



Fake-background estimation for the search for supersymmetry in multileptonic final states with the ATLAS detector

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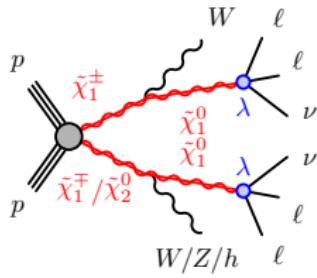
Max Planck Institute for Physics
(Werner-Heisenberg-Institut)

Thursday 28th March, 2019

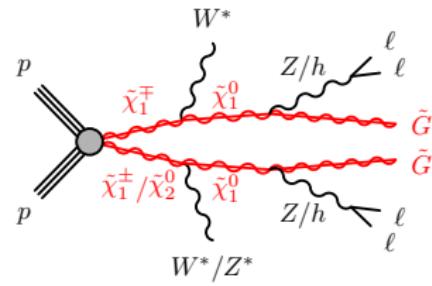


MAX-PLANCK-GESELLSCHAFT

Search for Supersymmetry in Final states with four leptons



R-parity violating (RPV) SUSY



General Gauge Mediated (GGM) SUSY

Final states distinguished by hadronic τ multiplicity and the presence or absence of a Z boson

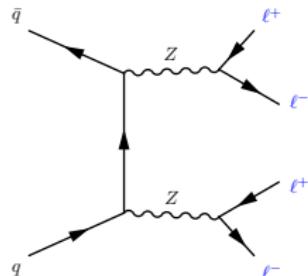
Background



Two types of background:

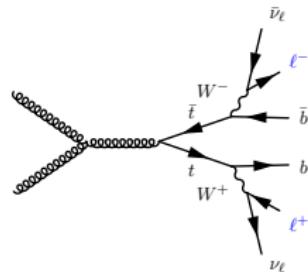
- Irreducible background:

- Processes with four or more leptons in the final state
 - e.g. ZZ , $t\bar{t}Z$, VVZ ($V = Z, W$)
 - Estimated from Monte Carlo simulation



- Reducible background:

- Processes with at least one fake lepton
 - Estimated with data-driven fake-factor method
 - e.g. $t\bar{t}$, $Z+jets$
 - dominating background in regions with τs



The Fake factor method



Why not using Monte Carlo simulation for the fake lepton background?

- low statistics
- bad modeling of fake leptons

To increase statistic:

Use control regions with one or two loose leptons (lepton failing a signal selection criteria).

$$N_{SR}^{SM, reducible} = (N_{CR1}^{data} - N_{CR1}^{SM, irreducible})F - (N_{CR2}^{data} - N_{CR2}^{SM, irreducible})F_1F_2$$

- Fakefactor: $F \approx \frac{N_{signal}}{N_{loose}}$
- CR1: Region with 1 loose lepton (most likely a fake lepton)
- CR2: Region with 2 loose leptons

Fake factor F depends on process ($t\bar{t}$, $Z+jets$) and fake type



The Fake factor method

$$N_{SR}^{SM, \text{reducible}} = (N_{CR1}^{\text{data}} - N_{CR1}^{SM, \text{irreducible}})F - (N_{CR2}^{\text{data}} - N_{CR2}^{SM, \text{irreducible}})F_1F_2$$

The final Fake factor is the weighted average over all fake types and processes

$$F^\ell = \sum_{i,j} (f^{ij} \times sf^i \times F^{ij})$$

$$F^{ij} = \frac{N_{\text{signal}}}{N_{\text{loose}}} : \text{Fake factor}$$

- estimated from MC
- independent from the region (no need for four leptons)

$$sf^i = \frac{F_{\text{data}}}{F_{\text{MC}}} : \text{Scale factor}$$

- Correct data to MC
- measured in a region enriched with a certain fake type

$$f^{ij} : \text{Process fraction}$$

- Fraction of each contributing fake type and process
- estimated from MC
- dependent on the control region

Fake leptons are distinguished by the fake origin

- light flavor (LF) jets
 - hadrons misidentified as leptons
- heavy flavor (HF) jets
 - leptons originating from leptonic decays of heavy hadrons
 - real leptons but not originating from the primary process
- Conversion
 - electrons only
 - originating from photons decaying into e^+e^- (one is not reconstructed)
- Gluon jets
 - τ only
 - Gluon jet reconstructed as τ

