

Nuclear and atomic physics topics in Direct Dark Matter Detection

- Quenching factors (light/ionization yields)
- Nuclear form factors/Channeling effects
- Detection channels (Axion detection)
- Outlooks & Prospects

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(Axion Materials Provided by Dr. ShuKui Liu)



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Direct detection: Start off the beginning...

Detected rate

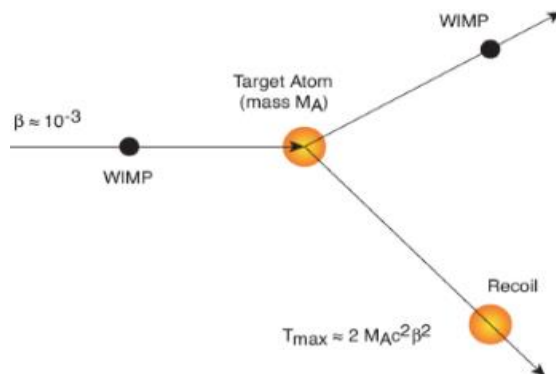
Nuclear form factor

Astrophysics
model (ρ_0, v_0, v_{esc})

$$\frac{dN^{SI}}{dE} = \frac{2M_{det}t}{\pi} \frac{\rho_0}{M_\chi} F_A^2(q) (\lambda_p Z + \lambda_n (A - Z))^2 I(E)$$

Exposure

Cross section



Ionization

Scintillation

Bolometer

Detected rate

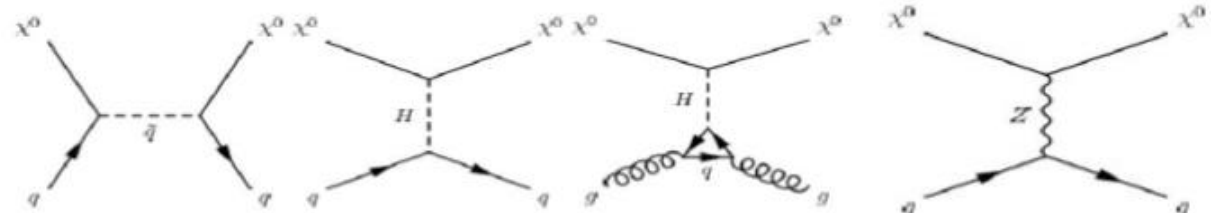
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Quenching Factor

Exposure

Cross section (Particle Physics
+ quark content in nucleon)Detector response
models : Quenching
factor; Channeling
effects ; QED at
low energy of keVAtomic/Nuclear
PhysicsDetection channels
 χ e- scattering ;
ALP DM searches ;
hidden photons ;
Atomic ionization...

Quenching Factors

Nuclear recoil energy



Ionization detectors :

Ge, Xe, Ar...

Scintillation detectors:

Xe, Ar, CaWO₄, CsI, NaI...

- **Experimental Fact** : Amount of **charge/light yields** by nuclear recoils is lower than that produced by electrons of the same energy.
- **Models** : **Birks** approach (1951) in description of light yields ; **Lindhard** theory (1965) . Both in materials depend on energy **E**, as well as the stopping power **dE/dr**.

Models on the Quenching Factors

- Lindhard theory for ionization detectors represents :

$$f_n = \frac{kg(\varepsilon)}{1 + kg(\varepsilon)} \quad \text{where} \quad \varepsilon = 11.5 E_R(\text{keV}) Z^{-7/3}$$

$$g(\varepsilon) = 3 \varepsilon^{0.15} + 0.7 \varepsilon^{0.6} + \varepsilon$$

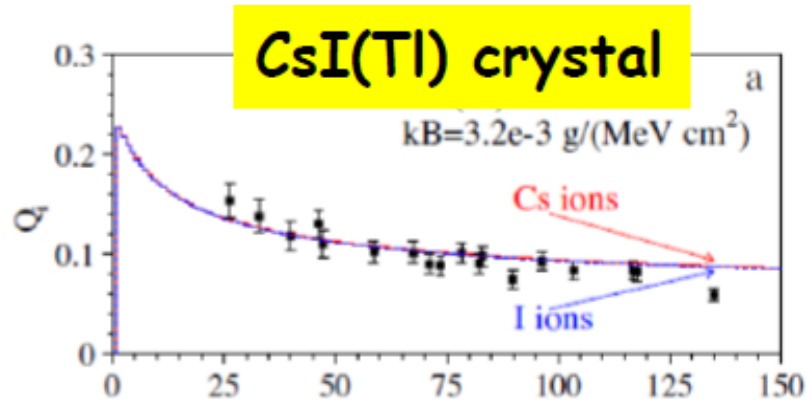
- Birks theory

$$\frac{dL}{dr} = S \frac{dE}{dr}, \quad \text{where } S \text{ is the absolute scintillation factor}$$

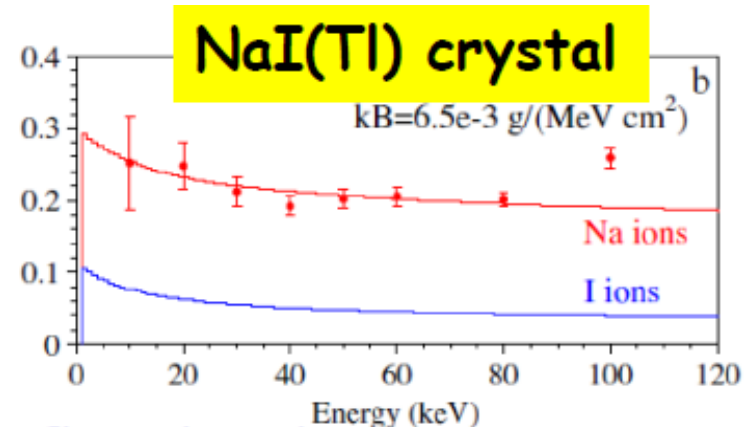
$$\frac{dL}{dr} = \frac{S \frac{dE}{dr}}{1 + kB \frac{dE}{dr}} \quad ; \quad L(E) = \int_0^E dL = \int_0^E \frac{S dE}{1 + kB \frac{dE}{dr}}$$

- Choices on Stopping Power dE/dr : **ESTAR** code;
SRIM/TRIM codes [J. F. Ziegler and J. P. Biersack 1985, 2009]; D. Mei et al., [AP 2008, 2010]

