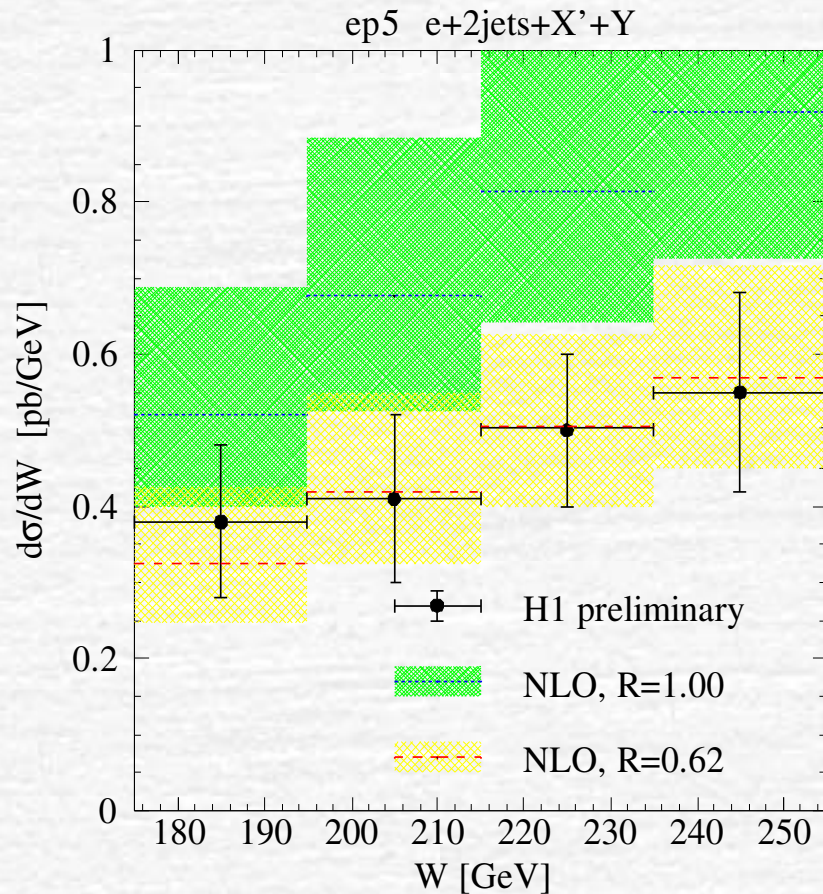
ET^{jet1}-dependence



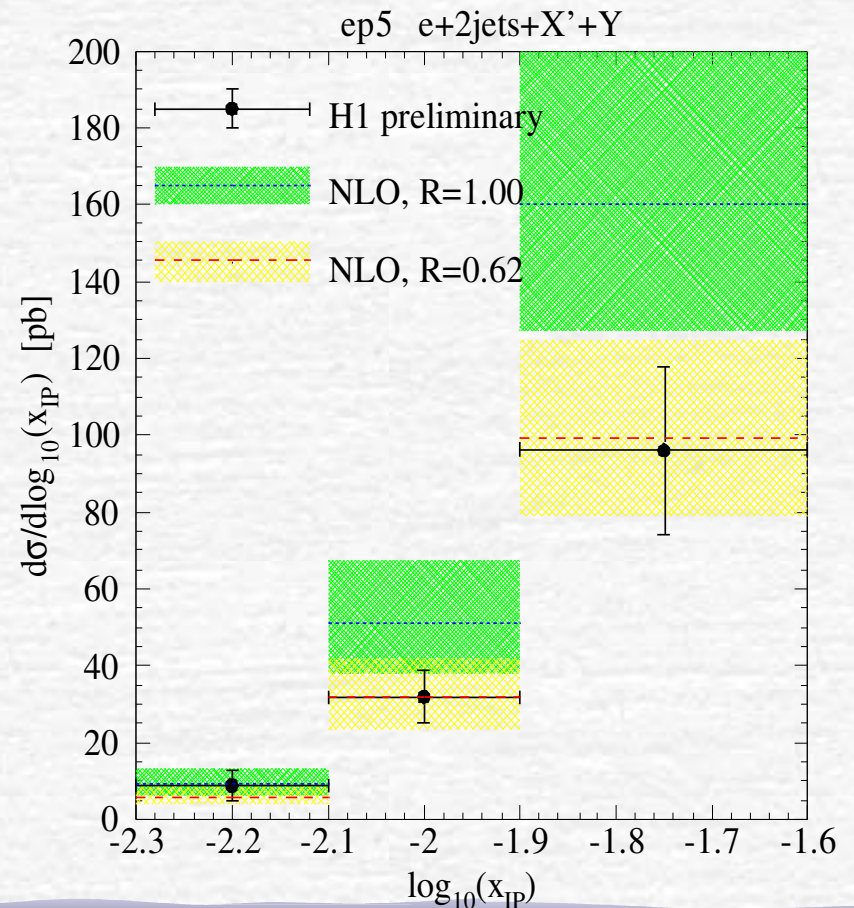
- ET-dependence perfectly described by resolved and resolved/direct-IS
- Suppression factors slightly different
- R=0.35 (resolved)
- R=0.32 (resolved/direct-IS)

