

# Results on Pisa Calibration

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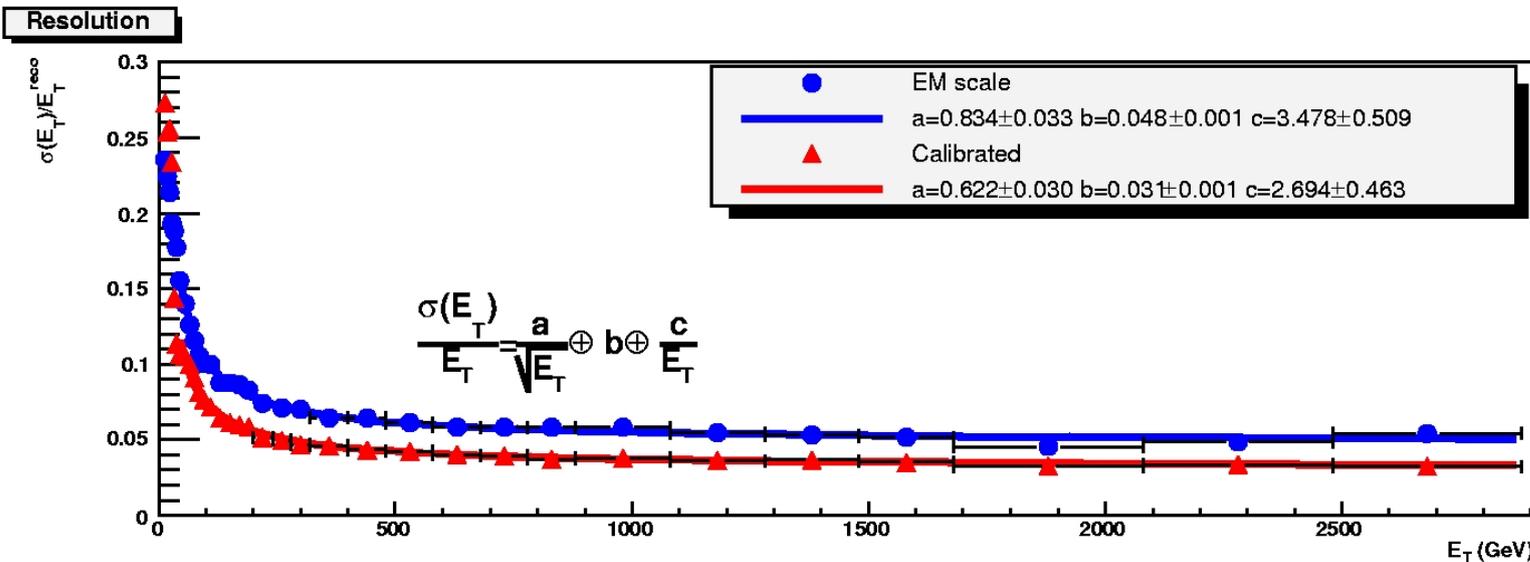
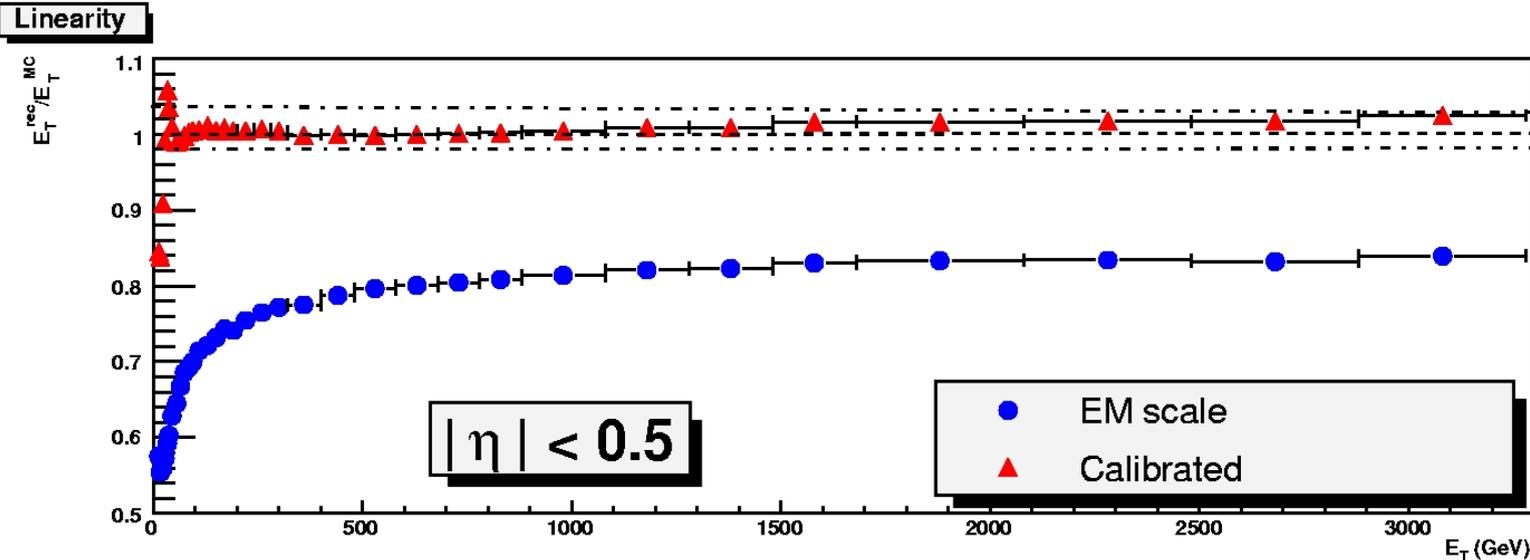
# Outlook

- Introduction
- Results on Rome data
  - Linearity and resolution for Cone0.7 and Con0.4 jets
  - Comparison with TDR and std Athena jetrec
- Preliminary results on mc11 sample and rome ttbar sample
- Timing issue
- Conclusions and work for Barcellona

# Introduction

- Jets are reconstructed using **TopoClusters**
- Weighting functions are extracted comparing reconstructed jet (with Cone0.7) with MC jet (**ParticleInCone truth**), with the **linear constrain:  $E_{\text{rec}} = E_{\text{MC}}$**
- Calibration **weights are applied to cells** belonging to TopoClusters
- Weights depend on cells and jet energies
- Jet Calibration is performed with **iterative procedure**

# Linearity and resolution: results Cone0.7



- Linearity ( $E_T^{\text{rec}}/E_T^{\text{MC}}$ ) recovered at the level of 2% from 30 GeV up to 3 TeV
- Good improvement in resolution
- More in the following for “low”  $E_T$

