

A Pulse Shape Simulation for the GERDA Experiment



Max-Planck-Institut für Physik
(Werner-Heisenberg-Institut)



Daniel Lenz
Max-Planck-Institute for Physics, Munich

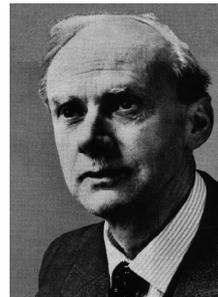
Outline:

- Motivation for Search for $0\nu\beta\beta$
- Double Beta Decay and Experimental Signatures
- GERDA Goals and Concept
- Pulse Shape Simulation
- Summary

GERDA

Motivation

- **GER**manium **D**etector **A**rray (GERDA) experiment built to search for neutrinoless double beta decay ($0\nu\beta\beta$) of ^{76}Ge
- $0\nu\beta\beta$ is the only way to unveil the nature of neutrinos



Dirac



or

Majorana

$$\nu \neq \bar{\nu}$$

$$\nu = \bar{\nu}$$

- If $0\nu\beta\beta$ observed:

- neutrino is Majorana type

Schechter-Valle theorem

Phys. Rev. D (1982) 25, 2951

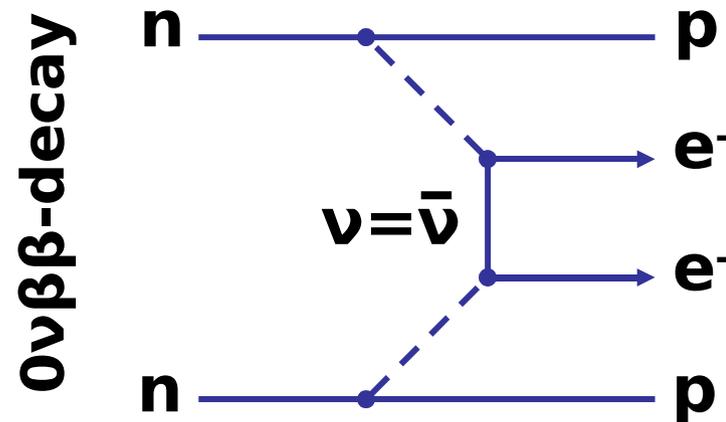
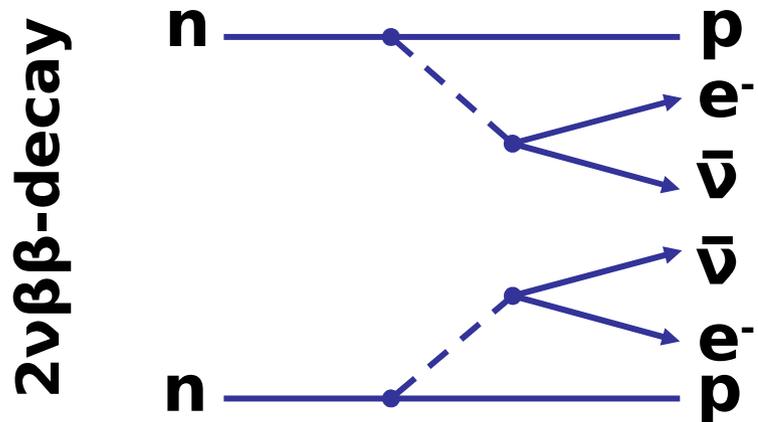
- lepton number violation $\Delta L = 2$

- type I seesaw mechanism $m_\nu = \frac{m_D^2}{M_R} \ll m_D$

- possible to determine absolute neutrino mass scale

- possible to determine neutrino hierarchy

What is $\beta\beta$ Decay



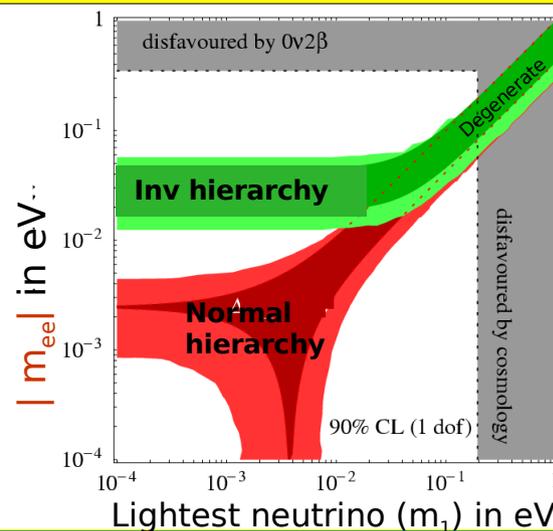
- allowed process
- observed for several isotopes
- $T_{1/2} \sim O(10^{20})$ y

- forbidden process in SM, needs Majorana neutrino
- $T_{1/2}({}^{76}\text{Ge}) \geq 1.9 \cdot 10^{25}$ y (90% C.L.)
Eur. Phys. J. A12, 147-154 (2001)
- **claim of signal from parts of HdM**
NIM A 522 (2004) 371-406

effective Majorana neutrino mass:

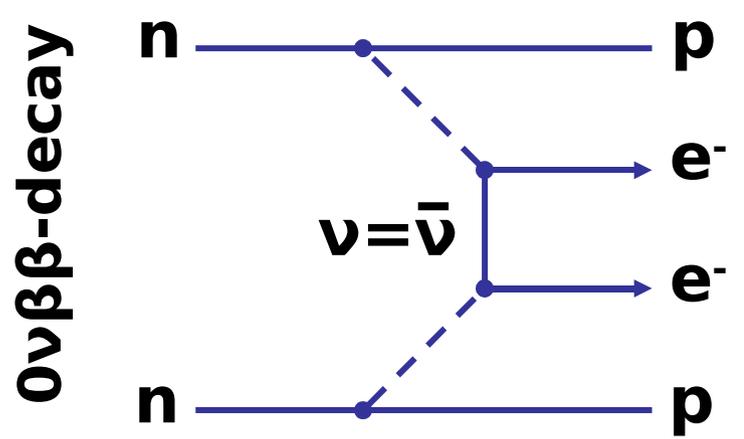
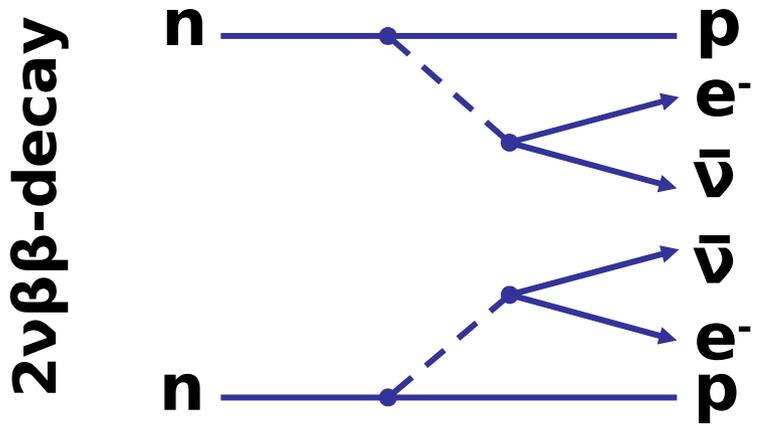
$$|m_{ee}| = \left| \sum_j m_j U_{ej}^2 \right|$$