Factorization Breaking at NLO, high E_T

W-depend.: photon flux

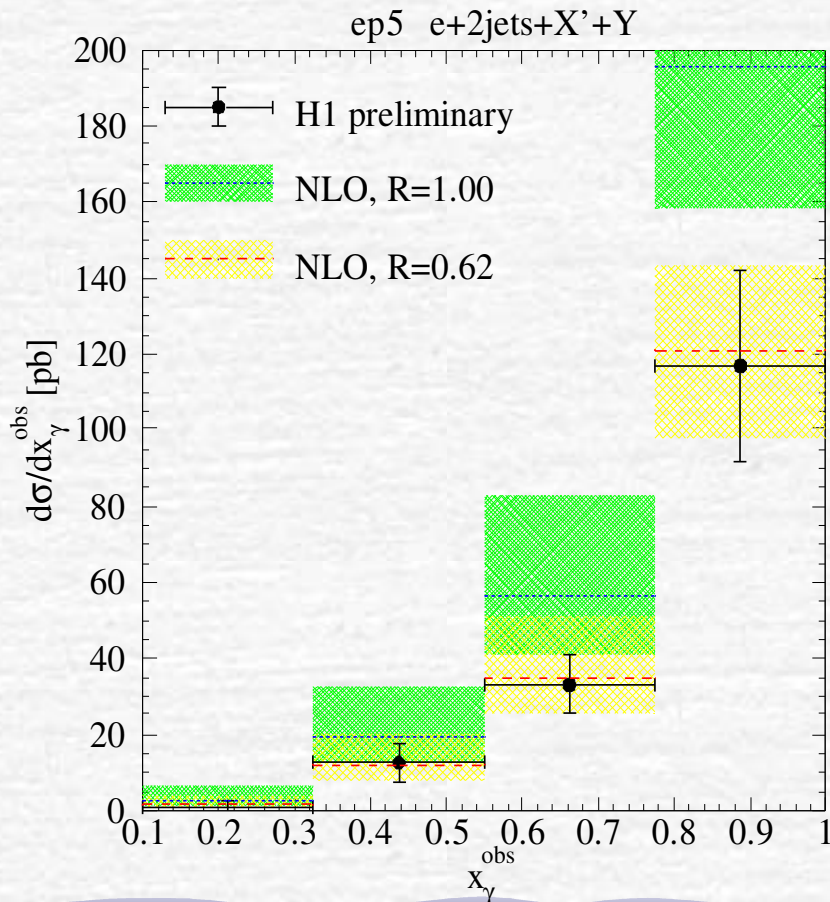


X | P depend.: pom. flux

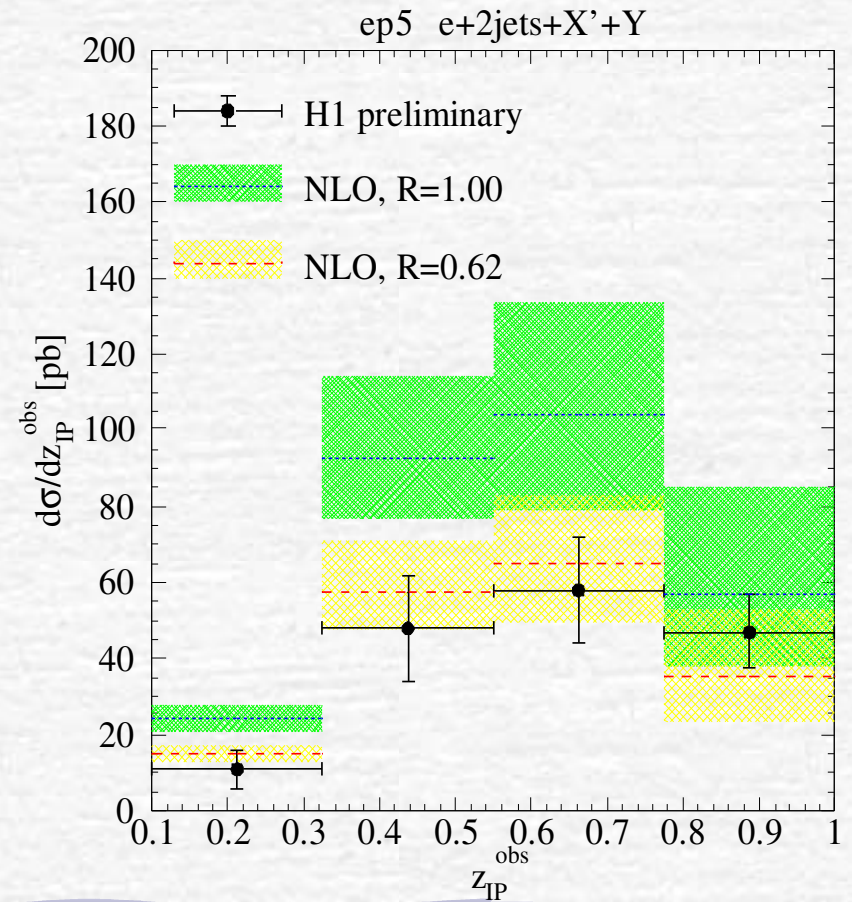


Factorization Breaking at NLO, high E_T

x_gamma-dependence

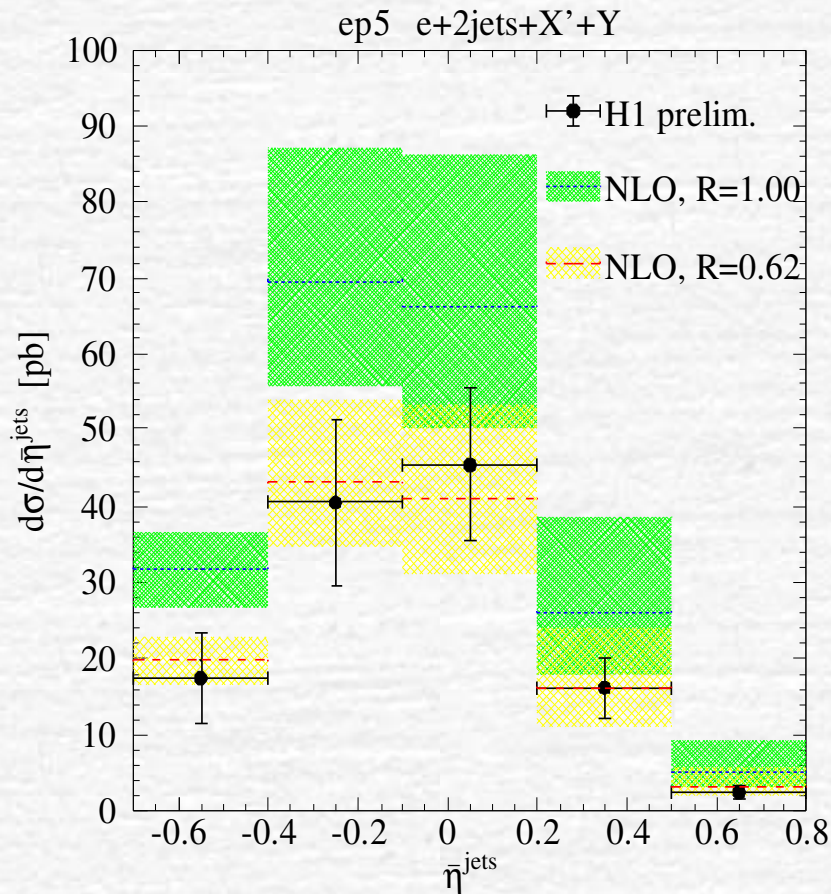


z_IP-dependence

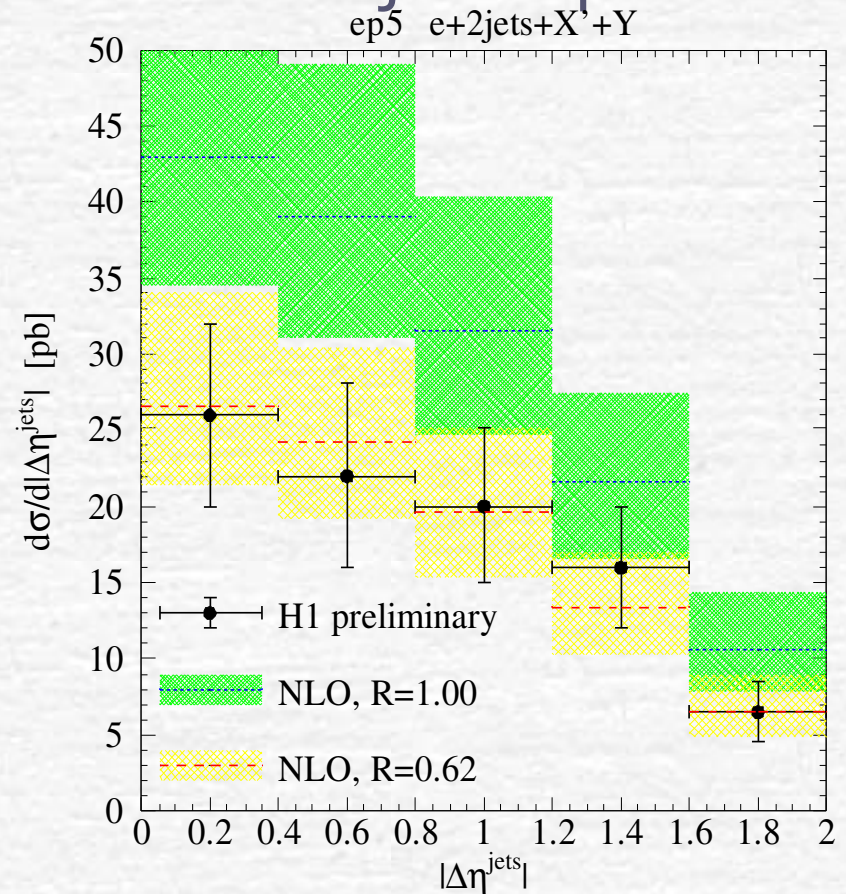


Factorization Breaking, high E_T

eta^jets-dependence

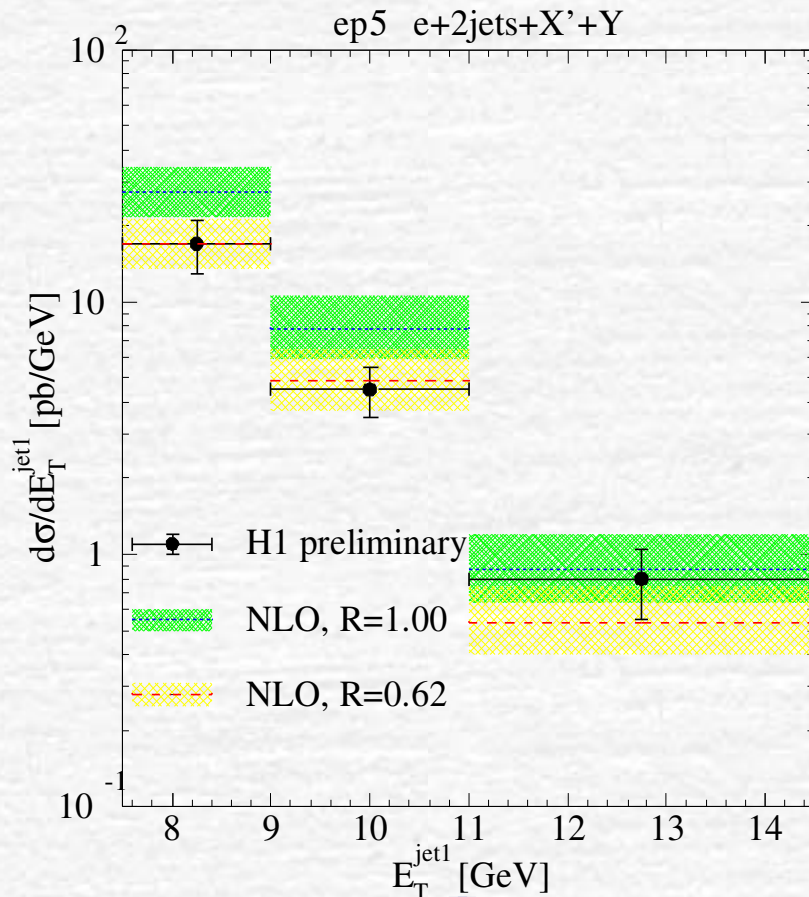


Delta eta^jets-depend



Factorization Breaking, high E_T

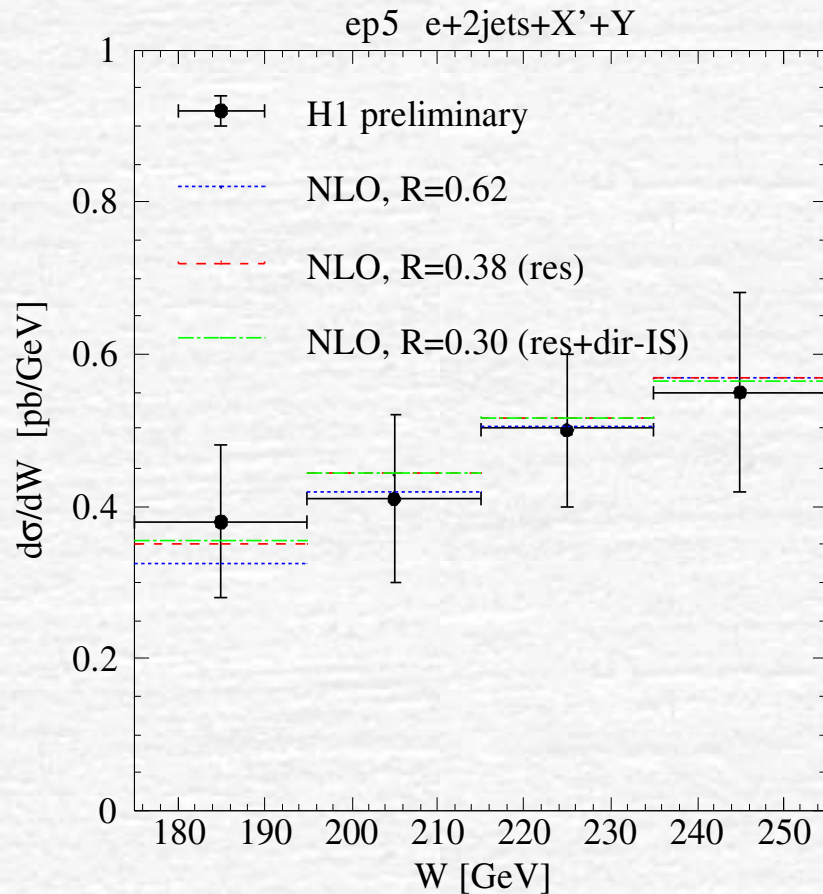
E_T distribution



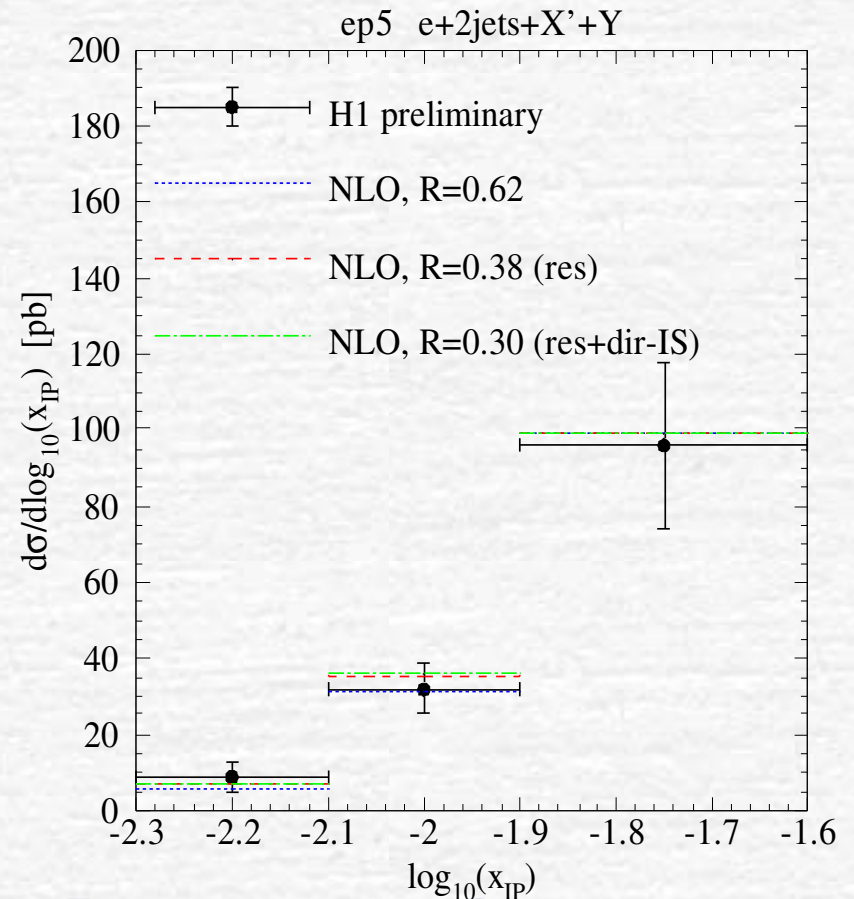
- Two lowest E_T bins agree
- Highest E_T bin agrees better with unsuppressed
- Resolved suppression only would account for this