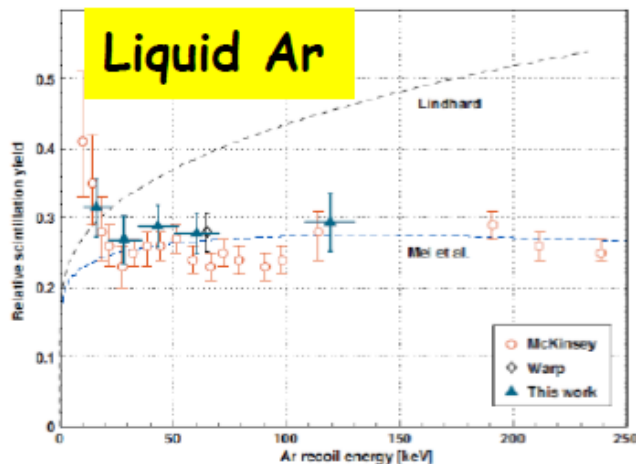
Comparing the experimental and calculated QF



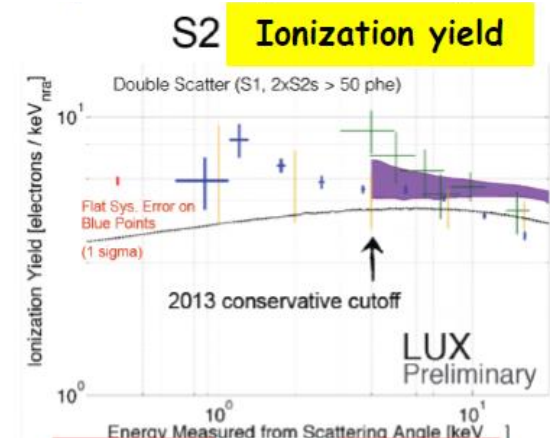
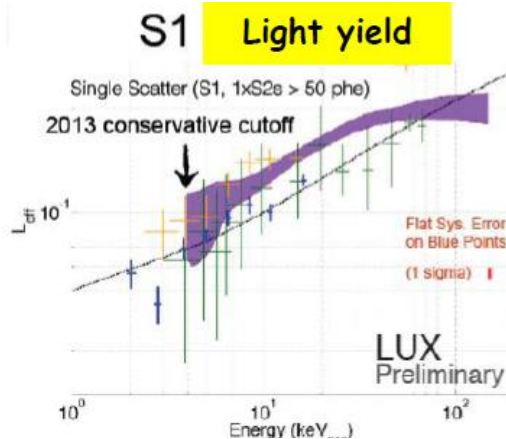
S. Pecourt et al., AP 11 (1999) 457



