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Gauge-top unification

Rolf Kappl

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based on Pierre Hosteins, RK, M. Ratz, K. Schmidt-Hoberg arXiv:0905.3323, JHEP 0907:029,2009

> IMPRS PPSMC LMU Munich, November 13th 2009



GUTs in extra dimensions

String derived models

Phenomenological implications

Summary

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Motivation

How can we test string theory?

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- How can we test string theory?
- Large top Yukawa coupling seems to be rare in string theory

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- Gauge-top unification in string derived models is interesting
- Consequences can give a chance to exclude models



Why extra dimensions?

SUSY at the low scale ⇒ Grand unification!



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- Orbifolds are the 'simplest' extra dimensional setup with chiral spectrum

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GUTs in extra dimensions

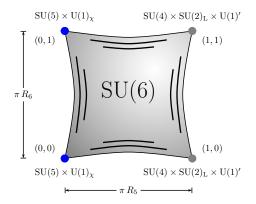
GUTs in extra dimensions

- Higher dimensional GUT with $\mathcal{M}_4\times \mathbb{T}^2/\mathbb{Z}_2$ geometry

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 Results in ytū₃q₃hu = gū₃q₃hu ⊂ L₄ [Burdman, Nomura], [Buchmüller, Schmidt]

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- Results in ytu3q3hu = gu3q3hu ⊂ L4 [Burdman, Nomura], [Buchmüller, Schmidt]

We get the tree level relation $y_t = g$ (large top Yukawa coupling)

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Corrections to $y_t = g$

• Corrections from localized brane states \approx MSSM threshold corrections

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Corrections to $y_t = g$

 Corrections from localized brane states MSSM threshold corrections Neglected

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- Corrections from localized brane states MSSM threshold corrections Neglected
- Diagonalization effects

$$Y_u = \left(\begin{array}{ccc} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & \mathcal{O}(g) \end{array}\right) + \left(\begin{array}{ccc} s^{n_{11}} & s^{n_{12}} & s^{n_{13}} \\ s^{n_{21}} & s^{n_{22}} & s^{n_{23}} \\ s^{n_{31}} & s^{n_{32}} & s^{n_{33}} \end{array}\right)$$

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- Corrections from localized brane states MSSM threshold corrections Neglected
- Diagonalization effects Neglected

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- Diagonalization effects Neglected
- Localization effects through Fayet-Iliopoulos (FI) term

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- Corrections from localized brane states MSSM threshold corrections Neglected
- Diagonalization effects Neglected
- Localization effects through Fayet-Iliopoulos (FI) term Leading effect

Corrections to $y_t = g$

- Corrections from localized brane states MSSM threshold corrections Neglected
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Topic of this talk!

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Localization effects

 Usual assumption: u
₃ etc. are zero modes in the bulk ⇒ have flat profiles!

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- Consider additional U(1) symmetry with tr(q_l) ≠ 0 at different fixed points ⇒ local FI term

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- Consider additional U(1) symmetry with tr(q_l) ≠ 0 at different fixed points ⇒ local FI term
- Bulk fields charged under this U(1) get non-trivial profile through the local FI term [Lee, Nilles, Zucker]
- Effect even occurs when the effective FI term in 4D vanishes ⇒ Local effect! (compare to F-theory)

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Zero mode profile

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Zero mode profile

Zero mode profile:

$$\varphi \simeq f \prod_{I} \left| \vartheta_1 \left(\frac{z - z_I}{2\pi} \right| \tau \right) \right|^{\frac{1}{2\pi} g_6 q_{\varphi} \xi_I} \\ \exp \left(-\frac{1}{8\pi^2 \tau_2} g_6 q_{\varphi} \xi_I (\operatorname{Im}(z - z_I))^2 \right)$$

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Zero mode profile

Zero mode profile:

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f is a normalization constant, *z* the torus coordinate, *z_l* labels the fixed points, *τ* is the Teichmüller parameter of the torus and ϑ₁(*z*|*τ*) the Jacobi ϑ-function

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Zero mode profile

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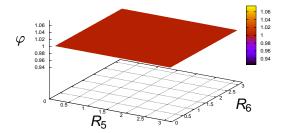
- *f* is a normalization constant, *z* the torus coordinate, *z_l* labels the fixed points, *τ* is the Teichmüller parameter of the torus and ϑ₁(*z*|*τ*) the Jacobi ϑ-function
- ξ_I is the FI term:

$$\xi_I = \frac{1}{16\pi^2} g_6 \Lambda^2 \operatorname{tr}(q_I), \quad \Lambda = \operatorname{UV} \operatorname{cutoff}$$