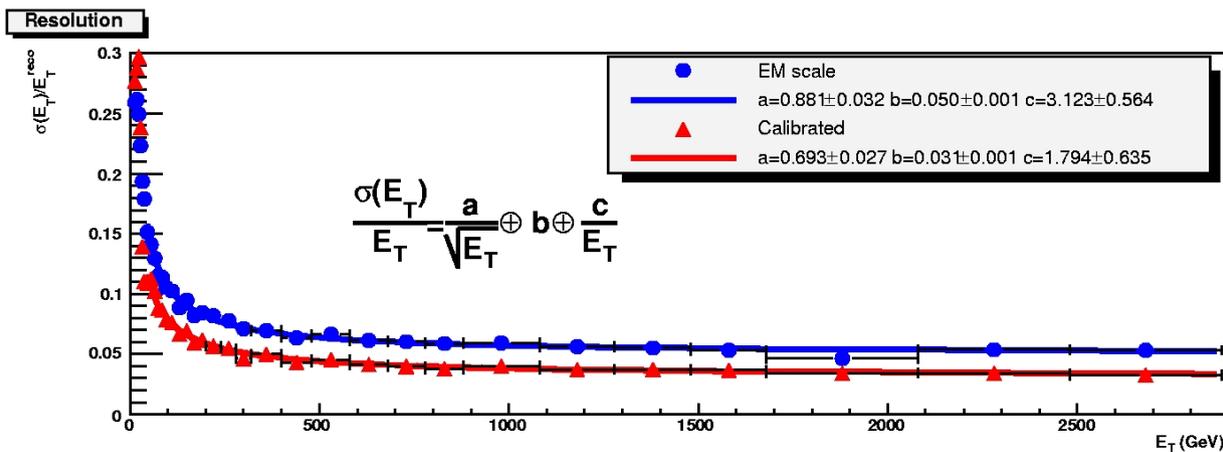
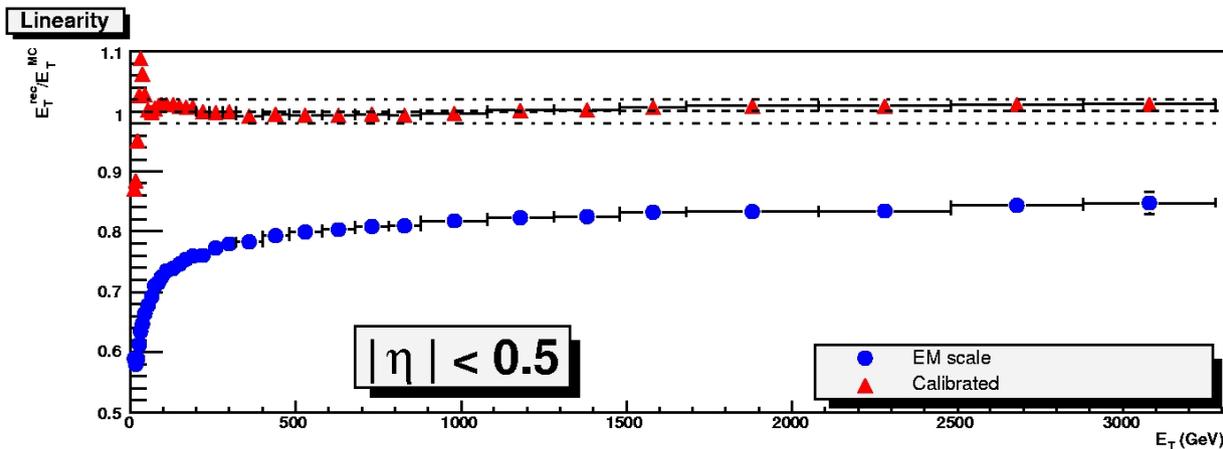
# Results for Cone0.7

Eta	EM			Calib		
	a (GeV <sup>1/2</sup> )	b	c (GeV)	a (%GeV <sup>1/2</sup> )	b	c (GeV)
0 – 0.5	83%	4.8%	3.5	62%	3.2%	2.7
0.5 – 1.3	79%	5.3%	3.5	65%	3.5%	3.6
1.3 – 1.8	80%	6.0%	2.4	42%	4.6%	3.6
1.8 – 2.3	52%	3.8%	3.2	36%	2.7%	2.9
2.3 – 2.9	43%	3.8%	2.3	27%	3.5%	3.1
2.9 – 3.4	73%	7.7%	1	59%	4.8%	2.7
3.4 – 5.0	67%	1.4%	-	50%	4.0%	-

stochastic term in resolutions  $\sigma(E_T)/E_T$  improves of about 30%

# Linearity and resolution: results Cone0.4

- Linearity recovered at the level of 2% from 30 GeV up to 3 TeV
- Resolution improves, both EM and Calibrated resolutions are worse than Cone0.7 (expected)



Calibration weights  
extracted from Cone0.7  
jets and applied to  
Cone0.4

We recover linearity: we  
correct for detector  
effects (crack, e/h, ...)

Important result: many  
physics studies  
(example  $t\bar{t}$ ) use  
Cone0.4 jets

