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From CMOS APDs, GPDs and SSPMs  
to LAAPDs and PSAPDs

**Radiation  
Monitoring  
Devices, Inc.**

44 Hunt St.; Watertown, MA

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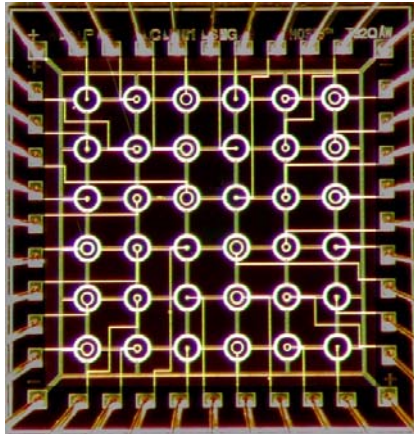
F. Augustine, P. Barton, & D. Wehe

Light 07: Workshop on the Latest Developments of Photon Detectors;  
Ringberg Castle, Tegernsee, Germany; Sept. 23-28, 2007

- CMOS APD Pixels
  - CMOS GPD Pixels
  - CMOS SSPM Detectors
  - Applications:
    - Dosimeter-on-a-chip
    - PET
- 
- APD: below breakdown – proportional
  - GPD: above breakdown - Geiger
  - CMOS Ubiquitous: basis of all digital ICs
    - integrated chips (readout)

- Internal gain reduces readout noise contribution from integrated preamplifier

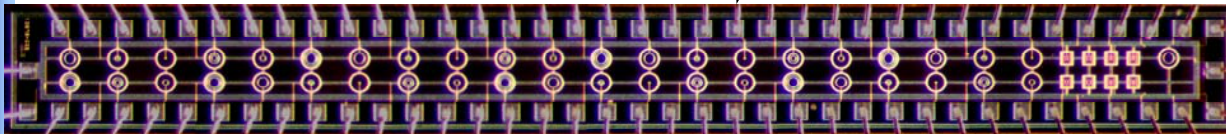
2.2 mm



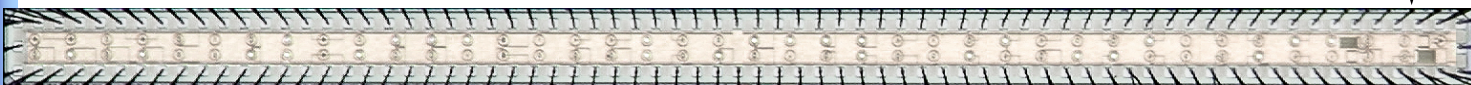
- Explore different CMOS technologies & different designs

AMIS CMOS Process  
AMS CMOS Process

8mm x 0.6mm



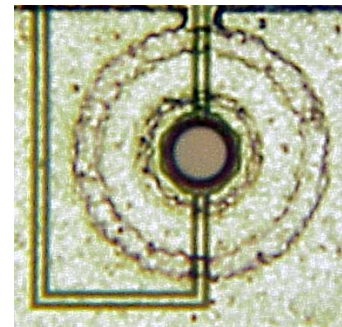
16mm x 0.6mm



## Performance

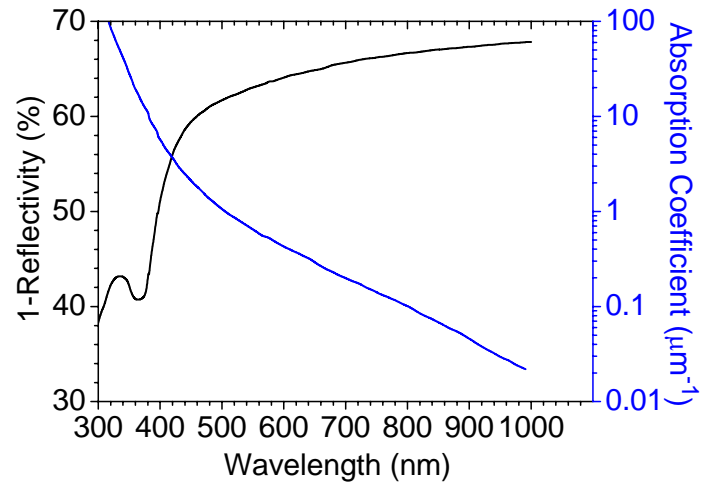
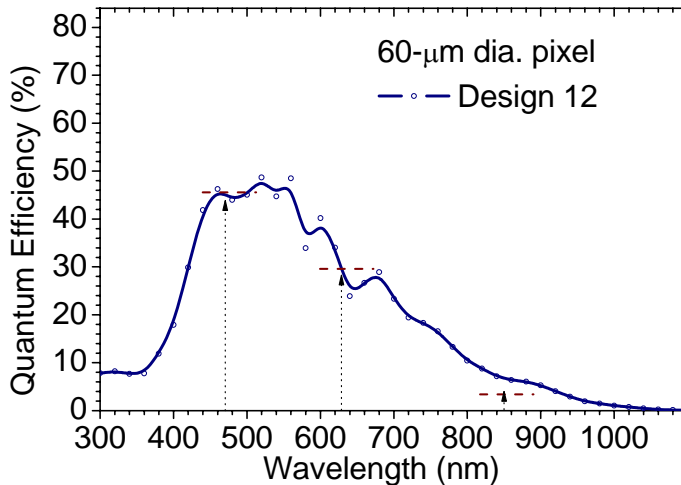
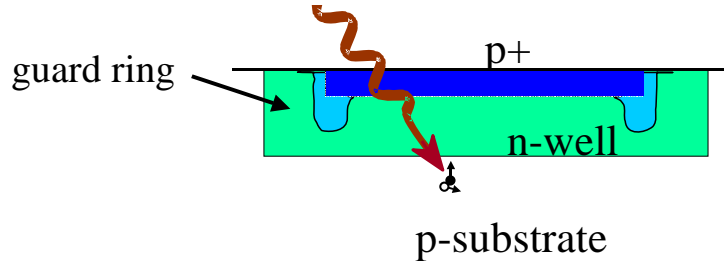
- Quantum Efficiency (QE)
- Gain & excess noise
- Uniformity (small pixel effect)
- Dark current and capacitance:  $300\mu\text{m} \times 300\mu\text{m}$ 
  - Important for integrated preamplifier
    - 1.5 pA bulk, 0.15 pA Ohmic
    - $\sim 20$  pF

30 $\mu\text{m}$  dia.



