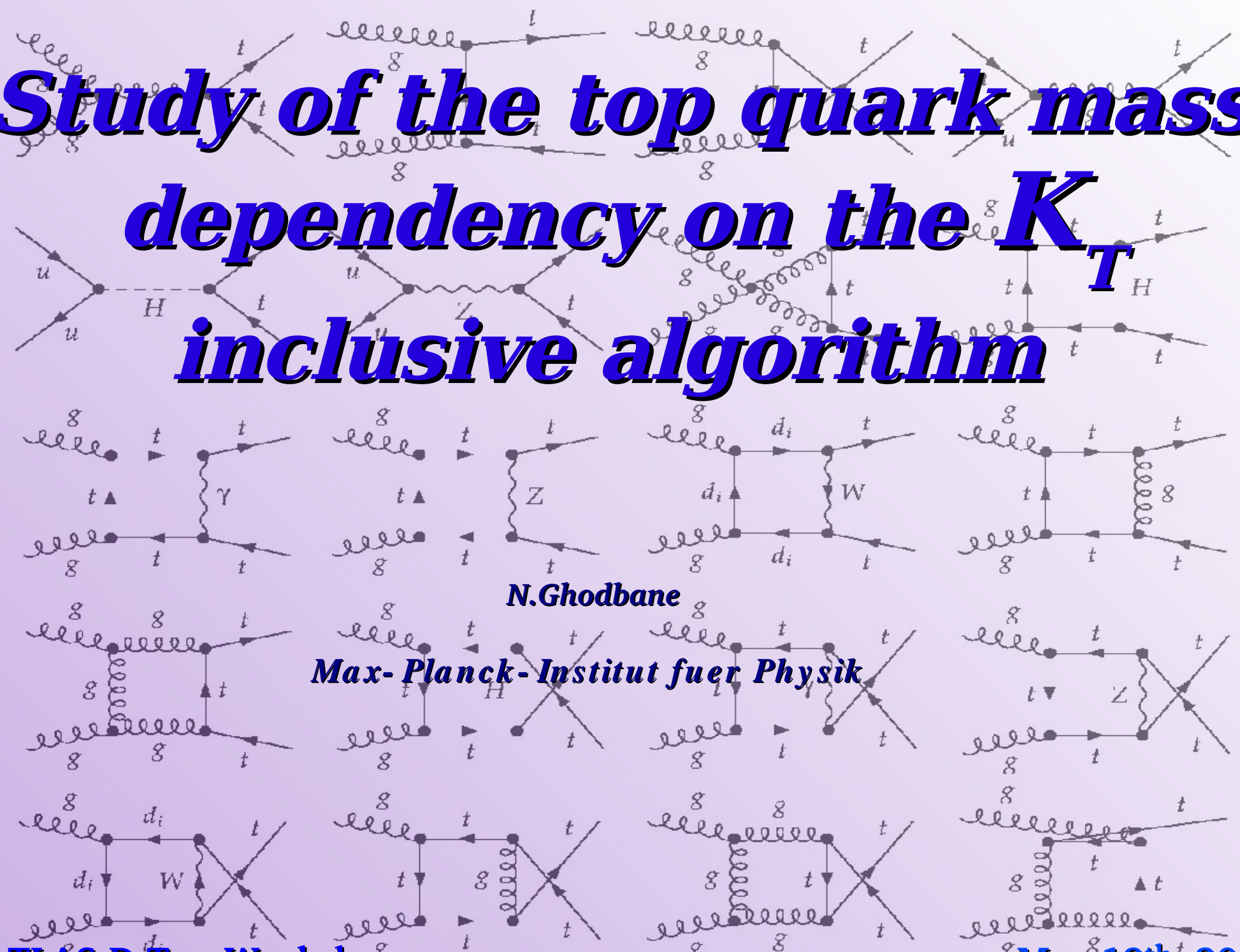


# *Study of the top quark mass dependency on the $K_T$ inclusive algorithm*



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- **Introduction**
- **Top mass dependency on the  $K_T$  algorithm**
- **A more sensitive variable: the hadronic  $W$  mass**
- **Conclusions and Outlook**

**A top mass reconstruction attempt in the semileptonic channel has been performed**

**Framework:**

- **“NIKHEF” AOD 4100 T1 sample**
- **ATHENA releases 10.0.4/11.0.2/11.0.42**

**Selection criterias:**

- **at least 1 lepton:  $P_t > 20$  GeV,  $|\eta| < 2.5$ ,**
- **isolation criteria with respect to the jets:  
no jets within  $\Delta R < 0.4$ , ( $\Delta R^2 = \Delta\eta^2 + \Delta\phi^2$ )**
- **4 jets:  $P_t > 40$  GeV,  $|\eta| < 2.5$ ,**
- **ETMiss  $> 20$  GeV.**

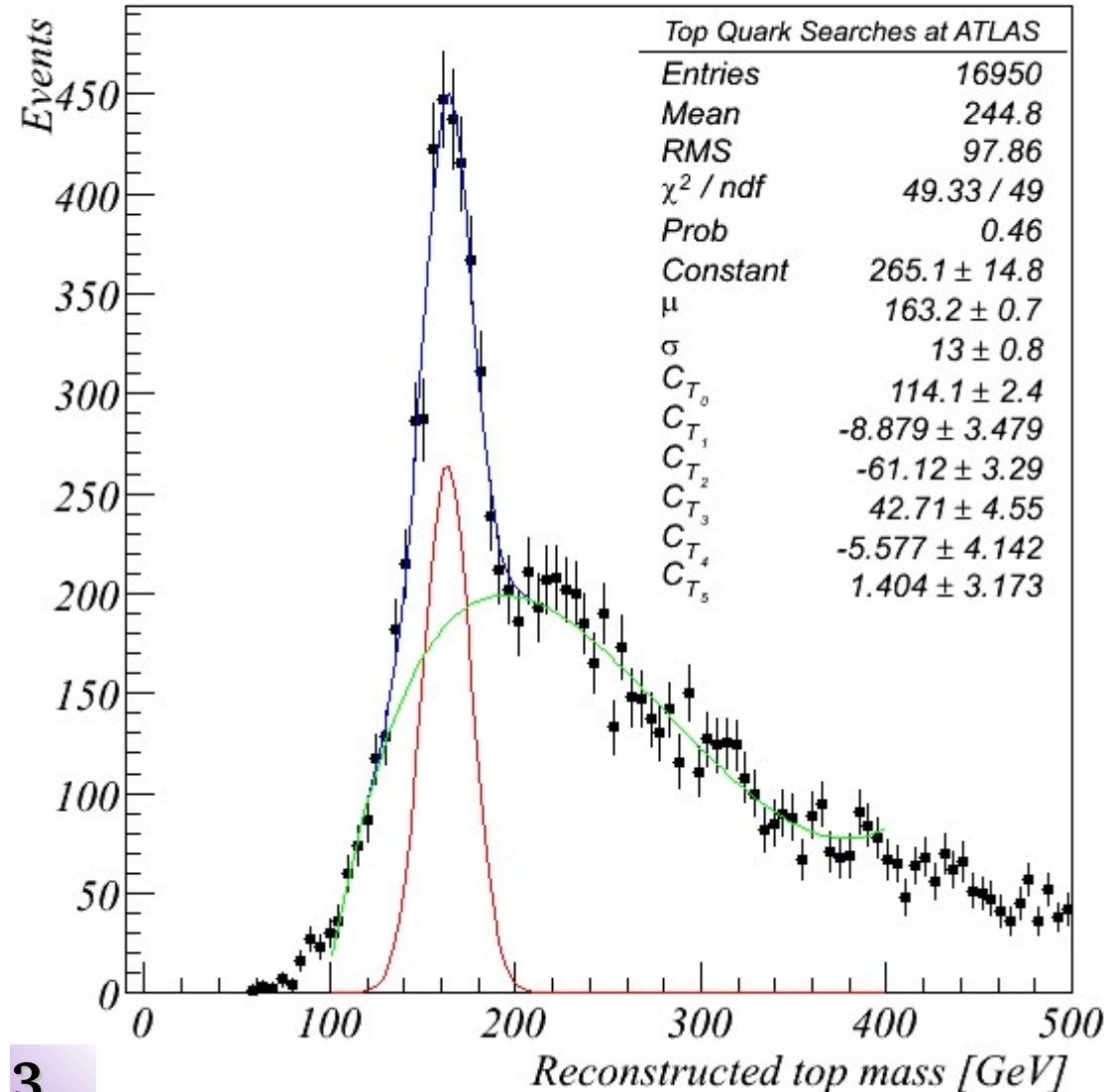
**Top Mass reconstruction using the W which decays hadronically:**

- **loop on all the jets,**
- **get the three jets which maximize the total  $P_t$ ,**
- **find the right combination for the top mass,**
- **find the right combination for the W mass.**

# Top mass dependency on Jet- algorithm

Analysis is repeated for the different Jet containers available at the AOD level. Below for  $\Delta R = 0.4$ .