Breaking in resolved or resolved/direct-IS

W- depend.: photon flux

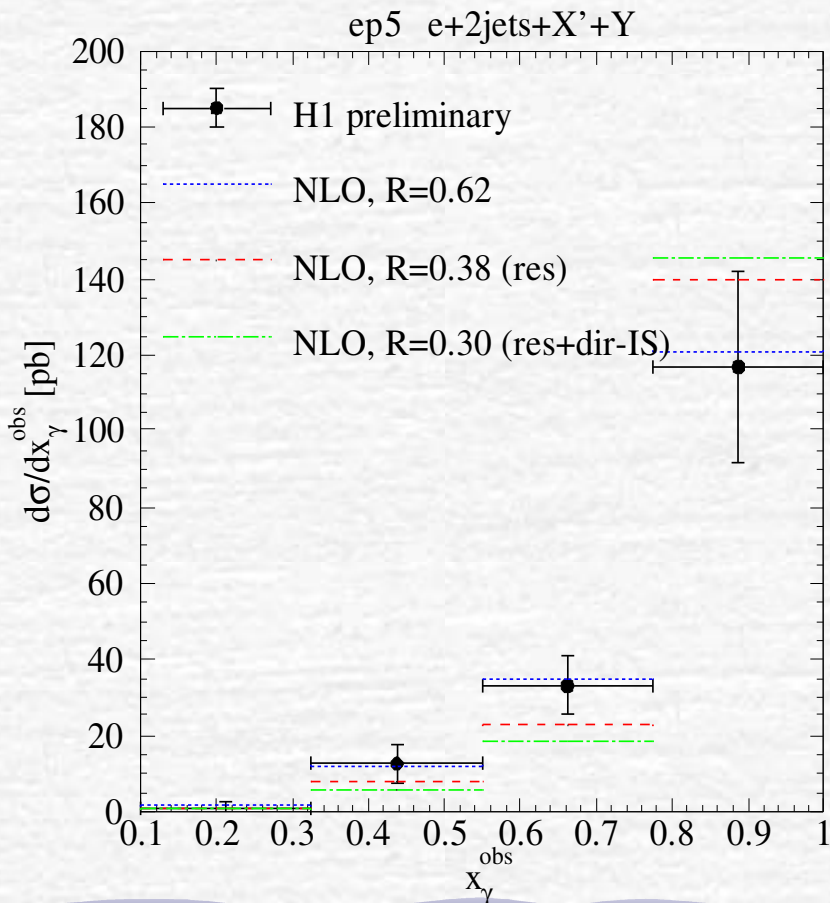


x|P-depend.: pomeron fl

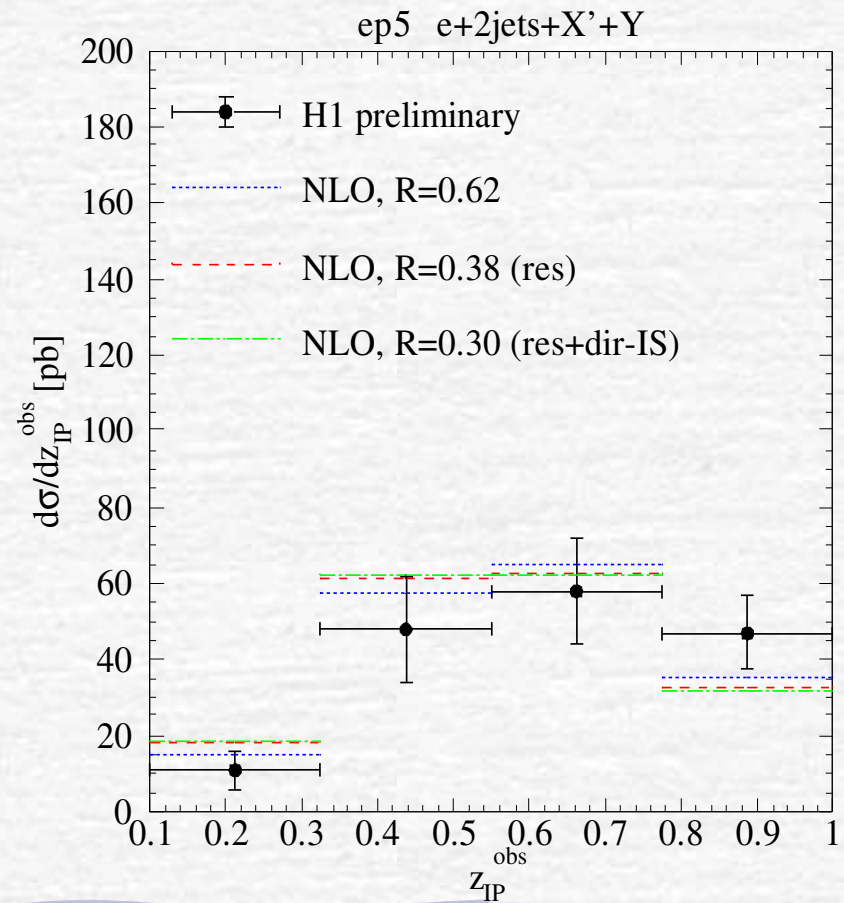


Breaking in resolved or resolve/direct-IS

x-gamma-dependence

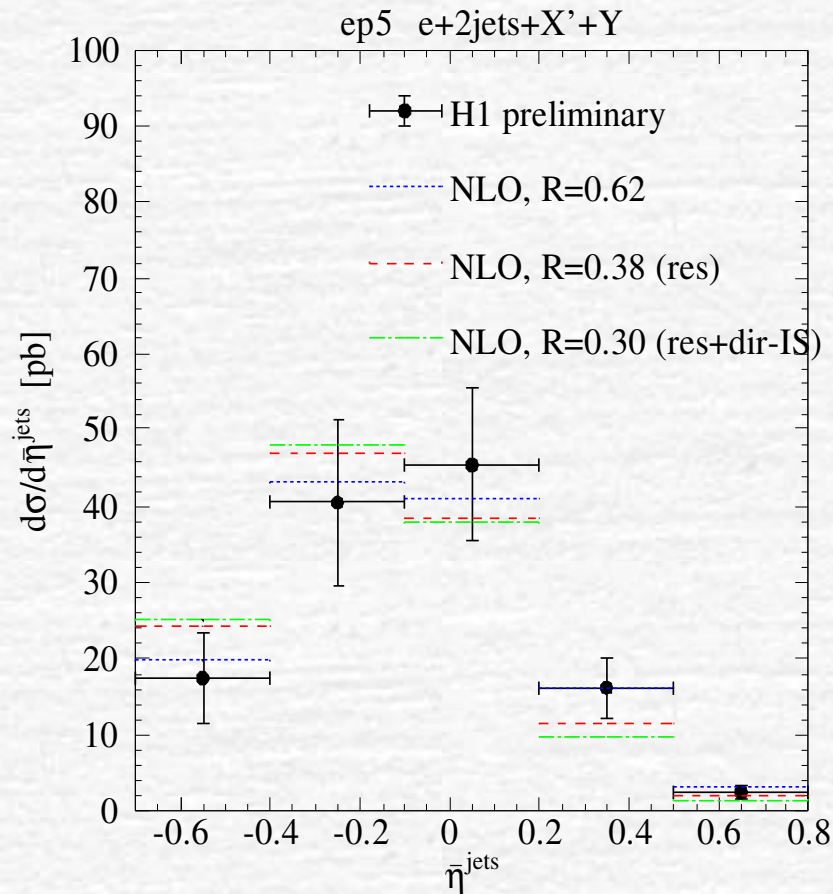


z_IP-dependence

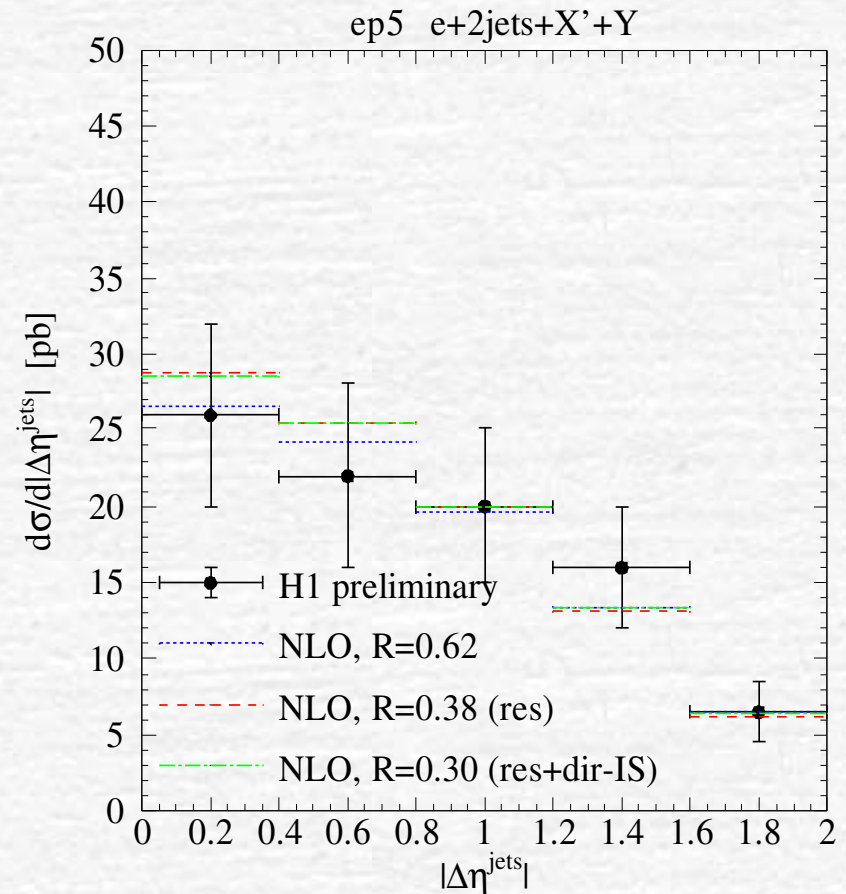


Breaking in resolved or resolved/direct-IS

eta^jets-dependence