$$T_{1/2} \propto |m_{ee}|^{-2}$$



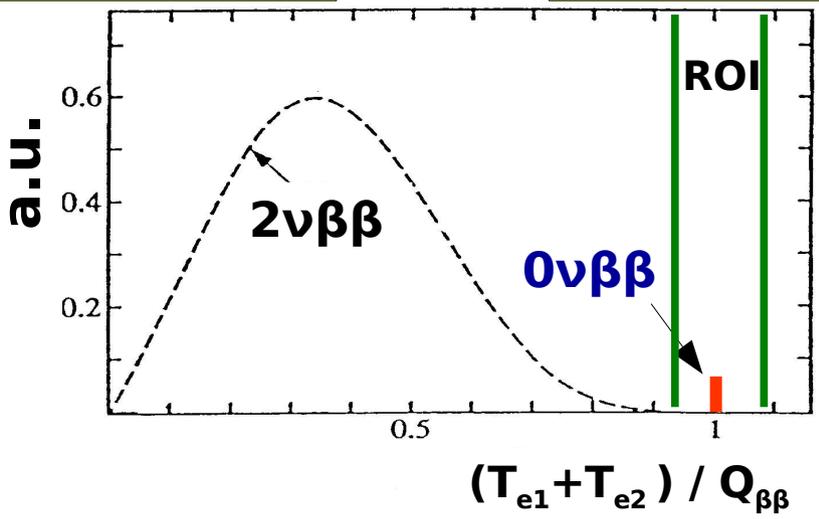
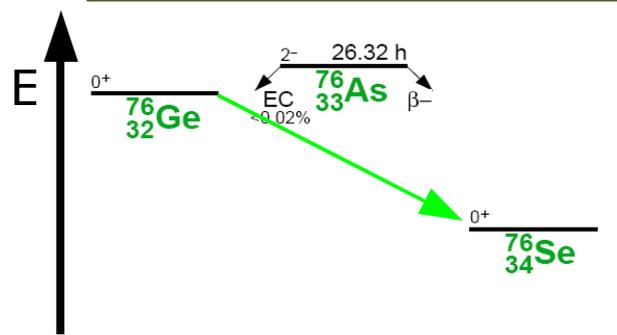
F. Feruglio,
A. Strumia,
F. Vissani,
NPB 637

Experimental Signature



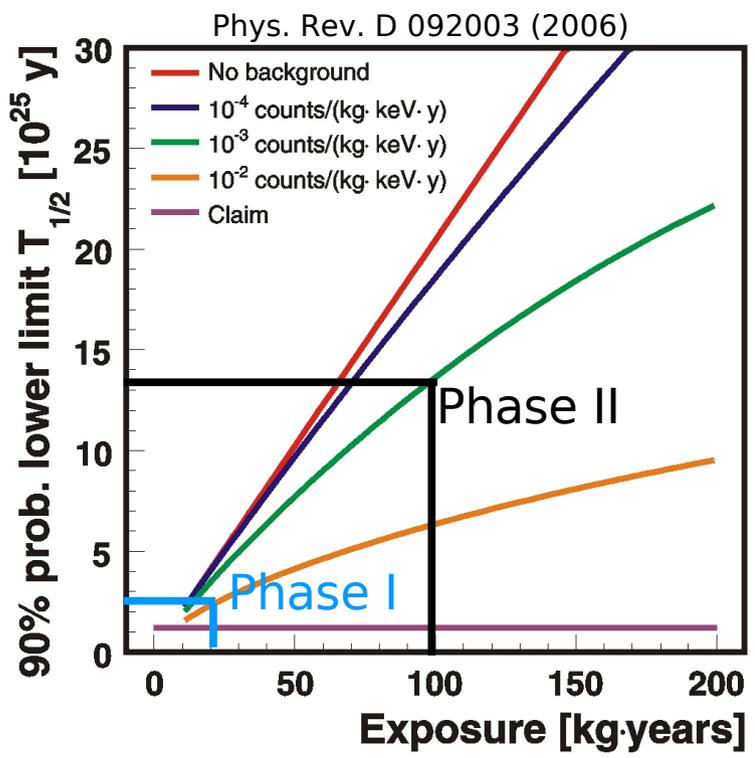
- allowed process
- observed for several isotopes
- $T_{1/2} \sim O(10^{20})$ y

- forbidden process in SM, needs Majorana neutrino
- $T_{1/2} (^{76}\text{Ge}) \geq 1.9 \cdot 10^{25}$ y (90% C.L.)
Eur. Phys. J. A12, 147-154 (2001)
- **claim of signal from parts of HdM**
NIM A 522 (2004) 371-406



$Q_{\beta\beta} (^{76}\text{Ge}) = 2039\text{keV}$

GERDA Goals

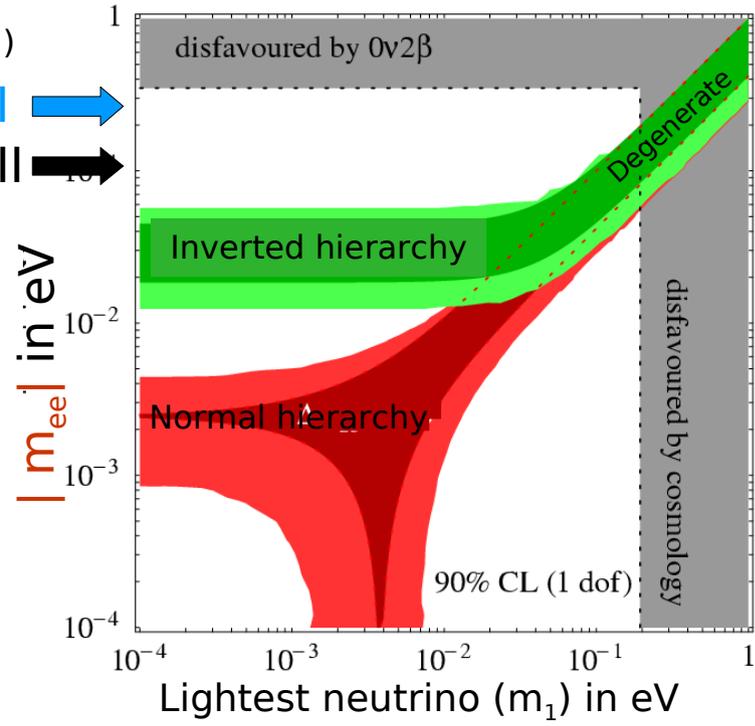


limit
(90% C.L.)

