

A new 3D simulation package for solid-state detectors in Julia - SolidStateDetectors.jl

F. Fischer, L. Hauertmann, X. Liu, O. Schulz,
M. Schuster, A. J. Zsigmond



MAX-PLANCK-GESELLSCHAFT



Max-Planck-Institut für Physik
(Werner-Heisenberg-Institut)

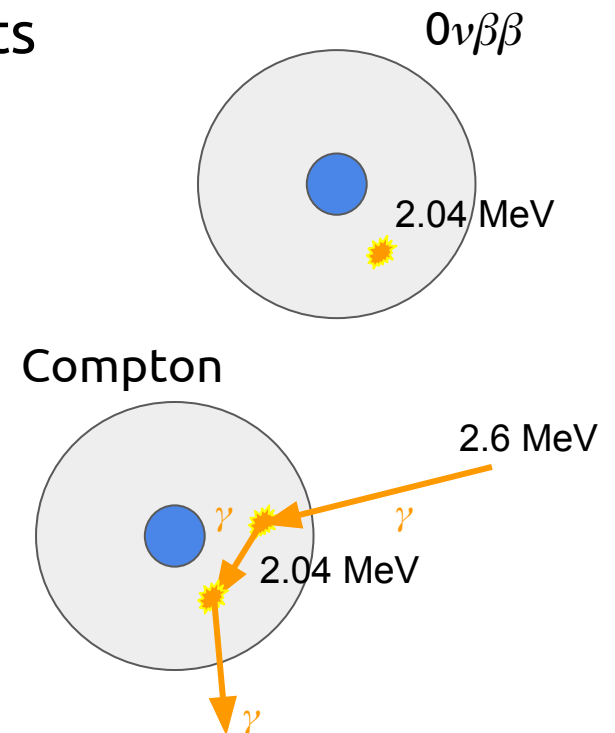
Deutsche Physikalische Gesellschaft
Aachen - 2019

Motivation

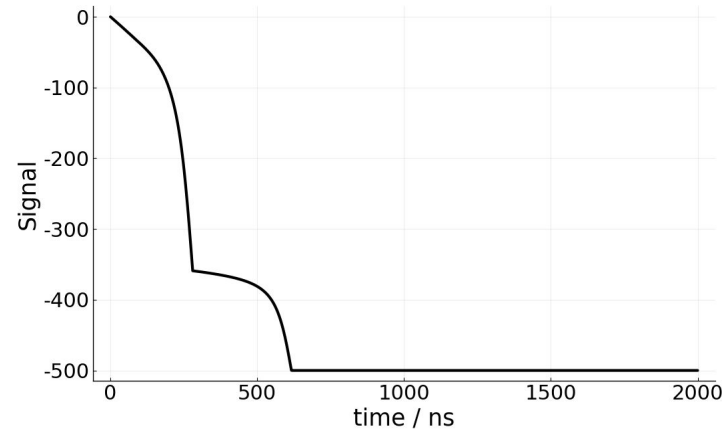
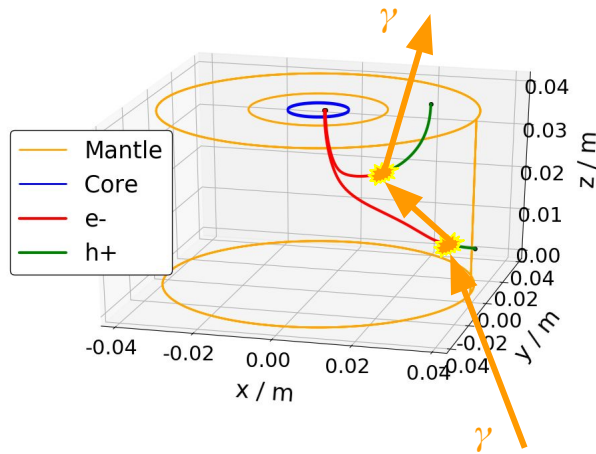
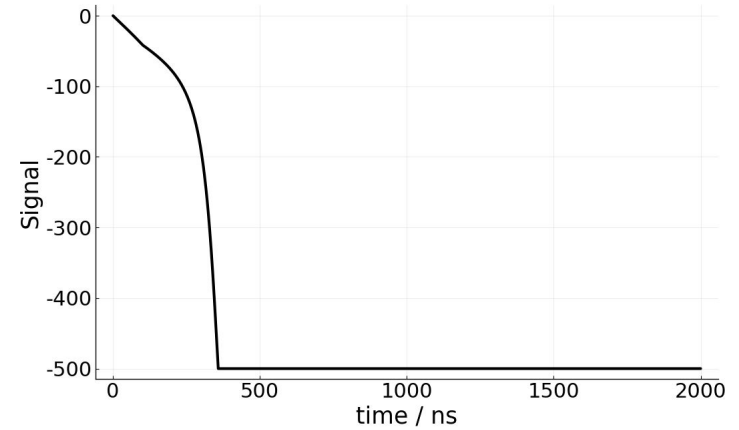
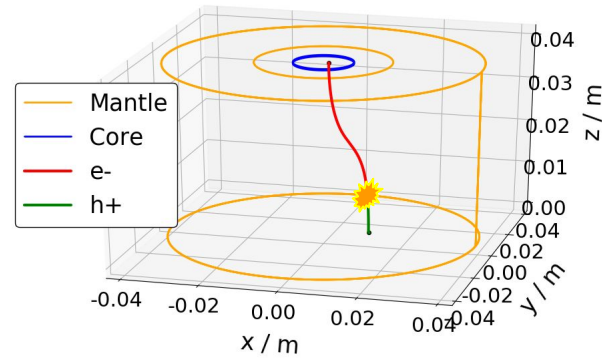
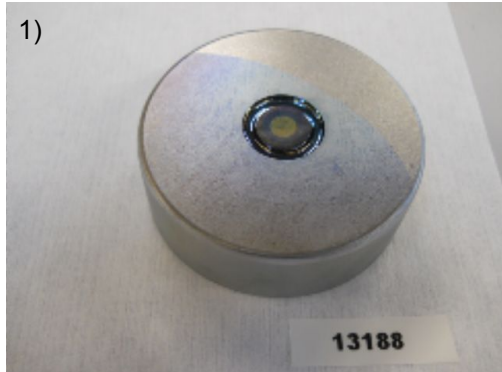
Why do we need pulse shape simulation?