No W mass constraint



Cone4ParticleJets

Jets are reconstructed using the Cone algorithm (see later)

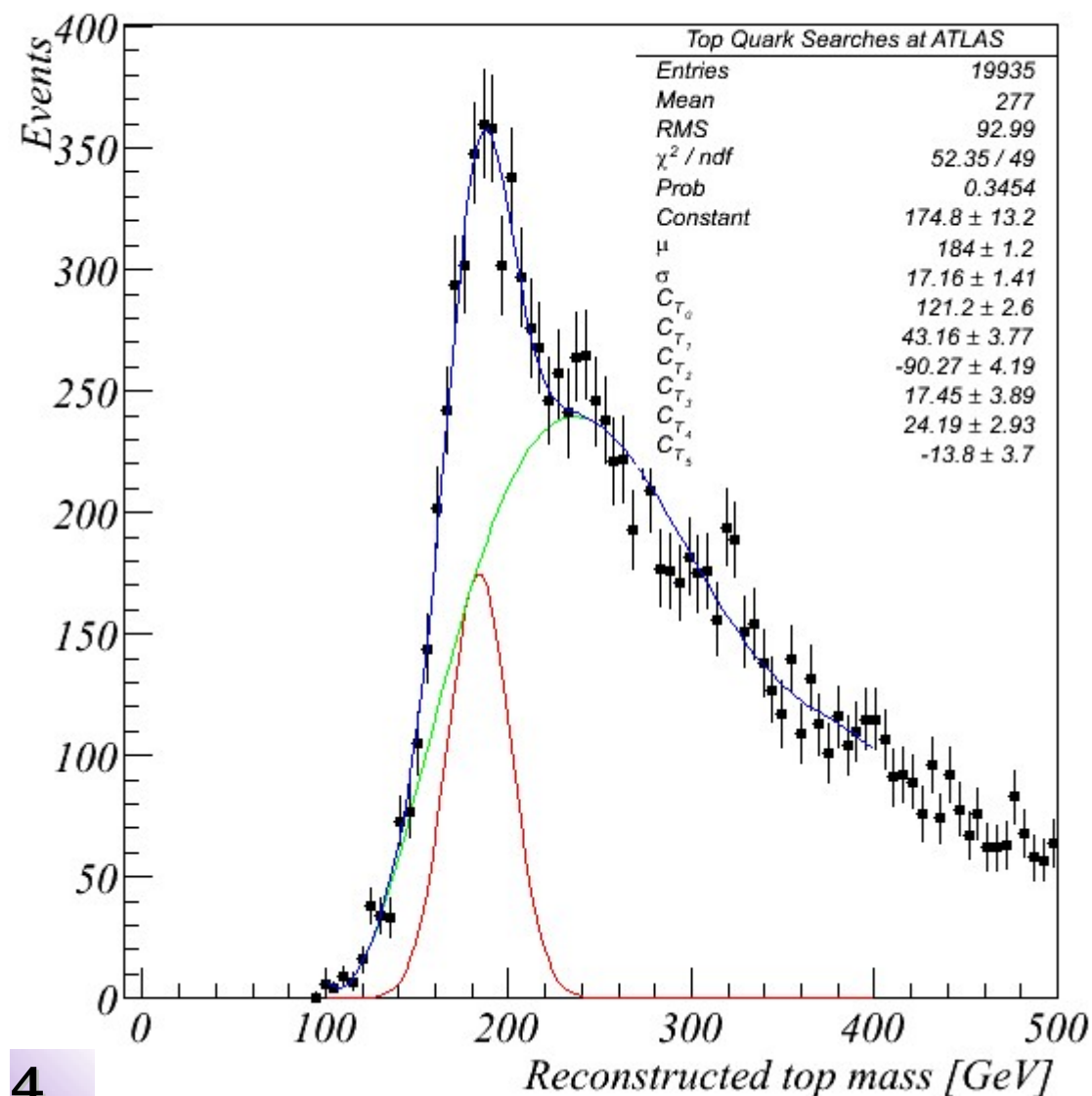
The three jet invariant mass distribution is parametrised with a **Gaussian** + a **Chebyshev** polynomial

Reconstructed mass in “reasonable” agreement with the generated one:

$$M_{\text{Top}} = 163.2 \text{ GeV}$$

# Top mass dependency on Jet- algorithm

Analysis is repeated with the Cone algorithm for  $\Delta R = 0.7$ .



Cone7ParticleJets

Jets are reconstructed using the Cone algorithm (see later)

The three jet invariant mass distribution is parametrised with a Gaussian + a Chebychev polynomial

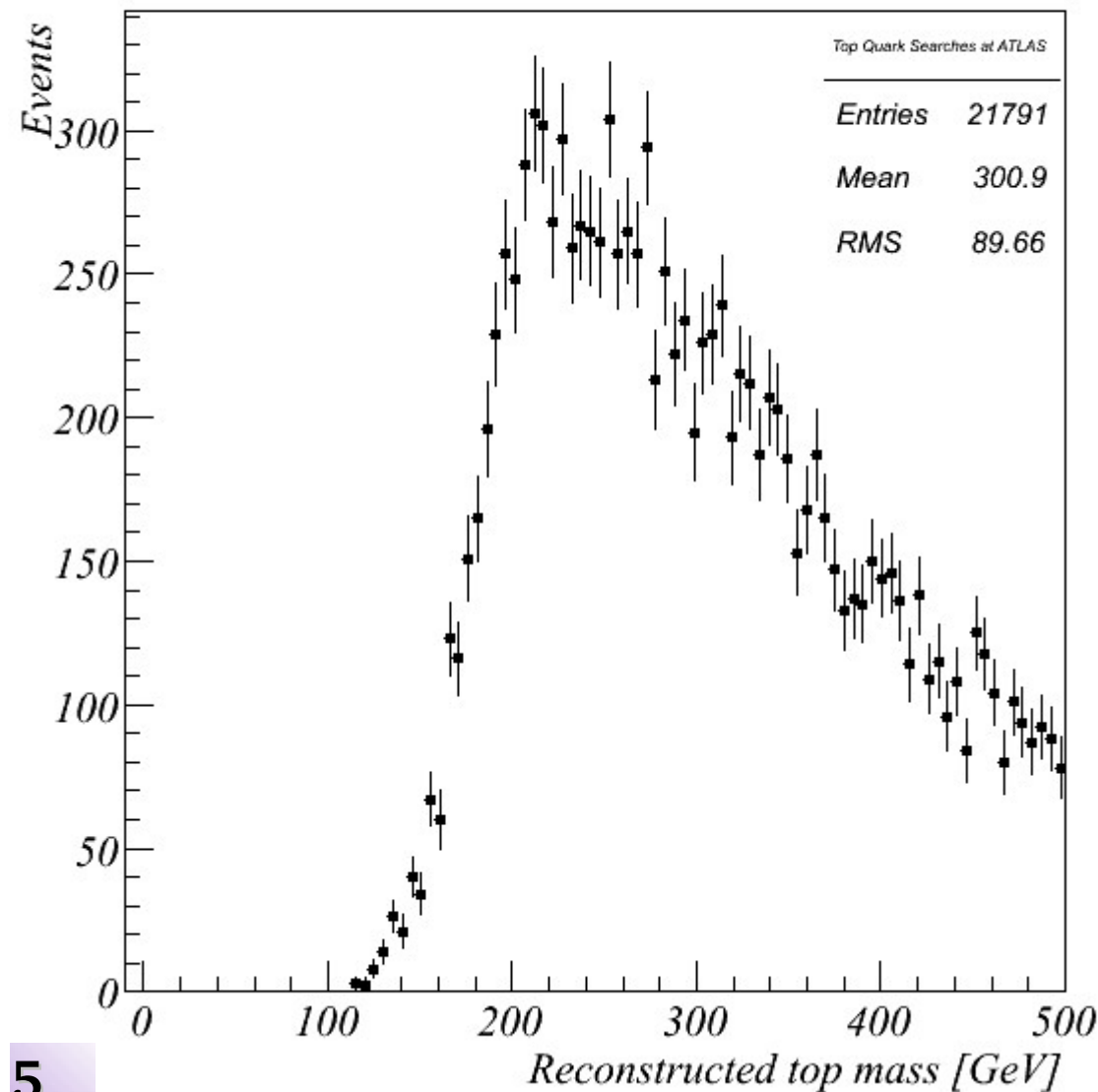
Reconstructed mass in “reasonable” agreement with the generated one:

**M<sub>Top</sub> = 184.0 GeV**

# Top mass dependency on Jet- algorithm

On the other hand, with the  $K_T$  algorithm, ...

(using the default `KtTowerJet_jobOptions.py`)



`KtTowerParticleJets`

**Jets are reconstructed using the  $K_T$  algorithm (see later)**

**We miss the top mass peak!**

**Moreover the distribution is shifted to higher mass values.**

**So what's wrong with the  $K_T$  ?**



# Features of the different Jet algorithms (simplified)

## CONE ALGORITHMS

(see e.g. hep-ph/0005012)

Cone4TowerJet\_jobOptions.py

-Initial seeds are objects with

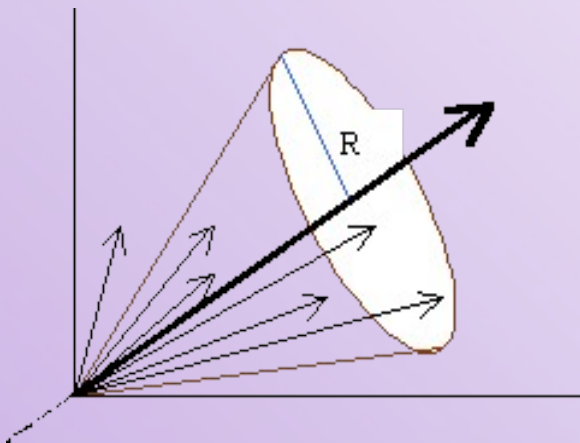
$$E_T > 2 \text{ GeV.}$$

- Merge all the objects with

$\Delta R < 0.4$  or  $\Delta R < 0.7$  w.r.t. the seed.

$$\Delta R^2 = \Delta\eta^2 + \Delta\phi^2$$

Iterate (+ split / merge) until a stable cone axis is found



## $K_T$ ALGORITHM (inclusive)

Ellis & Soper, PRD48, 3160, (1993)

KtTowerJet\_jobOptions.py

Start from a set of objects:

$$\{p_1, p_2, \dots, p_i, p_j, \dots, p_n\}$$

For each object pair  $i, j$ :

define  $d_i$  and  $d_{ij}$  in the  $\Delta R$  scheme:

$$d_i = (p_{T_i})^2$$

$$d_{ij} = \text{Min}((p_{T_i})^2, (p_{T_j})^2) * \Delta R^2 / \mathbf{D}^2$$

if  $d_{ij} < d_i$ , merge objects  $i$  and  $j$ :

by several recombination schemes

$$(E, p_t, p_t^2, E_t \text{ or } E_t^2).$$

For instance, the  $E$  scheme:

$$p_{ij} = p_i + p_j$$

if  $d_i < d_{ij}$ , object  $i$  is a jet

**Our main concern is to know whether/how we can tune the inclusive  $K_T$  parameters. Namely:**

- **which recombination scheme:**  $E$ ,  $p_t$ ,  $p_t^2$ , **etc...**
- **what scaling factor  $D$  values**

**give the closest reconstructed top mass to the generated one?**

**The analysis framework at the generator level:**

- **hard process event generation with** MCATNLO **program**
- **Output (ASCII file) is fed into the** ATHENA **machinery for Hadronization (JIMMY/HERWIG) and  $K_T$  based algorithm jet reconstruction.**