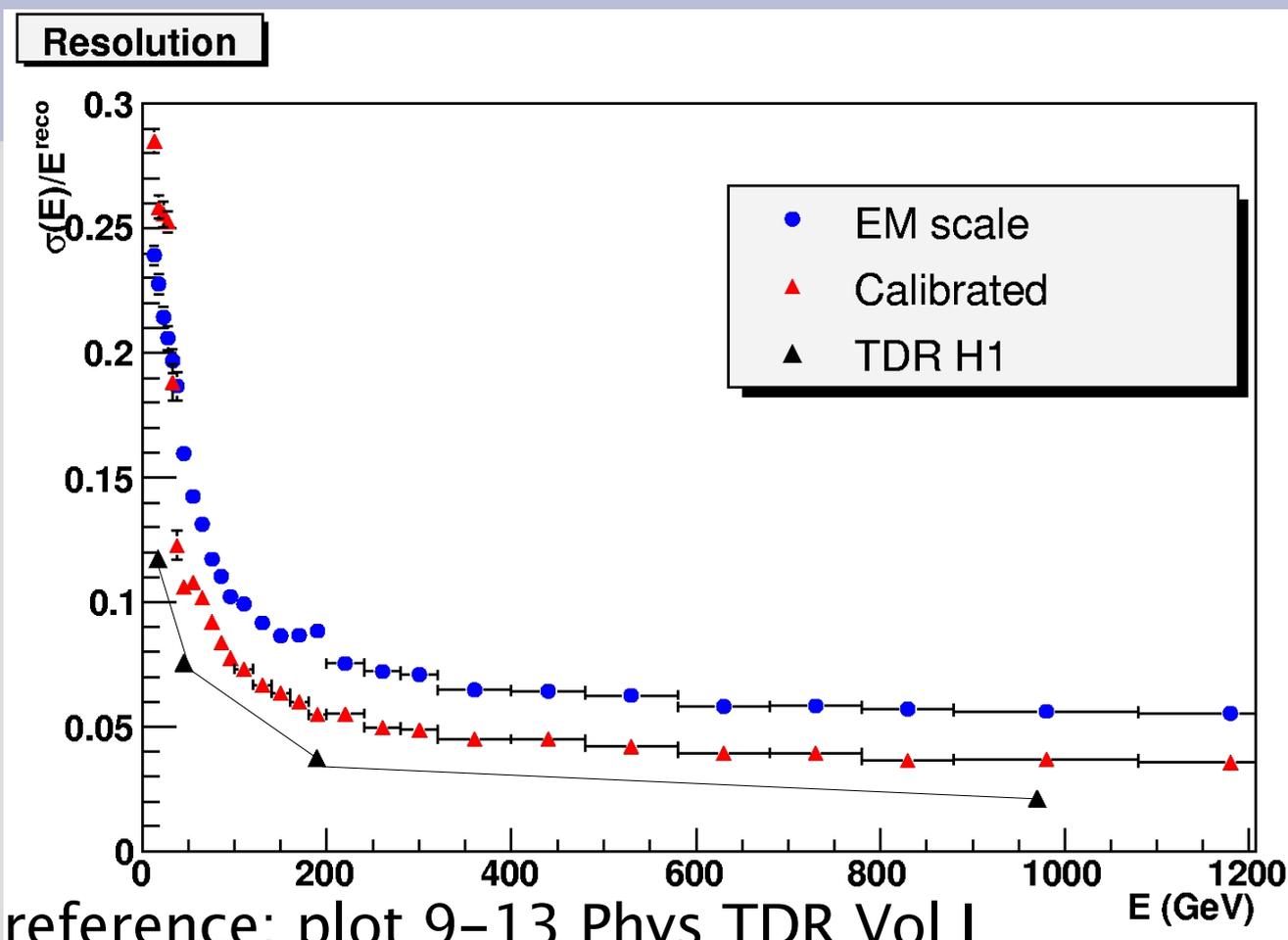
# Results for Cone0.4

Eta	EM			Calib		
	a (GeV <sup>1/2</sup> )	b	c (GeV)	a (%GeV <sup>1/2</sup> )	b	c (GeV)
0 – 0.5	88%	5.0%	3.1	70%	3.1%	1.7
0.5 – 1.3	87%	5.3%	3.2	66%	3.5%	4.4
1.3 – 1.8	85%	6.3%	3.1	55%	4.6%	3.9
1.8 – 2.3	59%	3.9%	2.4	41%	2.7%	2.6
2.3 – 2.9	47%	4.4%	3.4	21%	4.1%	4.2

Still working on data with  $|\eta| > 2.9$

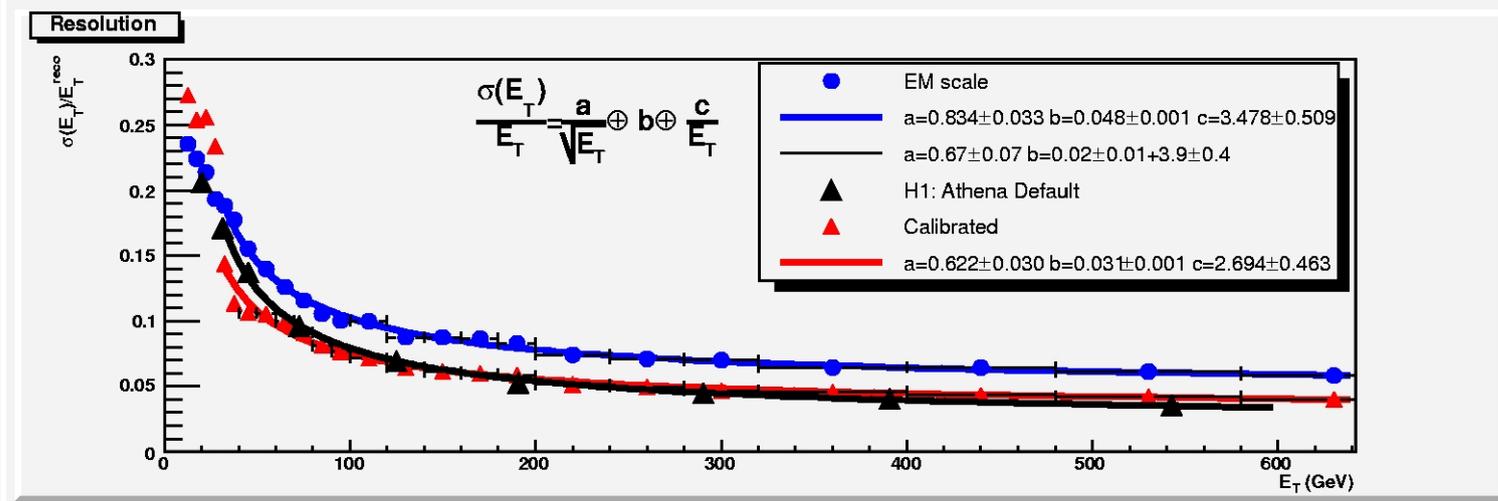
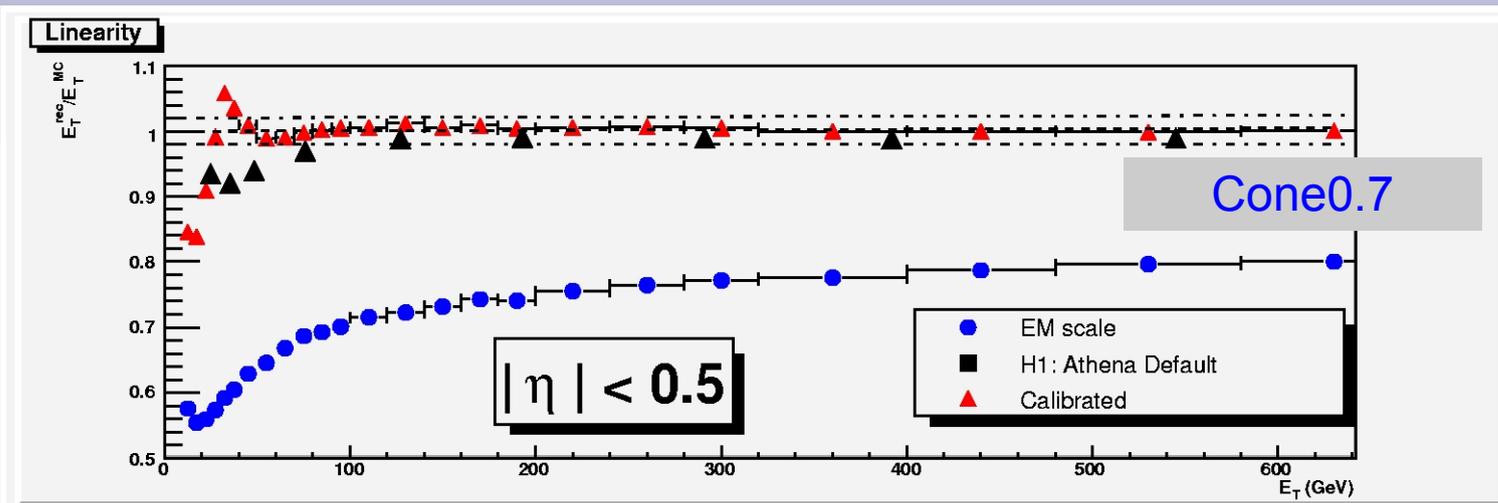
Resolution and linearity are improving on all eta ranges