Pixel Design 12: Besse *et al.* (2003)  
Stapels *et al.* (2006)

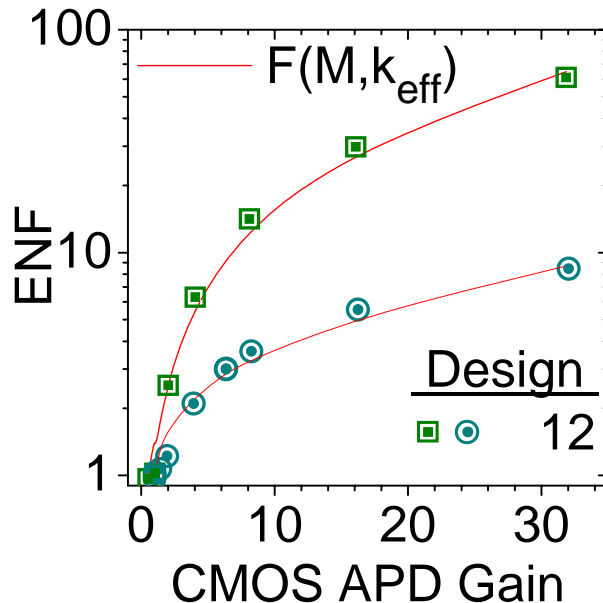
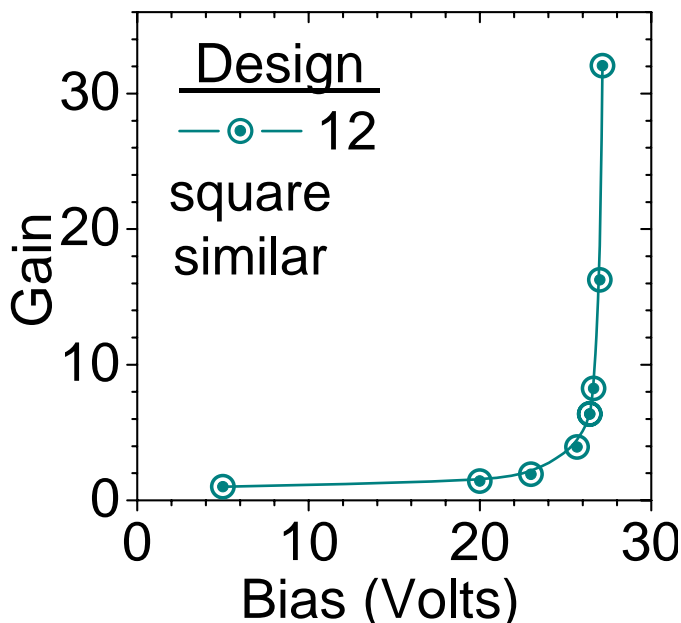
## CMOS Pixel: (Design 12)



A.S. Grove 1967

- Good Spectral Response
  - Blue: Increased reflection and surface recombination
  - Red: Reduced absorption by thin pixel