Phase I →

Phase II →

Assuming
 $\langle M^{\nu\nu} \rangle = 3.92$
(Erratum: Nucl.
Phys. A766
(2006) 107)



F. Feruglio,
A. Strumia,
F. Vissani,
NPB 637

Phase I:

- operate existing ^{76}Ge detectors from HdM and IGEX + natGe Diodes
- reach background of 10^{-2} cts/(keV kg y)
- exposure of $\sim 15\text{kg y}$, **check claim**

Phase II:

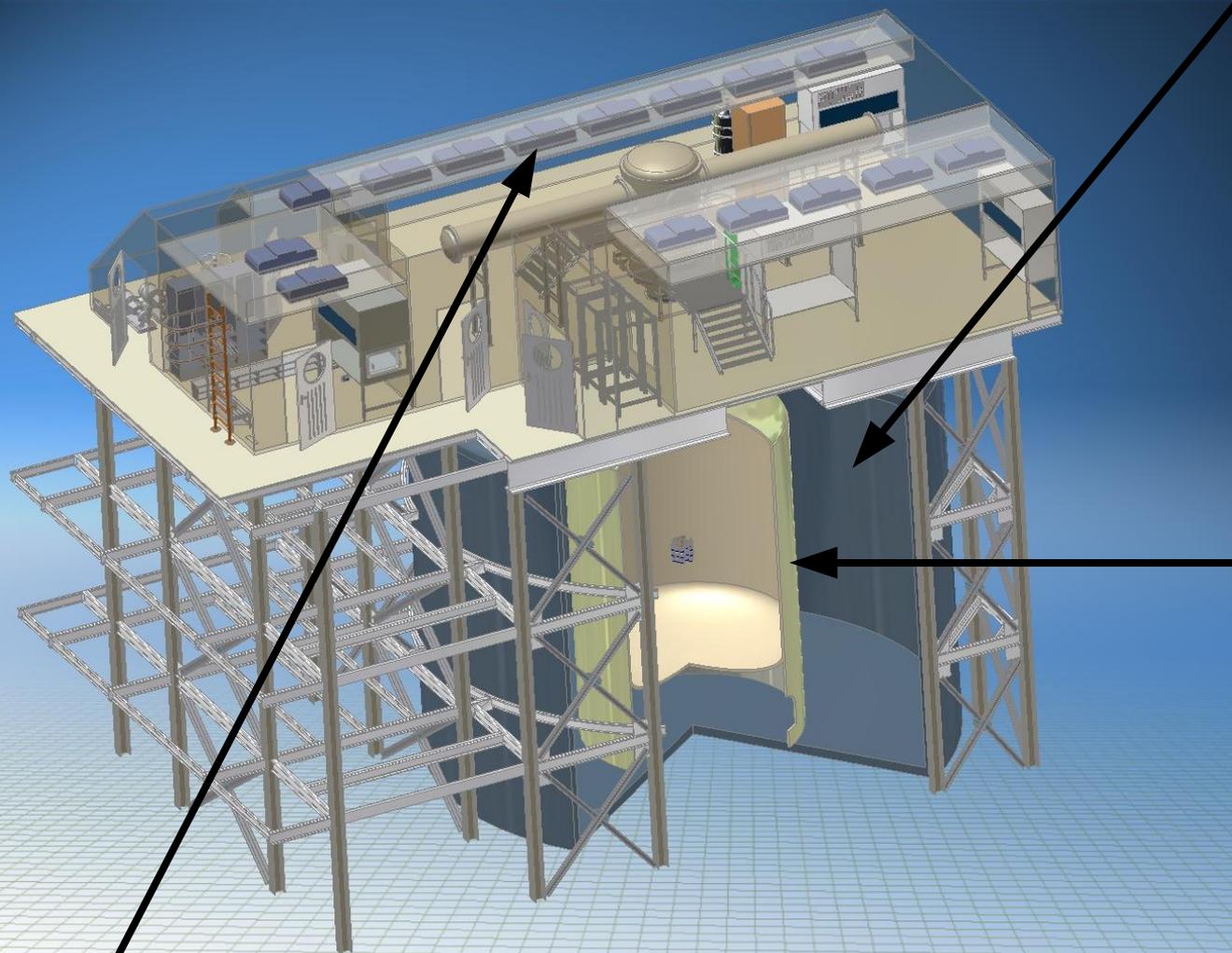
- operate **new segmented** ^{76}Ge detectors
- reach background of 10^{-3} cts/(keV kg y)
- exposure of $\sim 100\text{kg y} \Rightarrow T_{1/2} \geq 1.35 \cdot 10^{26} \text{y}$



Key issue:
low background rate
Phase I: $O(10^1) < \text{HdM}$

GERDA Concept

LNGS: ↑ 3800 m. w. e. rock above ↑



Watertank:

$r = 5\text{m}$, $h = 9.0\text{m}$

590m³ ultra-pure **water**

acts as:

- n moderator
- μ cherenkov veto

Cryostat: (copper-lining)

$r = 2.1\text{m}$, $h = 5\text{m}$

70m³ **liquid Argon**

acts as:

- shielding medium
- cooling medium

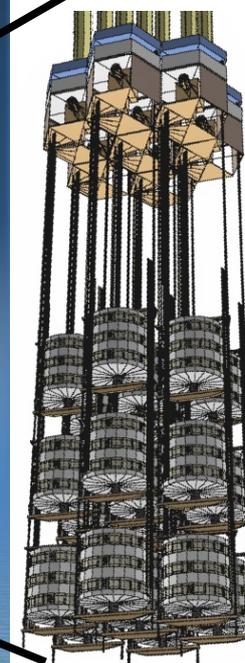
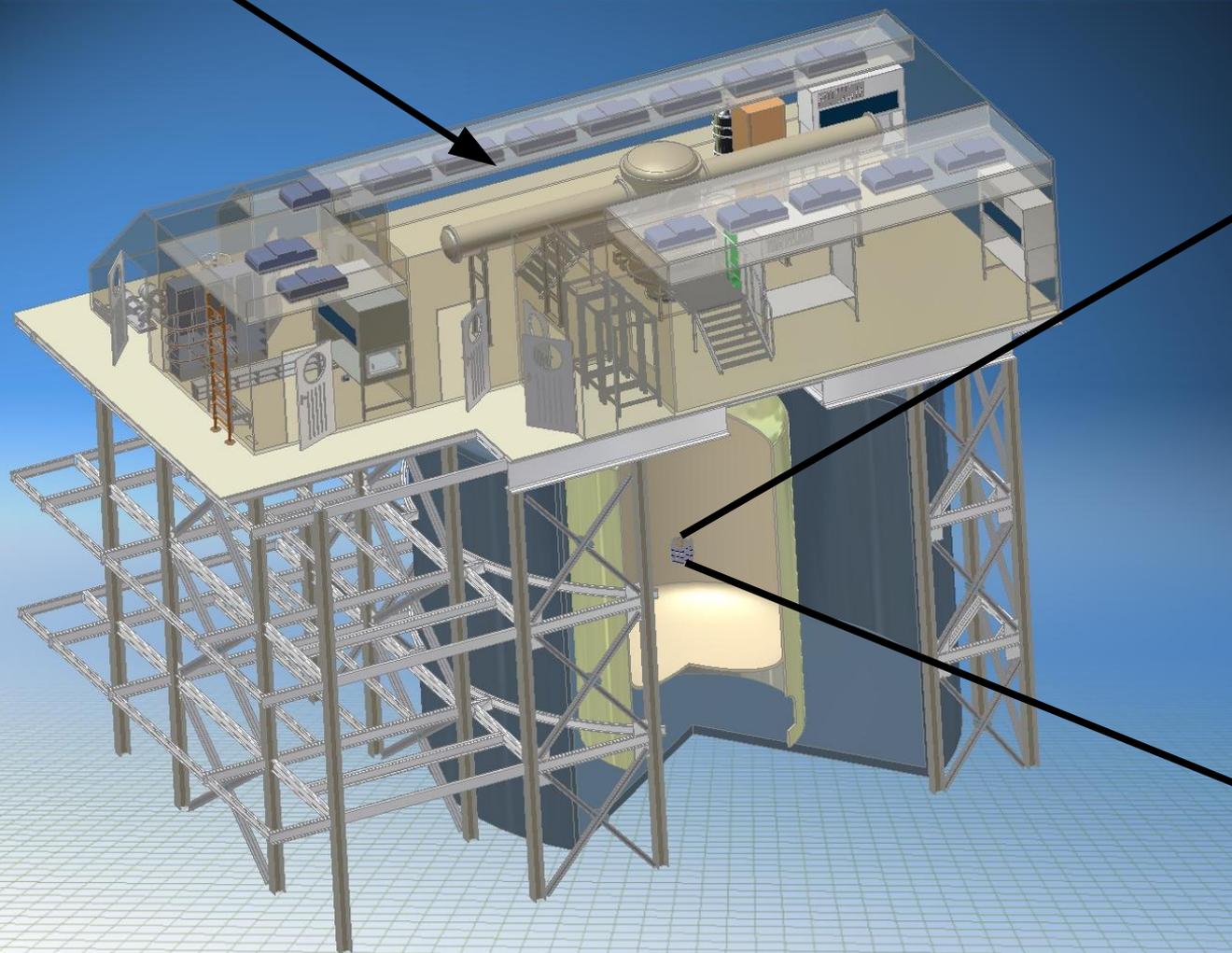
Plastic scintillators on top as muon veto

GERDA Concept

Clean room: Class 10.000

Detector array:

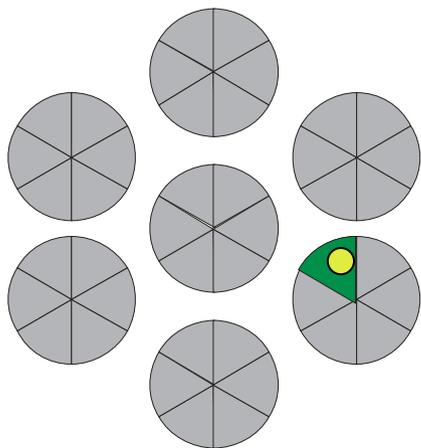
- 3 detectors per string
- up to 16 strings



- little (high-Z) material close to detectors

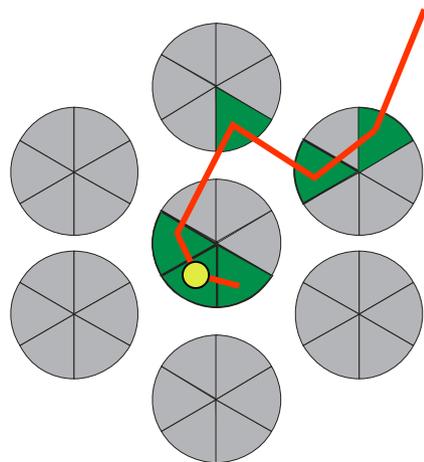
Anti-Coincidences:

Signal:



Single Site Event (SSE)

Background:

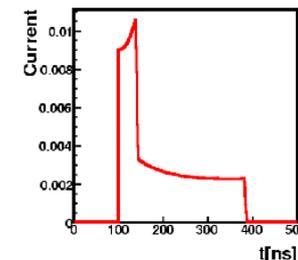
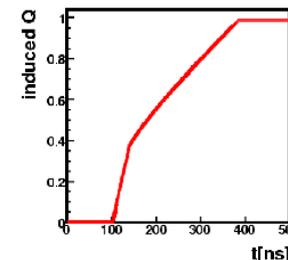
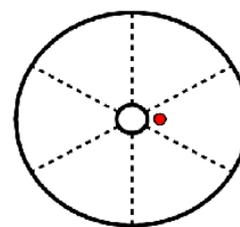


Multi Site Event (MSE)

- crystal and segment anti-coincidence possible

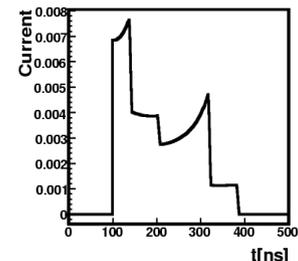
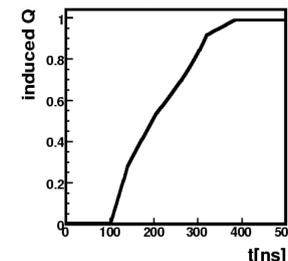
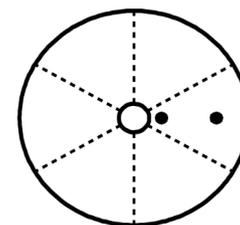
Pulse Shape Analysis: (PSA)

Single Site Event (SSE):



— Knee indicates that one charge carrier reaches electrode and stops drifting

Multi Site Event (MSE):



MSE tends to have more complicated pulse structures.

- up to factor 2 better background recognition for certain backgrounds

Pulse Shape Simulation - Why?