# Comparison with TDR results



- TDR reference: plot 9–13 Phys TDR Vol I
  - Single jet gun, H1 method, CaloTower
- Rome sample: di-jet, TopoCluster
- Resolution for Calibrated jets is worse than TDR ( $E=200\text{GeV} +2\%$ )

# Comparison with standard Athena Reconstruction

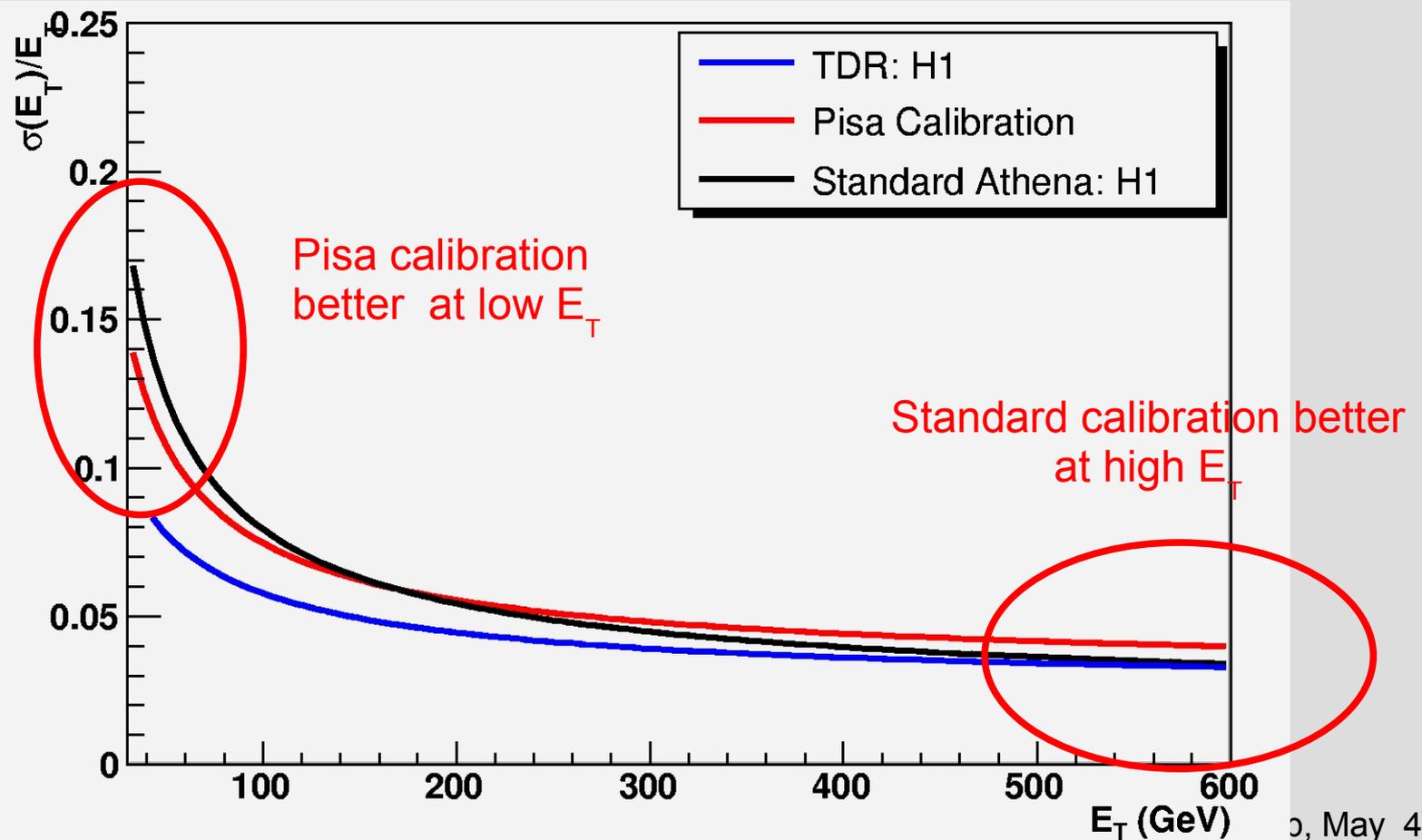


Standard Athena Jet Calibration (H1) and Pisa calibration give similar results (caveat: standard calibration uses CaloTowers, Pisa TopoClusters)