## 30- $\mu\text{m}$ round & square CMOS APD pixels

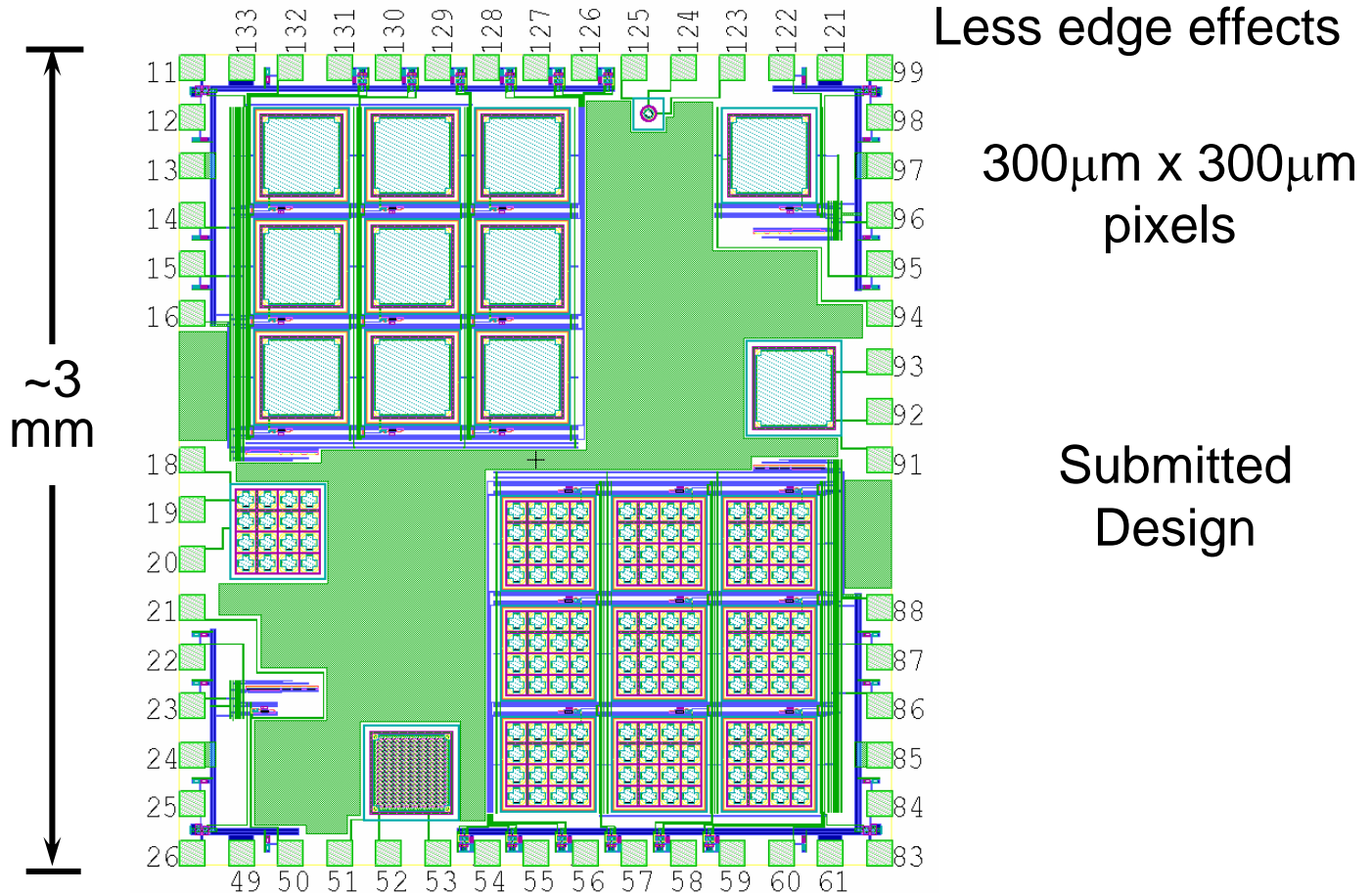


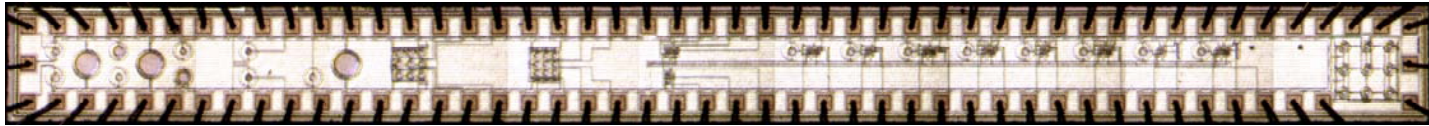
- Gains > 30 (632-nm photons)
- ENF of round better than square (small pixel, edge effect)
- $k_{\text{eff}} = \sim 0.2$

- Useful gain  $\sim 4$
- Extracts signals from noise floor

$$F = k_{\text{eff}} \bar{G} + (1 - k_{\text{eff}}) \left( 2 - \frac{1}{\bar{G}} \right)$$

- Integrated preamplifiers for each pixel
- Better Performance from larger pixels:





## Pixel operated above breakdown

- Count (digitize) optical photons
- Geiger tube - Passive vs. Active Quenching

## Performance

- Detection Efficiency
- Selection of Quenching resistor
- Dark Count Rate
- After Pulsing (multiplier in  $t$  – excess noise)
- Dynamic Range (improved w/ AQ)



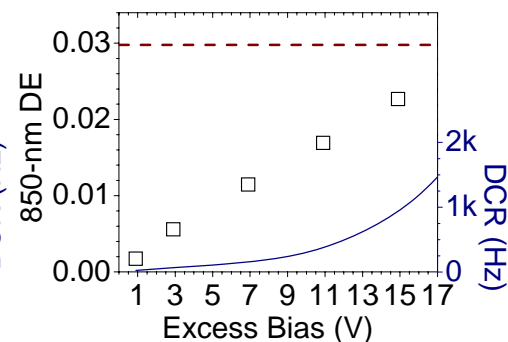
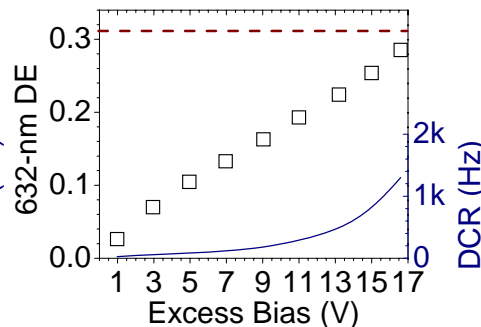
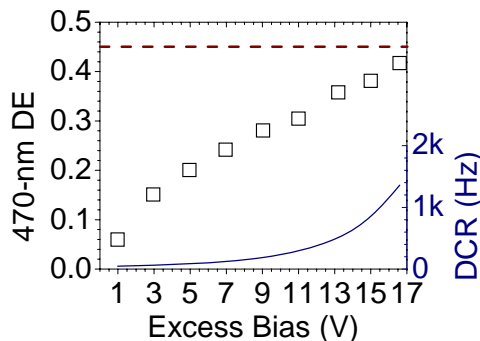
$$DE(\lambda, V_x) = QE(\lambda) P_g(V_x)$$

$P_g$  – Geiger Probability,  
 $V_x$  – Excess Bias

$$\langle DE \rangle = QE(\lambda) \times \int_0^{\Delta V_a} P_g(V_x) \times P_{V_x} dV_x$$

$P_{V_x}$  – Excess Bias Distribution

Low count rate limit:  $\langle V_x \rangle \sim V_x$ ;  $P_g \sim \alpha V_x$



$$\langle DE \rangle \sim QE(\lambda) \times \alpha \langle V_x \rangle$$

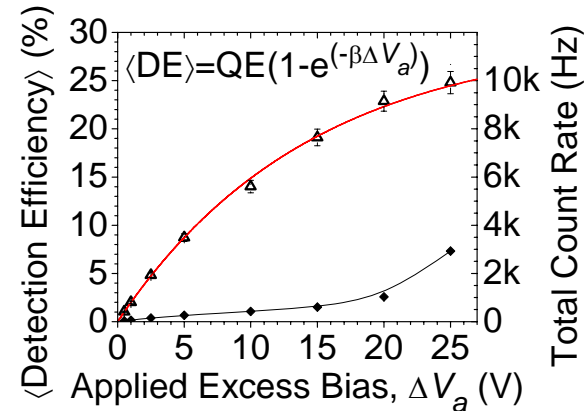
$\alpha \sim 5\%$  per V excess

➤ High count rates:  $\langle V_x \rangle < V_x$  “saturation effect”

Saturation Effects:  $\langle V_x \rangle \neq V_x$ ;