➔ samples of SSE and MSE are needed to understand efficiencies of PSA

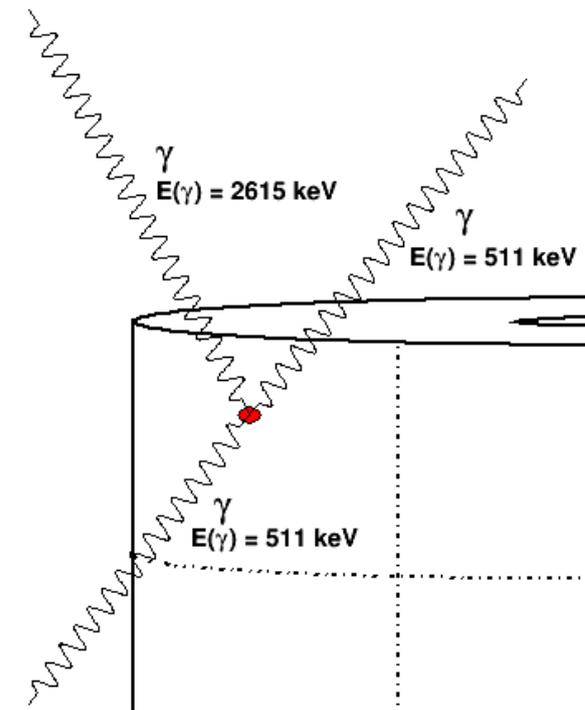
- MSE can be easily extracted from data (MeV photon peaks)
- SSE can be also be extracted from data (Double Escape Peak)

BUT:

- samples are not pure SSE or MSE
- events are not homogeniously distributed throughout the detector

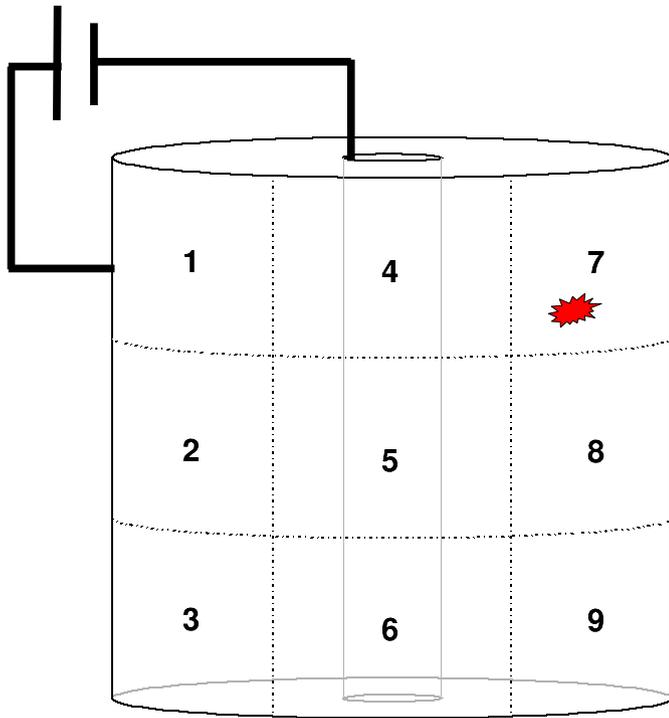
can be overcome

BUT takes long time to record samples



- Data should be supplemented by simulated pulses
 - PSS can give insights into crystal properties
 - helps reconstructing interaction positions

Pulse Shape Simulation - Basic Principle



- **energy deposit** \Rightarrow electrons holes created
- charges **drift** under influence of external **E-Field**
- drifting charges **induce pulses** on electrodes

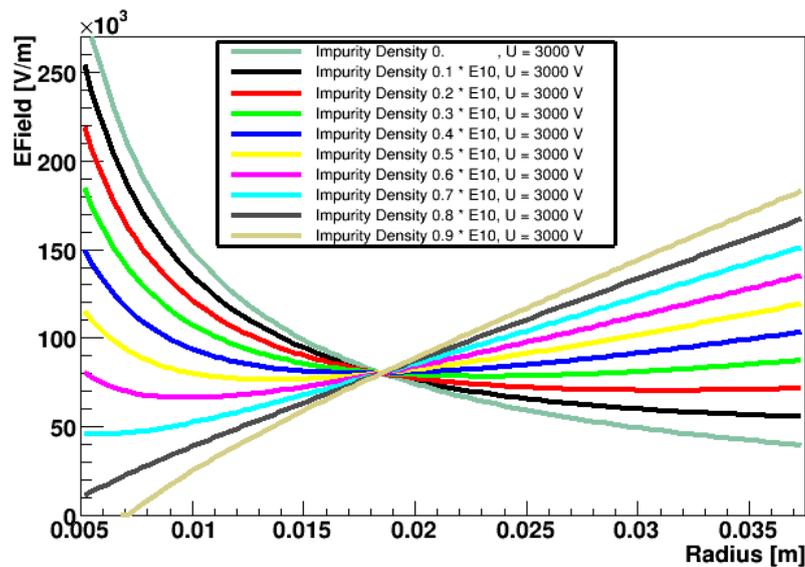
1. simulate energy deposit using MaGe
2. group hits according to position bandwidth and sampling frequency
3. determine number of electron hole pairs
4. **calculate E-Field** inside detector
5. **calculate drift** of charge carriers
 \Rightarrow **calculate induced charges** using **weighting potentials**
6. take into account electronics effect, i.e noise, bandwidth...

Pulse Shape Simulation - Electric Field

Solve Poisson-equation: $\nabla^2 \phi(\vec{r}) = \frac{1}{(\epsilon_0 \cdot \epsilon_R)} \cdot \rho(\vec{r})$

numerical procedure: **Successive Overrelaxation (SOR)**

agreement
numerical and analytical solution
better than 1%
numerical calculation works



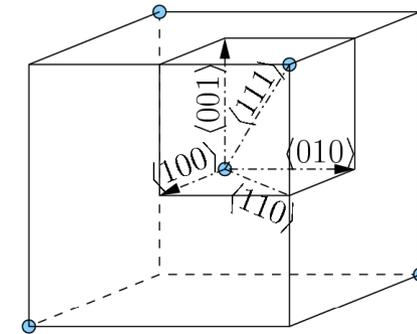
- impurity density ρ dominates the electric field
- ρ changes with radius, height and also in azimuthal angle ϕ

Drift:

$$\vec{v}(\vec{r}) = \mu_{e,h} \vec{E}(\vec{r})$$

- in direction $\langle 100 \rangle$, $\langle 110 \rangle$ and $\langle 111 \rangle$
 $\mu_{e,h}$ **parallel** to E-Field
otherwise not!
- experimental data along axes exists
 \Rightarrow mobility can be extracted along axes

with $\mu_{e,h}$ depends on temperature, electric Field and **structure** of **germanium crystal**