# Analysis Framework

We considered the following phase space for the  $D$  parameter:

$D$  in  $[0.1, 1.4]$  with a step of  $0.1$

We studied three different recombination schemes of the  $\Delta R$   $K_T$  scheme, namely:

$$E: p_{ij} = p_i + p_j$$

$$p_t: p_{t\ ij} = p_{t\ i} + p_{t\ j}$$

$$\eta_{ij} = (\eta_i p_{t\ i} + \eta_j p_{t\ j}) / p_{t\ ij}$$

$$\phi_{ij} = (\phi_i p_{t\ i} + \phi_j p_{t\ j}) / p_{t\ ij}$$

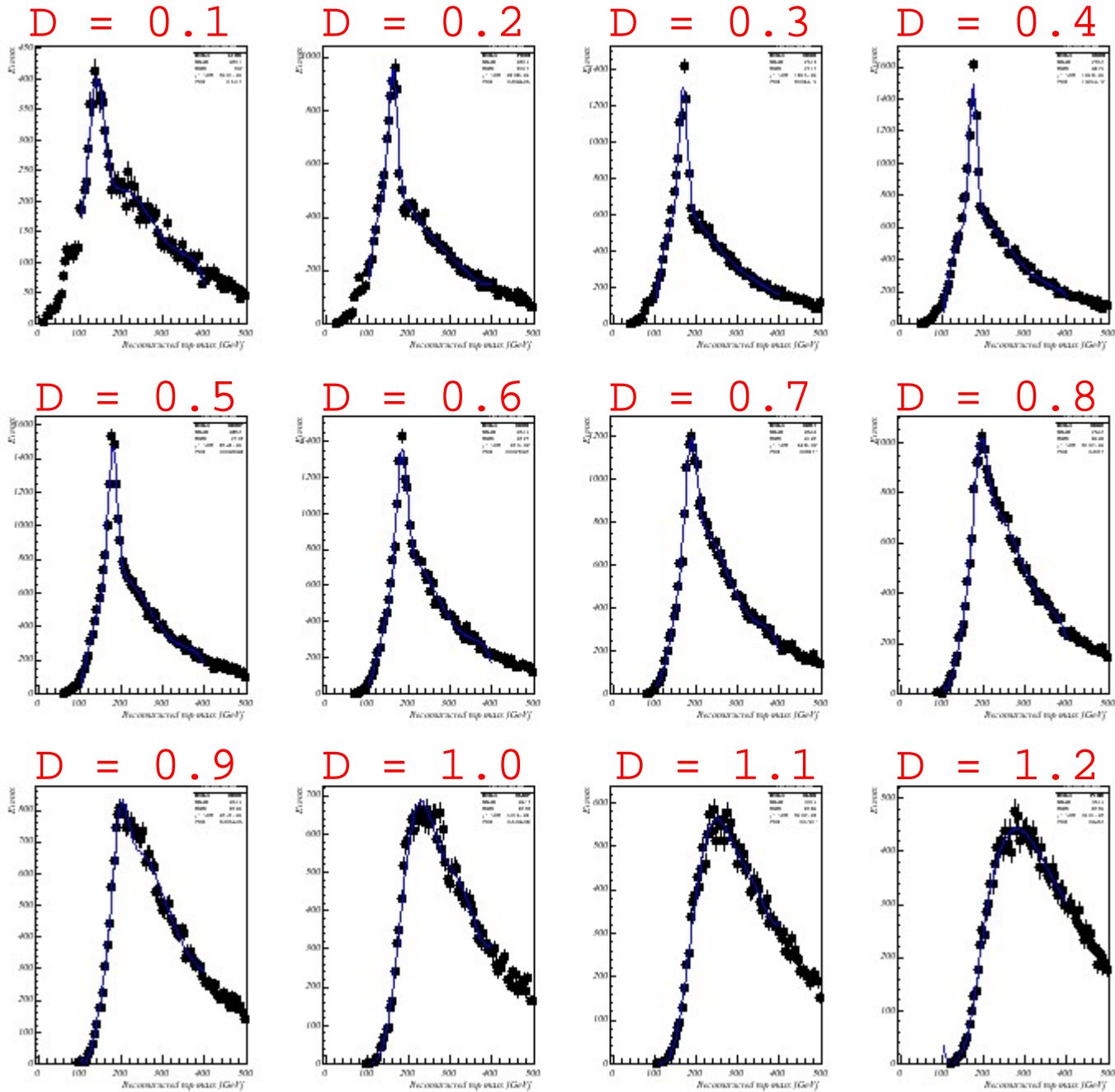
$$p_t^2: p_{t\ ij} = p_{t\ i} + p_{t\ j}$$

$$\eta_{ij} = (\eta_i p_{t\ i}^2 + \eta_j p_{t\ j}^2) / (p_{t\ i}^2 + p_{t\ j}^2)$$

$$\phi_{ij} = (\phi_i p_{t\ i}^2 + \phi_j p_{t\ j}^2) / (p_{t\ i}^2 + p_{t\ j}^2)$$

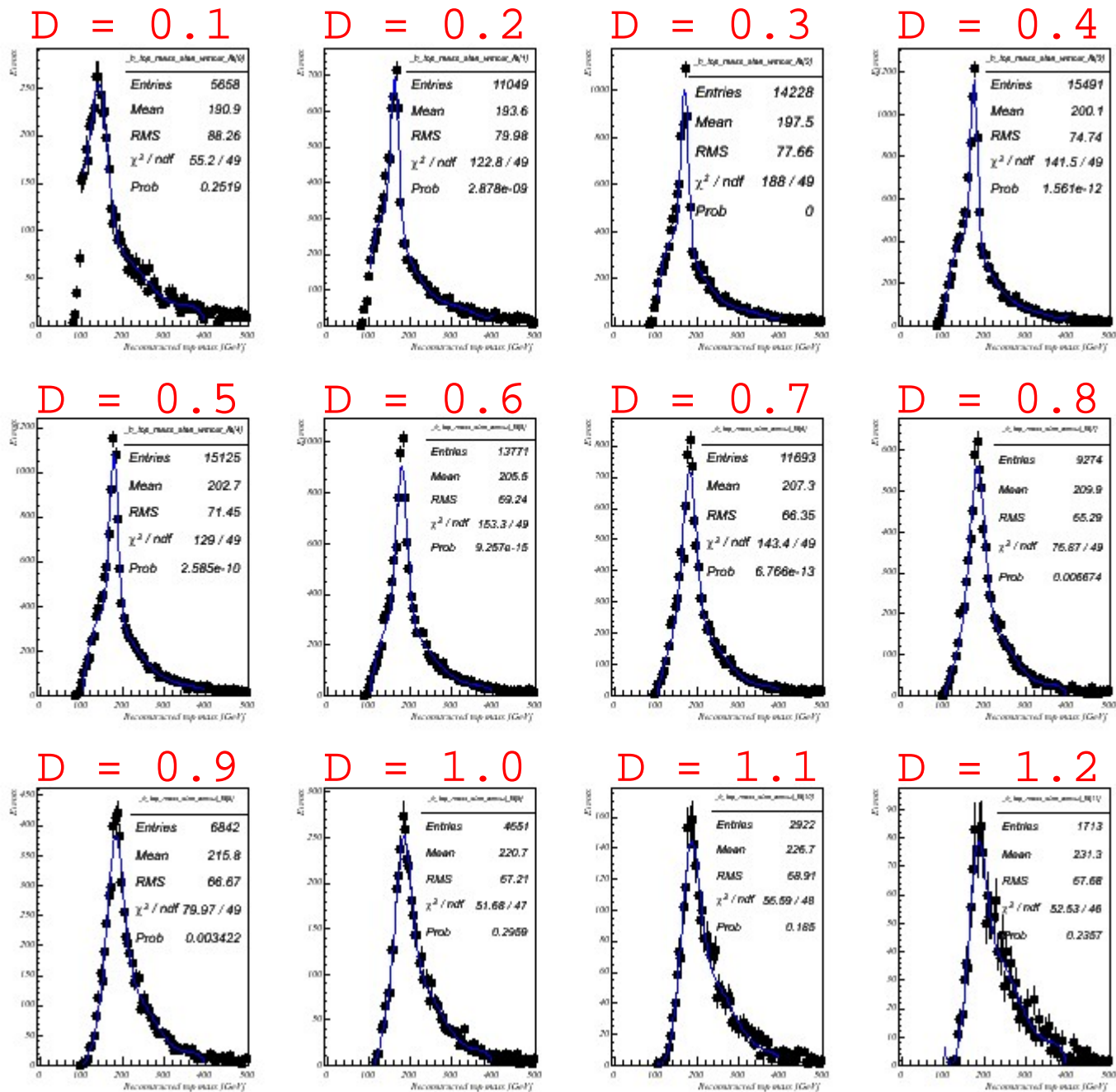
Which  $D$  gives the closest reconstructed top mass to the generated one (175 GeV) ?