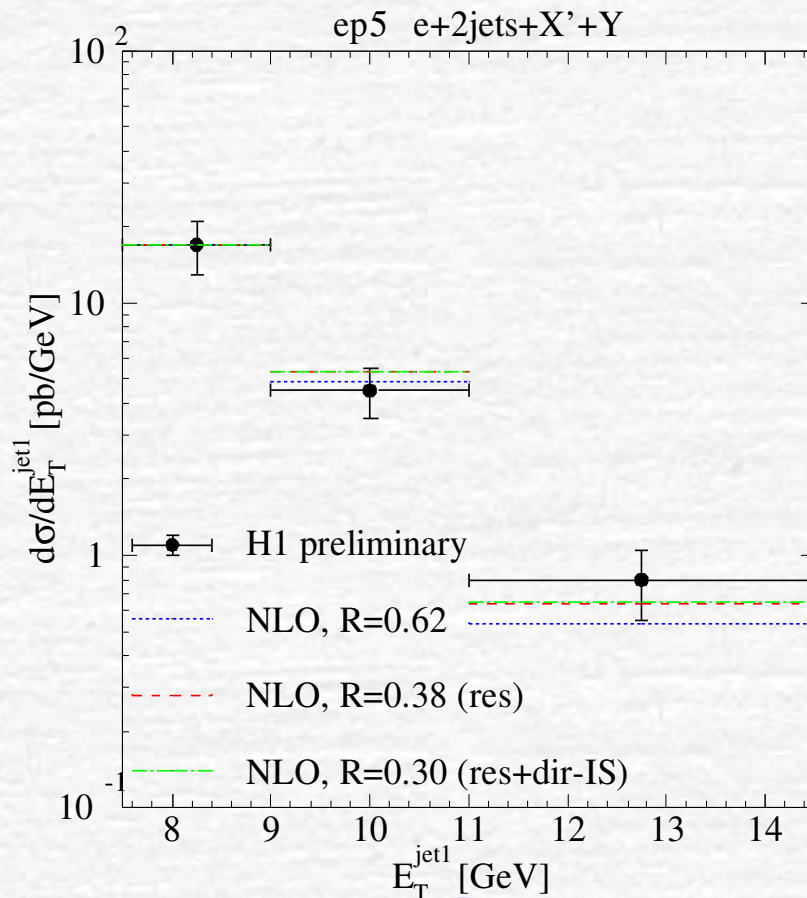


Delta eta^jets-depend.



Breaking in resolved or resolved/direct-IS

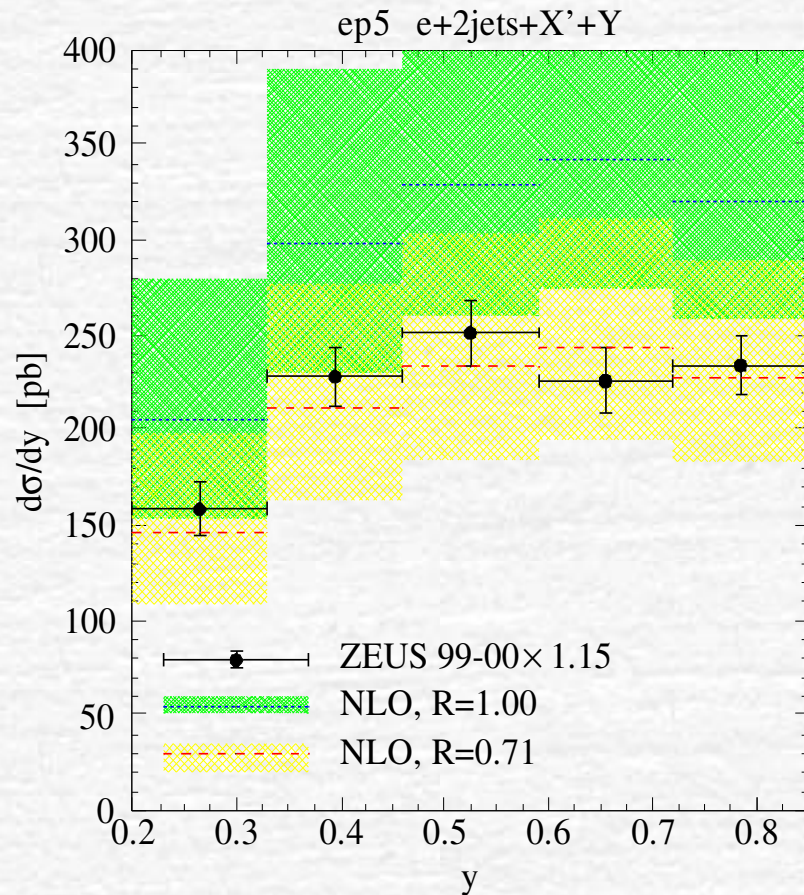
E_T-dependence



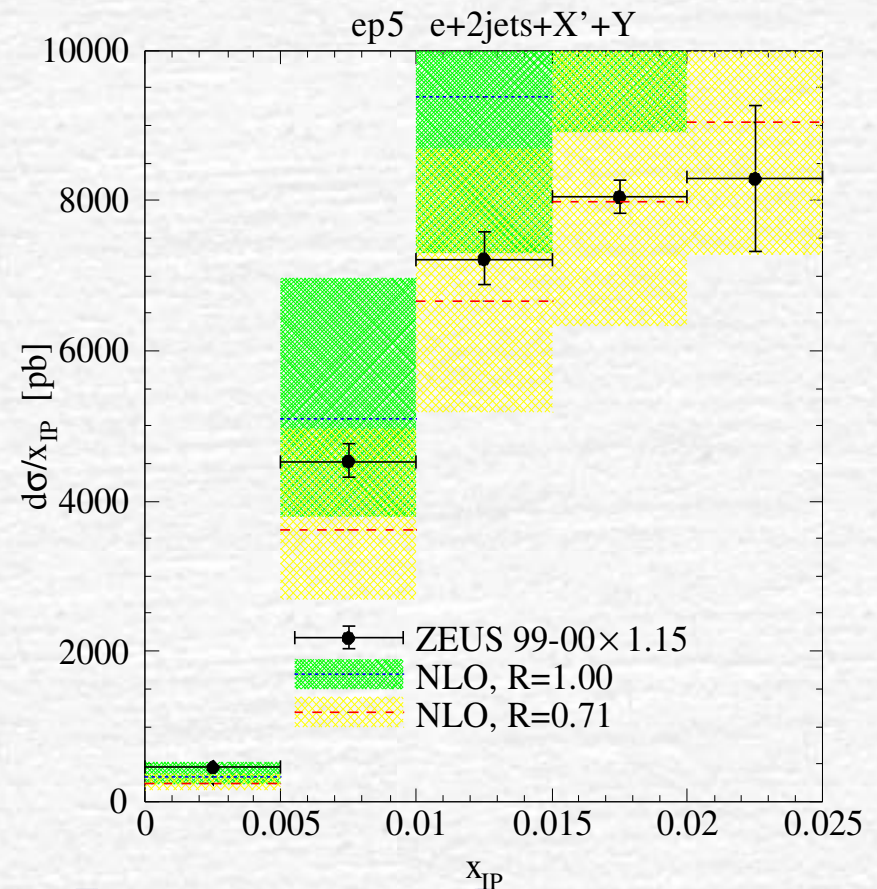
- All three E_T bins
- agree very well
- difference to global suppression not significant
- R=0.62 global suppr.
- R=0.38 resolved supp.
- R=0.32 resolved/direct_IS supp.

Factorization Breaking at NLO

y -dependence: Photon fl.