Concentrating on τ s for this talk

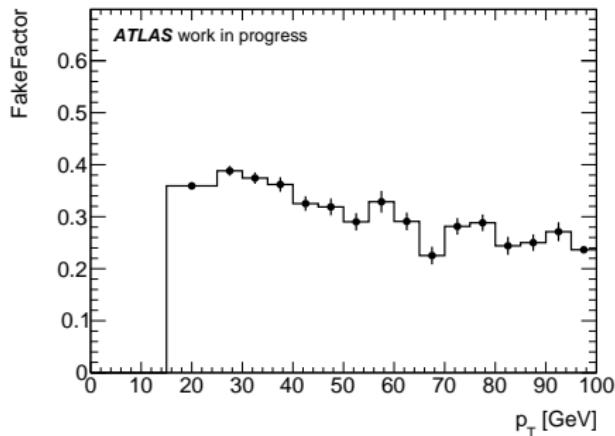
Fake factor



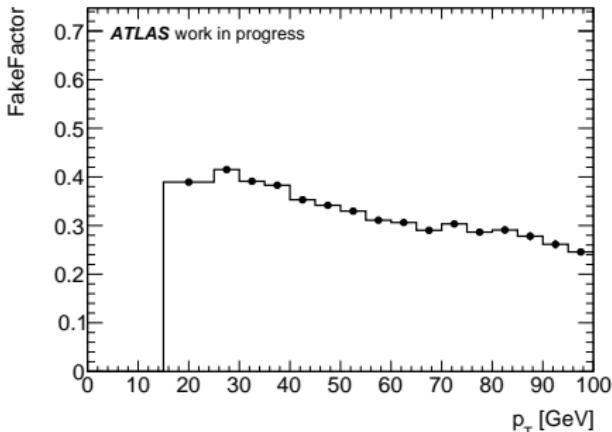
Fake τ from light flavor jets.

1-prong τ

Process: $Z + \text{jets}$



Process: $t\bar{t}$



$$F = \frac{N_{\text{signal}}}{N_{\text{loose}}}$$

- similar behavior for fake τ from $t\bar{t}$ and $Z + \text{jets}$

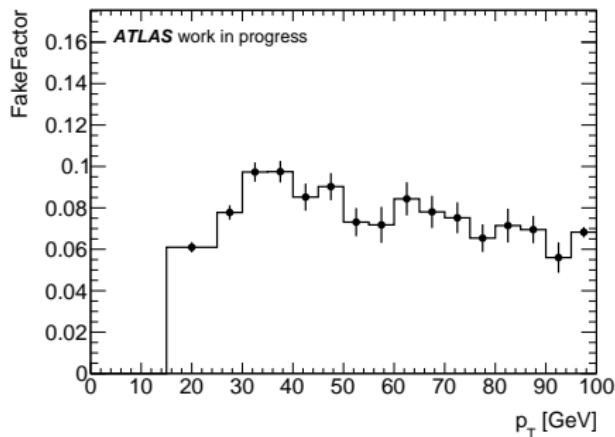
Fake factor



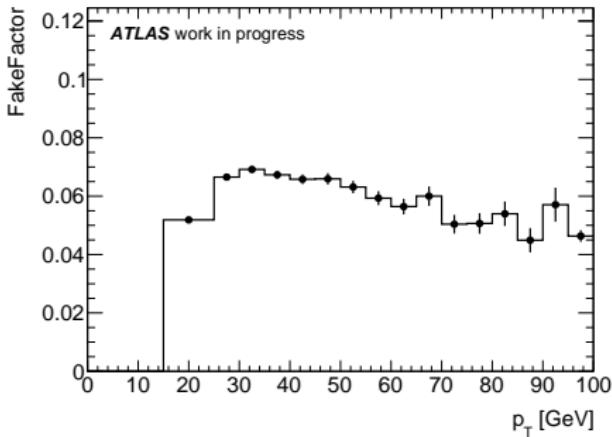
Fake τ from light flavor jets.