Pisa Calibration: better sampling term

# Resolutions: Central Region

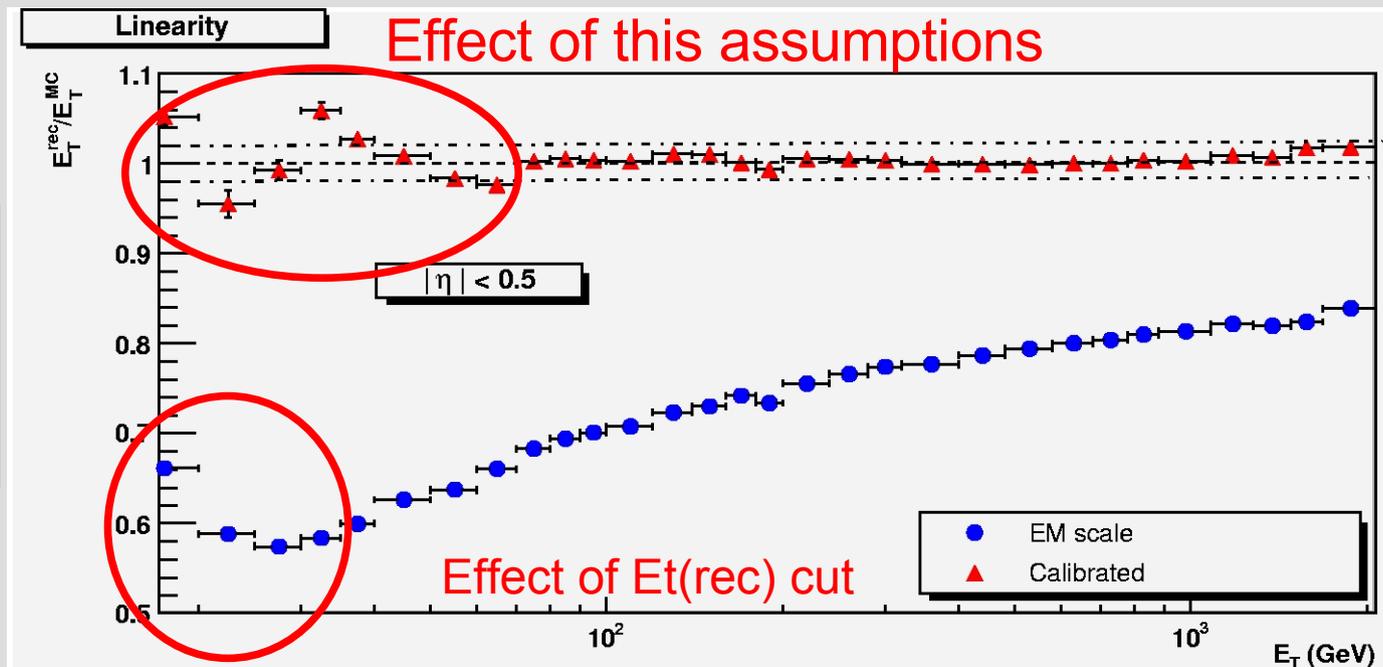
- Pisa Calibration a little bit better at low  $E_T$
- Standard calibration approaching TDR resolution at high  $E_T$
- Athena Standard and Pisa give similar results
- Both worse than TDR results



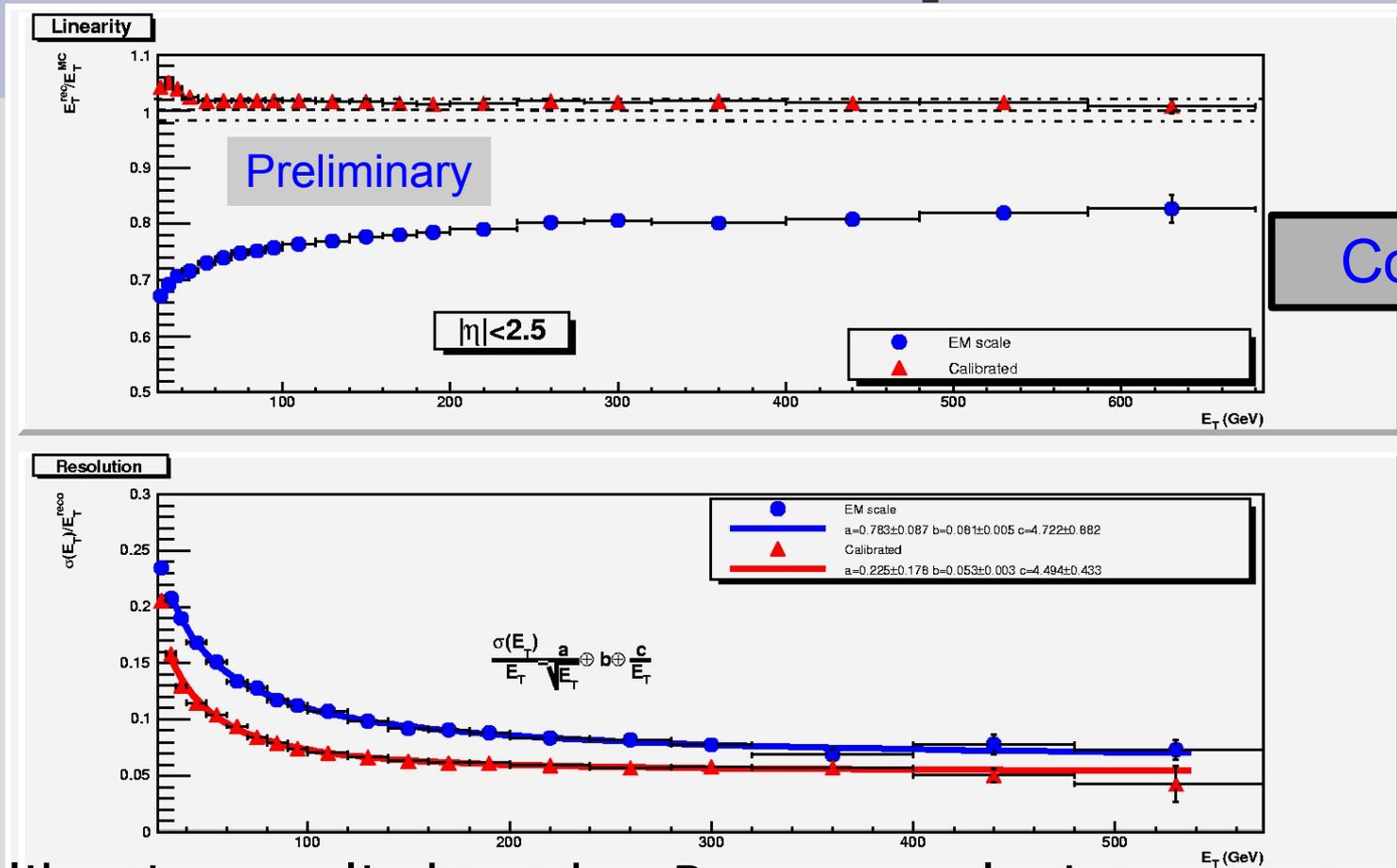
# Weights at low energy

- Current calibration strategy:
  - Calibrate only jets with  $E_T > 10$  GeV
  - Jets with  $10 < E_T < 20$  simplified parametrizations