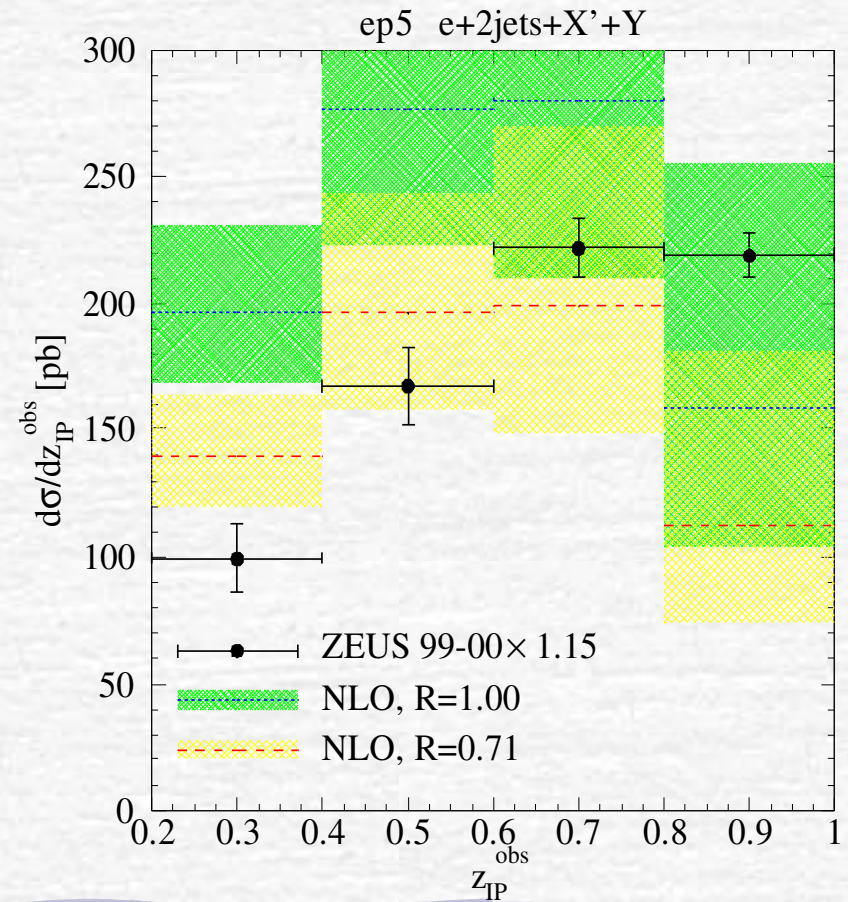
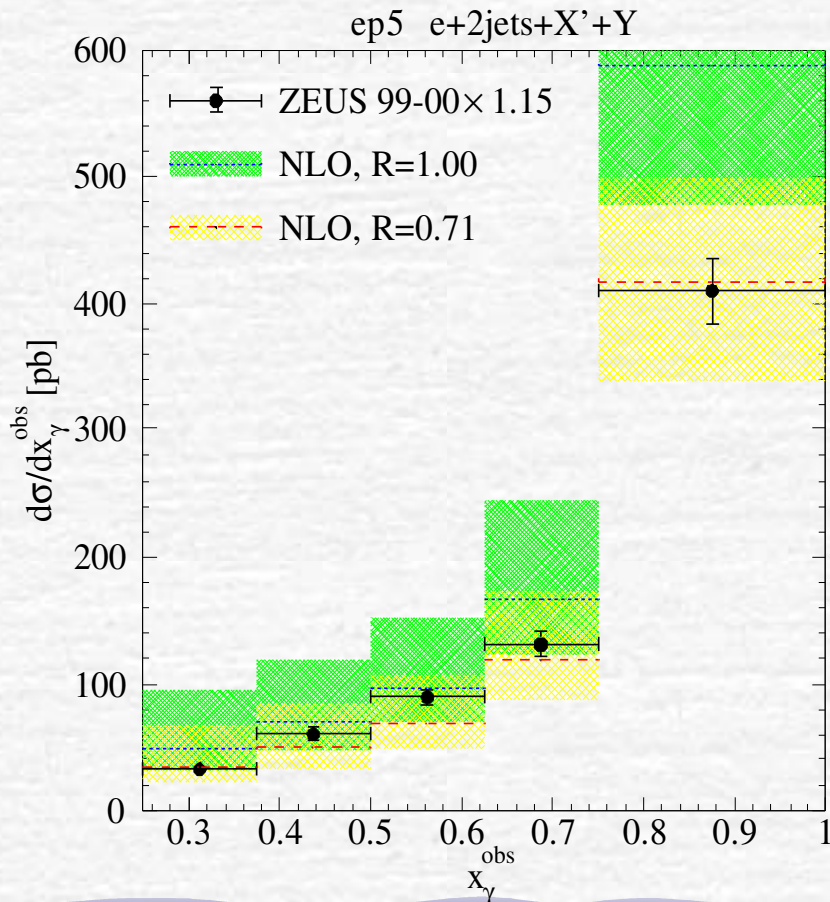
x_{IP} -dependence: Pomeron fl.



Factorization Breaking at NLO, ZEUS

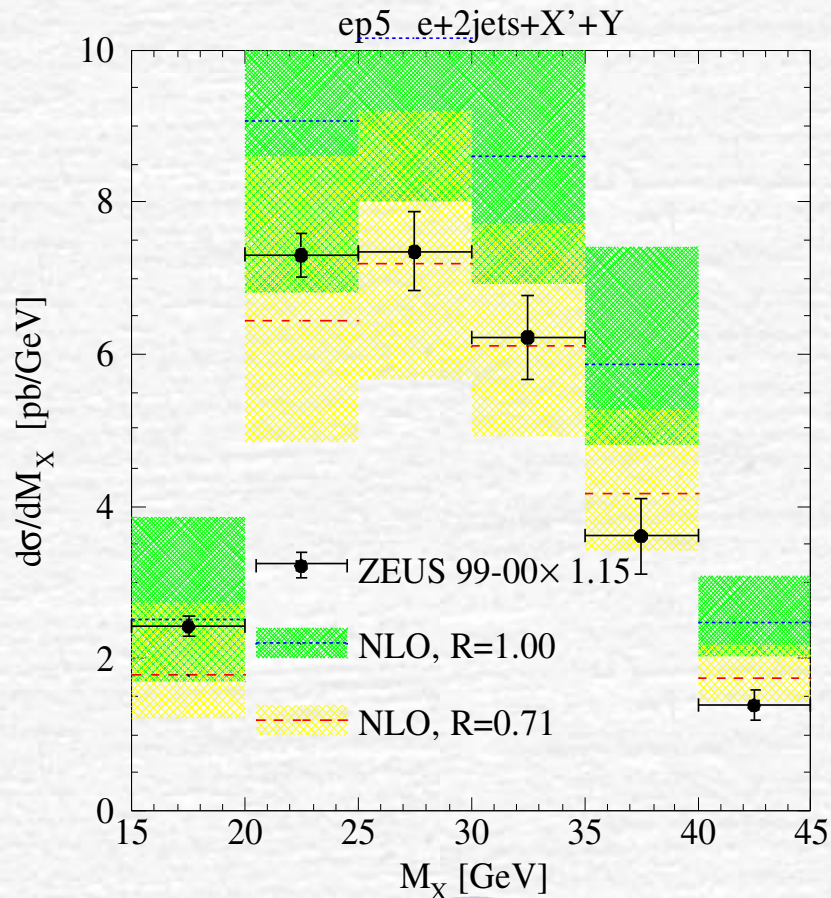
xgam-depend.:dir./resol.

z|P-depend.:gluon in po.

