

# Measurement of the 1-jettiness Event Shape Observable in Deep-inelastic Electron-Proton Scattering

Johannes Hessler

## IMPRS Recruiting Workshop

Technische Universität München,  
Max-Planck-Institut für Physik

Masterthesis: <https://inspirehep.net/literature/2010833>  
H1 preliminary report: <https://www-h1.desy.de/psfiles/confpap/EPSHEP2021/H1prelim-21-032.pdf>  
PoS EPS-HEP: <https://arxiv.org/abs/2111.11364>

18.7.2022



## Neutral current deep-inelastic scattering

- Process  $ep \rightarrow e'X$
- Electron or positron scattering

### Kinematic variables

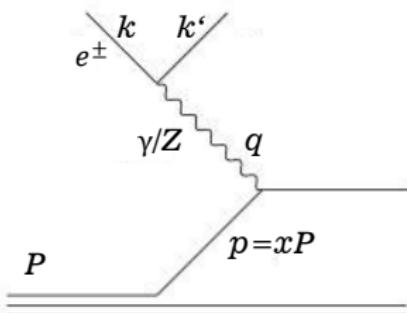
- Virtuality of exchanged boson

$$Q^2$$

$$Q^2 = -q^2 = -(k - k')^2$$

- Inelasticity, Bjorken-x and centre-of-mass energy

$$y = \frac{P \cdot q}{P \cdot k} \quad Q^2 = x_{Bj} \cdot y \cdot s$$



# The 1-jettiness event shape observable

## 1-jettiness

$$\tau_1^b = \frac{2}{Q^2} \sum_{i \in X} \min\{xP \cdot p_i, (q + xP) \cdot p_i\}$$

- Infrared safe and free of non-global logs
- Sensitive to strong coupling  $\alpha_s$  and PDFs

## Boost to Breit frame:

→ DIS thrust normalised to boson axis

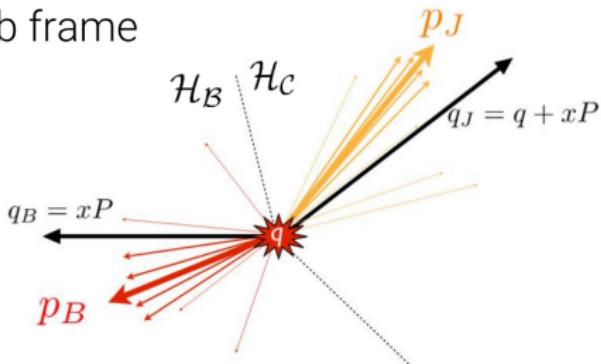
$$\tau_Q = 1 - \frac{2}{Q} \sum_{i \in \mathcal{H}_C} P_{z,i}^{Breit}$$

- Normalisation with  $Q/2$  of the event
- Only particles in the current hemisphere contribute

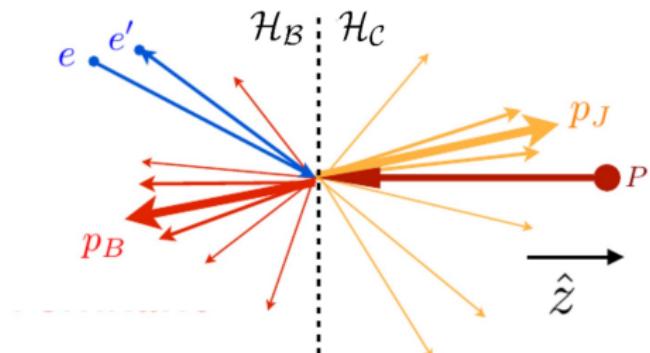
**Equivalence** follows from momentum conservation:

$$\tau_Q = \tau_1^b$$

## Lab frame

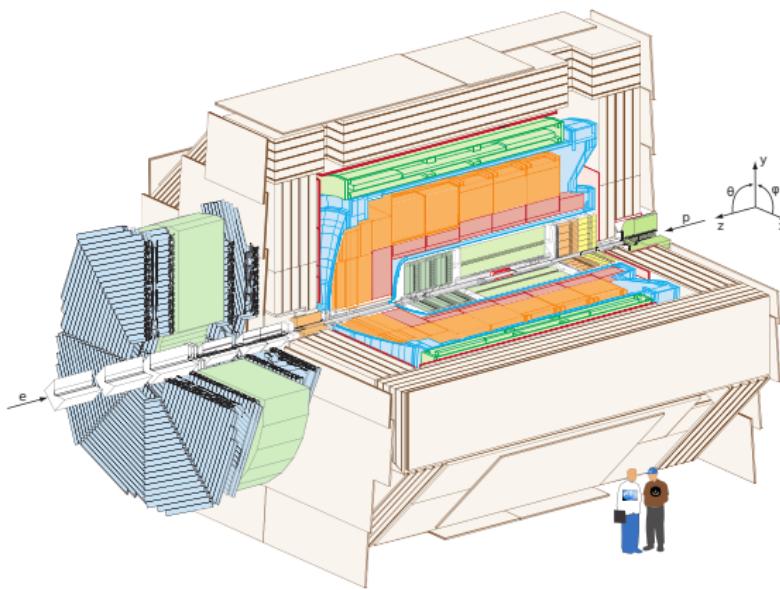


## Breit frame



Kang, Lee, Stewart [Phys.Rev.D 88 (2013) 054004]