3-prong τ

Process: $Z + \text{jets}$



Process: $t\bar{t}$



$$F = \frac{N_{\text{signal}}}{N_{\text{loose}}}$$

- lower fake factor for 3-prong τ

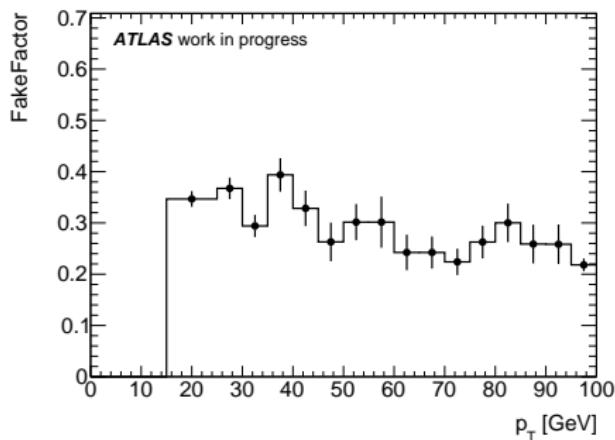
Fake factor



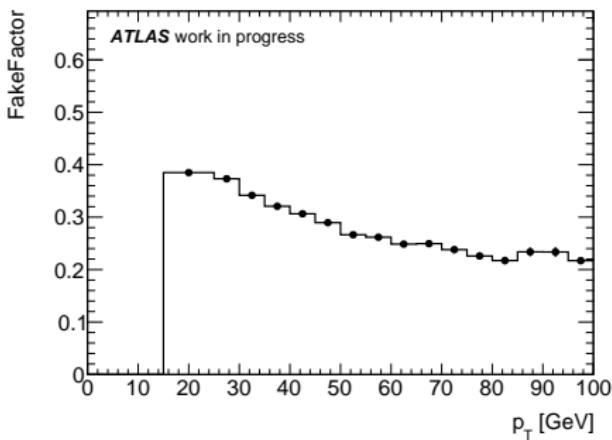
Fake τ from heavy flavor jets.

1-prong τ

Process: $Z + \text{jets}$



Process: $t\bar{t}$



$$F = \frac{N_{\text{signal}}}{N_{\text{loose}}}$$

- similar behavior for fake τ from $t\bar{t}$ and $Z + \text{jets}$

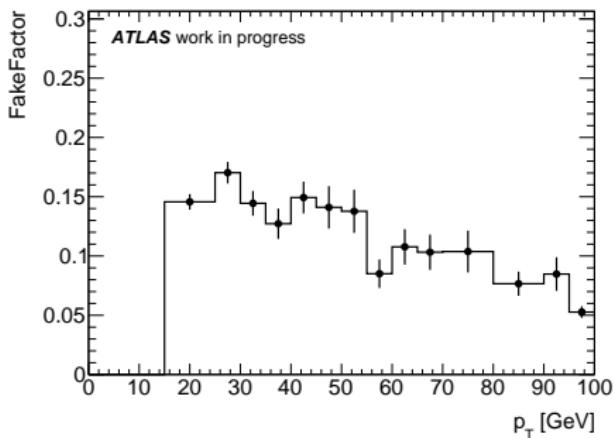
Fake factor



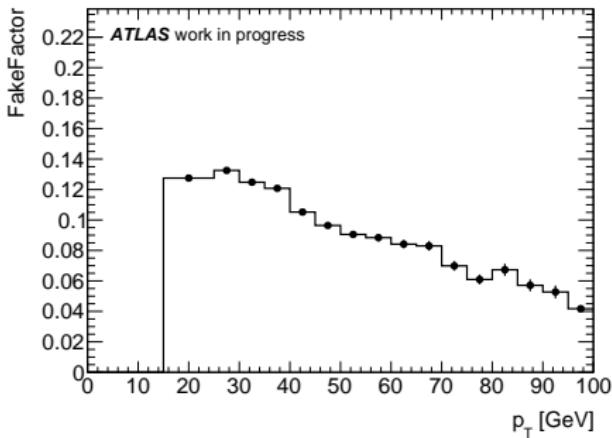
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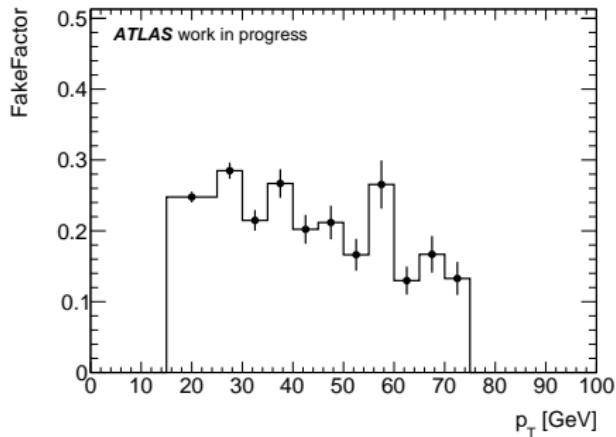
Fake factor