H. Chagani et al., JINST 3 (2008) P06003

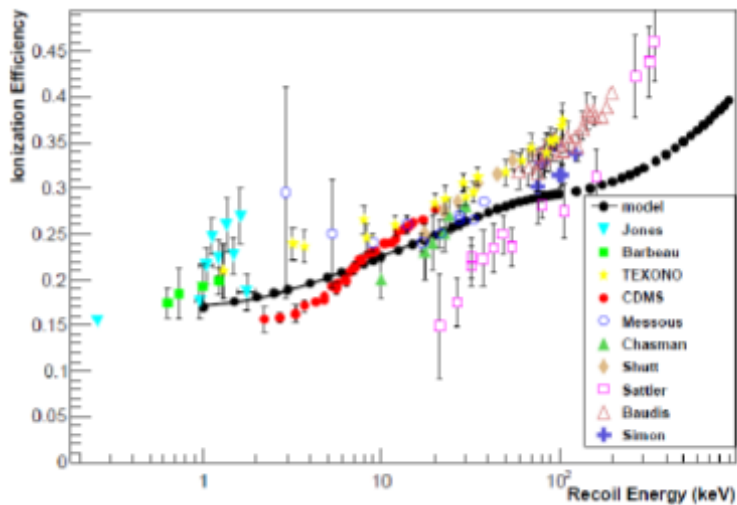


C. Regenfus et al. JPCS 375 (2012) 012019

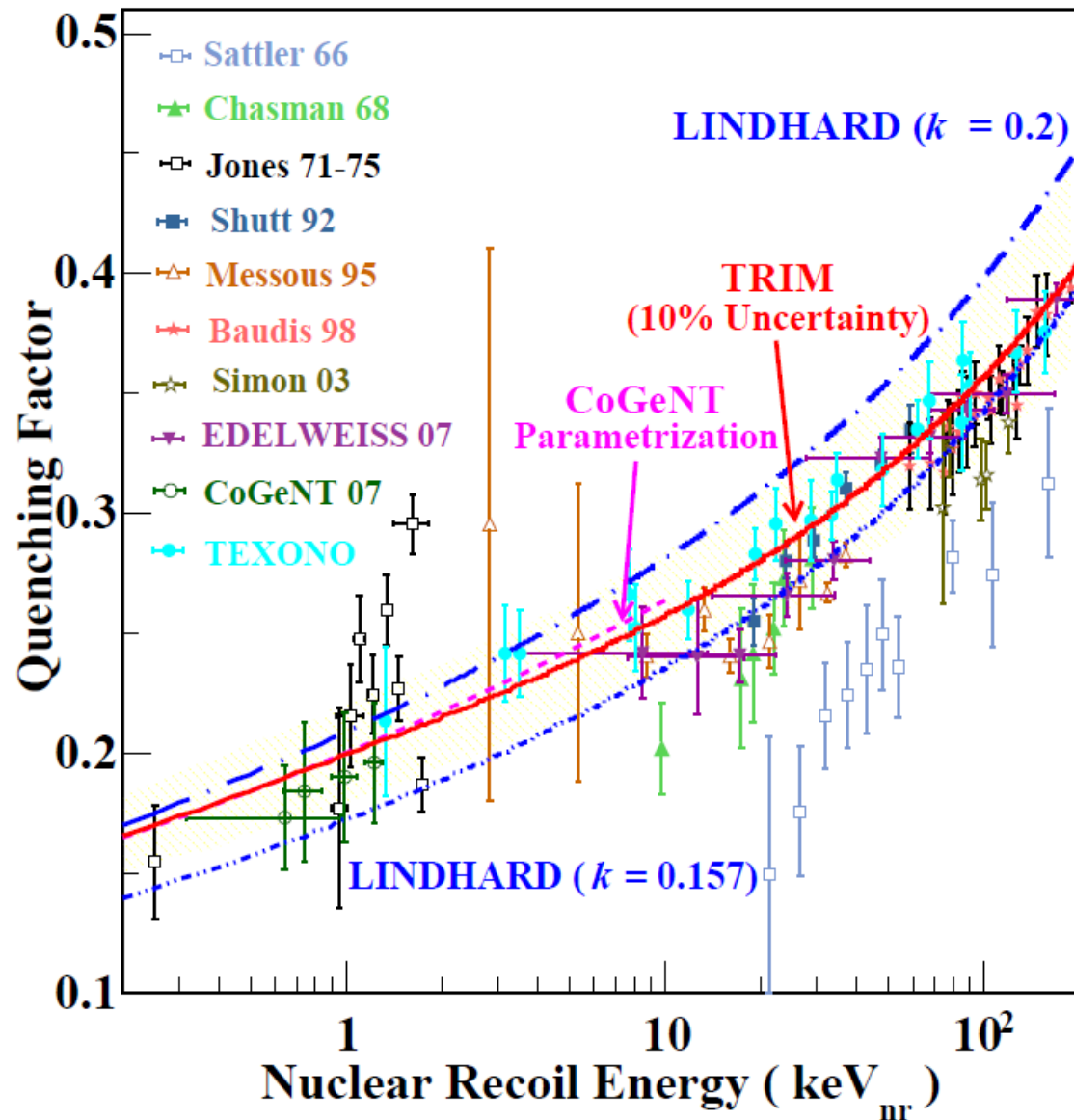
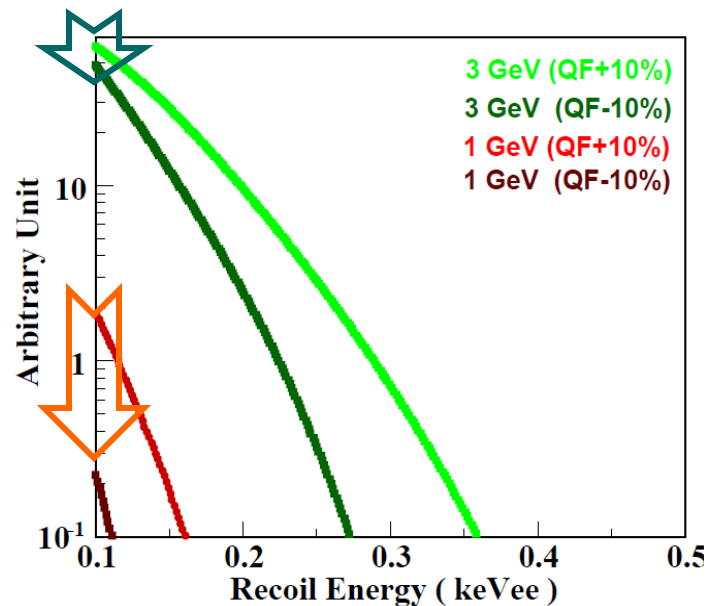


NEXT model for LUX (181V/cm)

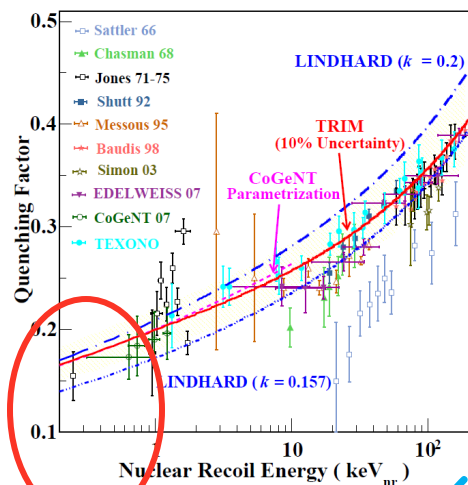
QF for Ge crystal



D. Barker and DM Mei [AP 2012]



A toy thought map



Atomic Ionization involved

$Ge^+ + e^-$

Emitting

Ionization

Recombination

De-excitation; Convention electron

Deposited Energy

Excitation

Ge^*

Atomic motion

HEAT

Penning quenching

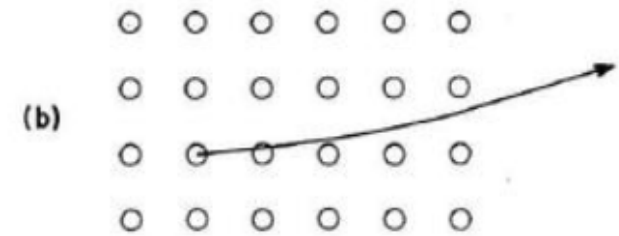
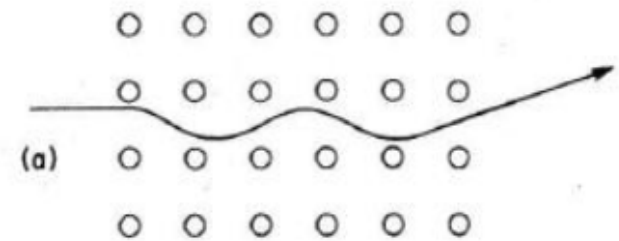
Channeling & Blocking Effects in Crystals

(a) Channeling:

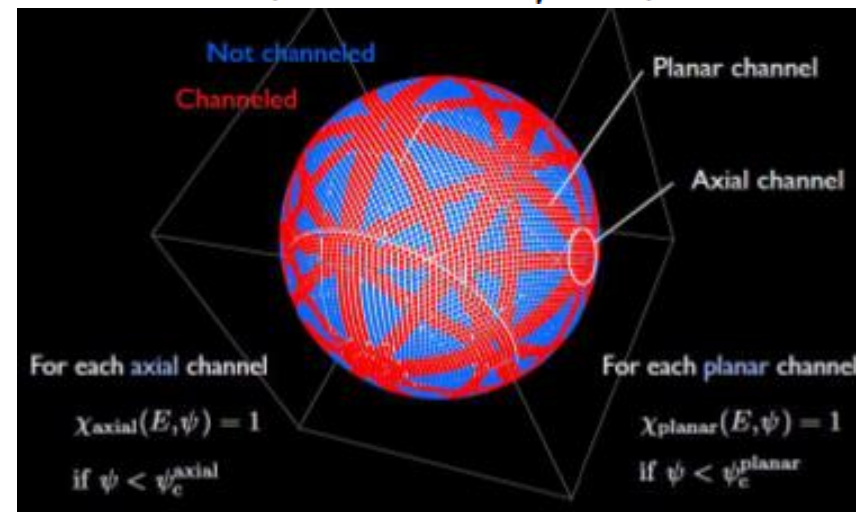
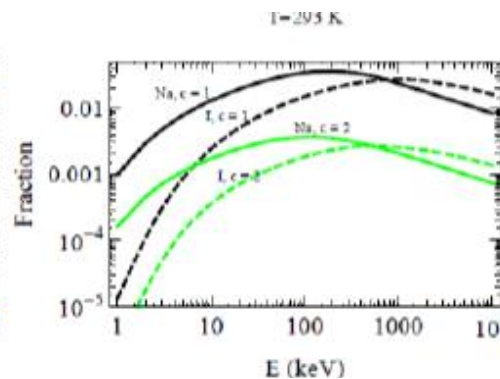
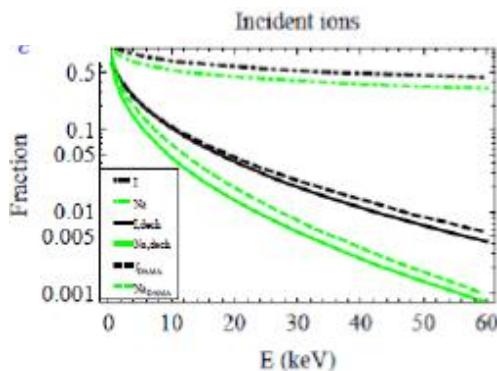
Ions incident upon the crystal along **symmetry axis** and **planes** suffer a series of small-angle scattering that maintain them in the open "channels" and **penetrate much further**

(b) Blocking:

Reduction of the flux of ions **originating in lattice sites** along **symmetry axis** and **planes**



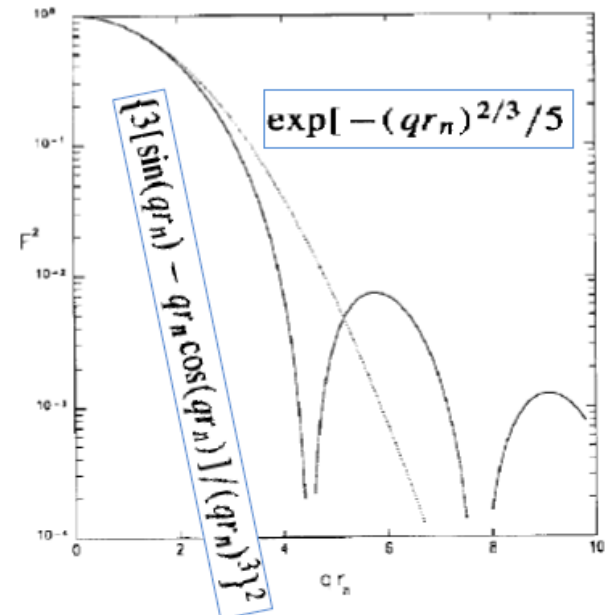
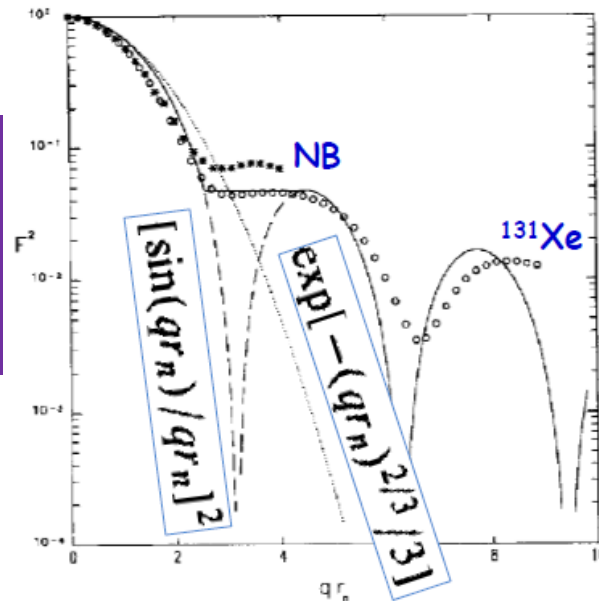
D. Gemmell 1974, Rev. Mod. Phys. 46, 129



Nuclear Form Factor

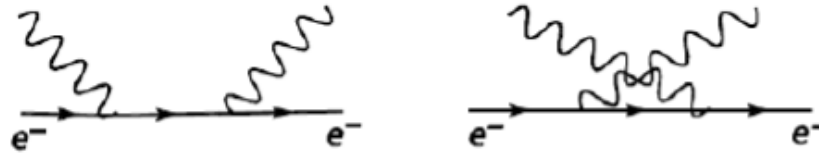
- ✓ The effective cross section decreases with the increasing momentum transfer q , while the wavelength h/q is not longer than the nuclear radius.
- ✓ In the first Born approximation, the form factor is the Fourier transfer of charge density.

Thin Shell
approximation (SD)
Solid Sphere
approximation (SI)



QED interaction in Matter with low momentum transfer

Klein-Nishina



$$\left(\frac{d\sigma}{d\Omega}\right)_{KN} = \frac{r_e^2}{2} \left(\frac{\nu'}{\nu}\right)^2 \left\{ \frac{\nu'}{\nu} + \frac{\nu}{\nu'} - \sin^2 \theta \right\}$$

- The classical Compton formula can't stand due to the **orbital electron effect**.
- The modified Compton scattering is expressed

$$\frac{d\sigma_{ac}}{d\Omega} = \left(\frac{d\sigma_{KN}}{d\Omega}\right) S(x, Z)$$

Where the momentum transfer variable $x = \frac{1}{\lambda} \sin \frac{\theta}{2}$

- ✓ The interaction of $rA \rightarrow rAe$ may be more realistic than $re \rightarrow re$ at low q transfer.