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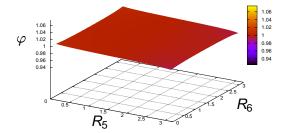
Localization of a zero mode

q = 0



Localization of a zero mode

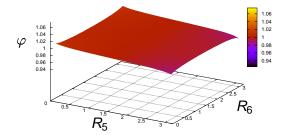
$$q = -1 \cdot 10^{-2}$$



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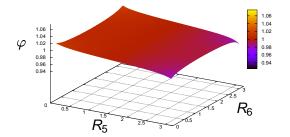
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$$q = -2 \cdot 10^{-2}$$



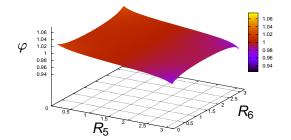
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$$q = -3 \cdot 10^{-2}$$



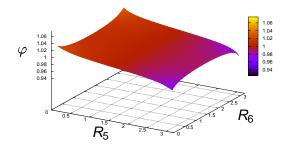
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$$q = -4 \cdot 10^{-2}$$



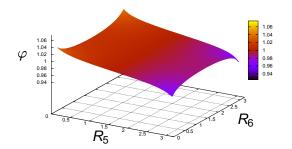
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$$q = -5 \cdot 10^{-2}$$



Localization of a zero mode

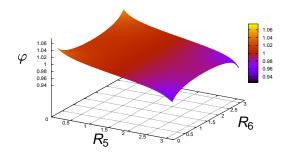
 $q = -6 \cdot 10^{-2}$



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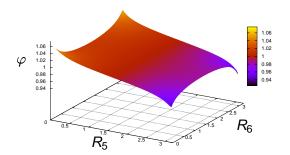
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$$q = -7 \cdot 10^{-2}$$



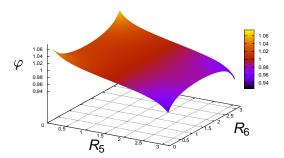
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Effect on $y_t = g$

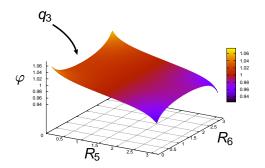
• *y_t* and *g* are proportional to overlap integrals in the extra dimensions

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- *y_t* and *g* are proportional to overlap integrals in the extra dimensions
- $y_t \sim \int d^2 z h_u q_3 \overline{u}_3$

Effect on $y_t = g$

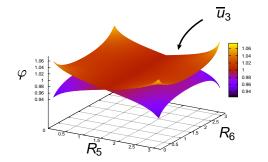
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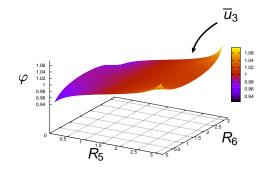
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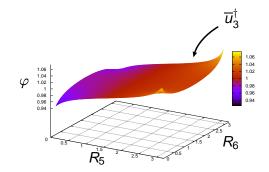
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Overlap integrals differ $\Rightarrow y_t < g$

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Moduli dependence

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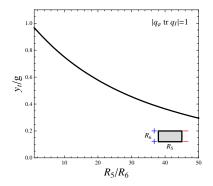
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A heterotic orbifold model

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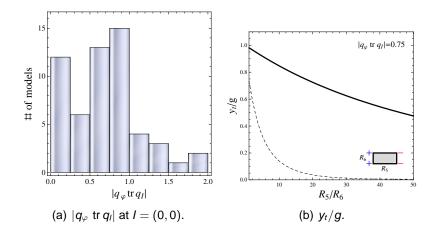
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- Similar effects should also occur in non heterotic GUTs

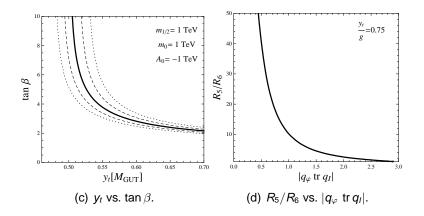
Summary

Different models in heterotic string theory



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tan β can be related to the extradimensions



More about $\tan \beta$

More about tan β

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More about tan β

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- y_t at the GUT scale \Rightarrow related to tan β
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More about $\tan \beta$

- Assume a specific scenario at the GUT scale (here mSUGRA)
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This has other important implications \Rightarrow Yukawa pattern, Gauge thresholds, etc.

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Thank you for your attention!