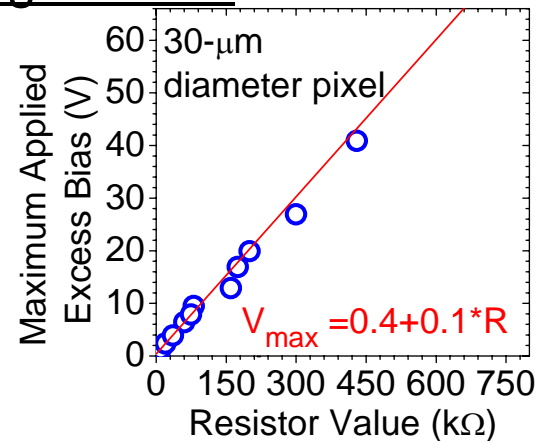
$$\langle DE \rangle \sim QE \times \alpha \left( 1 - e^{-\frac{\beta \tau_{RC}(\Delta V_a)}{\tau_{cps}(\Delta V_a)}} \right)$$

- High Q-resistor → long recharge:
  - Count rate (thermal) affects  $\langle DE \rangle$

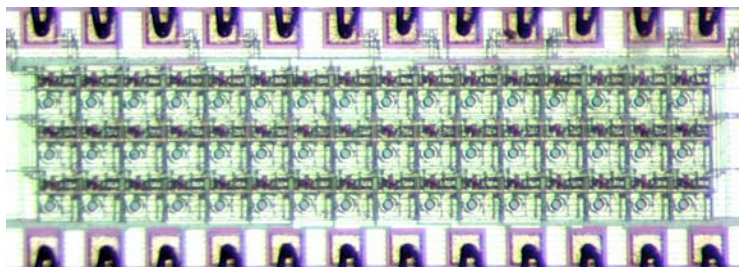


Passive quenching (PQ) failure at high biases

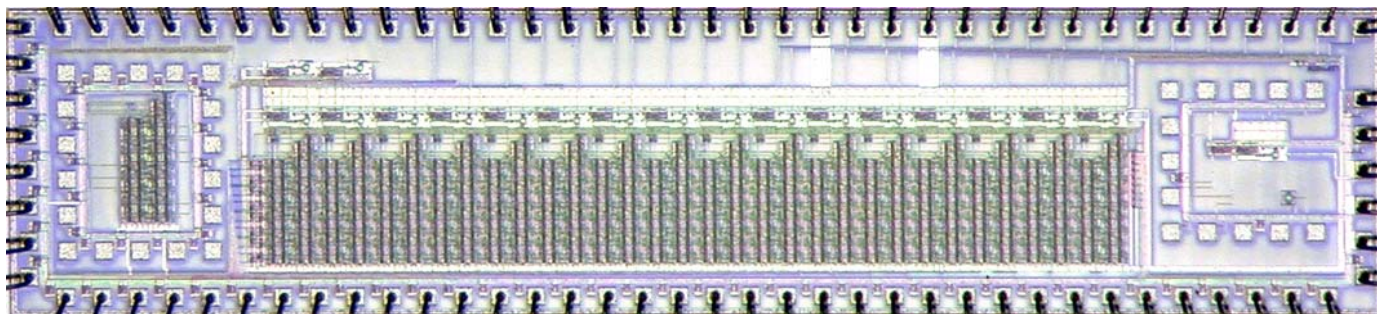
- Low Q-resistor → Limit Max. Operating Bias
  - Limits Max operating bias & DE
  - Quenching time  $\rightarrow \infty$
  - Smaller pixels, lower  $V_{max}$  @ R-Quench, but faster recharge



- Best Q-resistor depends on count rate (DCR)
  - Valid for SSPM design

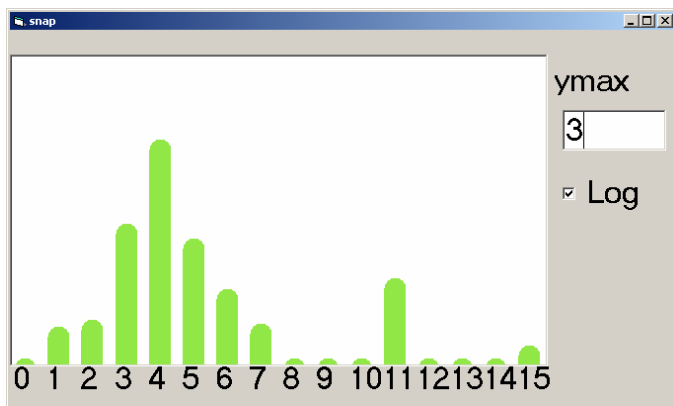


3x16 pixels, 30- $\mu\text{m}$  dia.  
on 150- $\mu\text{m}$  pitch



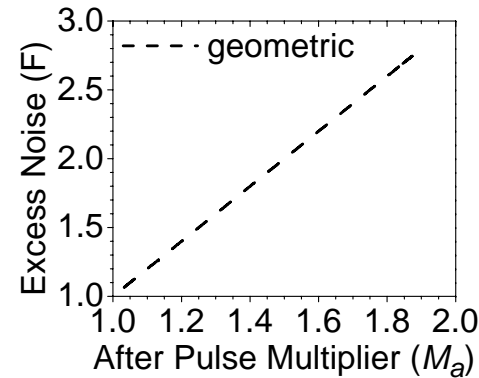
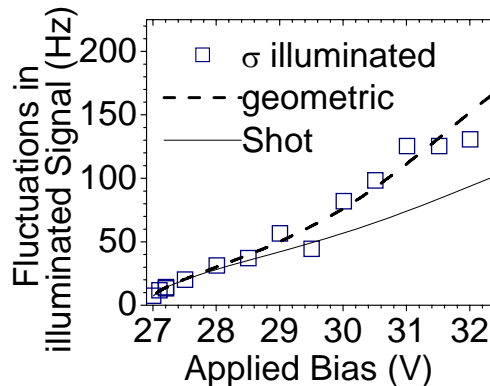
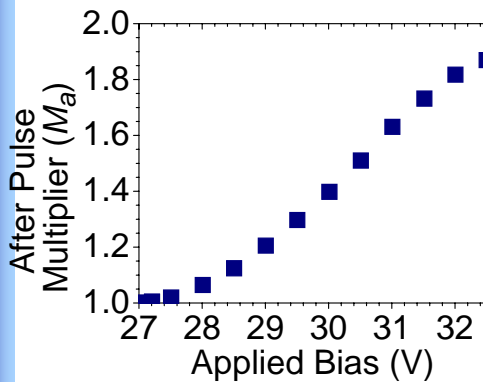
1x16, 30- $\mu\text{m}$  dia. pixels,  
up/down counters & RAM