# Top mass reconstruction: $E$ scheme

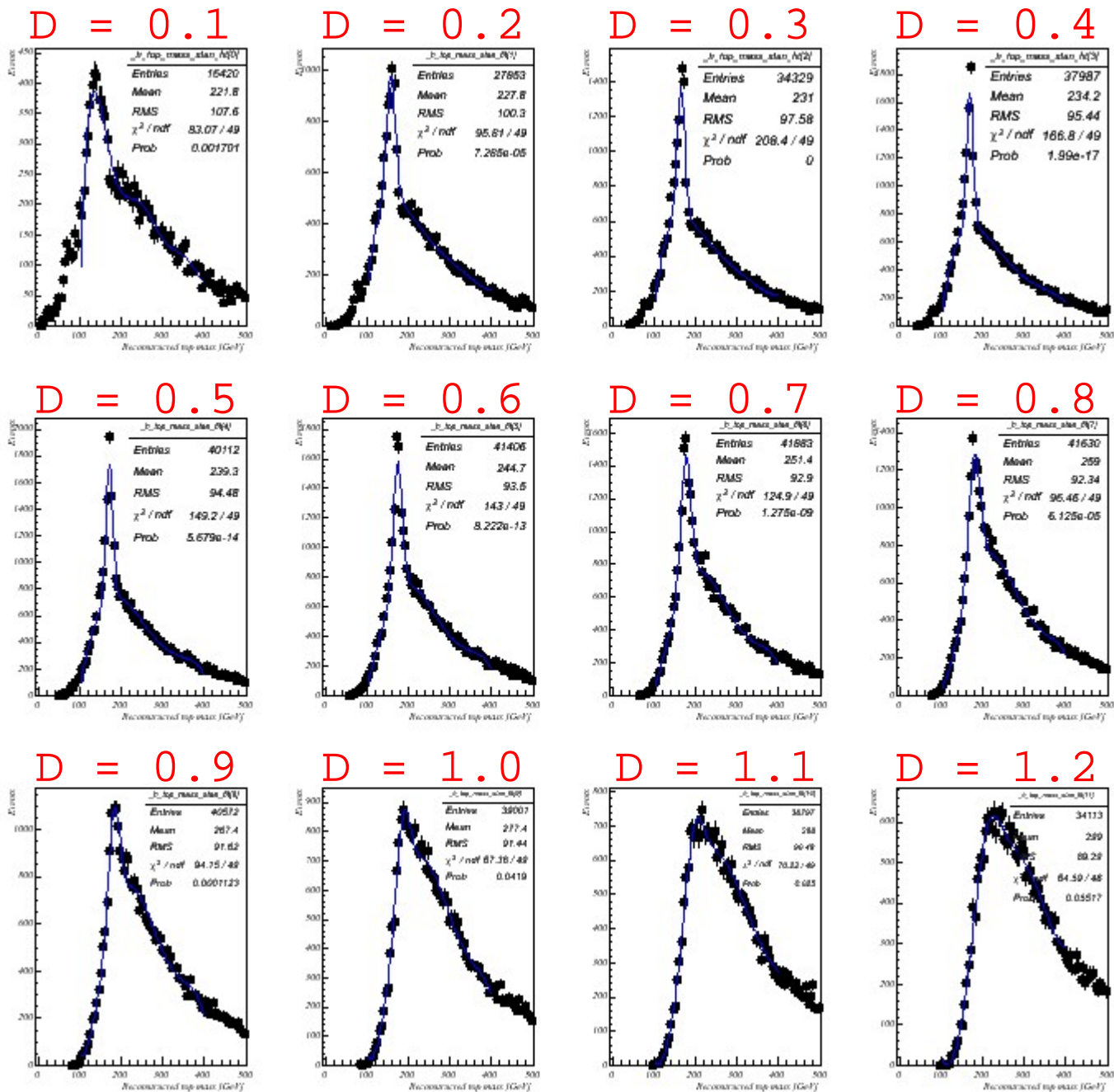


three jets of the four which maximize the total  $P_t$

# Top mass reconstruction: $E$ scheme

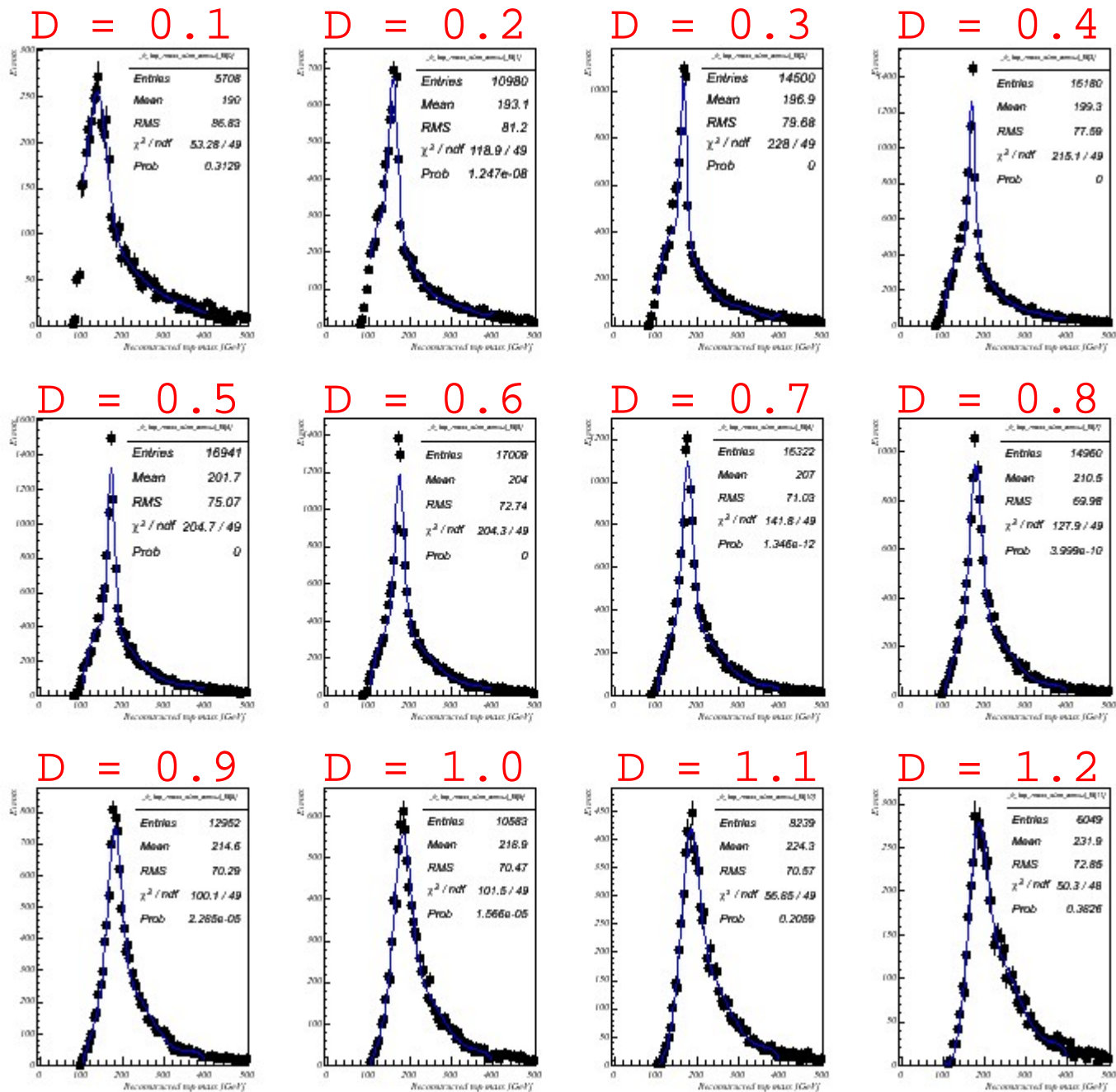


# Top mass reconstruction: $P_T$ scheme

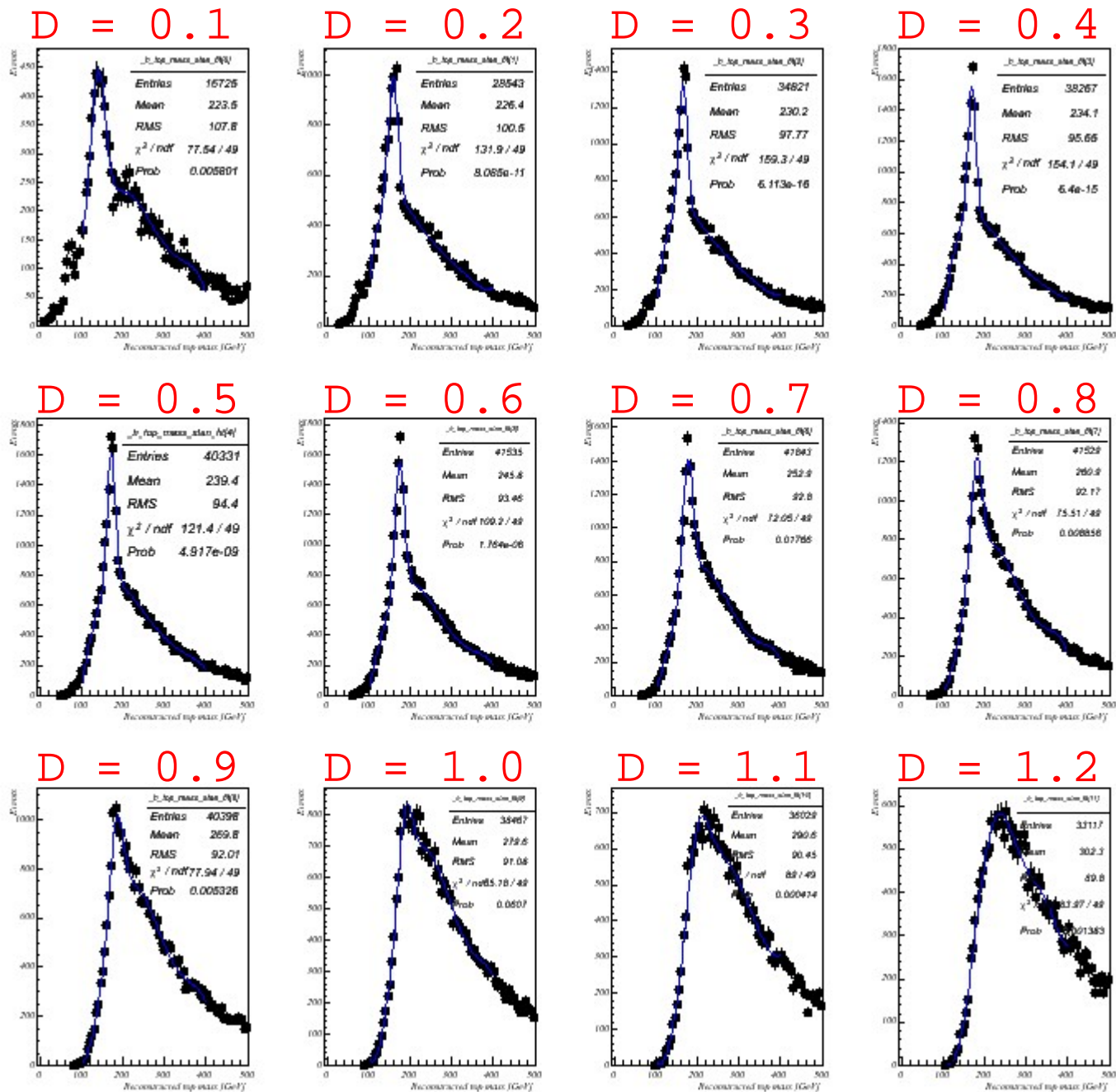