- Rare Event Searches: e.g. $0\nu\beta\beta$ decay
- Reduce and identify background events
- Understand your detector
 - Understanding mobilities
 - Temperature dependence of mobilities
 - ...

→ Pulse Shape Discrimination



Motivation



1) [Background-free search for neutrinoless double- \$\beta\$ decay of \$^{76}\text{Ge}\$ with GERDA](#) - [Agostini, M. et al.](#) Nature 544 (2017) 47 arXiv:1703.00570 [nucl-ex]

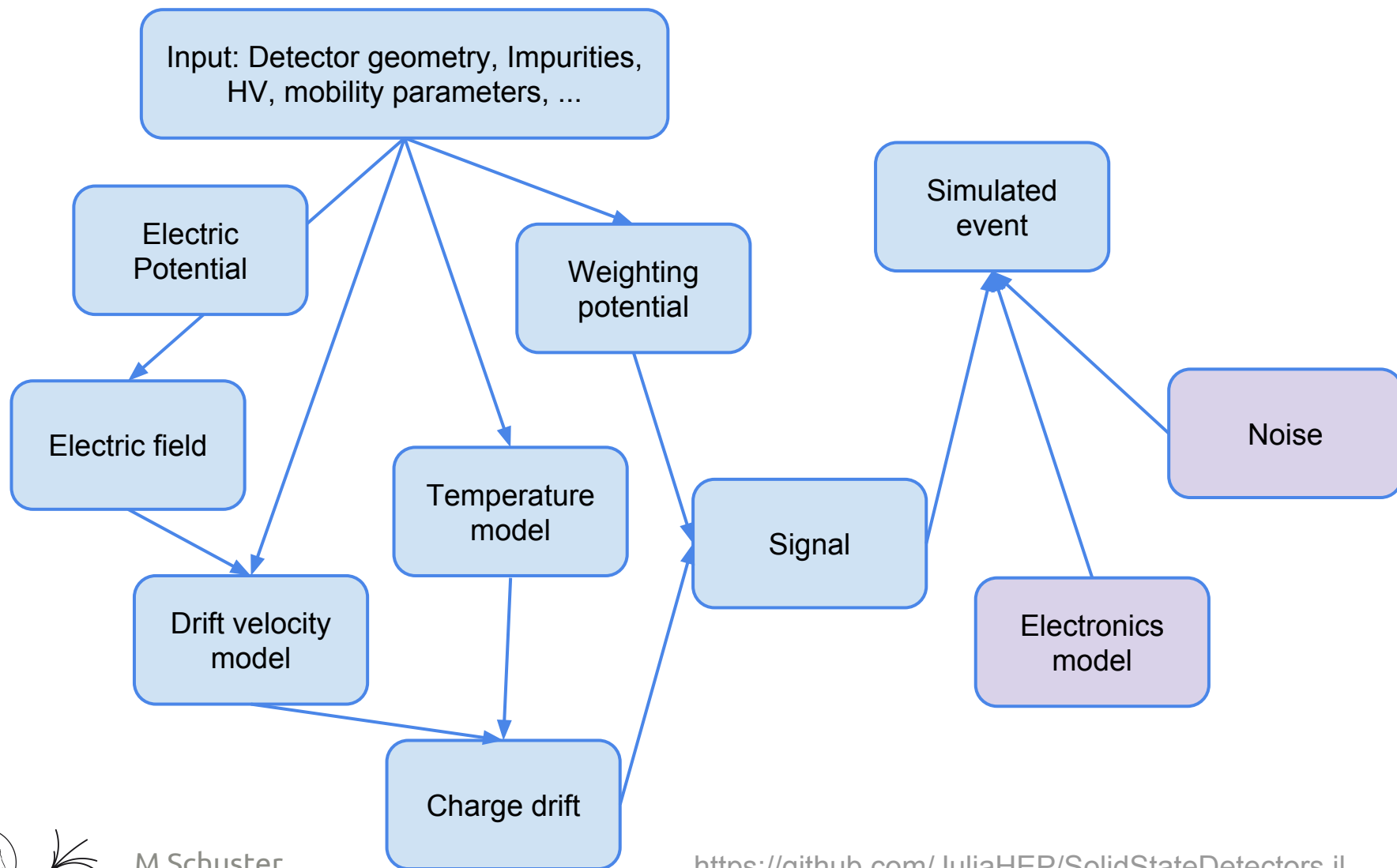


Motivation

Why do we need SolidStateDetectors.jl ?

- 3D field calculation
→ segmented detectors / crystal axes effects
- Fast field calculation
→ detector design
- Easily configurable parameters
→ fit mobilities and their temperature dependence
- Open source
→ easier development within community

Overview



Human readable input files, e.g. json

```
"bulk_type": "n",
"geometry": {
  "unit": "mm",
  "world": {
    "material": "Vacuum",
    "geometry": [
      {
        "type": "Tube",
        "rStart": 0.0,
        "rStop": 41.0,
        "phiStart": 0.0,
        "phiStop": 360.0,
        "zStart": -3.0,
        "zStop": 43.0
      }
    ]
  },
  "crystal": {
    "material": "HPGe",
    "geometry": {
      ...
    }
  }
}
```

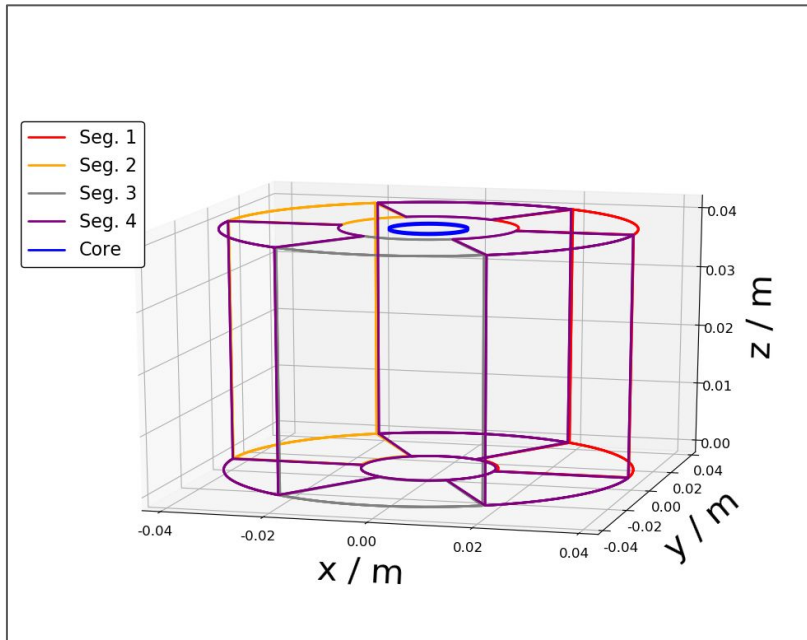
- All parameters of the calculation set in config files (.yaml, .json, ...)
 - Geometry parameters
 - Segmentation
 - Drift model parameters
 - etc.
- No hard-coding
- Easy to read