Real-time readout through  
USB



➤ Active Quenching improves performance, but trade-offs

- Delayed release from traps charge → After pulsing
- Multiplier,  $M_a$ , ( $\bar{n}_{ttl} = M_a * \bar{n}_d$ ) & Excess Noise, F ( $\sigma^2 = F * I_{in}$ )
- $M_a$  depends on PQ configuration (no short-lived)



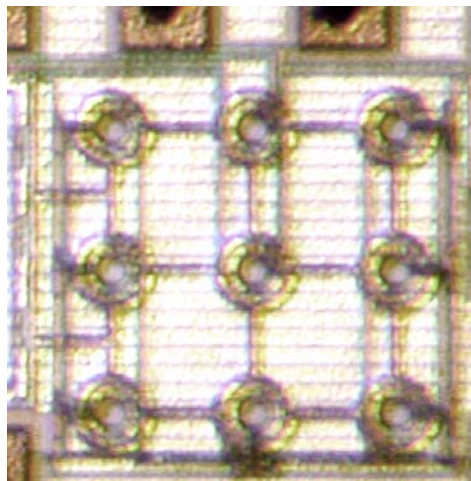
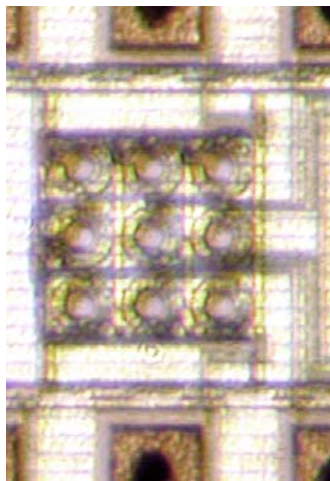
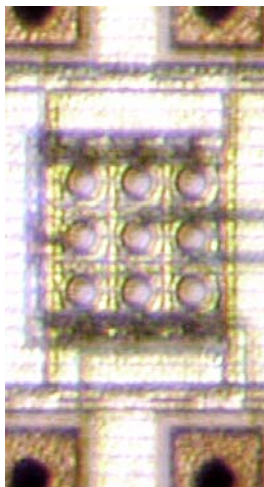
geometric (probability distribution):

$$\sigma^2 = M_a^2 \sigma_d^2 + \bar{n}_d \sigma_{M_a}^2 = \bar{n}_{ttl} (2M_a - 1)$$

- Easily calculate  $\sigma$  estimates from  $n_{ttl}$  and  $M_a$
- After pulsing F on SNR: equiv. to decrease in DE by F
  - For same SNR, increase collection/integration time by F

## Performance

- $DE = \text{fill factor} * DE_{GPD}$
- Gain, & Dark (thermal) Count Rate (DCR)
- Temperature dependence of breakdown V
- Excess noise & Energy resolution
- Cross talk (optical) analogous to After Pulsing



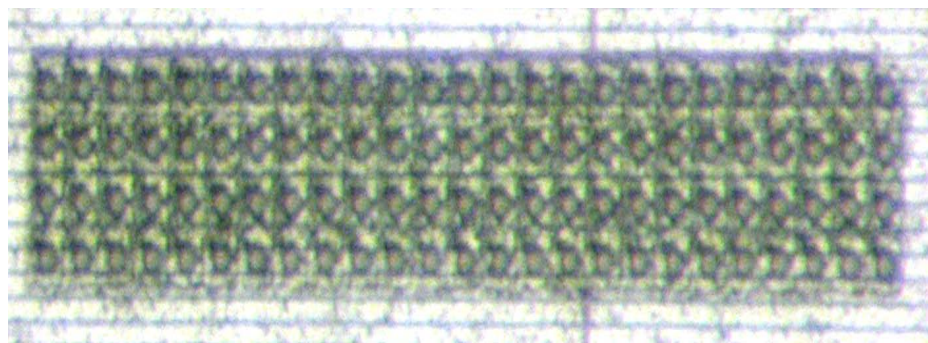
30µm dia.

pitch:

60µm

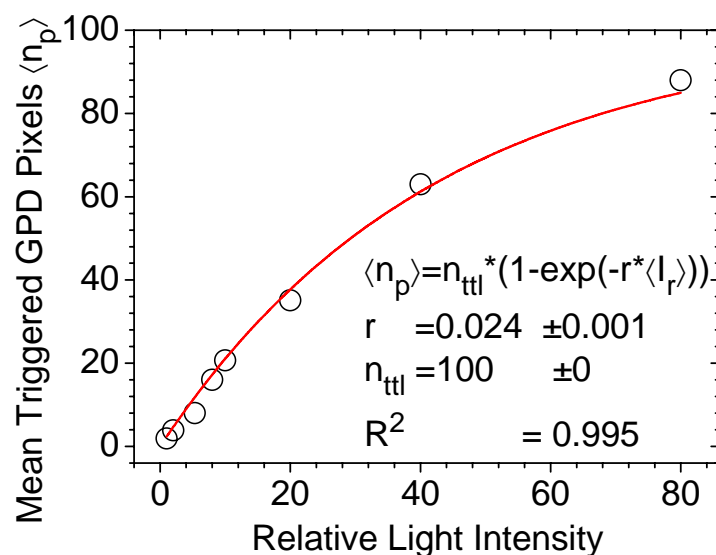
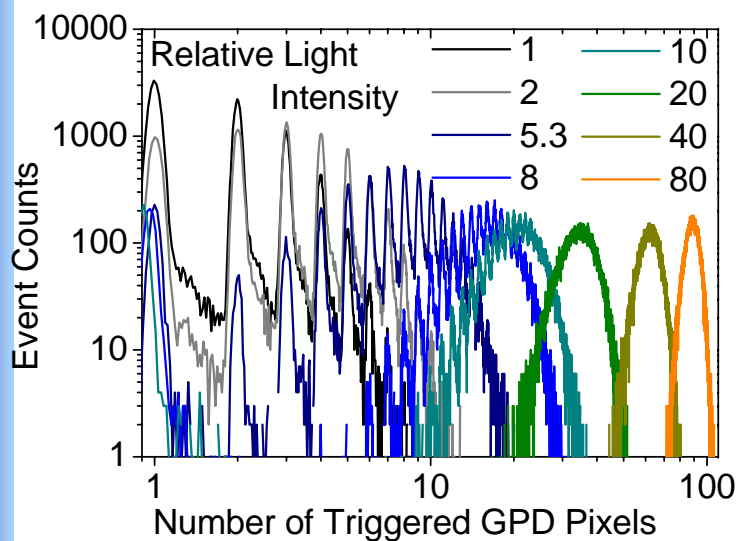
80µm

150µm.