Still working to improve linearity at low  $E_T$

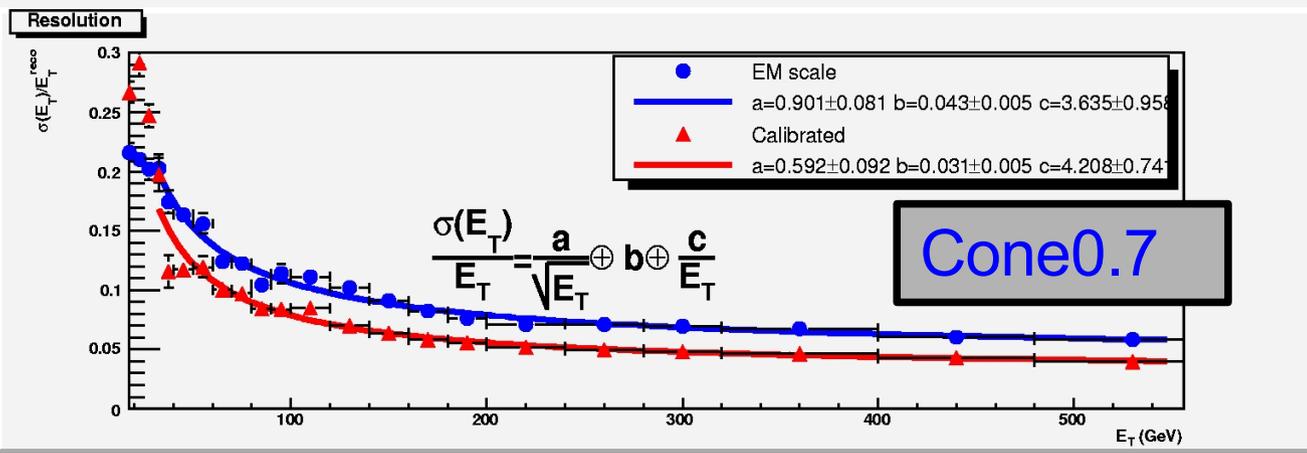
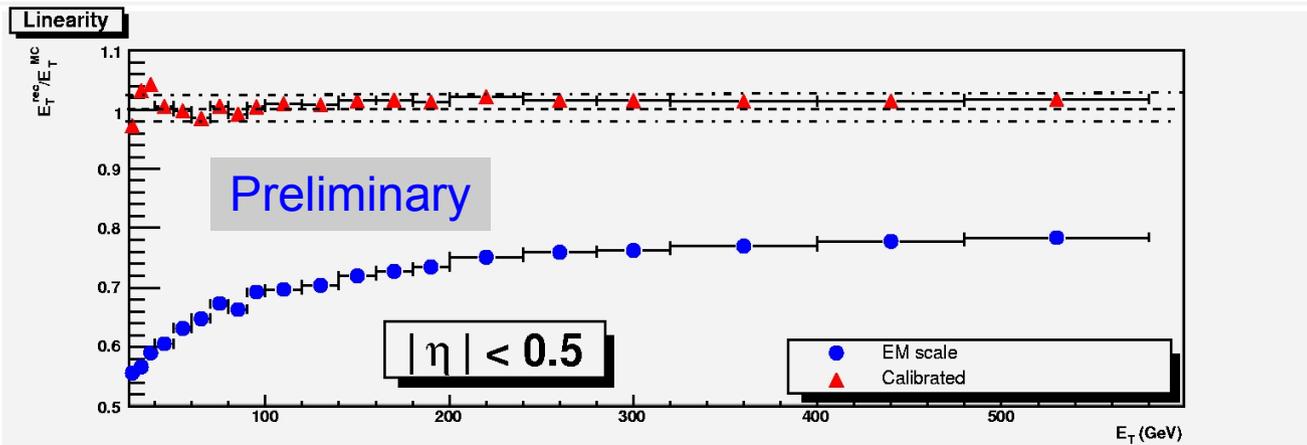


# Preliminary results on rome ttbar sample



- Pisa calibration applied to ttbar Rome sample, jet reconstructed with Cone0.4
- Linearity recovered in  $\pm 3\%$  (40–600 GeV) but systematically higher than 1
- Resolution lower than expected: under investigation

# Preliminary results on mc11 data sample



- Ad-Hoc fudge factors applied to take into account TileCal sampling fraction and budget material
- Linearity recovered at the level of 2%
- Resolution comparable with rome data

- Weighting functions extracted from Rome applied to mc11 J2 and J5 samples
- mc11: same Pythia events, but: different version of G4, different budget material in Forward region different TileCal sampling fraction

# mc11 data: resolution

Eta	EM			Preliminary		Calib	
	a ( $\text{GeV}^{1/2}$ )	b	c (GeV)	a ( $\% \text{GeV}^{1/2}$ )	b	c (GeV)	
0 – 0.5	90%	4.3%	3.6	60%	3.1%	4.2	
0.5 – 1.3	88%	4.8%	3.8	69%	3.3%	3.7	
1.3 – 1.8	73%	6.0%	4	50%	3.9%	3.6	
1.8 – 2.3	58%	3.9%	2.9	40%	2.8%	2.6	
2.3 – 2.9	46%	4.6%	2.8	41%	3.6%	3.2	

- Resolutions compatible with the Rome data
- Still working on high eta regions
- Important result: fudge factors are enough (no need to extract new weights)

# Timing issue: can help to know...

- At first our code was slow compared to Std Calib: 5 s/evt (Pisa) Vs 0.9 s/evt (H1)
- We have found that the problem was in the statement:

```
StatusCode Algo::execute() {  
    for (....) { // some big loop over all cells  
        SomeF();  
    }  
}  
  
StatusCode Algo::SomeF() { /* ... */  
    retron StatusCode::Success;  
}
```

- The problem is the destructor of StatusCode (trying to write to a file)
- Returning a bool in our internal function improved timing to 40ms!