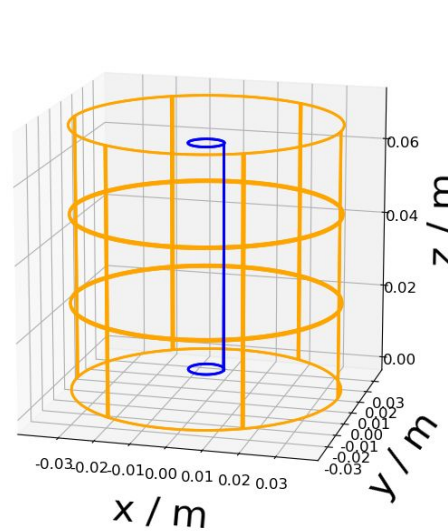
Broad range of geometries

Pre-defined geometries

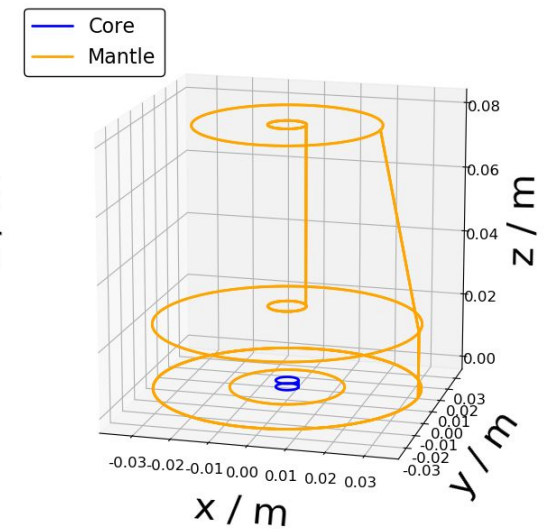
Segmented Point-Contact



True Coaxial



Inverted Coaxial



Field calculation

- Electric potential calculated by Gauss' law

$$\nabla(\epsilon_r(\vec{\mathbf{r}})\nabla\varphi(\vec{\mathbf{r}})) = \frac{\rho(\vec{\mathbf{r}})}{\epsilon_0}, \quad \vec{\mathbf{r}} = (r, \phi, z)$$

$\varphi(\mathbf{r})$ electric potential, ϵ_0 vacuum permittivity, $\epsilon_r = 16$ dielectric constant of germanium, $\rho(\mathbf{r})$ impurity density

- Weighting potential calculated by Gauss' law

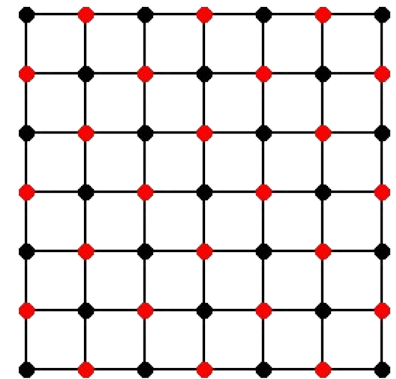
$$\nabla(\epsilon_r(\vec{\mathbf{r}})\nabla\varphi_W(\vec{\mathbf{r}})) = 0$$

with the boundary conditions that the weighting potential equals unity on the considered electrode and zero otherwise