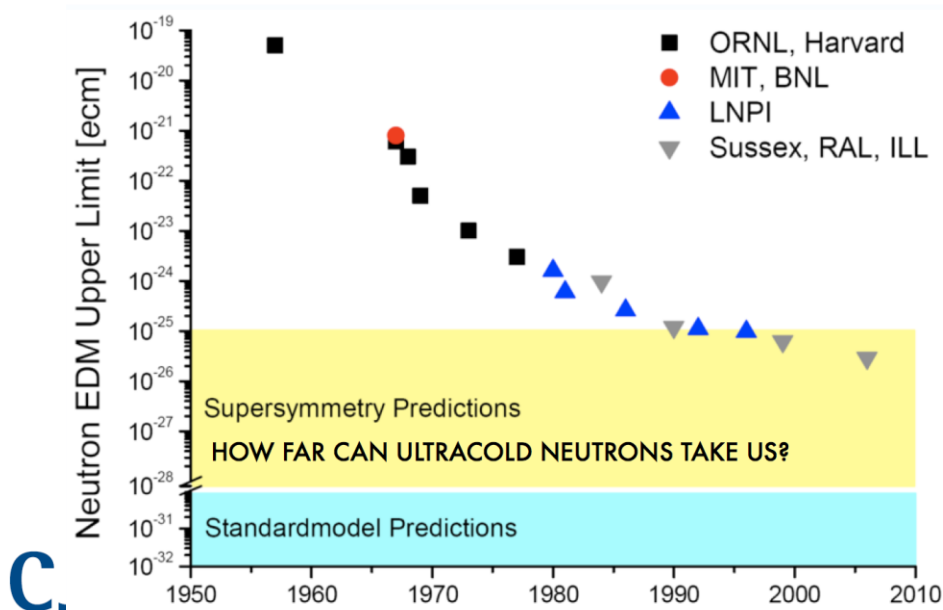
Axion was born

- ✓ Postulated by the **Peccei-Quinn theory** in 1977 as the **pseudo-Nambu-Goldstone boson** to solve the **strong CP problem** in QCD.

$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} - \frac{n_f g^2 \theta}{32\pi^2} F_{\mu\nu} \tilde{F}^{\mu\nu} + \bar{\psi}(i\gamma^\mu D_\mu - m e^{i\theta' \gamma_5})\psi$$

A problem occurred at the end that are able to break CP system.

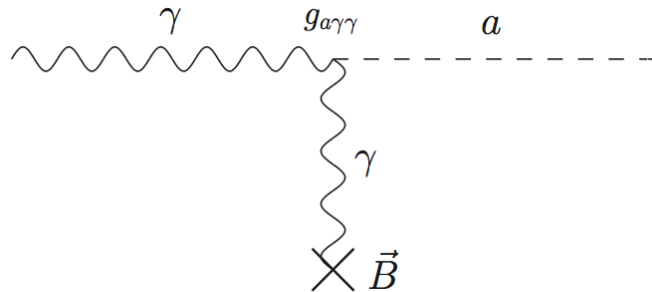
- ✓ **Conflict with Expts from Neutron electric dipole moment**



- A generic CP violation in strongly interaction sector would create **EDM** at $\sim 10^{-18}$ e-cm.
- Present experimental limit : $\sim 2 \times 10^{-26}$ e-cm

Status of Axion

- ✓ The original Weinberg-Wilczek axion (Standard axion) has been ruled out.
- ✓ Invisible axions or more general “axion-like particles (ALPs)” were quickly constructed.
- ✓ Axions have not been observed successfully by experimental searches and astrophysical limits in principle. (Christian Beck argued that a signature consistent with a mass $\sim 110 \mu\text{eV}$)
- ✓ One of the leading cold-dark-matter candidates.
- ✓ Two mechanisms for invisible axion
 1. Hadronic models(KSVZ) Hadronic axions are coupled to new, heavy quarks and do not interact with ordinary quarks and leptons at the tree level leading to a strong suppression of g_{Ae} .
 2. Non-hadronic axion models(DFSZ) They couple to electrons at tree level, and this open axion production channels in stars.



✓ Primakoff production:

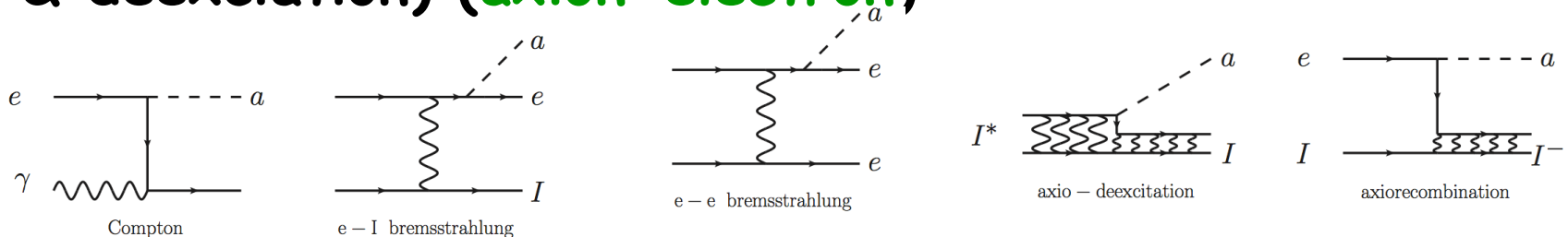
Produced by the **inverse Primakoff conversion** of thermal photons in the electromagnetic field of the solar plasma.