# Conclusions 1/2

- Linearity is recovered at 2% level over a wide energy range (30 GeV – 3 TeV)
- Method works with Cone0.7 and Cone0.4 jets with the same weighting functions
- Method works for  $E_T > 30$  GeV and some studies have started to decrease this limit
- At the moment the most time consuming (from physicist point of view) part of the procedure is the extraction of the calibration weights (currently done outside athena): need to study a better/faster strategy
- Results has been compared with TDR results and standard Athena reconstruction
- The method gives similar results as standard Athena

# Conclusions 2/2

- Preliminary results on ttbar (rome data) and mc11 J2+J5 samples have been shown, consistent performances have been obtained
- Fudge factors have been applied to cope with simulation and reconstruction differences between mc11 and rome data
- We will put our calibration scheme in Athena release, integration started (now testing full reco: from digits to AODs)
- Solved timing problem (found quite a tricky reason)
- We intend to participate in CSC note for calibration comparison
- We plan to work (with Ambreesh and anybody else that is interested) on systematic and detailed comparisons with other calibration method: developing of standard analysis tools ongoing

# Future work:

- Barcellona plan:
  - Use current calibration schemes
  - Compare systematically the performances
  - Validate on physics samples (already using Pisa calibration for top analysis)
  - Study impact of calibration on start-up detector (commissioning with top events)
  - Start integration DM and ClusterID to our approach

# Backup

# Introduction: the method 1/2

“Binned” energy for sample  $s$  and bin  $b$  (sum of all energies of cells belonging to  $s$  with energy between  $\langle E_{b-1} \rangle$  and  $\langle E_b \rangle$ )

$$E_{s,b} = \sum_{\langle E_{b-1} \rangle < E_c < \langle E_b \rangle, c \in s} E_c$$

$$E_{rec}(em) = \sum_{s,b} E_{s,b}$$

Jet at EM scale

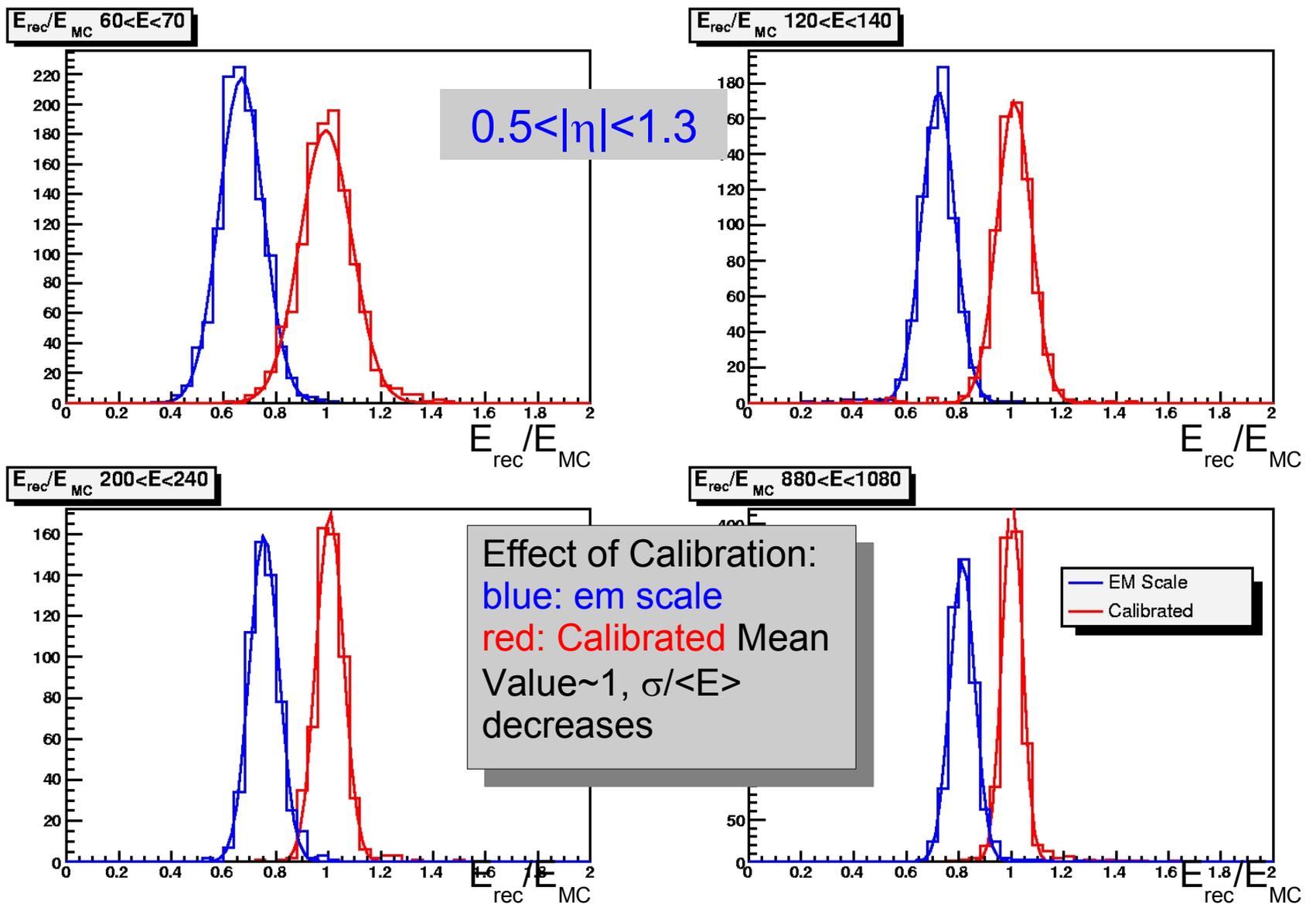
$$E_{jet}^{cal} = \sum_{s,b} W_s(E_{jet}^{cal}, E_{s,b}) E_{s,b}$$

Calibrated jet

$$W_s(E_{jet}^{cal}, E_{s,b}) = A_s(E_{jet}^{cal}) + \frac{B_s(E_{jet}^{cal})}{\langle E_b \rangle}$$

- Different weights for different eta regions and longitudinal samples ( $s$ )
- Weights depending on “true” energy of the jet ( $E_{jet}^{cal}$ ) and on energy in cells (bin value  $\langle E_b \rangle$ )