# Top mass reconstruction: $P_T$ scheme

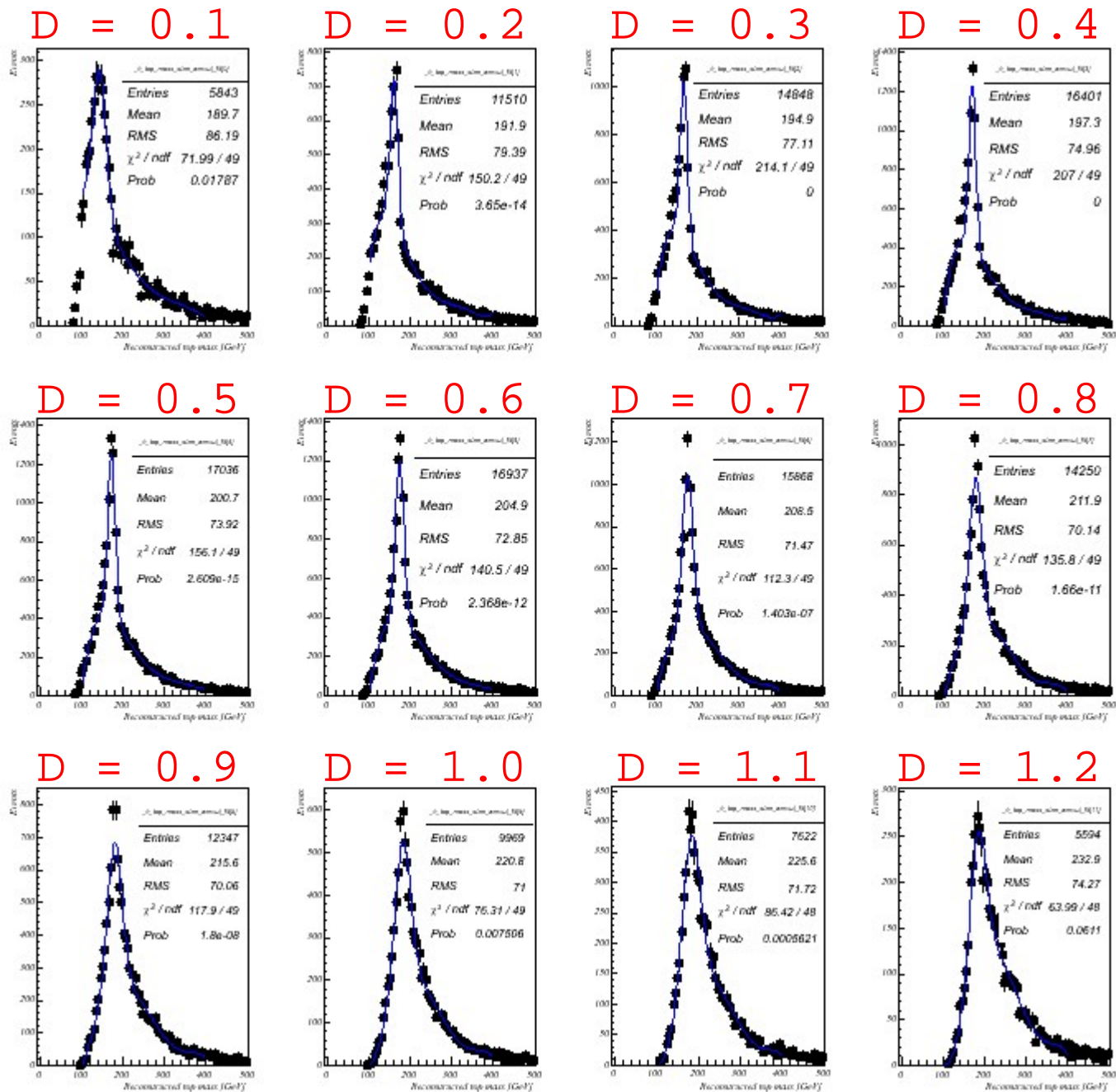


# Top mass reconstruction: $P_T^2$ scheme

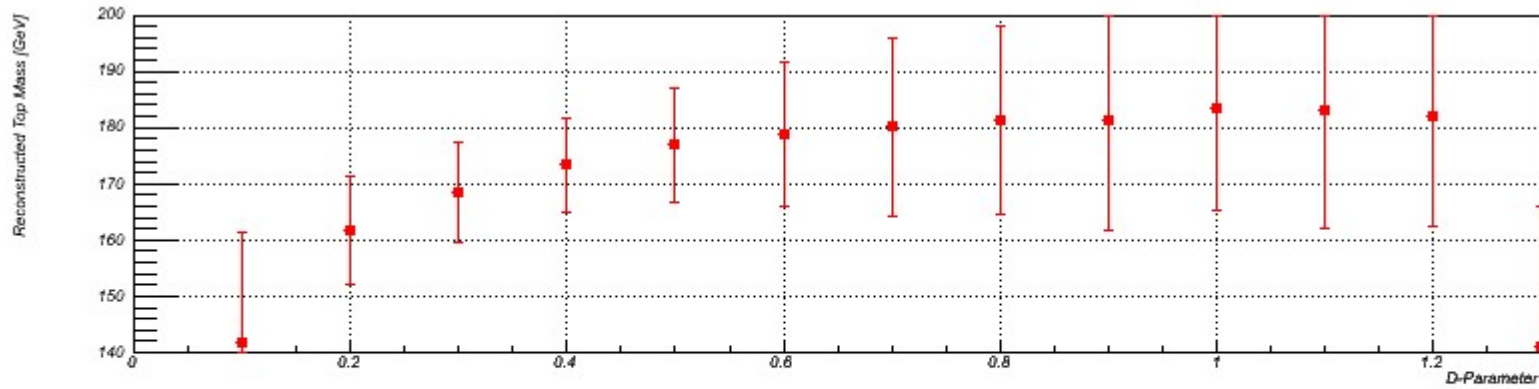




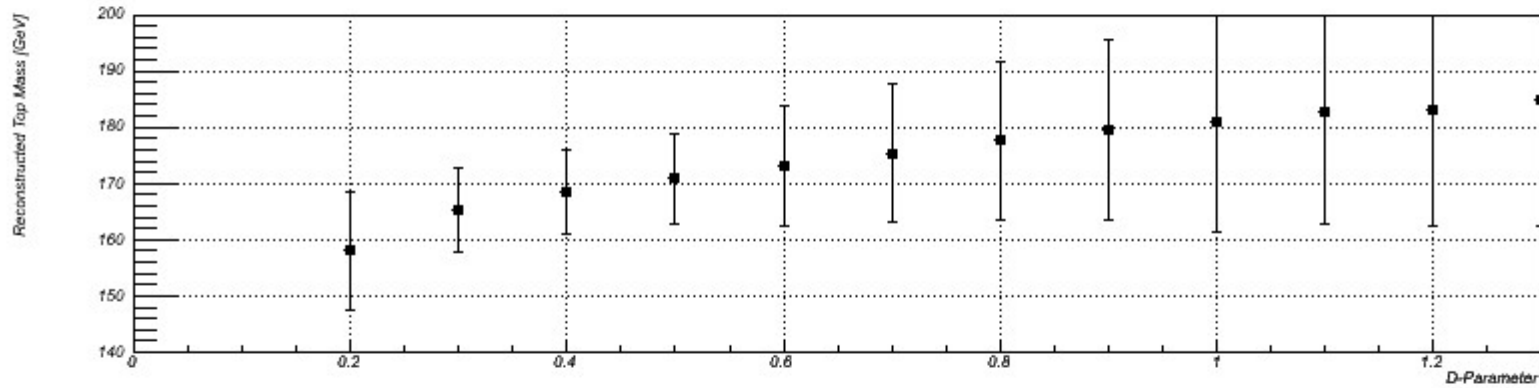
# Top mass reconstruction: $P_t^2$ scheme



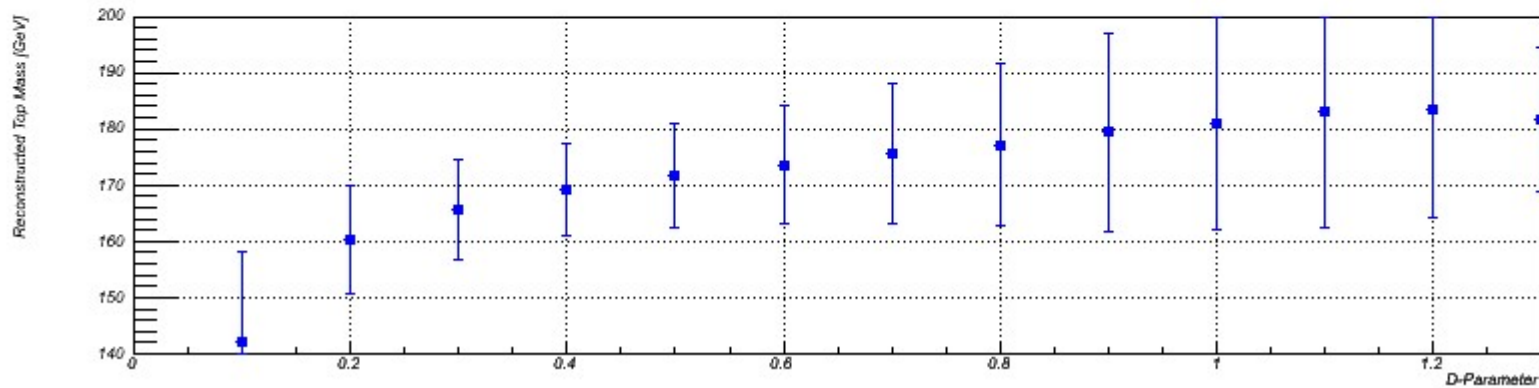
# Top mass reconstruction:



**E-scheme**

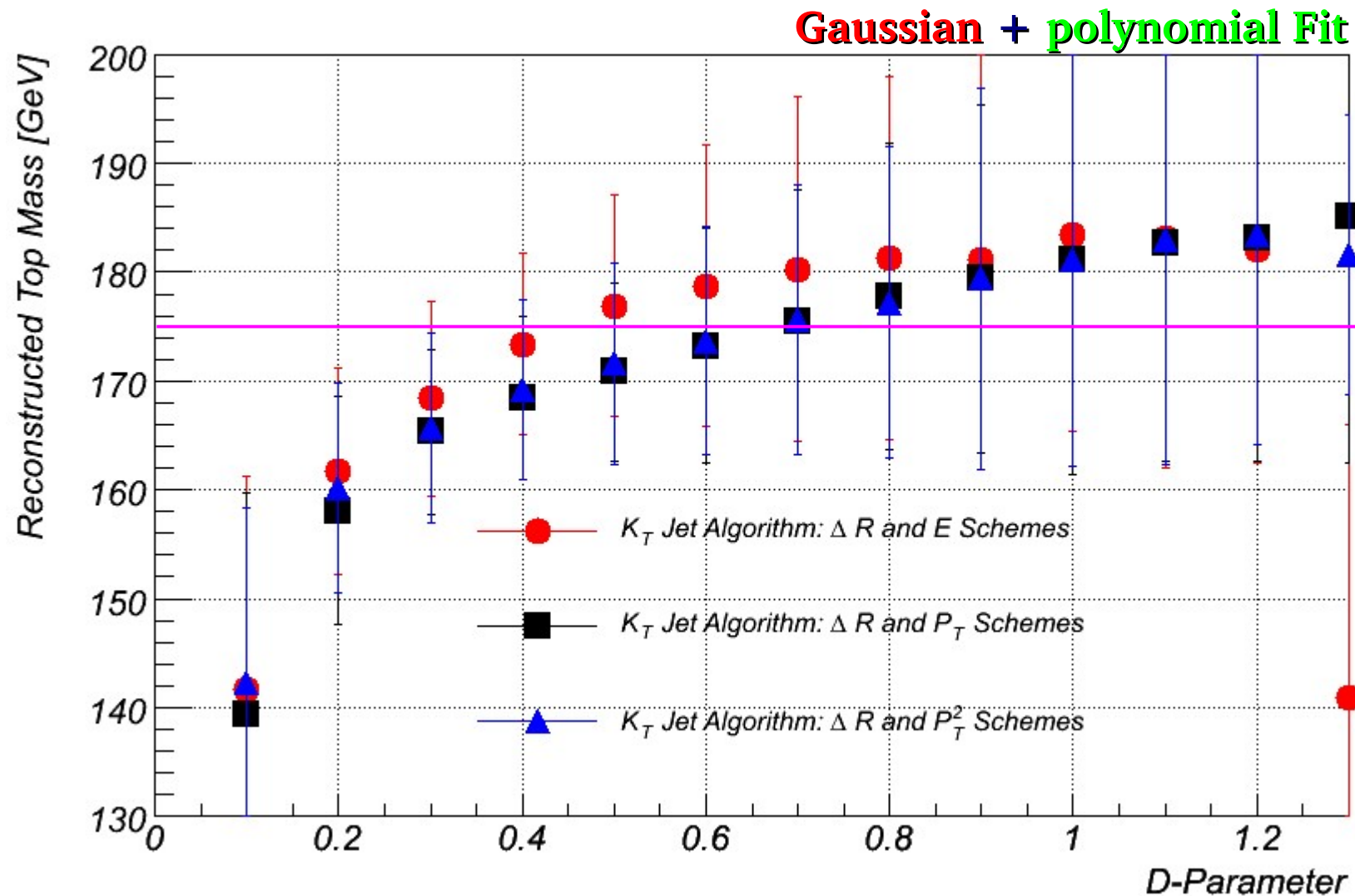


**$P_t$ -scheme**



**$P_t^2$ -scheme**

# Top mass reconstruction:

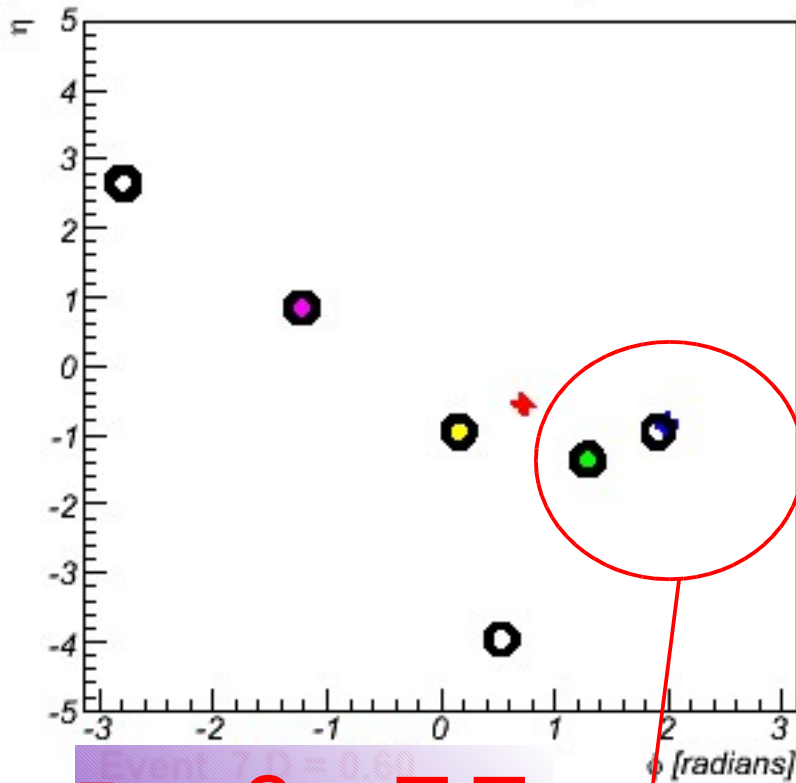


- The reconstructed top mass depends on the  $K_T$  algorithm,
- Higher values for **D** correspond to a higher reconstructed mass,

16 The  $P_T$  scheme seems to be better than the E scheme

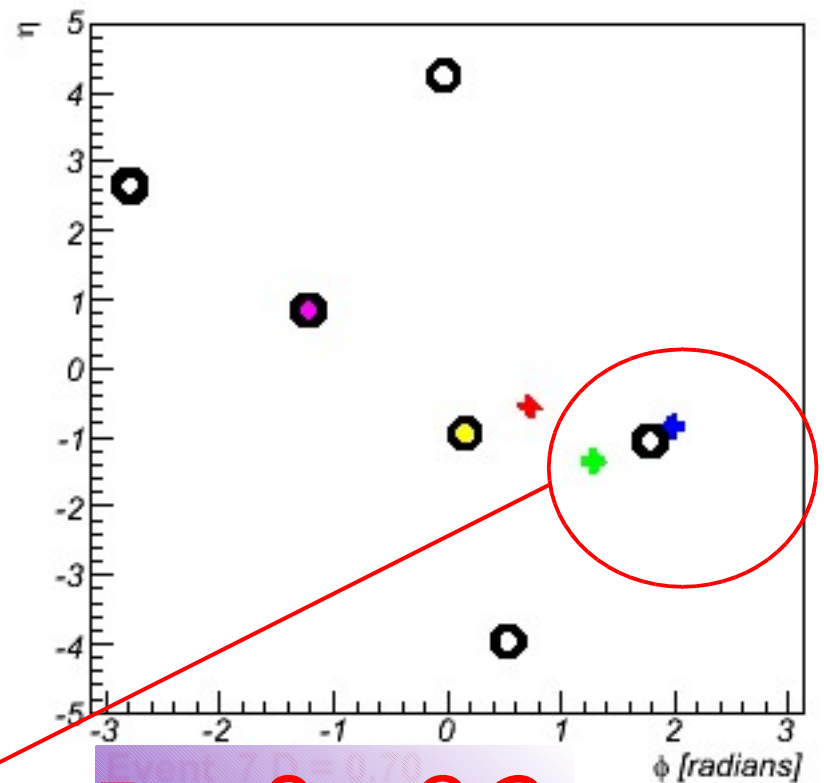
# A typical $t\bar{t}b\bar{b}$ event showing the hadronic $W$ issue