✓ **M1 transition** from ^{57}Fe (**axion-nucleons**)

1. Monochromatic axions of **14.4 keV** emitted in **M1 transition** of ^{57}Fe with remarkable abundance in the Sun.

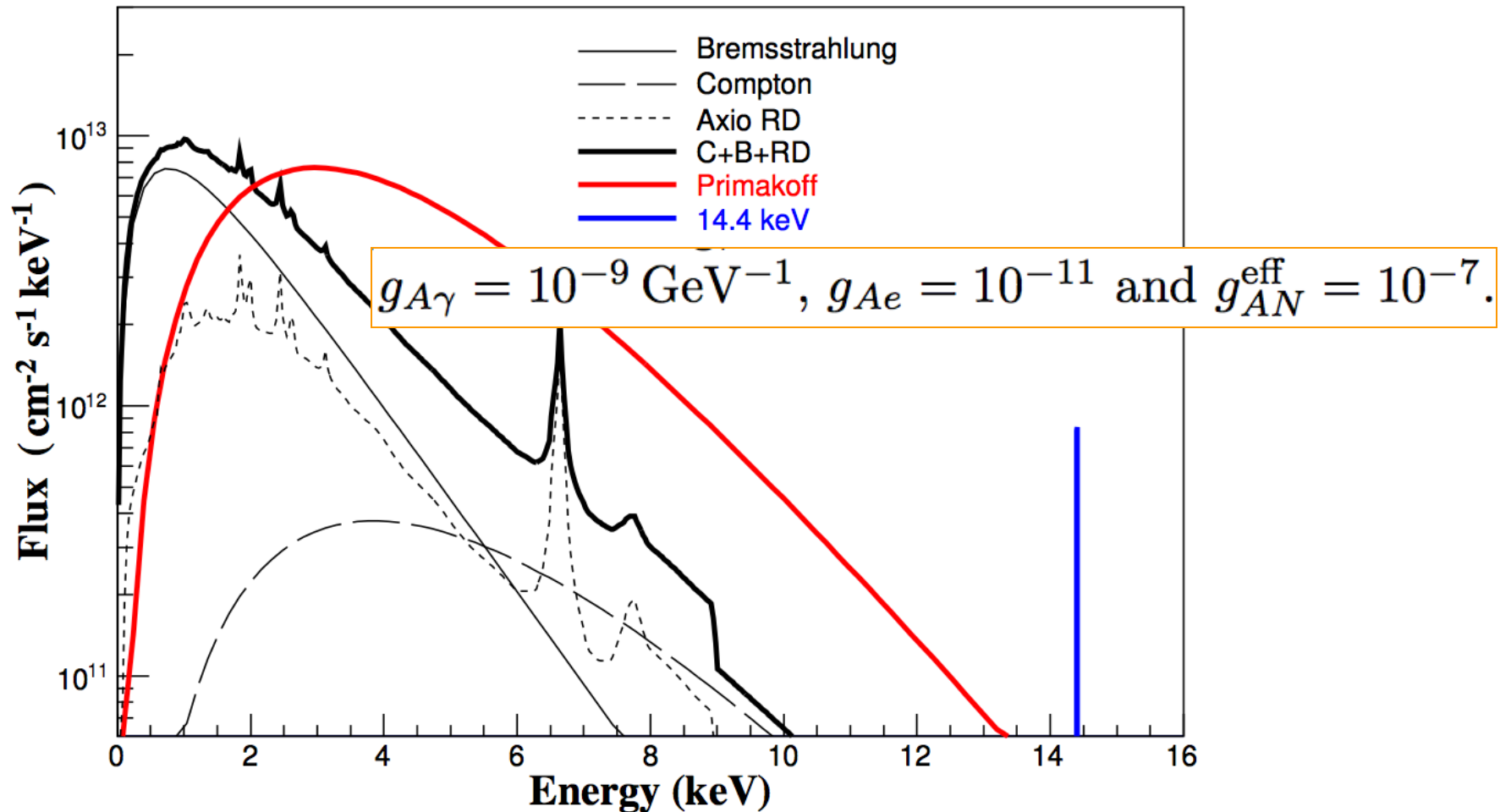
2. Low enough to be thermally excited in the hot interior.

✓ **Compton, bremsstrahlung and axio-RD**(recombination & deexcitation) (**axion-electron**)



$$\frac{d\Phi}{dE} = \left(\frac{d\Phi}{dE} \right)^{\text{Compton}} + \left(\frac{d\Phi}{dE} \right)^{\text{bremsstrahlung}}$$

Expected axion flux from Sun



JCAP 11 (2013) 067; JCAP 05 (2013) 010

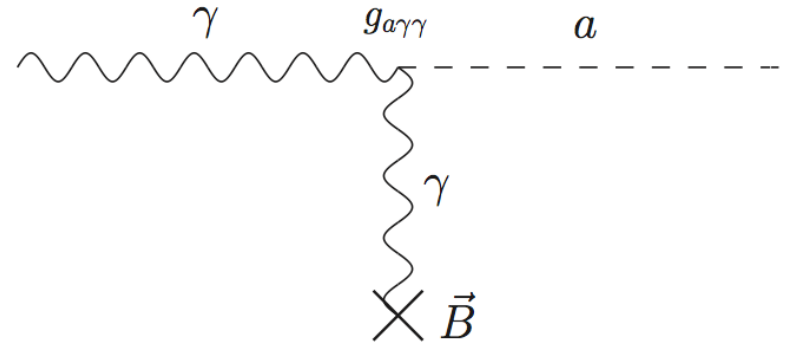
✓ Meanwhile, the non-relativistic ALPs can be one of the cold dark matter candidates.

Axion detection

✓ Primakoff production:

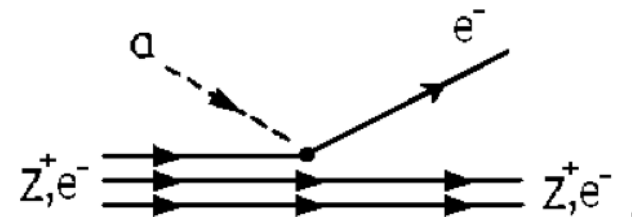
It couples to E and B $\mathcal{L}_{A\gamma\gamma} = \frac{G_{A\gamma\gamma}}{4} F_{\mu\nu} \tilde{F}^{\mu\nu} \phi_A = -G_{A\gamma\gamma} \mathbf{E} \cdot \mathbf{B} \phi_A$

- Helioscopic (**Tokyo**, **CAST**)
- Microwave cavity(**ADMX**)
- Laser birefringence (**PVLAS**)
- Bragg diffraction scattering (**SOLAX**, **COSME**, **CDMS**, **EDELWEISS**)



✓ Axio-electric peoduction:

- **XENON**, **EDELWEISS**, **CUORE**, **Derbin**
XMASS, **CDMS**, **CoGeNT**



Axioelectric
or Photoelectric-like

Binned likelihood & least-square Mehtod

$$L = \prod_i e^{-N_i^{\text{th}}} \frac{(N_i^{\text{th}})^{N_i^{\text{exp}}}}{N_i^{\text{exp}}!} \xrightarrow{\text{Appr.}} L = \prod_i \frac{1}{\sqrt{2\pi N_i^{\text{th}}}} e^{-\frac{(N_i^{\text{exp}} - N_i^{\text{th}})^2}{2N_i^{\text{th}}}} \rightarrow L = \prod_i \frac{1}{\sqrt{2\pi \sigma_i^{\text{exp}}}} e^{-\frac{(N_i^{\text{exp}} - N_i^{\text{th}})^2}{2(\sigma_i^{\text{exp}})^2}}$$

$$N_{C-B-RD}(\tilde{E}) = \int dE_A \left(\frac{dR_{\text{axion}}}{dE_A} \right) \times MT \frac{1}{\sqrt{2\pi}\sigma} \times e^{-\frac{(\tilde{E} - E_A)^2}{2\sigma^2}}$$

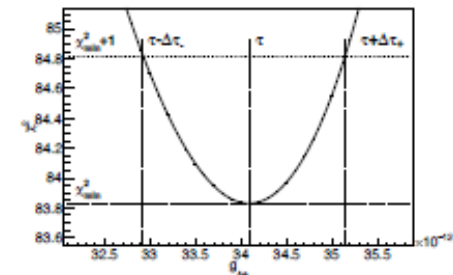
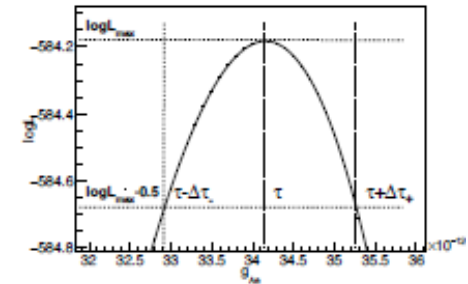
$$\equiv \lambda \times \bar{N}_{\text{axion}}(\tilde{E}) \quad \text{where } \lambda = f(g_{Ae})$$

$$N^{\text{th}}(\tilde{E}) = \lambda N_{\text{axion}}(\tilde{E}) + B(\tilde{E}) \quad (\lambda = f(g_{Ae}))$$

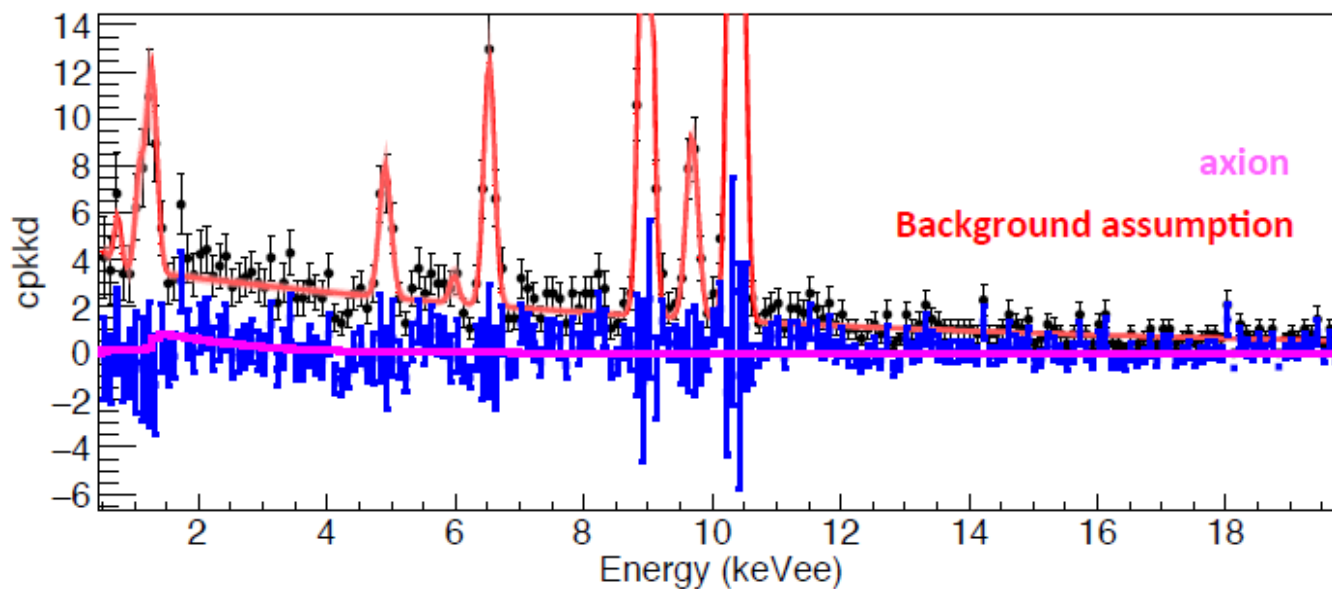
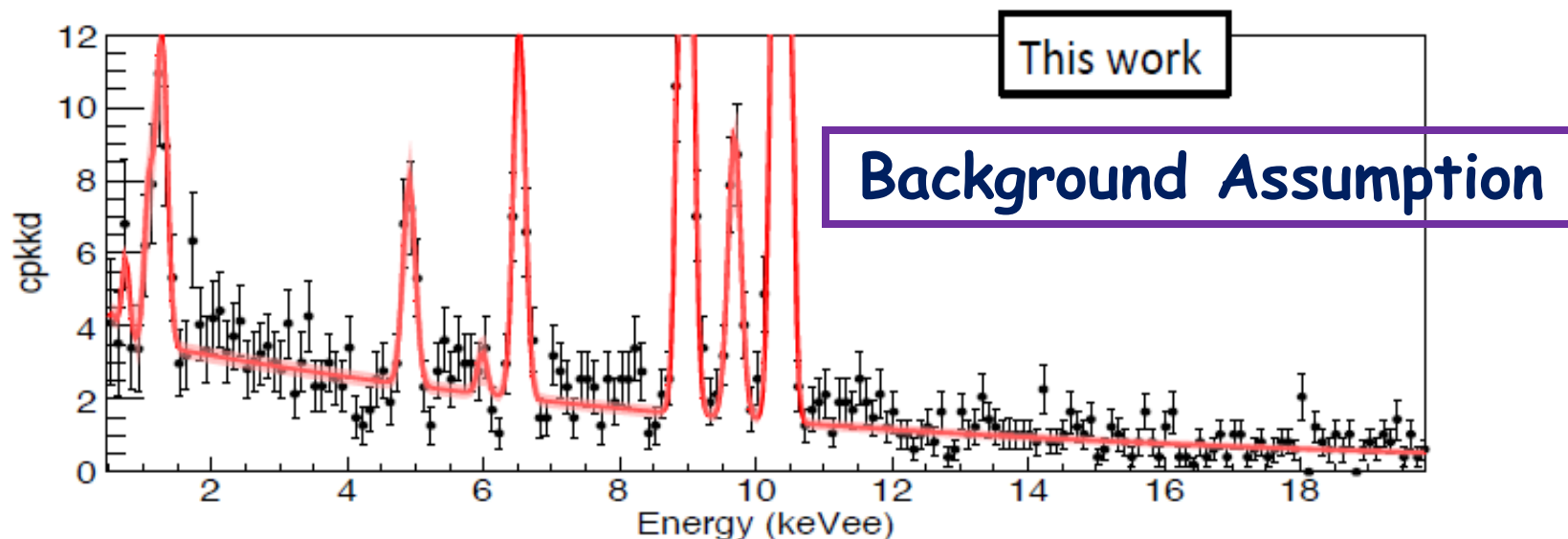
$$N^{\text{exp}}(\tilde{E}) = R^{\text{exp}}(\tilde{E}) \cdot MT \quad \sigma_i^{\text{exp}} = \sigma_i \cdot MT$$