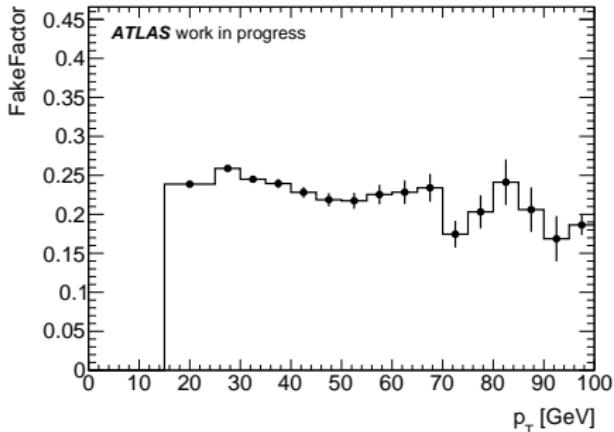
Fake τ from gluon jets.

1-prong τ

Process: $Z + \text{jets}$



Process: $t\bar{t}$



$$F = \frac{N_{\text{signal}}}{N_{\text{loose}}}$$

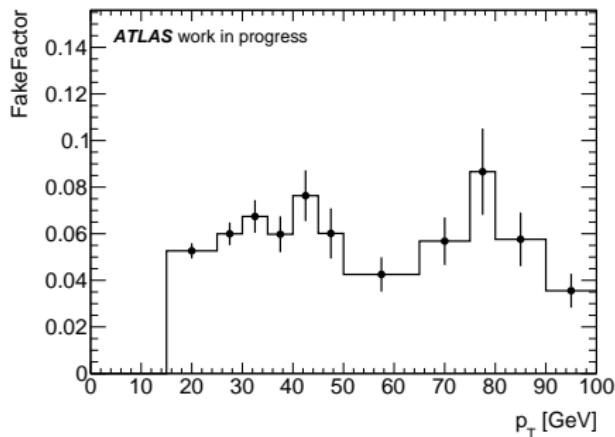
Fake factor



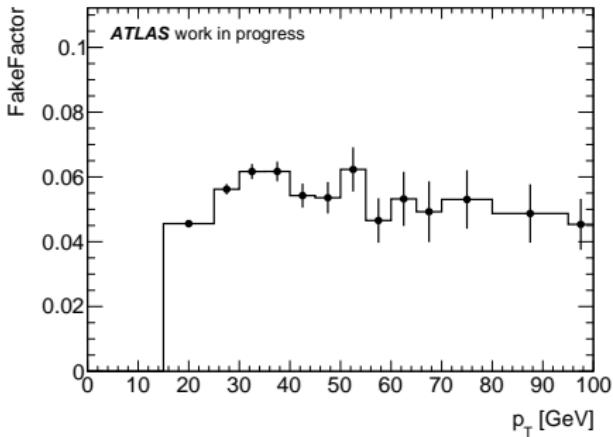
Fake τ from gluon jets.

3-prong τ

Process: $Z + \text{jets}$



Process: $t\bar{t}$



$$F = \frac{N_{\text{signal}}}{N_{\text{loose}}}$$

- lower fake factor for 3-prong τ

Scale factor



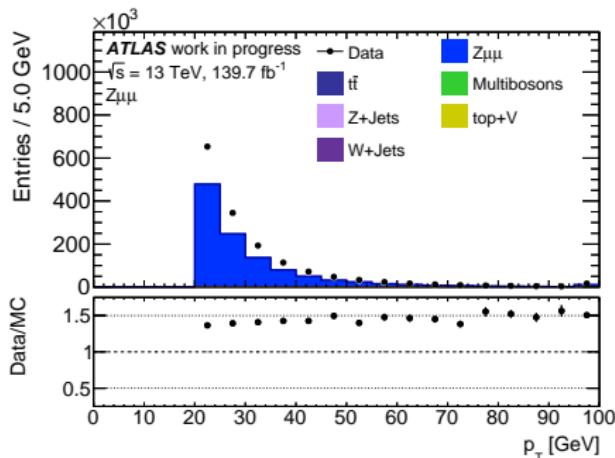
Fake factors are corrected to data to account for mismodeling