6 highest Pt Kt-Jets / Partons



Event 7  $D = 0.69$   
 $D \sim 0.77$

6 highest Pt Kt-Jets / Partons



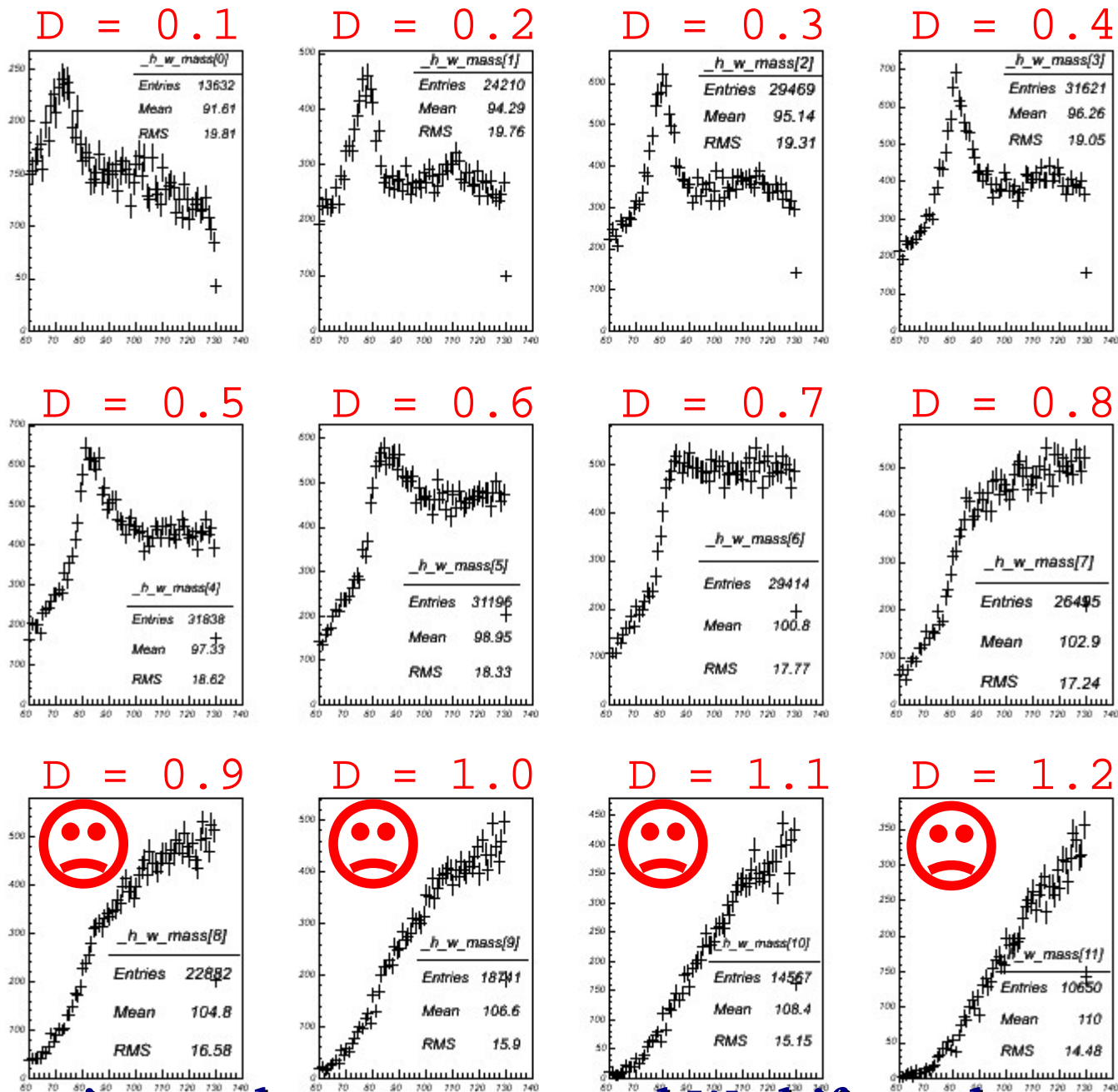
Event 7  $D = 0.79$   
 $D \sim 0.83$

A typical scenario...

there is a non-negligible chance that  $K_T$  merges the two jets from the  $W$  into one single jet object !

The  $W$ -mass peak reconstruction is a clear Figure Of Merit for the Kt-Algorithm

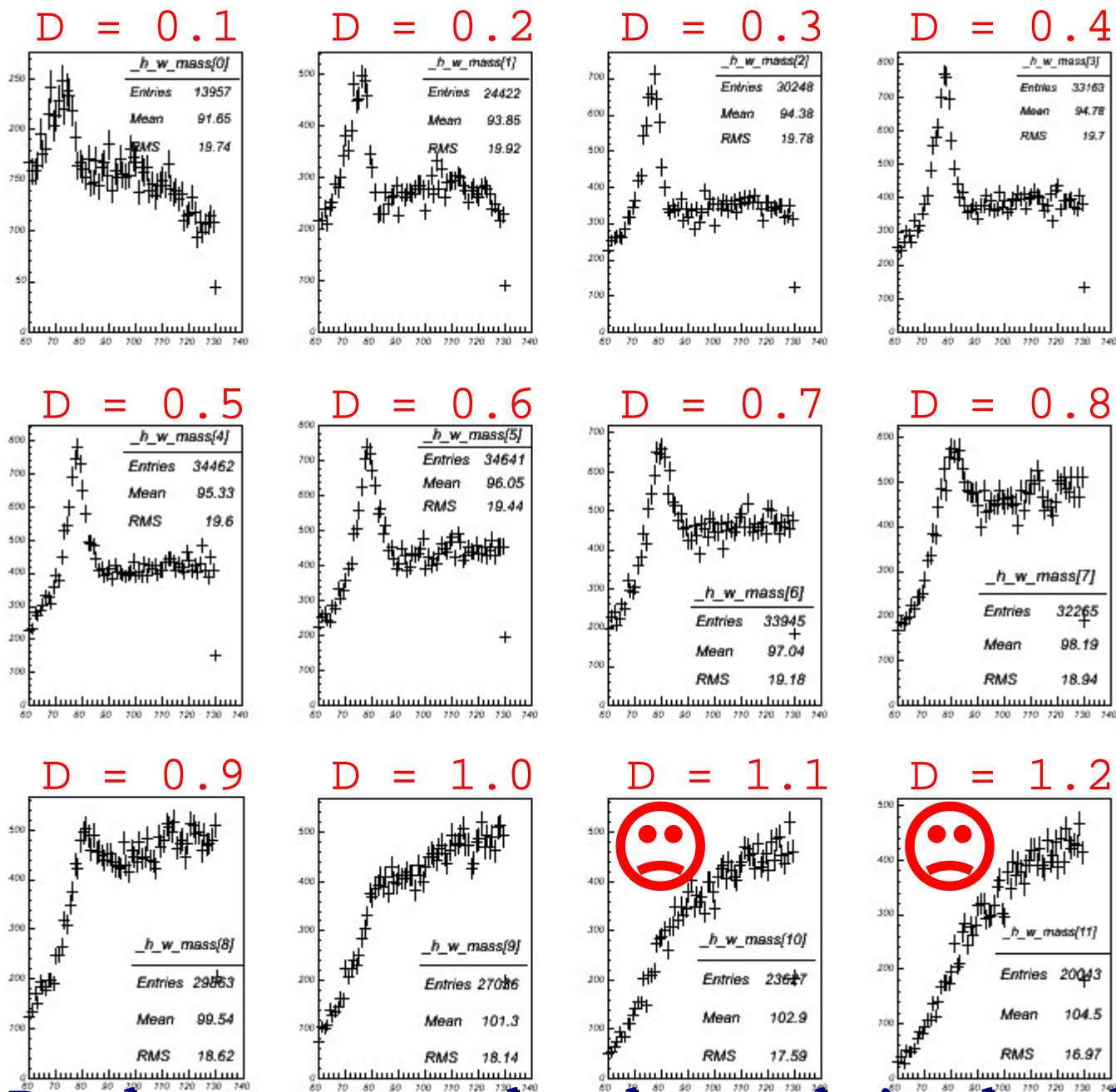
# W mass reconstruction: E scheme



Increasing  $D$ , the reconstructed W shifts to larger mass values, but  $D$  should not be too large...



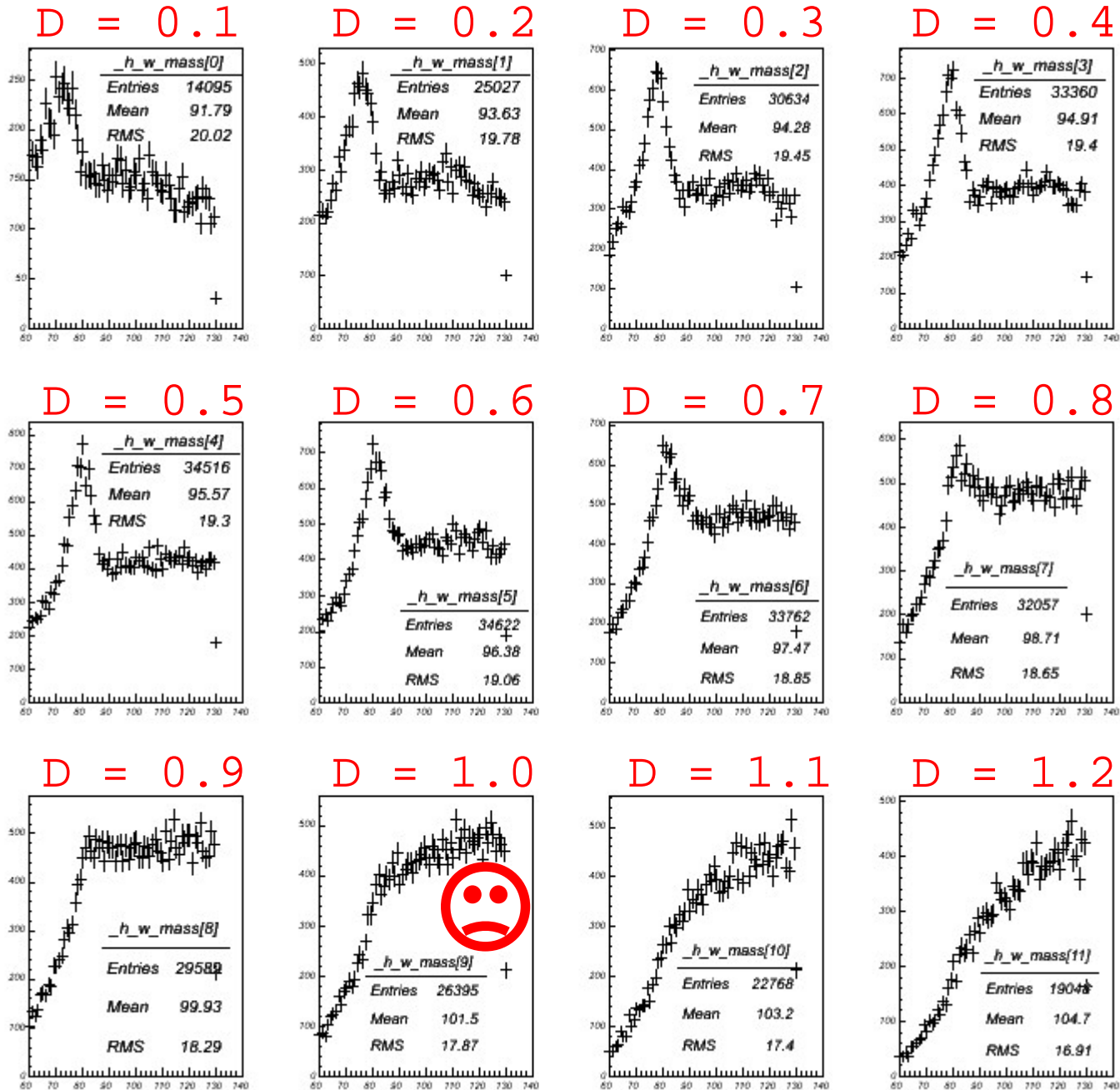
# W mass reconstruction: Pt scheme



The Pt scheme seems to be a better choice than the E recombination scheme for the W-mass, but still  $D$