$$\chi^2 = \sum_i \frac{(R_i^{\text{exp}} - R_i^{\text{th}})^2}{\sigma_i^2}$$

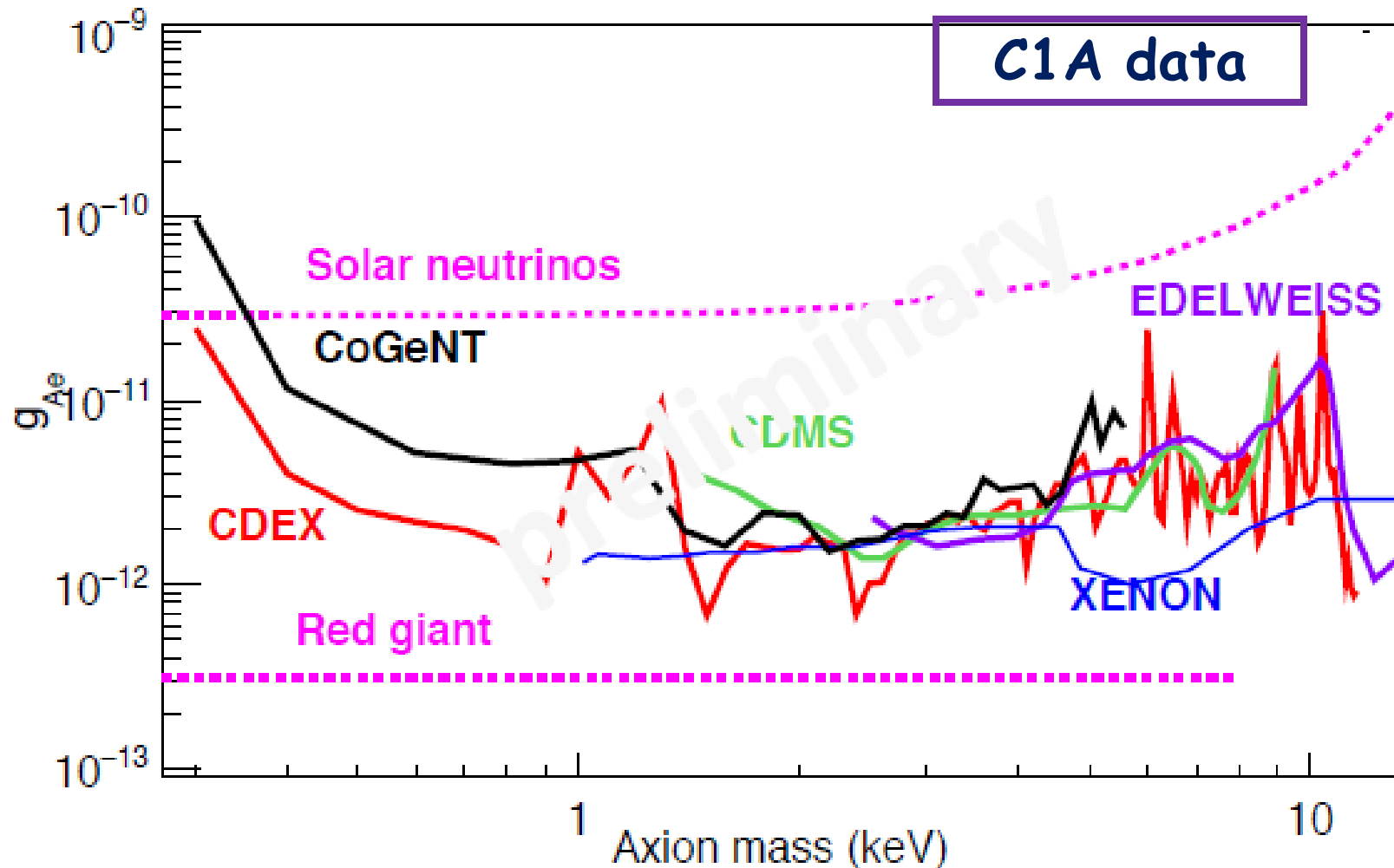
$$R^{\text{th}}(\tilde{E}) = \lambda R_{C-B-RD}(\tilde{E}) + B_R(\tilde{E}) \quad (\lambda = f(g_{Ae}))$$



Data Analysis



Preliminary result for APLs as DM searches





Outlooks & Prospects

- ✓ **Nuclear & Atomic Physics** plays an important role both in **detector response models** and **detection channels** beyond the “standard” detection.
- ✓ The recoil energy for Direct Detection of Dark Matter searches lies on the **atomic physics region**.
- ✓ Probing the **axion dark matter** has been studied.
- ✓ Quenching factors/light yields at **low energy region** is **crucial**.
- ✓ **Understanding low energy background** strongly depends on the **understanding of Nuclear/Atomic Physics**.
- ✓ Opening **new detection channels** are pursuing.