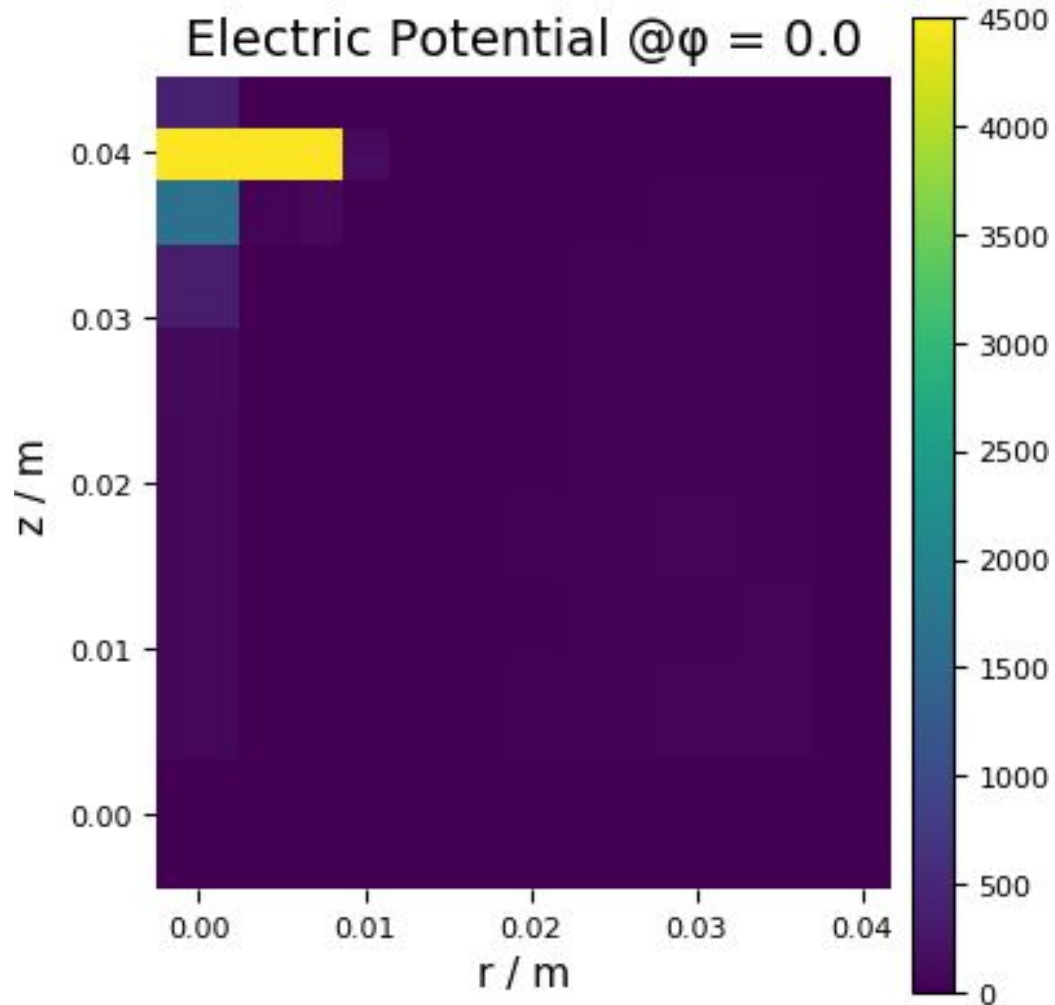


Field calculation

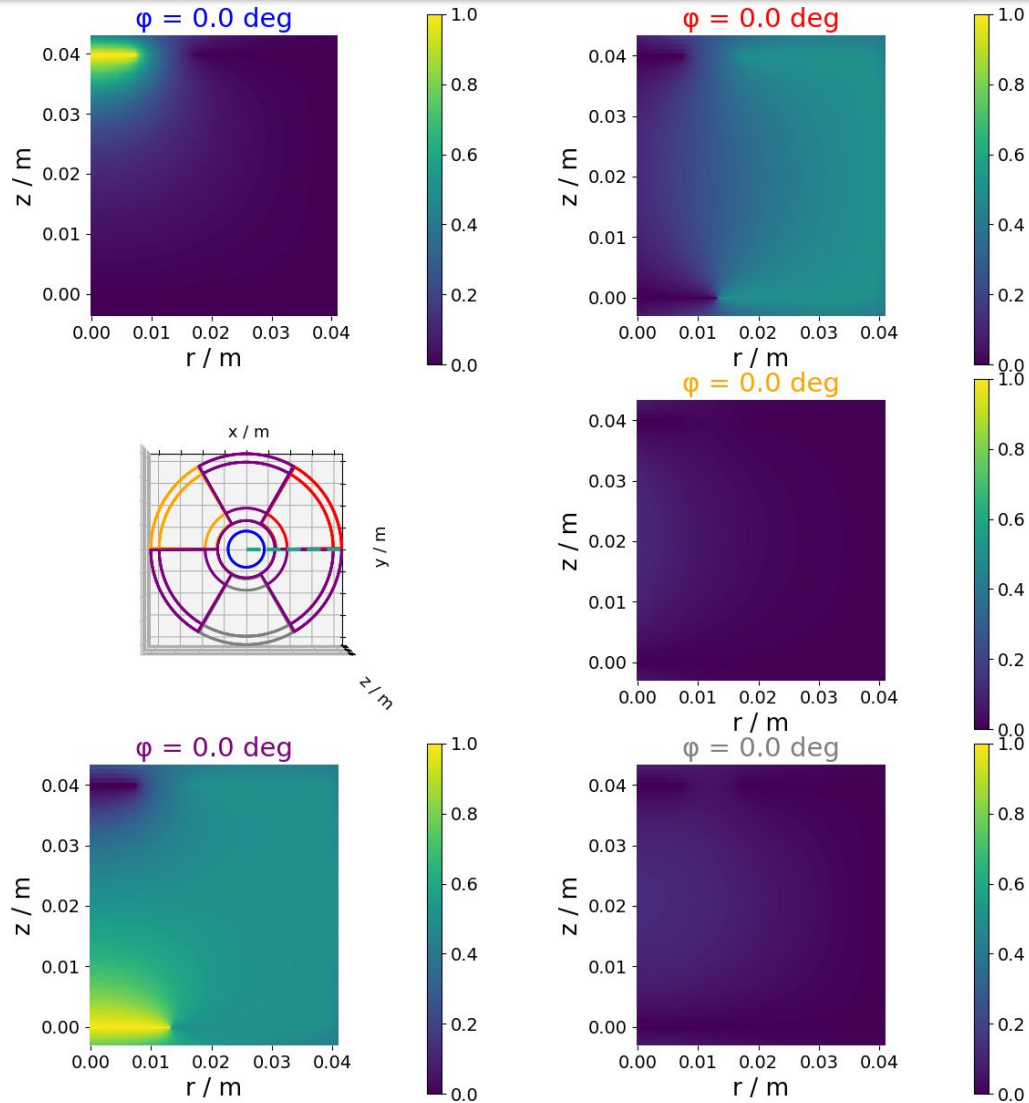
- Adaptive grid → save computation time
- Julia → easy to vectorize loops (AVX/AVX2) → speed up
<https://software.intel.com/en-us/articles/vectorization-in-julia>
- Successive over-relaxation (SOR) → fast convergence
<https://people.eecs.berkeley.edu/~demmel/cs267-1995/lecture24/lecture24.html>
- **Red-Black-Algorithm** → parallelism
<https://people.eecs.berkeley.edu/~demmel/cs267-1995/lecture24/lecture24.html>