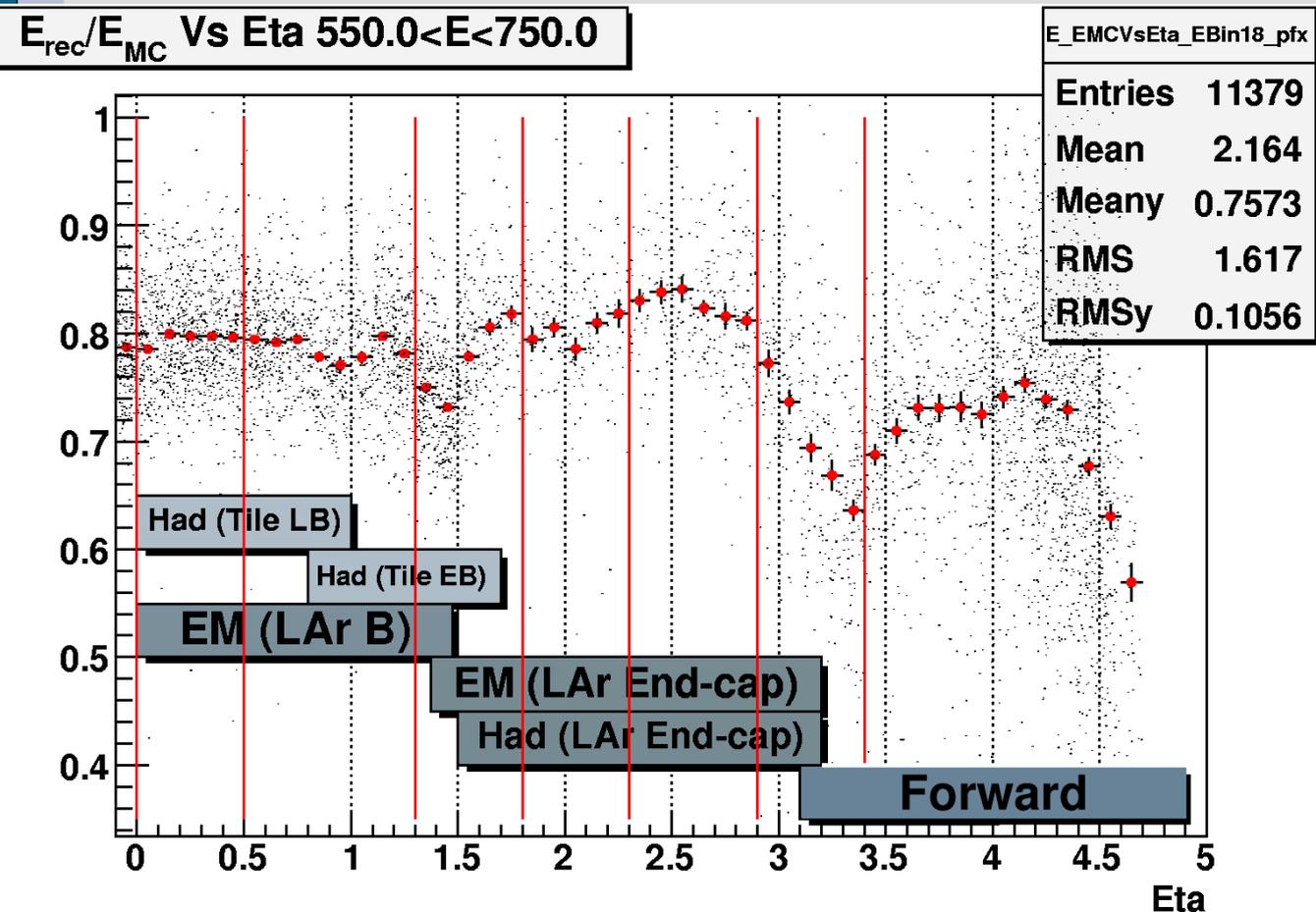
# Result on Rome data: Cone0.7



# Introduction: eta regions

- The calorimetric system is divided in 7 eta regions and this zones are calibrated separately

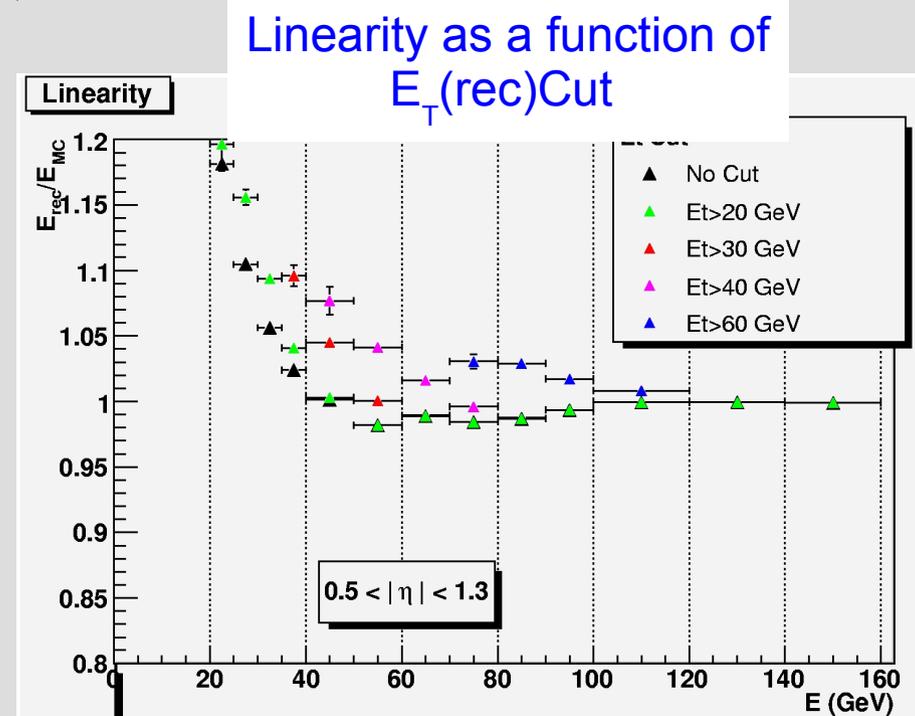
- Cracks and subsystems are well visible and correspond to the divisions



- $|\eta| < 0.5$  -  $0.5 < |\eta| < 1.3$
- $1.3 < |\eta| < 1.8$  -  $1.8 < |\eta| < 2.3$
- $2.3 < |\eta| < 2.9$  -  $2.9 < |\eta| < 3.4$
- $3.4 < |\eta| < 5.0$

# Weights at low energy

- This is probably due to a different factors:
  - Shower Shape, at low energy the shower shape of a jet can be different (i.e. energy all contained in one sample)
  - Bias introduced by Jet reconstruction (and following matching with truth)



# Again on Validity: mathematical aspect

- Given an equation:  $E=f(E)$  **sufficient condition** that the iterative method will converge to the exact (and unique) solution is that  $|df/dE|<1$  (in an interval)
- Given the functional behaviour of our weights ( $1/E$ ) **it will exist a lower energy limit** for which this condition is no more satisfied
- Under this limit **the solution can be wrong (increased spread in  $E_{rec}/E_{MC}$ )**
- The results are good approximations only above this limit