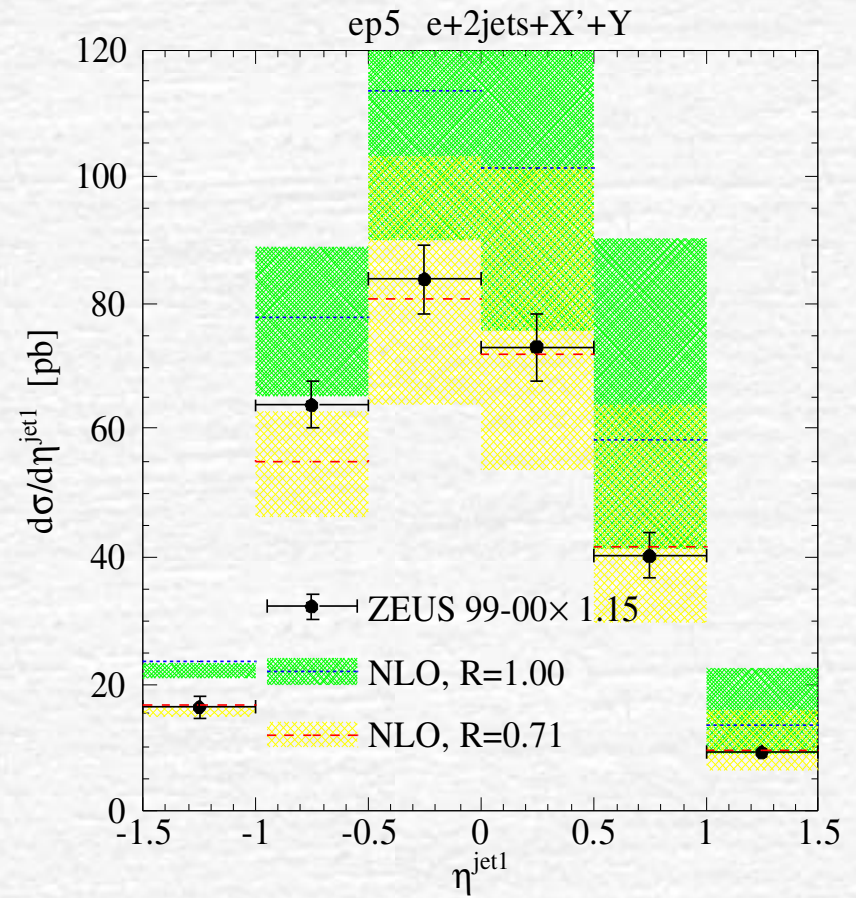


Factorization Breaking at NLO, ZEUS

MX-dependence

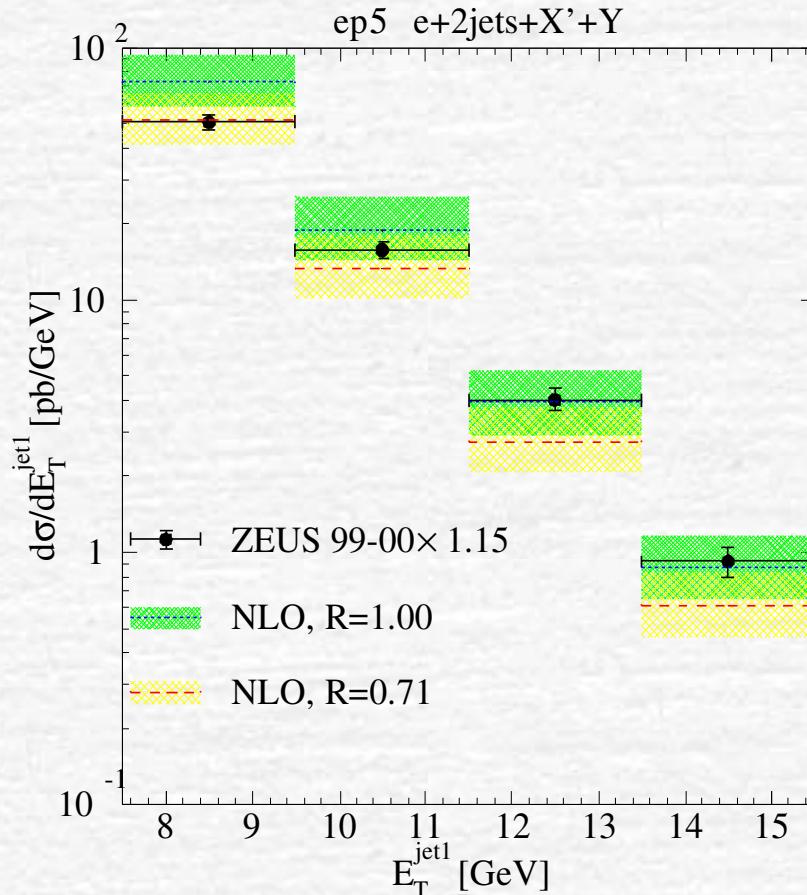


η^{jet1} -dependence



Factorization Breaking at NLO, ZEUS

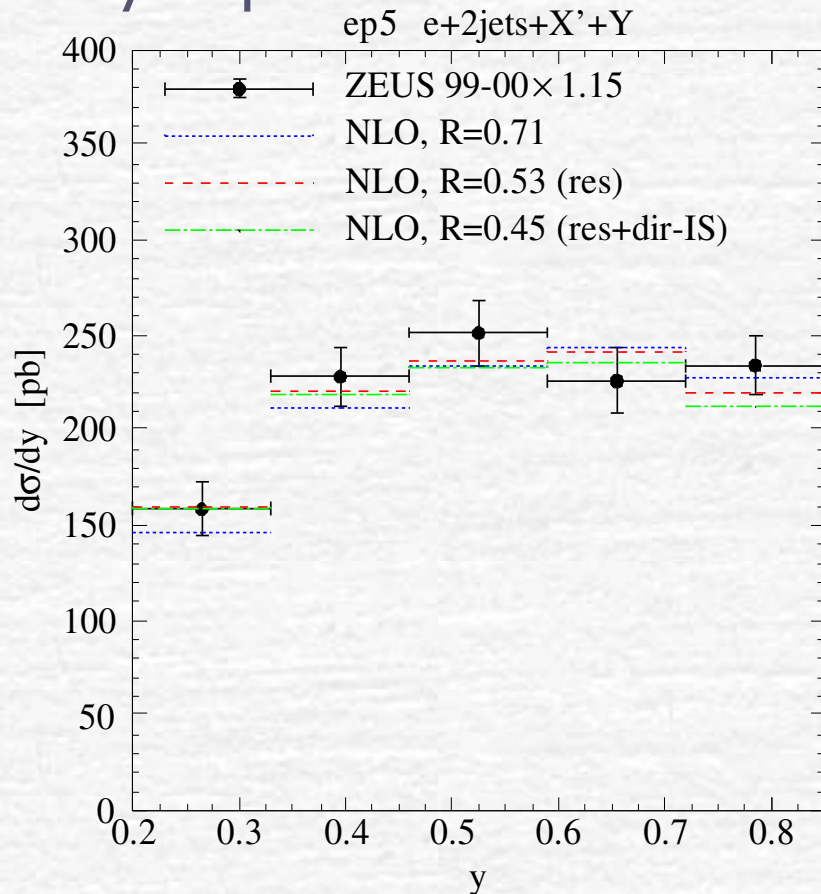
ET^{jet1}-dependence



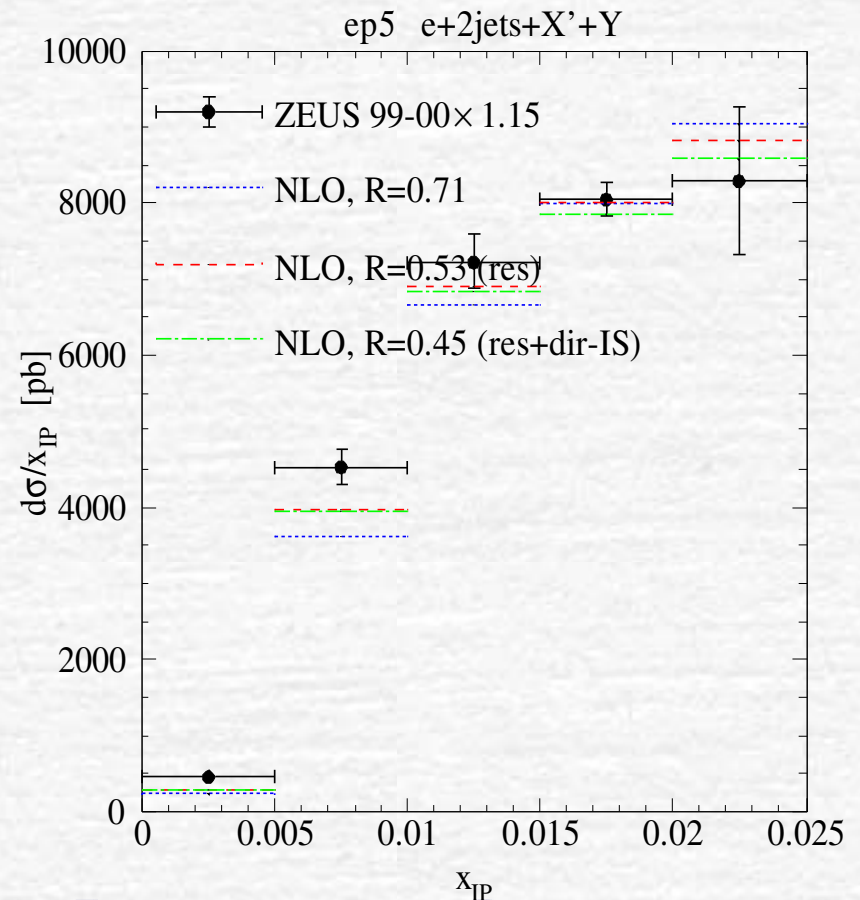
- Two highest ET-bins
- better described with
- $R=1$

Breaking in resolved or resolved/direct-IS

γ -depend.: Photon flux



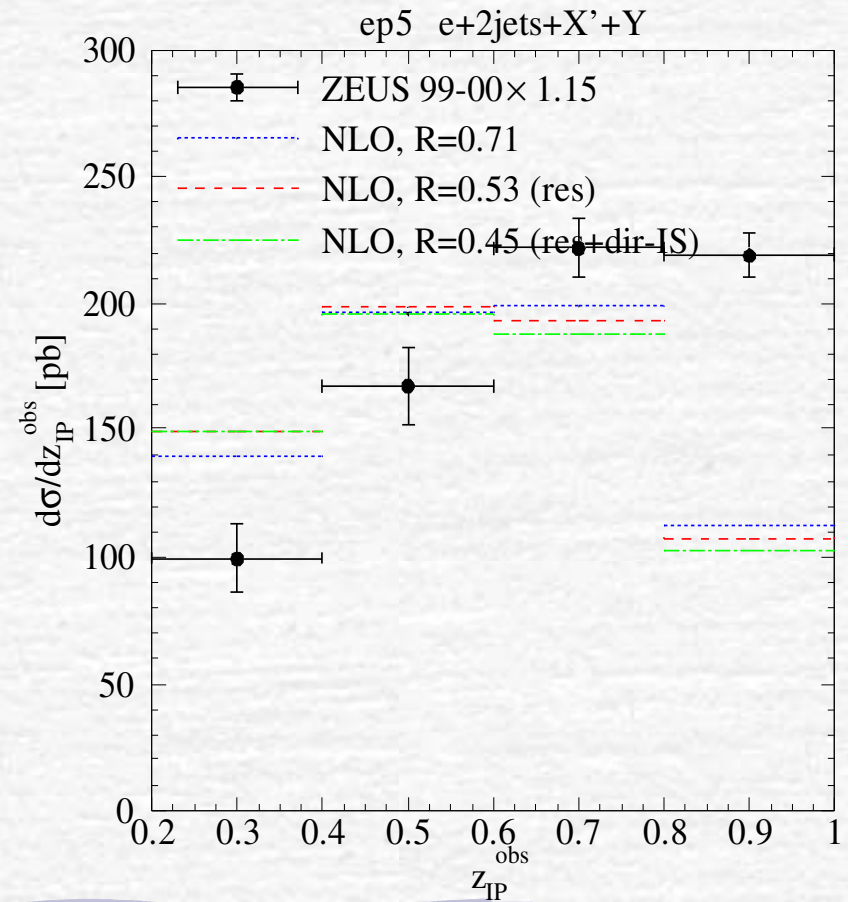
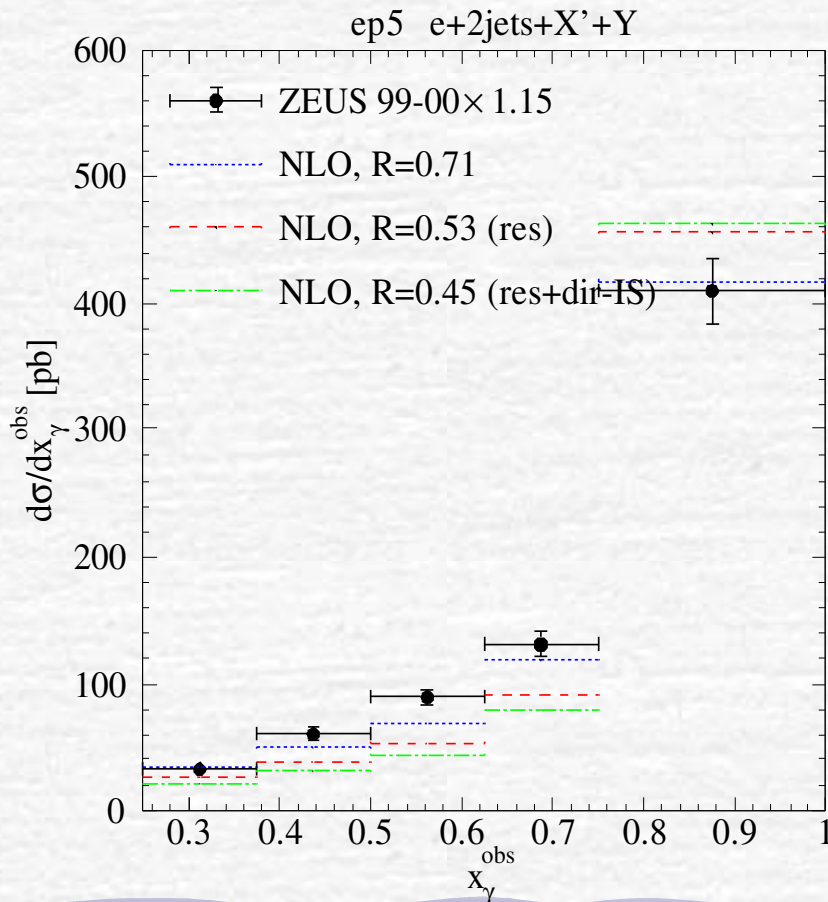
x_{IP} -depend.: Pomeron fl.