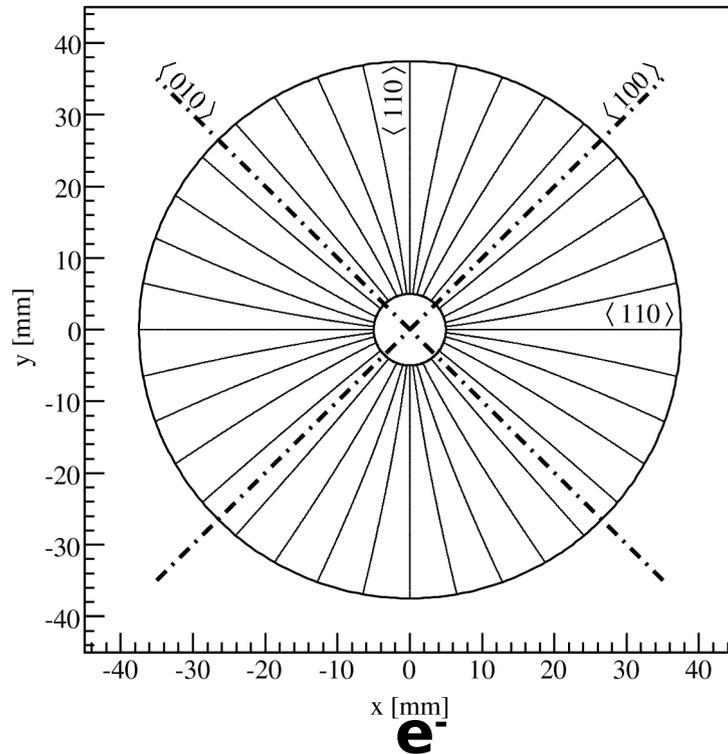


$$v = \frac{\mu_0 E}{\left[1 + \left(\frac{E}{E_0} \right)^\beta \right]^{1/\beta}} - \mu_n E$$

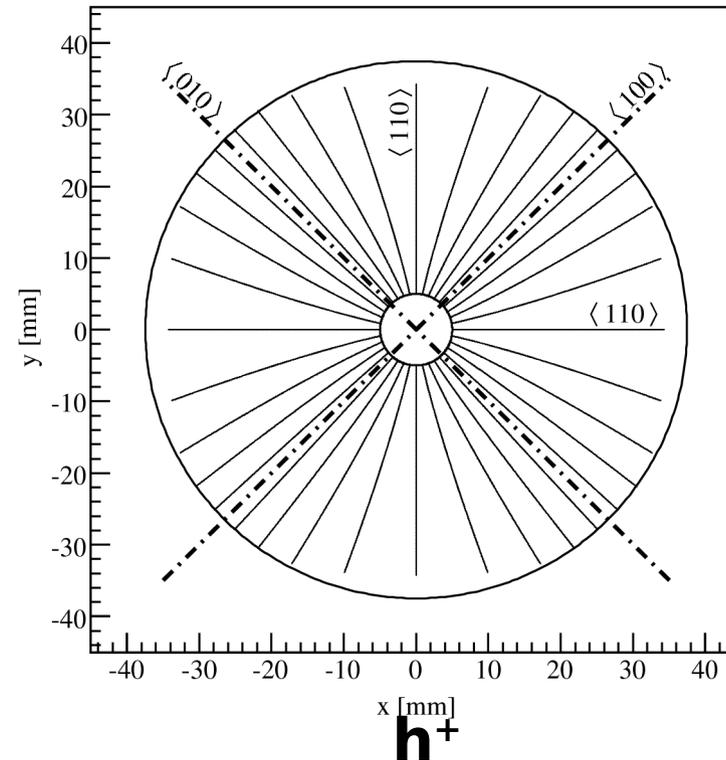
Charge carrier drift in **any** direction can be computed using mobilities along $\langle 100 \rangle$ and $\langle 111 \rangle$ directions

Pulse Shape Simulation - Drift

- drift charges in **fixed time intervall** Δt
- start position **equally spaced** on outer/inner surface



drift from outside in



drift from inside out

- holes drift slower than electrons
- drift along $\langle 100 \rangle$ axis faster than $\langle 110 \rangle$

Shockley-Ramos Theorem:

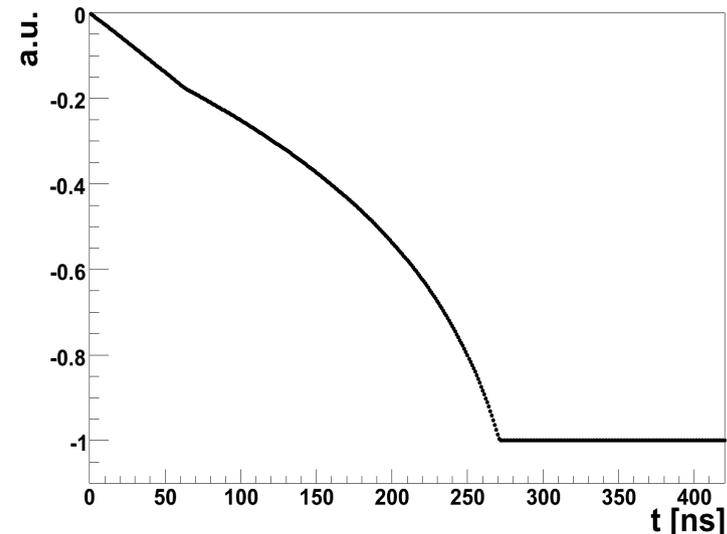
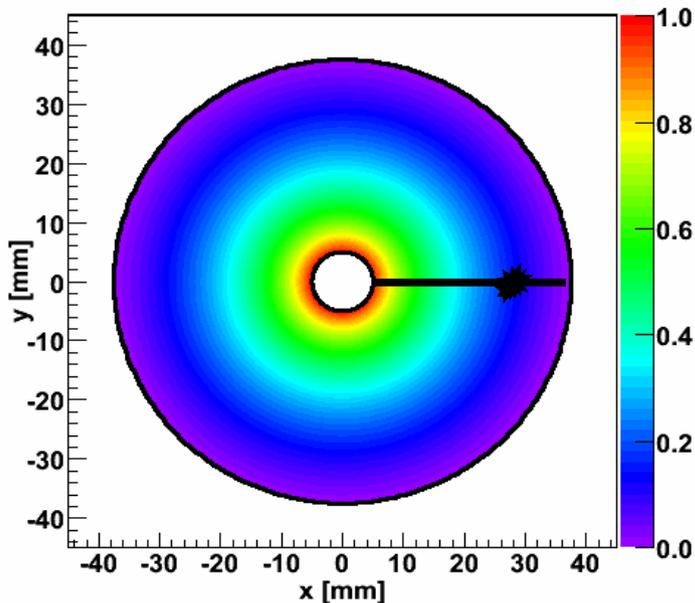
$$Q_{induced}^i(t) = q_e \cdot \phi_W^i(\vec{r}(t)) + q_h \cdot \phi_W^i(\vec{r}'(t))$$