Electric Potential Calculation



Weighting Potentials



Drift velocity model

- Parallel to the principal crystal axis the drift velocity is parallel to the electric field

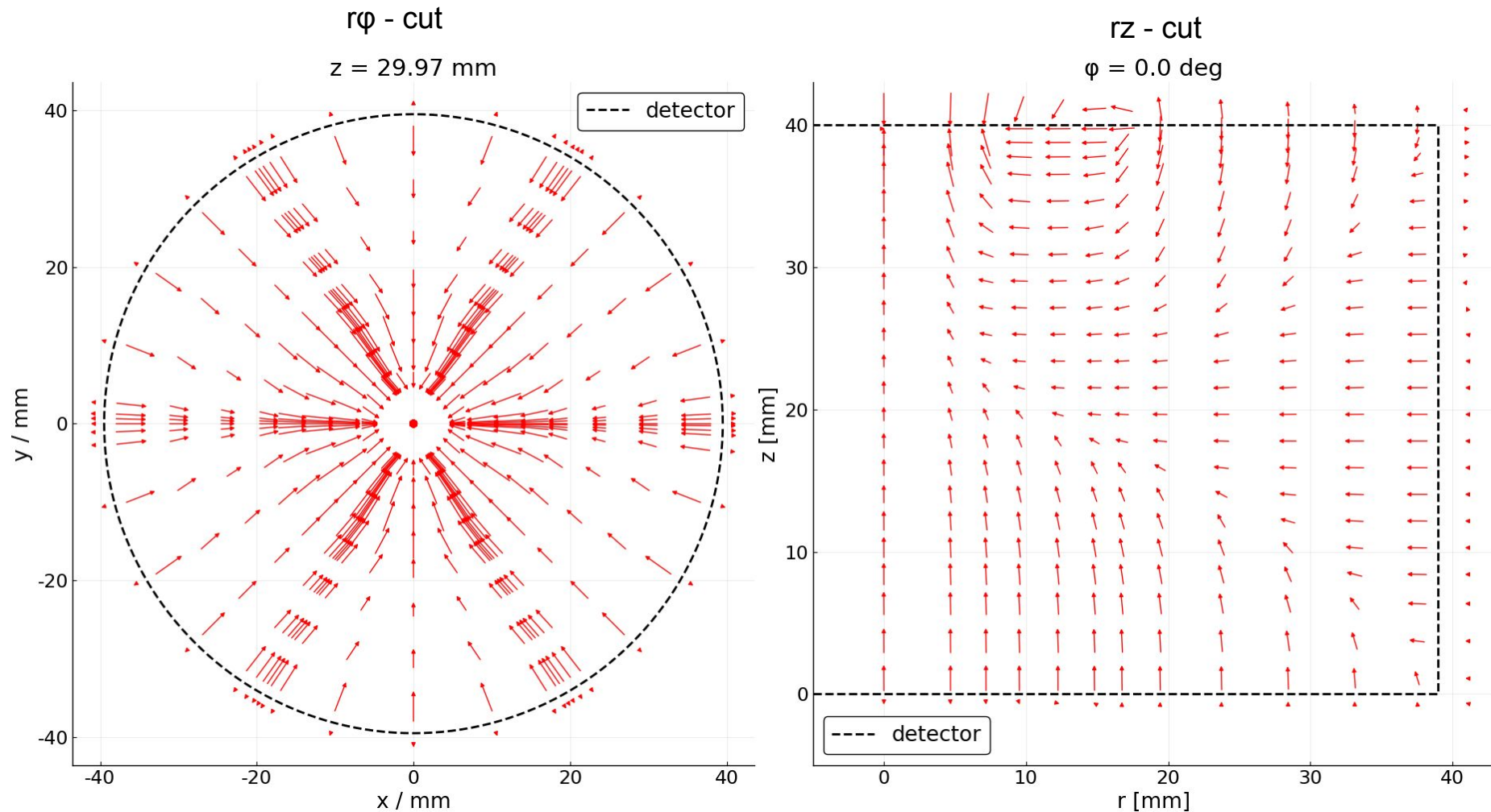
$$v_l = \frac{\mu_0 E}{(1 + (E/E_0)^\beta)^{1/\beta}} - \mu_n E$$