$$F^{\ell} = \sum_{i,j} (f^{ij} \times sf^i \times F^{ij})$$

$$sf = \frac{F_{\text{data}}}{F_{\text{MC}}}$$

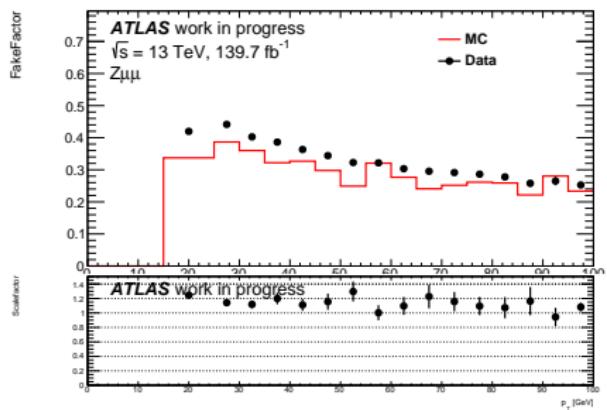
The scale factor (sf) for LF fake τ estimated in a $Z\mu\mu$ region:

- $N_\mu = 2$
- $q_{\mu\mu} = 0$
- $61 < m_{\mu\mu} < 121 \text{ GeV}$
- $N_\tau = 1$ (loose or signal)
- high purity in $Z+\text{jets}$ events
- bad modeling of fake τp_T

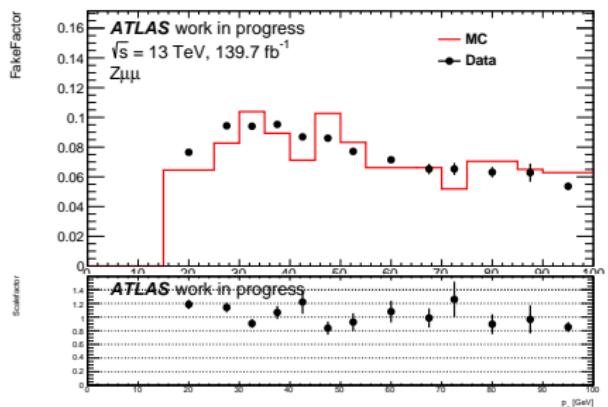


Fake factor calculated for Data and MC in the $Z\mu\mu$ region

1-prong τ



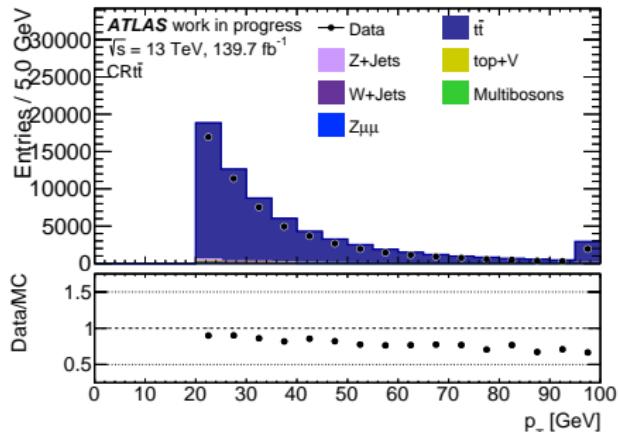
3-prong τ

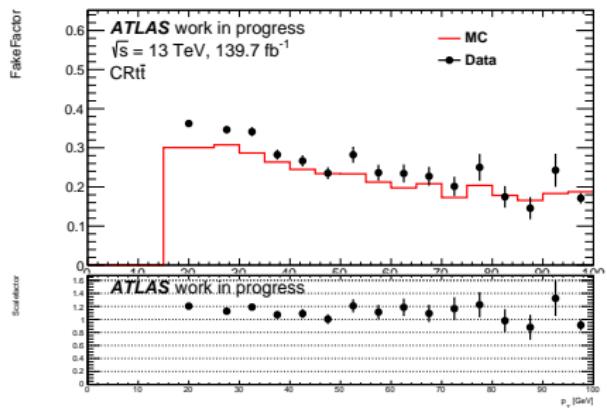
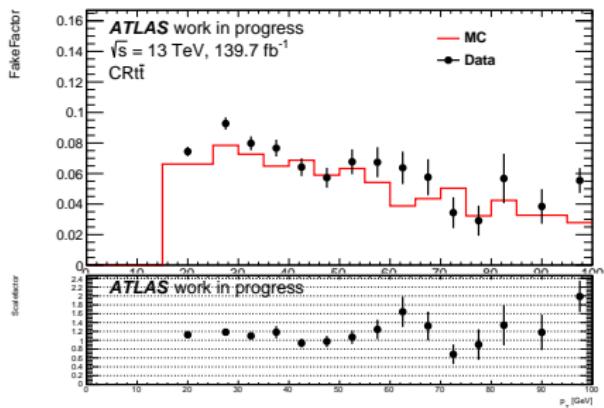