Weighting Potential:

calculated solving Laplace equation
BC WP on electrode 1, otherwise 0

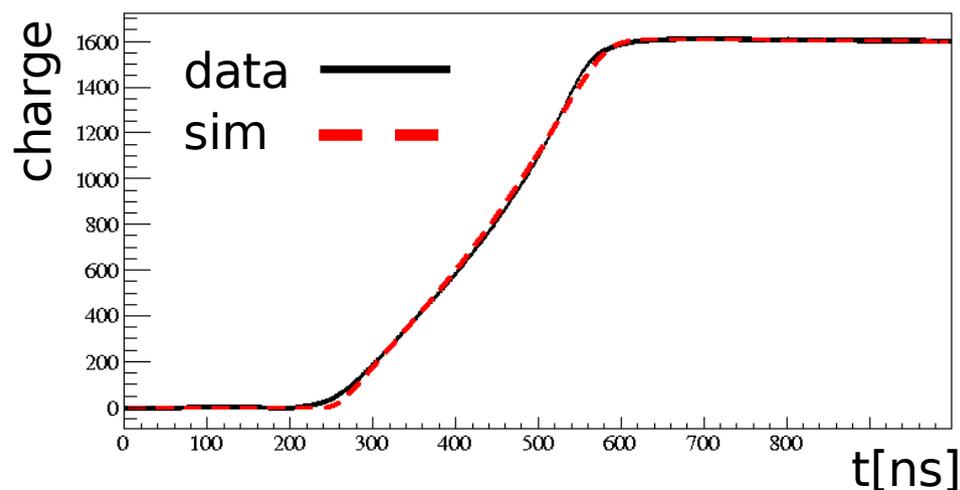
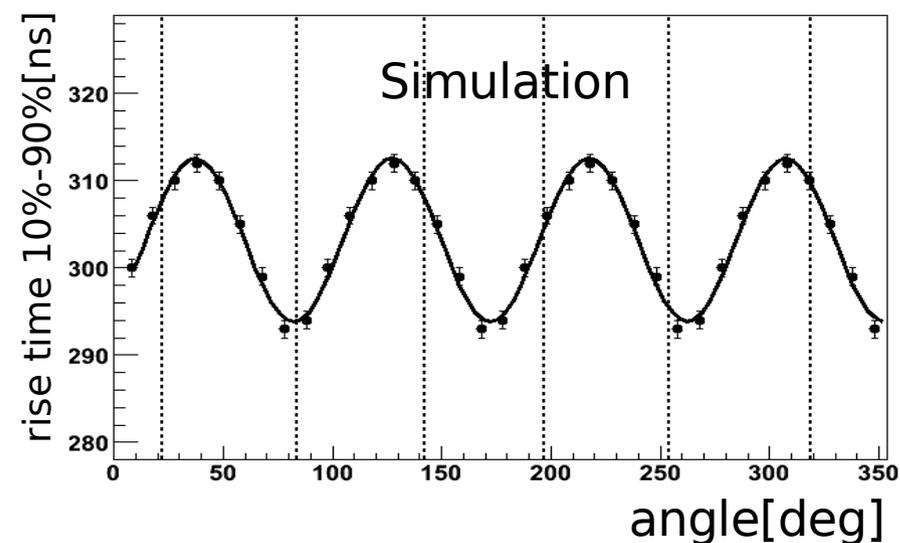
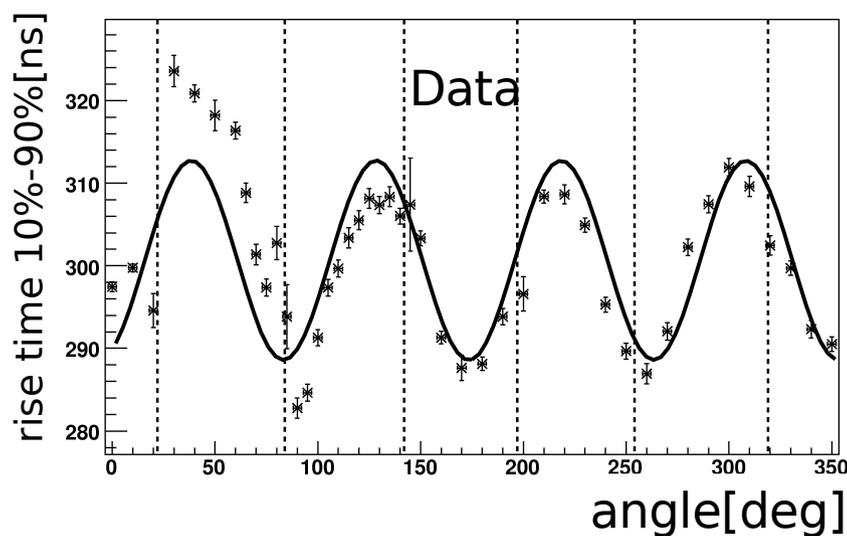
no analytical solution in 3D for 18 segments

Need numerical calculation (SOR)



Pulse Shape Simulation - Results

- adding **electronics bandwidth** and **DAQ sampling frequency**
⇒ realistic pulse - comparable to data:

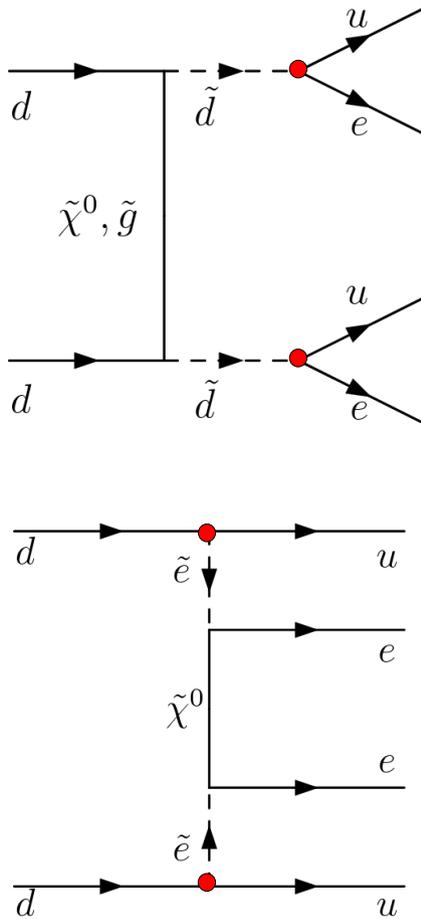


- scaling of pulse length of ~10% needed
- agreement of rise time and shape at the % level

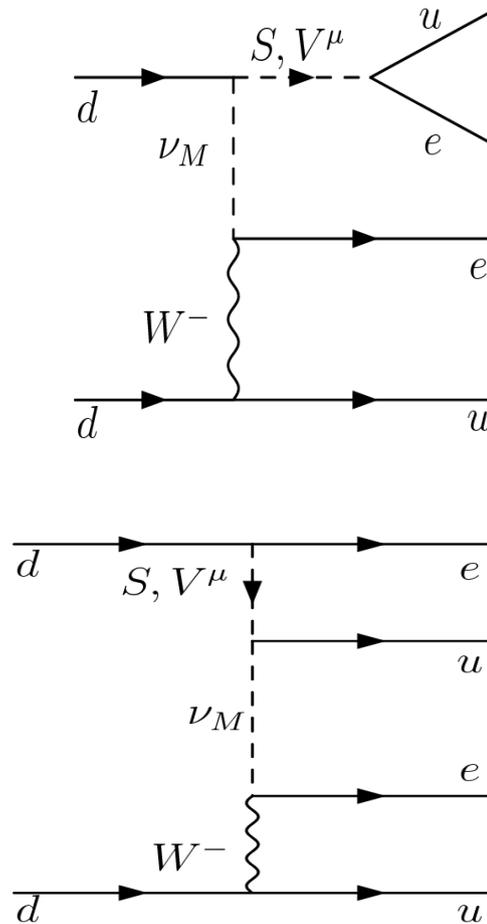
- Neutrinoless double beta decay **only way** to unveil the nature of the neutrino
- GERDA will search for $0\nu\beta\beta$ and check claim of parts of the HDM group
- Background reduction is crucial: **Anti-coincidence** and **Pulse Shape Analysis** needed to reduce background
- **Realistic** pulse shape simulation **needed** to fully **understand** PSA
- Realistic pulse shape simulation was **successfully developed**