- μ_0 , E_0 , β and μ_n parameters different for electrons and holes and for $\langle 100 \rangle$ and $\langle 111 \rangle$ axes
- Different models for electrons and holes implemented from [1] B. Bruyneel et al., [NIM A 569 \(2006\) 764](#) also used by e.g. AGATA
- Between these axes the drift velocity is more complicated

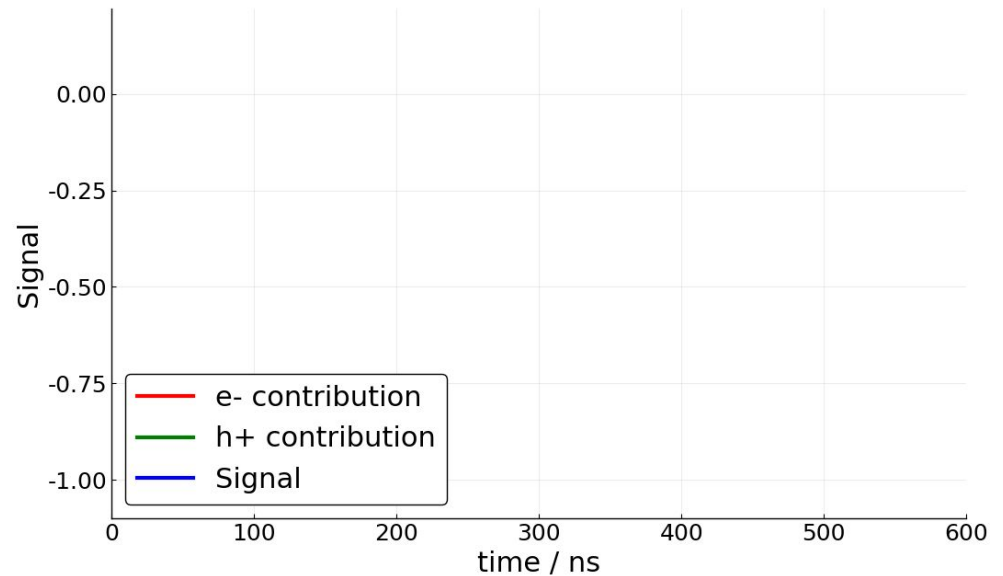
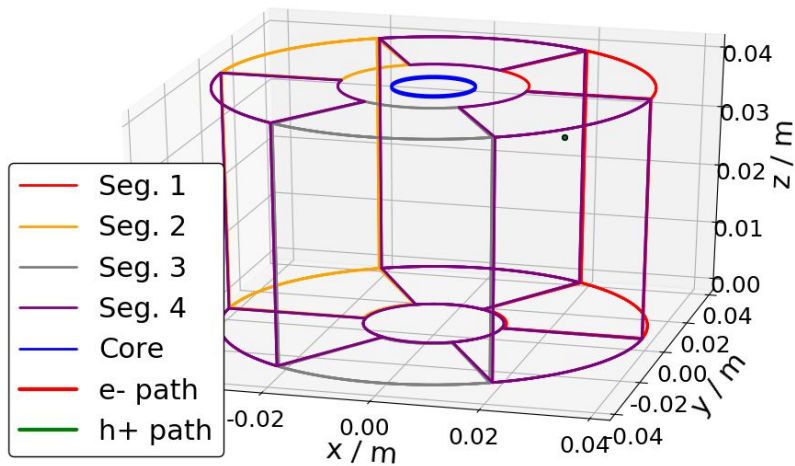