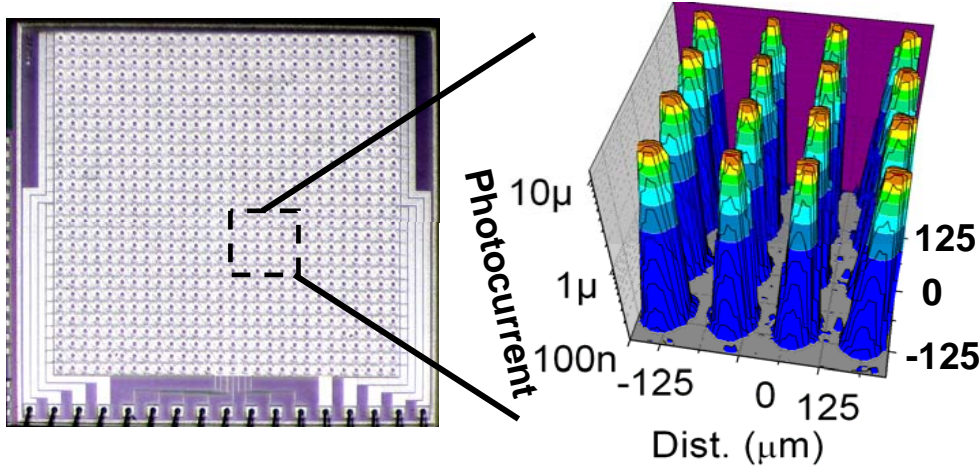


4 x 25,  
20- $\mu\text{m}$  dia.  
CMOS GPD  
pixel array,  
43- $\mu\text{m}$  pitch

- Signal from pulsed diode laser



- Increased intensity triggers more GPD pixels
- Energy calibration



## Early Prototype

- 28 x 28 (784) 30μm dia., SSPM quad.
- 7% fill factor (100μm pitch)

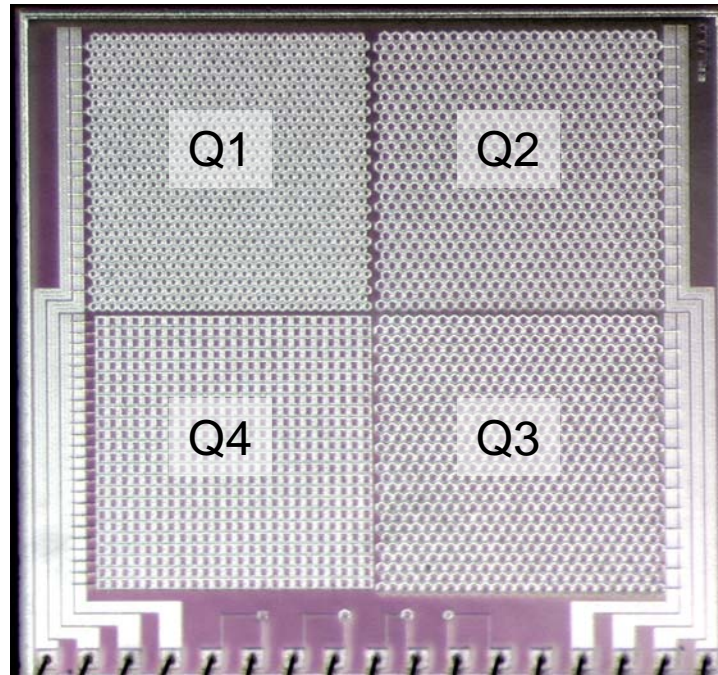
- Gain:  $N_{pix} \times q = N_{pix} \times C_{jn} \times V_x$
- Dark Signal:  $R_N = \frac{\exp(-\mu)\mu^N}{N!t}$ ;  $\mu = t \times \langle DCR \rangle$   
uncorrelated
- Temperature Dependences:
  - Gain (fixed applied bias):  $N_{pix} \times C_{jn} \times 0.025V/^\circ C \times \Delta T$
  - DE (fixed applied bias):  $QE \times 0.05V^{-1} \times 0.025V/^\circ C \times \Delta T$
  - Pixel DCR: ~doubles every 8° C (small affect on  $R_N$ )
- T-dependence of Gain largest
  - Control applied bias for constant  $V_x$