Other Possibilities of $0\nu\beta\beta$

R-Parity violation SUSY:



Leptoquarks:



Even more:

- Theories allowing for right handed currents
- Compositeness
- Heavy Majorana neutrino exchange

Strongest bounds on λ'_{111} from $0\nu\beta\beta$
 e.g. Physics Reports 420: 1-202, 2005

Heidelberg-Moscow experiment:

- 5 enriched Ge p-type crystals
- background index ~ 0.1 cts/(keV kg y)
- $T_{1/2} \geq 1.9 \cdot 10^{25}$ y (90% C.L.) 35.5 kg y
Eur. Phys. J. A12, 147-154 (2001)

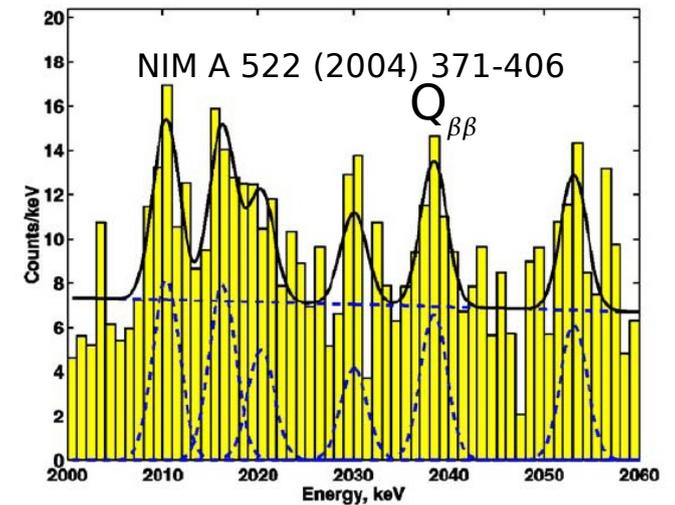
- part of collaboration **claims a signal**
Mod. Phys. Lett. A16 2409-2420 (2001), NIM A 522 (2004) 371-406

IGEX:

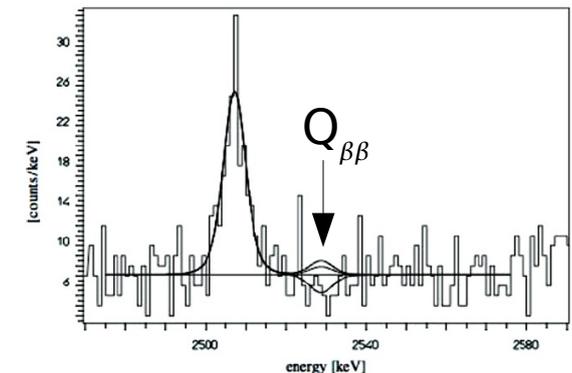
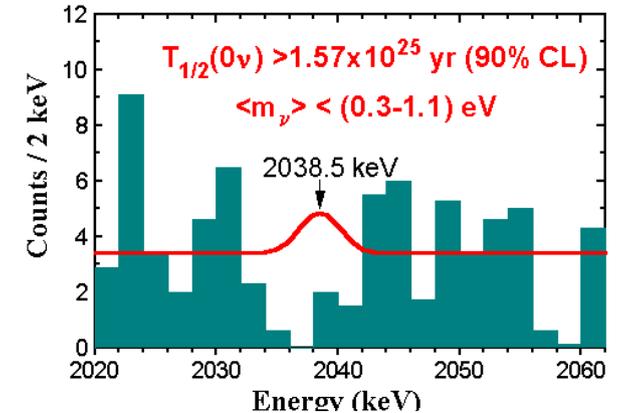
- 3 enriched Ge p-type crystals
- $T_{1/2} \geq 1.57 \cdot 10^{25}$ y (90% C.L.) 8.87 kg y
NP B (Proc.Suppl.) 87 (2000) 278

Cuoricino: *Phys. Rev. C 78 (2008) 035502*

- 62 TeO_2 bolometers 40.7kg
- $T_{1/2} \geq 3.0 \cdot 10^{24}$ y (90% C.L.) 11.83 kg y



116.75 mole.years - 8.87 kg.y in ^{76}Ge



$$T_{1/2} \propto \text{const} \cdot \epsilon \cdot (M \cdot T / b \cdot \Delta E)^{1/2} \quad \text{if background}$$

general considerations

- high Q-value:
 - phase space scales with Q^5
 - natural radioactivity contribution reduced
- **large target mass M**; large natural abundance, or enrichment
- high signal efficiency ϵ
- **low background rate b** in ROI **crucial!** rate := counts/(keV · kg·y)
- **good energy resolution ΔE** to separate $0\nu\beta\beta$ from $(2\nu\beta\beta + \text{other bkg})$

Ge detectors

- $Q_{\beta\beta}({}^{76}\text{Ge}) = 2039 \text{ keV}$
- enrichment in ${}^{76}\text{Ge}$ of 86%
- source = detector
- germanium is one of the purest materials to produce
- excellent energy resolution
 $\text{FWHM}(Q_{\beta\beta}) < 5\text{keV}; \Delta E/E = 0.2\%$

Background: processes which cause energy deposition inside Region Of Interest

- **Decay of cosmogenically produced radioactive isotopes**

Detector production and storage

- Cosmic muons

- Neutrons:

- Muon induced

- From radioactive isotopes in the rock

Depth and laboratory dependent

- Radioactive isotopes in the surrounding:

- Electrons/positrons

- **Photons**

- Alphas (surface)

Choice of material close to detectors

Purity of the liquid argon

Background units:

counts / (keV·kg·y)

around $Q_{\beta\beta}$

total mass

measuring time

Expected Background Phase II

- simulation of an array with 21 segmented detectors, 7 strings, each 3 detectors
- simulation carried out with **MaGe** (MajoranaGerda) GEANT4 based framework
- background including segment anti-coincidence



Part	Background contribution [10^{-4} counts/(keV·kg·y)]	
Crystal	18	⁶⁸ Ge main source
Holder	3	
Cabling	18	R&D for new cable
Electronics	5	
Muons	~ 0.1	including muon veto
Neutrons	~ 0.1	external n negligible
Total	~ 44	

PSA Example

- n-type 18-fold segmented HP Ge detector
- only core pulse used