Breaking in resolved or resolved/direct-IS

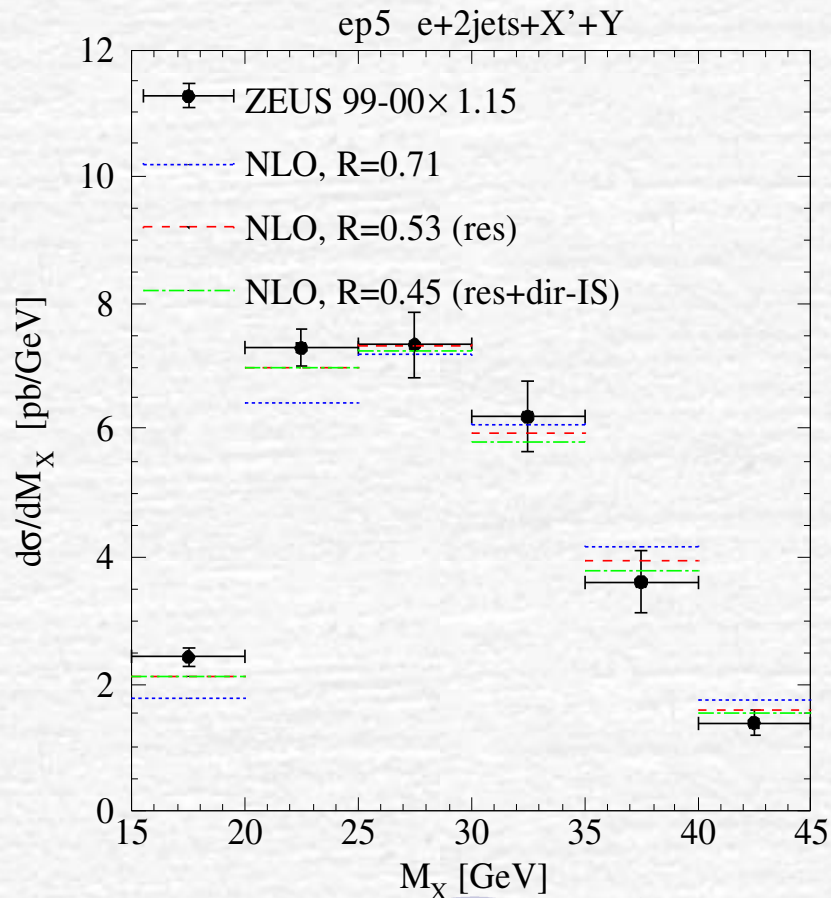
xgam-depend.:direct/res.

z||P-depend.:gluon in po.