Q1: Type 12  
Fill Factor = 19%  
1020 pixels

Q2: Type 12  
Fill Factor = 29%  
700 pixels

Q3: Type 4  
Fill Factor = 29%  
700 pixels

Q4: Type 12  
Fill Factor = 29%  
576 pixels



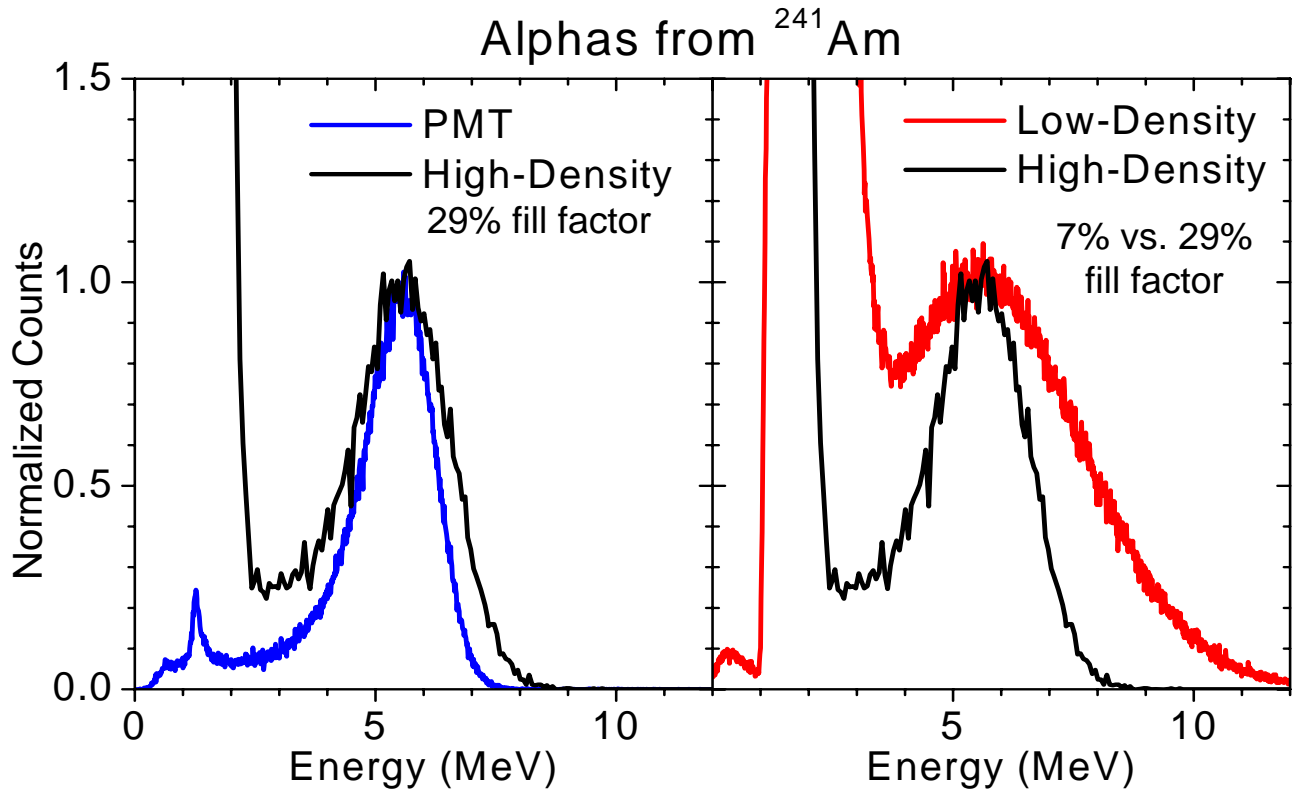
~3.3  
mm

- P1: Q1 pixels (12) P2: Q2 pixels (12)
- P3: Q3 pixels (4) P4: Hyper-dense square pixel (12)

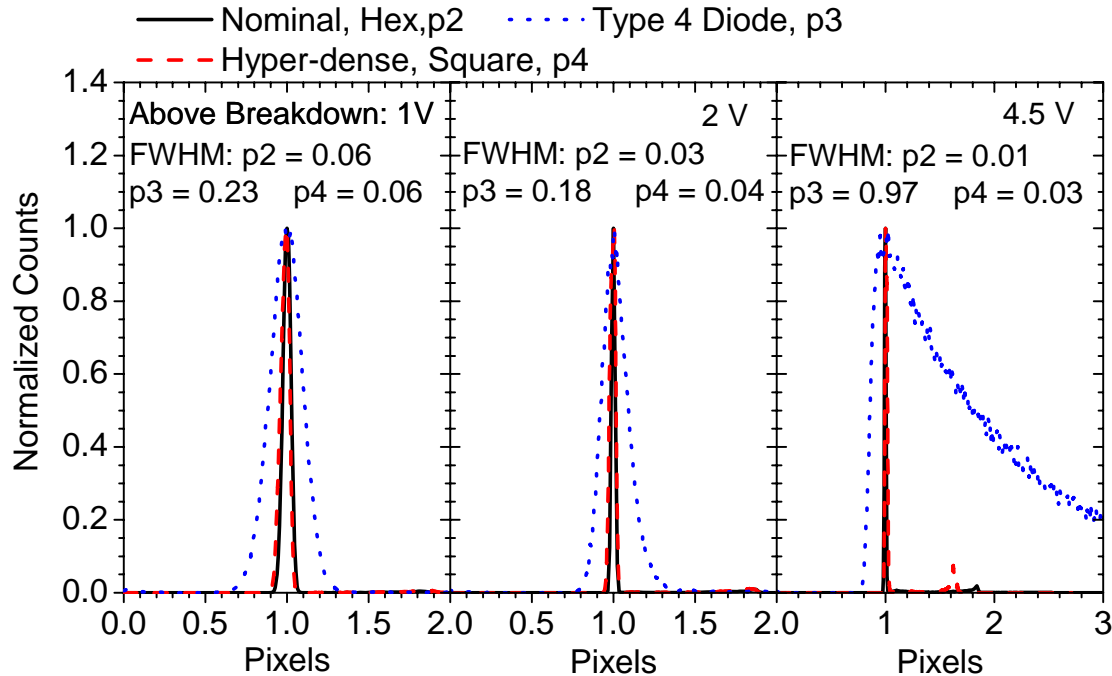


➤ Better fill factor, better SSPM DE



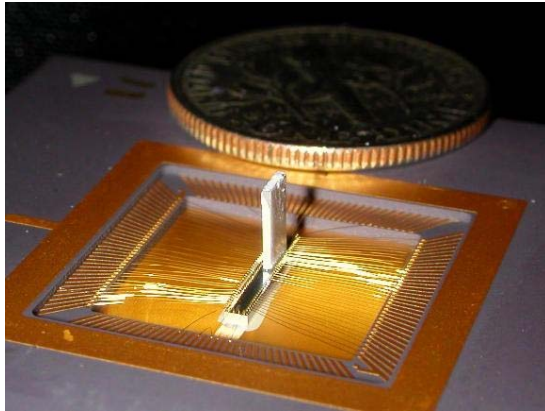


- Alpha particles illuminating plastic scintillator (bc430)
- SSPM DE (& fill factor) limit energy resolution
- Equivalent performance to PMTs.