Drift velocity model

Electron Drift Velocity Field



Charge drift and core signal



Drift path

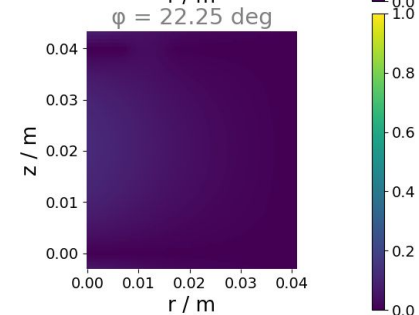
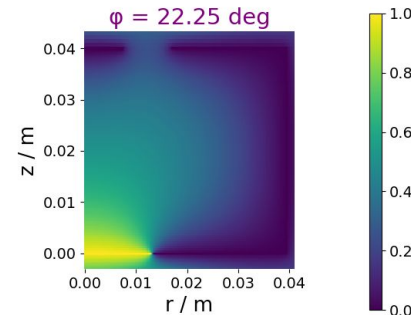
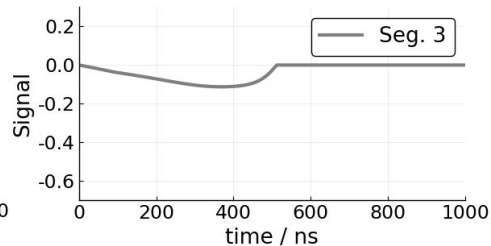
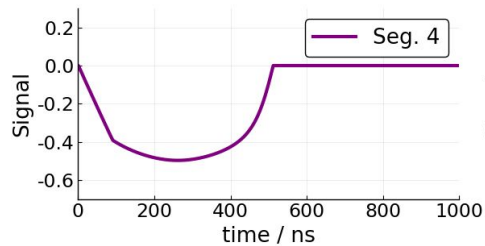
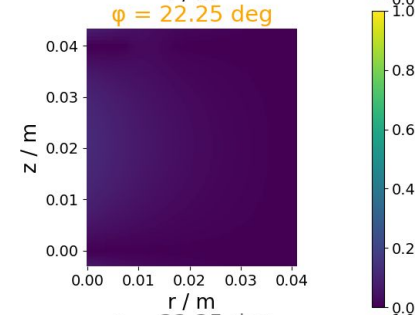
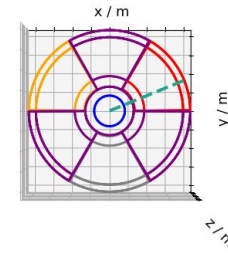
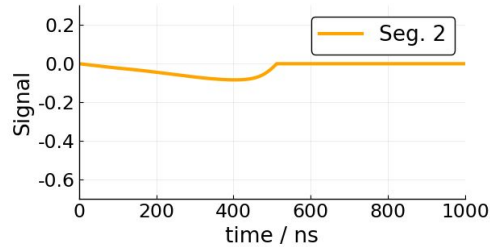
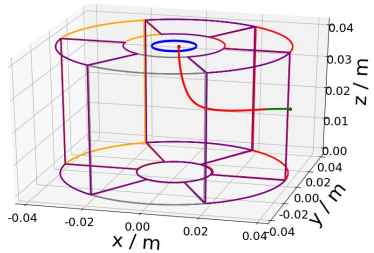
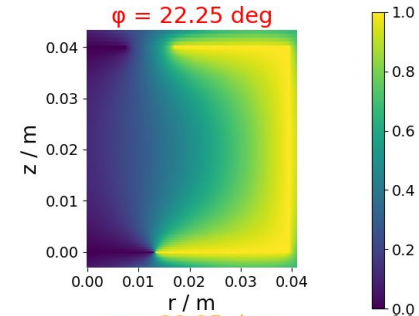
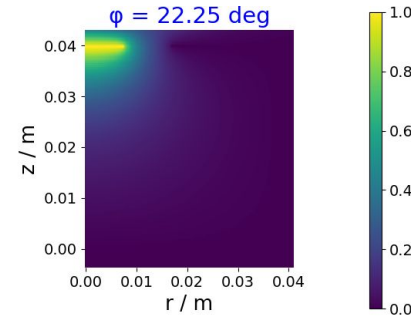
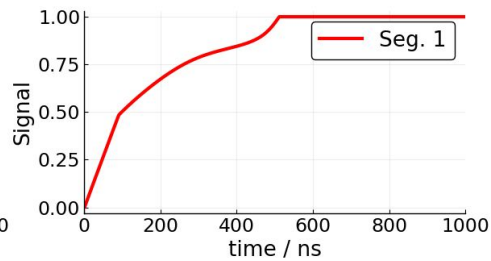
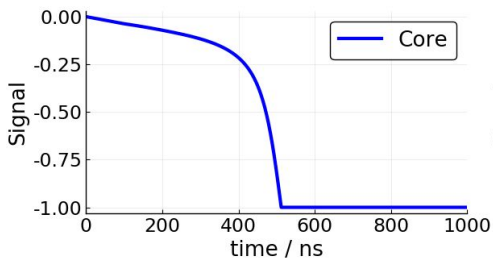
$$\mathbf{x}(t) = \mathbf{x}(t-\Delta t) + \mathbf{v}(\mathbf{x}(t-\Delta t)) \cdot \Delta t$$

Induced charge (Shockley-Ramo theorem)

$$Q(t) = -q \cdot [\Phi_w(\mathbf{x}_h(t)) - \Phi_w(\mathbf{x}_e(t))]$$



Signal and mirror pulses in segments



Summary and outlook

- Official Julia Package
 - Configurable geometry and drift parameters
 - Fast field calculation (3D; Also simulates environment)
 - Charge drift model takes care of crystal axes effects
 - Segmentation
- Next release (~ Easter)
 - Cartesian Coordinates
 - Geometry Primitives closer to GEANT4
- To do
 - Temperature dependence
 - Charge clouds; diffusion