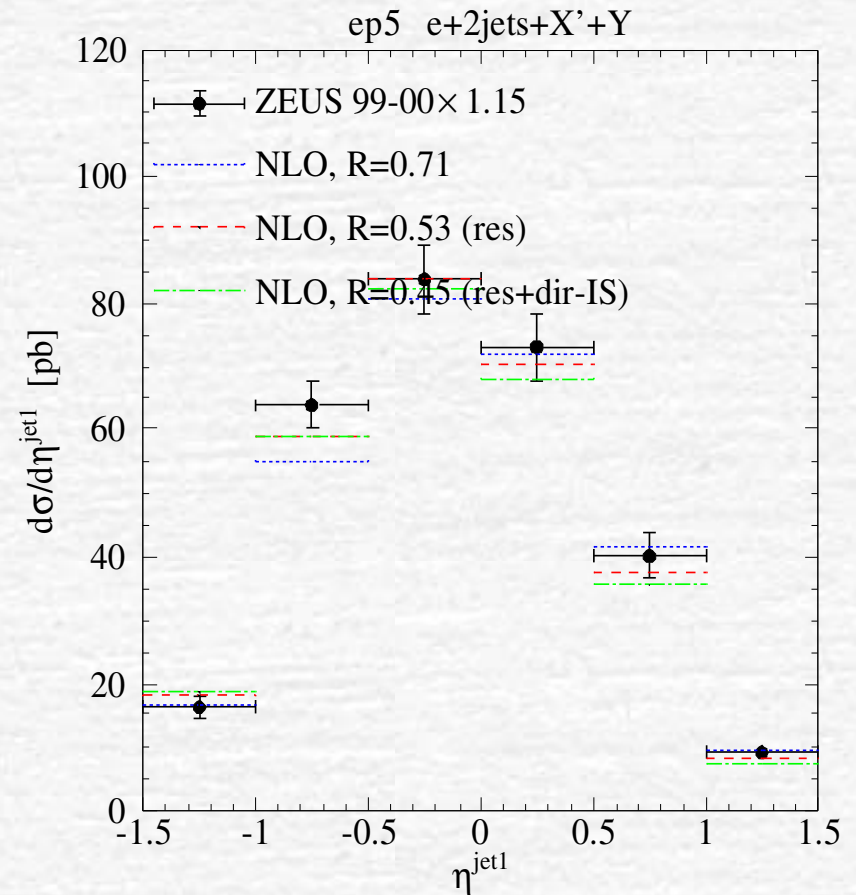


Breaking in resolved or resolved/direct_IS

MX-dependence

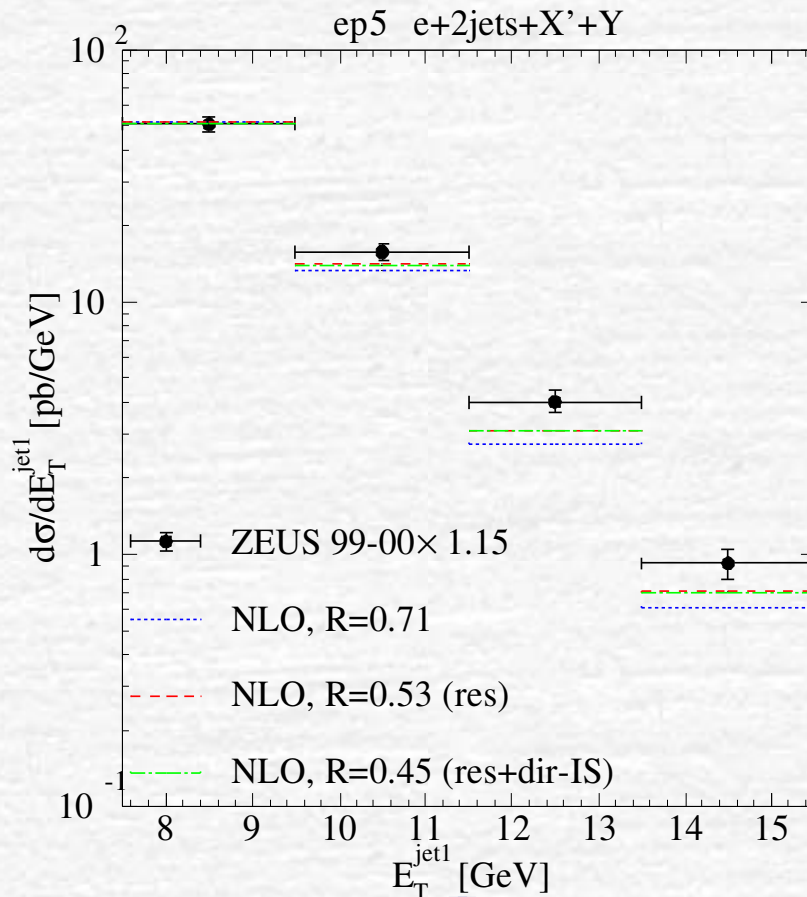


$\eta^{\{et1\}}$ -dependence



Breaking in resolved or resolved/direct-IS

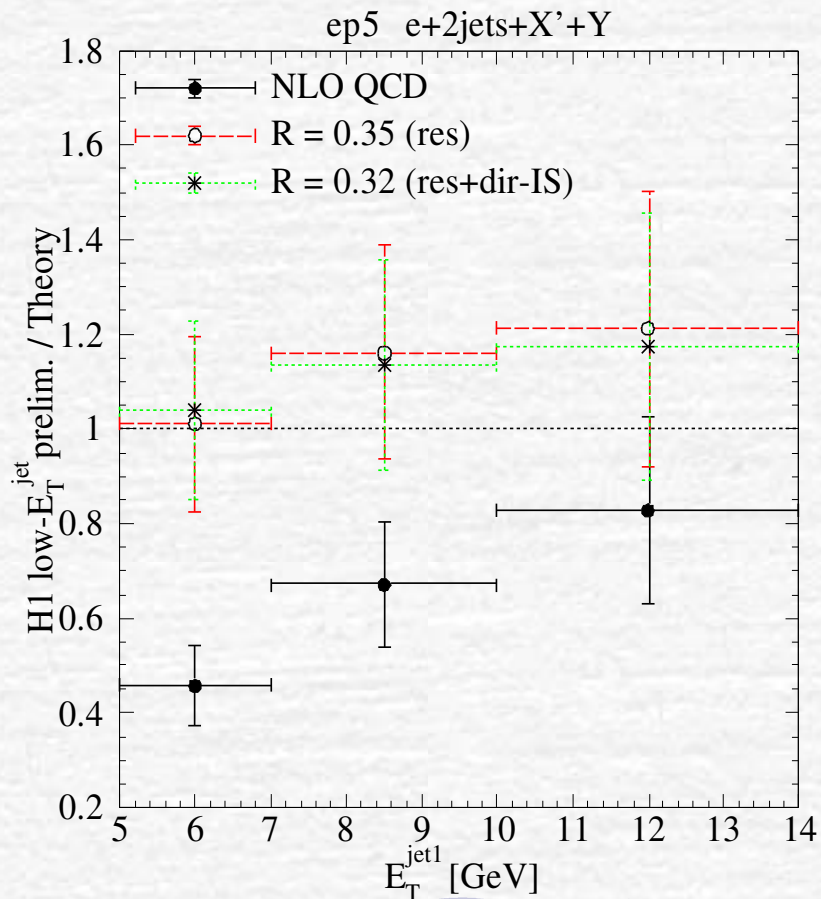
ET_dependence



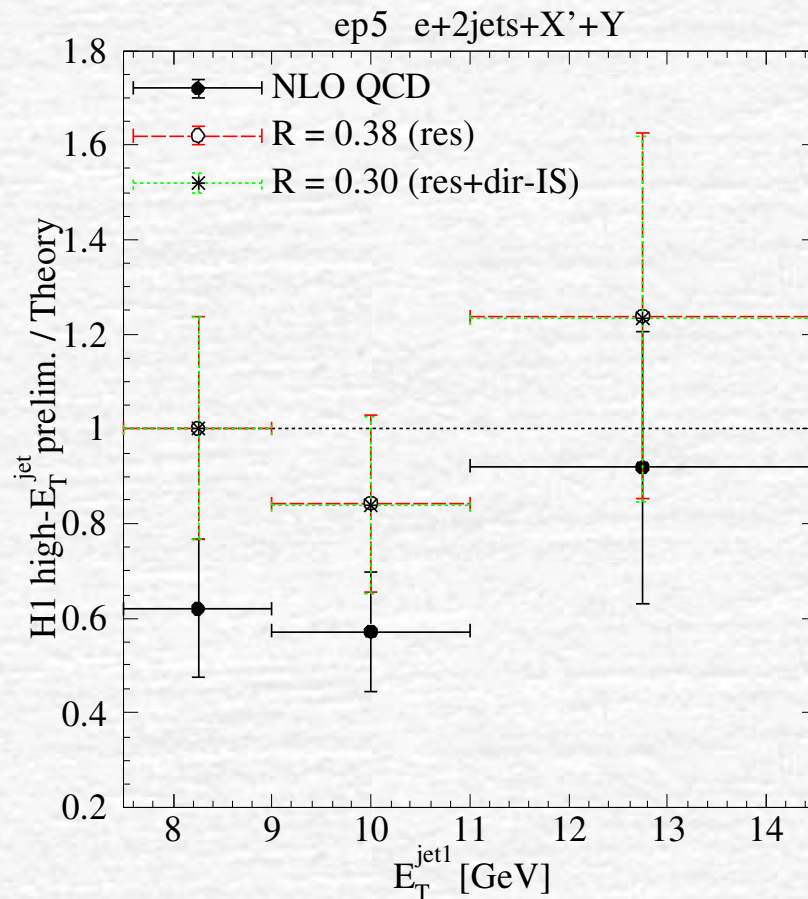
- Resolved or resolved/direct-IS
- slightly better
- than global suppression
- $R=0.71$ global supp.
- $R=0.53$ resolved supp.
- $R=0.45$ resolved/direct-IS suppression

Ratio data/theory, low- E_T and high E_T

E_T depend. H1 low- E_T



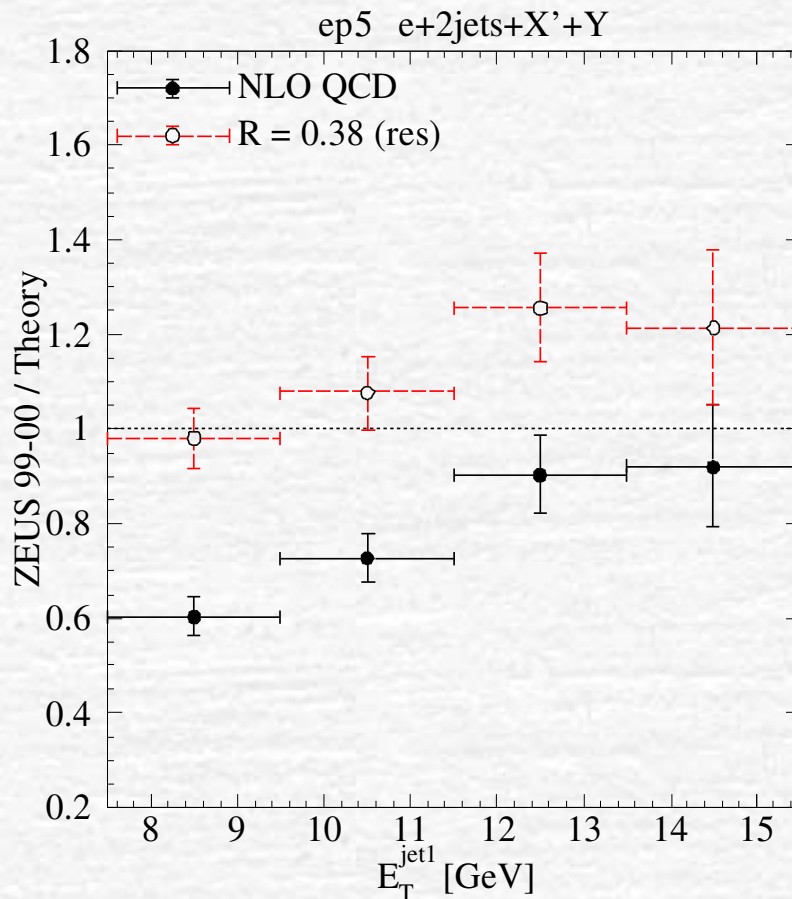
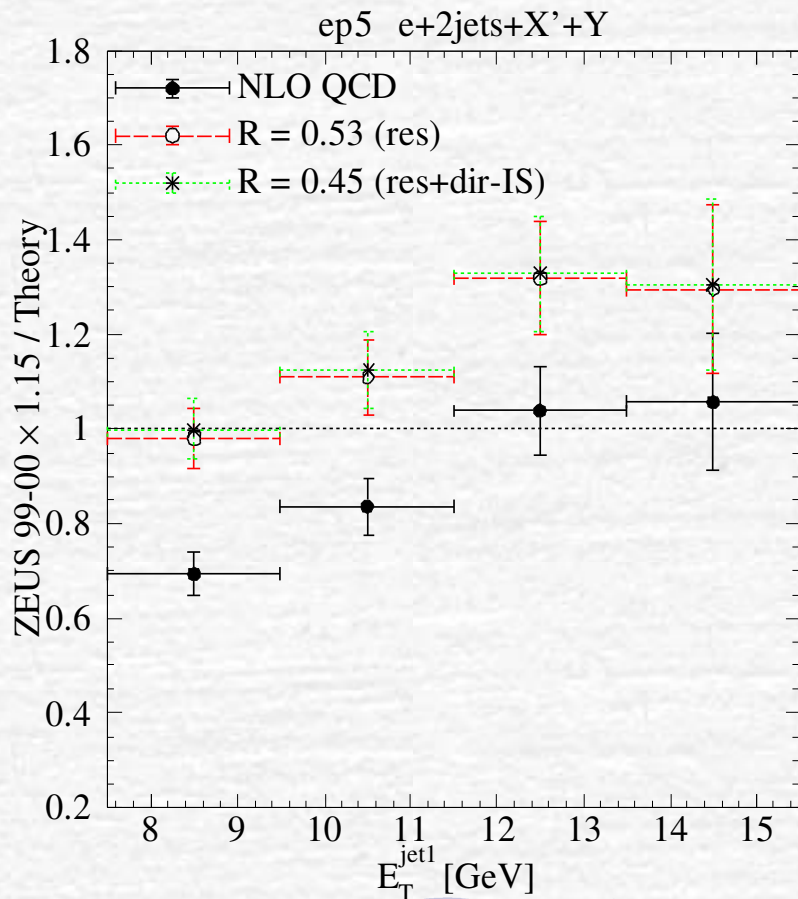
E_T depend. H1 high E_T



Ratio data/theory : ZEUS different norm

E_T-depend norm paper

Norm reduced by 15%



Conclusions

Hard diffraction: **Factorizable or not?**

- ✔ Deep inelastic scattering: Yes → Diffractive parton densities
- ✔ Hadronic scattering: No → Multipomeron exchanges
- ✔ Diffractive photoproduction of dijets: Yes global suppression of **order 0.5 definitely established, suppression E_T dependent**
- Initial state singularity at NLO**
- ✔ Resolved suppression only or resolved/direct-IS suppression
- ✔ describes data almost equally well , suppression factor $\sim 1/3$,
- ✔ little E_T dependence
- ✔ Agrees with two-channel eikonal model of Kaidalov et al.:
- ✔ Generalized vector meson dominance: $\gamma \rightarrow \rho, \omega, \dots$
- ✔ Rapidity gap survival probability: **$R = 0.34$**