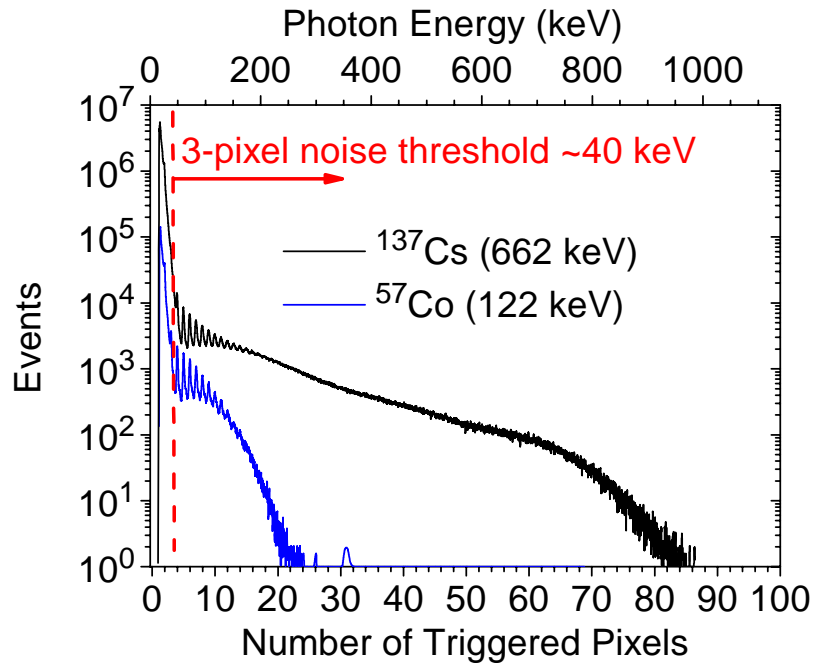


$$\left( \frac{\sigma_E}{E} \right) \approx \sqrt{\frac{F}{N} + \sigma_{scint}^2} \approx \sqrt{\frac{F}{DE \times N_{photons}} + \sigma_{scint}^2}$$

- Number of triggered pixels often dominates  $\sigma_E$
  - SSPM excess noise:
    - $F = \sigma_{pixel}^2 + 1$
    - $F > 2$  to appreciably affect  $\sigma_E$
- $\sigma_{pixel}$  = single pixel resolution  
 $\sigma_{scint}$  = scintillator resolution

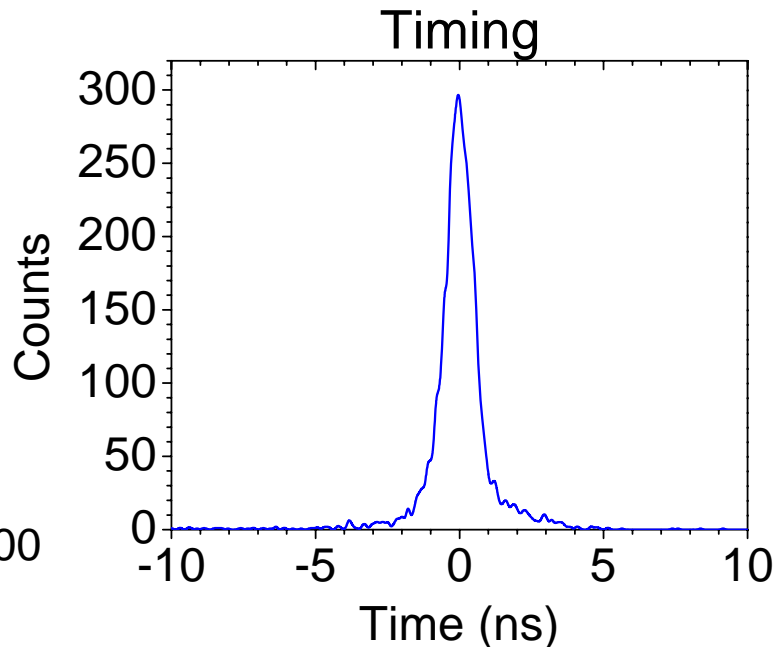
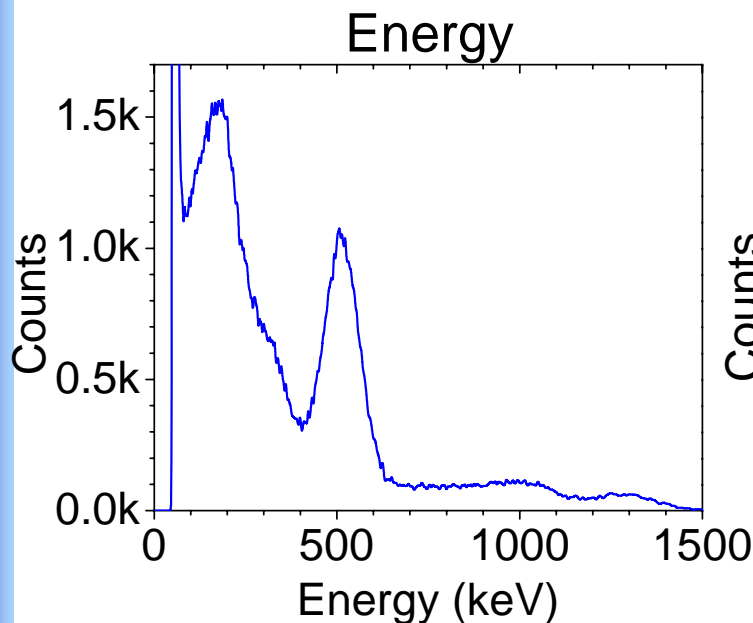


- 100-pixel SSPM & LSO crystal



- Easily differentiates between low & high-energy events
- Low optical coupling combined with DE and fill factor is sampling the tail of the energy spectrum
- Small LSO crystal

1.5mmx1.5mmx3mm LYSO crystal  
on quad-2 of high-density SSPM



- Energy resolution at 511keV ~16%
- Coincidence timing ~0.9 ns
- Promising: 1.5mmx1.5mm SSPM cells

- Compact photodetector for dosimeter
  - Neutron Detection &  $\gamma$ -ray Spectroscopy
  - Arrays for imaging:
    - Position-sensitive SSPMs
  - Integrated Active Quenching & Digital readouts
- DE & F useful for optimizing performance

*Acknowledgements: NASA, DTRA, DOE, & NIH*