The scale factor (sf) for HF fake τ estimated in a $t\bar{t}$ region:

- $N_e = 1$
- $N_\mu = 1$
- $q_{e\mu} = 0$
- $N_{bjet} \geq 1$
- $N_\tau = 1$ (loose or signal)

- high purity in $t\bar{t}$ events
- bad modeling of fake τp_T



Fake factor calculated for Data and MC in the $t\bar{t}$ region1-prong τ 3-prong τ 

Process fraction

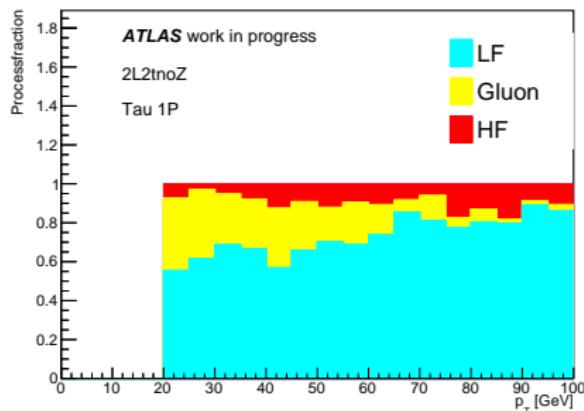


The fake factor for the different fake types have to be weighted with the fraction of each fake type in the Control regions:

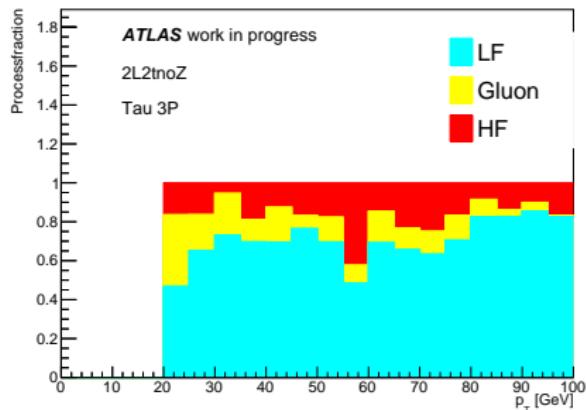
$$F^l = \sum_{i,j} (f^{ij} \times s^i \times F^{ij})$$

Process: Z+jets

1-prong τ



3-prong τ



Process fraction

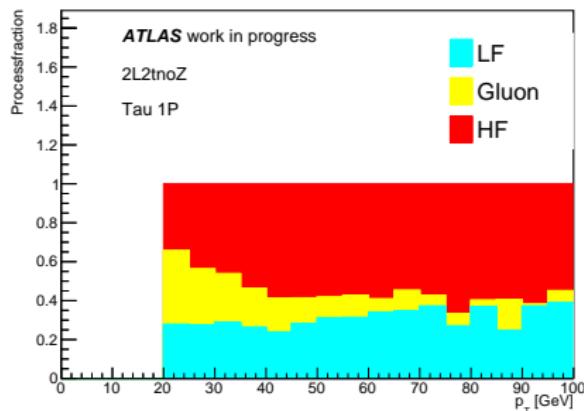


The fake factor for the different fake types have to be weighted with the fraction of each fake type in the Control regions:

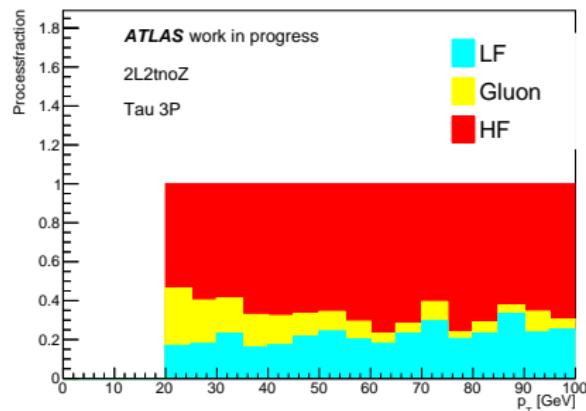
$$F^l = \sum_{i,j} (f^{ij} \times s^i \times F^j)$$

Process: $t\bar{t}$

1-prong τ



3-prong τ



- fake leptons are an important background contribution for the search for SUSY in four lepton final states
- Due to low statistics and bad modeling the analysis can not rely on Monte Carlo
- Data-driven fake factor method used to estimate fake lepton background
- different fake types and processes has to be considered