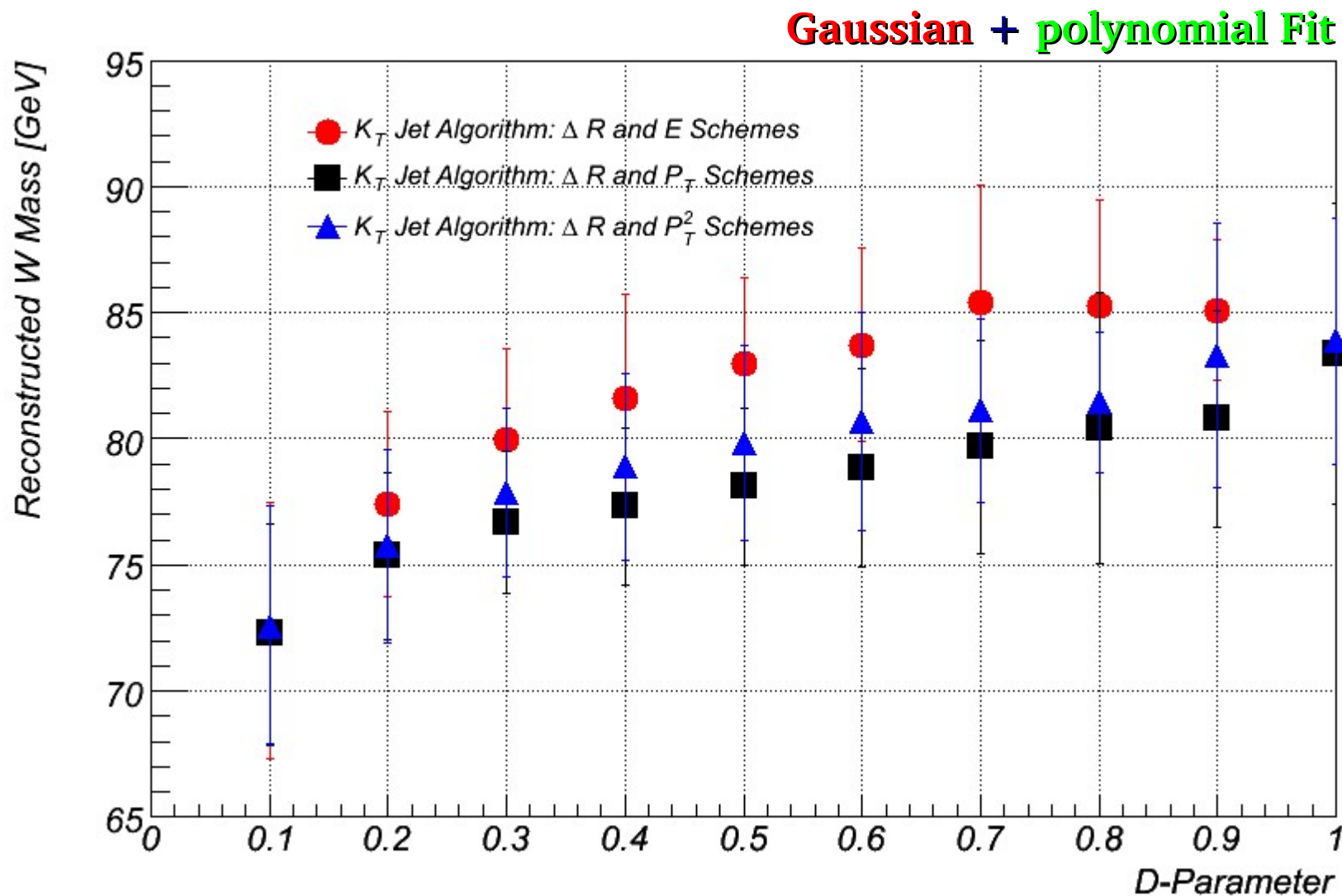


# W mass reconstruction: $P_t^2$ scheme



The  $P_t^2$  scheme seems to be a bit worse than  $P_t$

# *W* mass reconstruction:



For the  $P_t$  recombination scheme, the reconstructed *W*-mass is within  $\pm 7\%$  of the truth *W*-mass for *D*-parameter  $\in [0.2 - 0.9]$

## *Conclusions and Outlook*

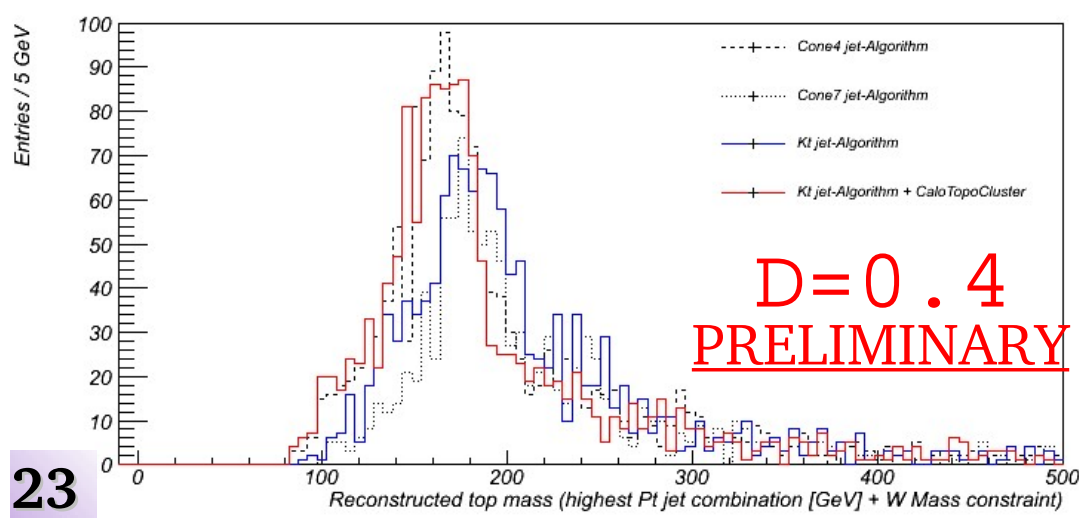
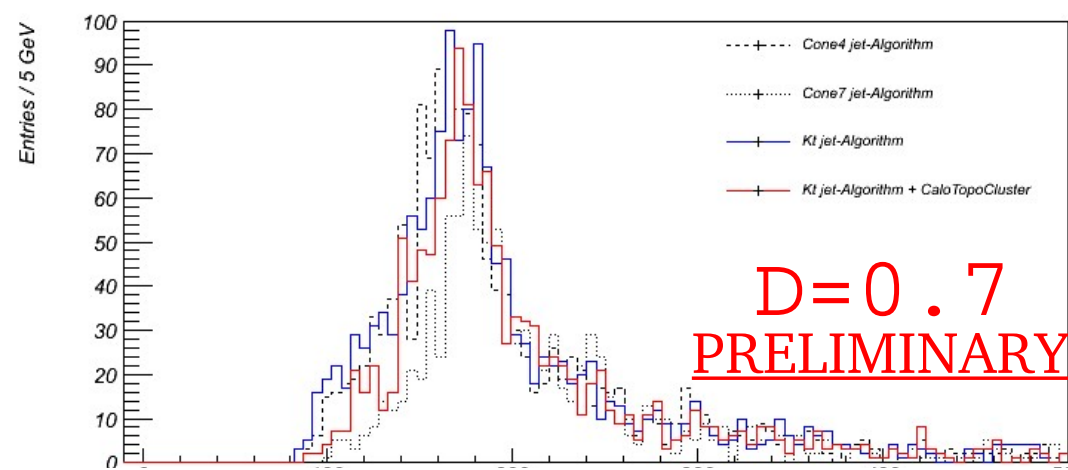
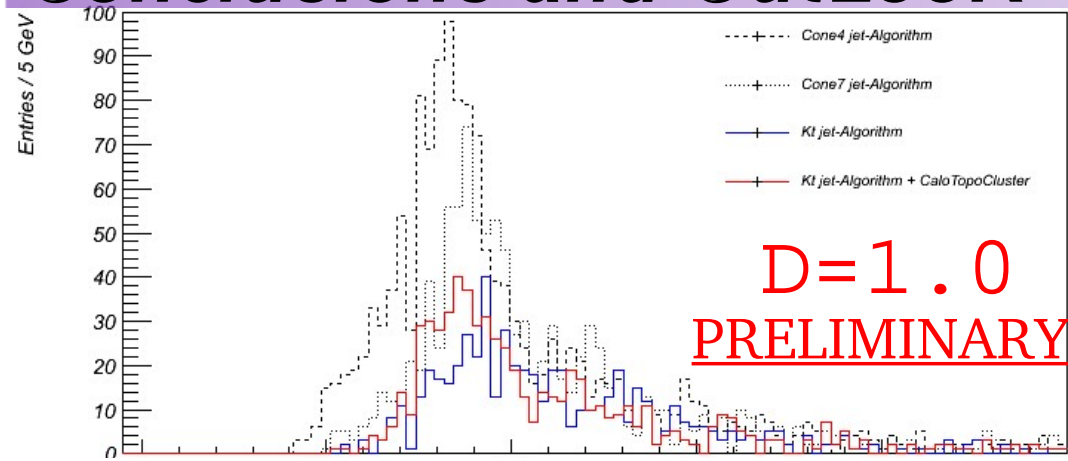
**Based on a generator level (MCATNLO/JIMMY/HERWIG) study (no detector simulation), we have shown that:**

- the D-parameter is a crucial parameter in the case of an inclusive jet reconstruction, using the K<sub>t</sub> algorithm
- two domains for the D-parameter:
  - too low values, we split the jets
  - too 'large values', we merge the two jets of the W, and miss the W mass.
- the default settings of the K<sub>T</sub> algorithm for jet reconstruction (using the inclusive approach, and  $\Delta R$  scheme) is not the appropriate one to extract a good top mass, our goal.
- We came to the result that there are more “optimal” settings for the K<sub>T</sub> algorithm (inclusive case!), namely:

***recombination scheme:  $P_t$***

**D 0.4 – 0.6 is a reasonable choice.**

# Conclusions and Outlook



T1 4100 sample-

All statistics has been processed:

ESDs with ATHENA-11.0.42 are available on CASTOR).

AODs with different Kt-D parameter values available.

But, still need to finalize analysis with all the T1 statistics...

+

make sure of everything consistent...