# The H1 experiment



## H1 'Multi-purpose' DIS detector

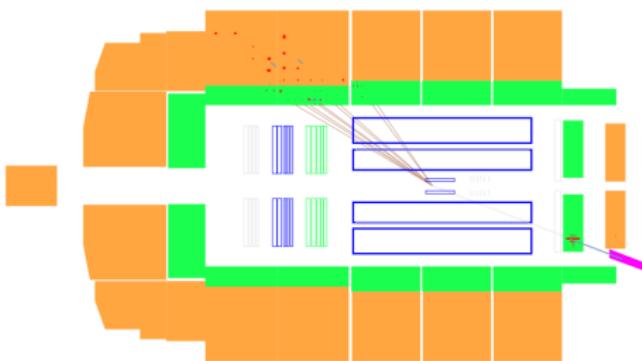
- Asymmetric design with trackers, calorimeter, solenoid, muon-chambers, forward & backward detectors
- Particles are reconstructed using a particle flow algorithm  
→ Combining cluster and track information without double-counting of energy

# The 1-jettiness event shape observable

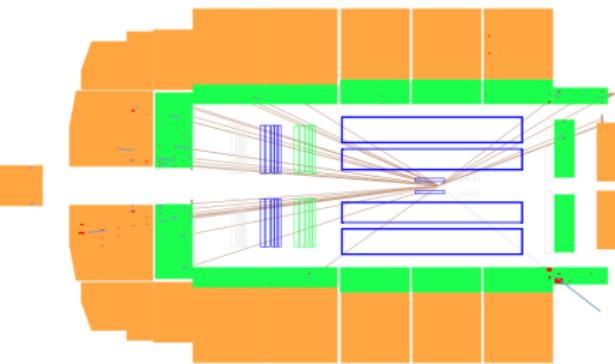
## 1-jettiness

$$\tau_1^b = \frac{2}{Q^2} \sum_{i \in X} \min\{xP \cdot p_i, (q + xP) \cdot p_i\}$$

### Visualisation of the 1-jettiness with event displays



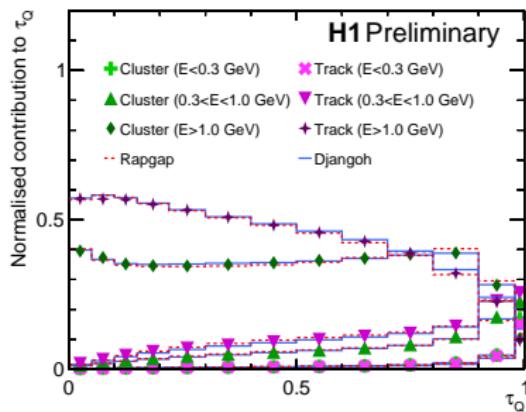
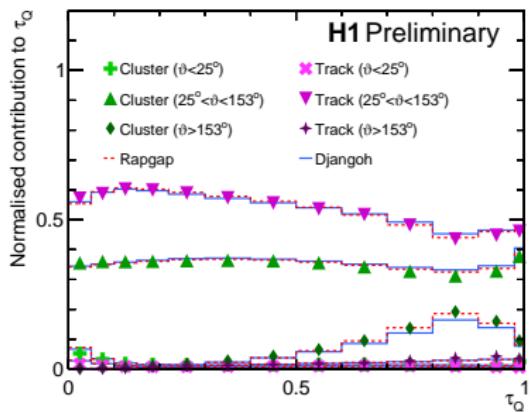
- DIS 1-jet configuration
- Most HFS particles collinear to scattered parton  
→ Small  $\tau_1^b$



- Dijet event
- More and larger contributions to the sum over the HFS  
→ Large  $\tau_1^b$

# DIS thrust - a $4\pi$ observable

- All particle candidates in all DIS events contribute  $\left( \tau_Q = 1 - \frac{2}{Q} \sum_{i \in \mathcal{H}_C} P_{z,i}^{Breit} \right)$
- Normalised contribution to  $\tau_Q$  for different ranges in polar angle  $\vartheta$  and energy



- Mainly tracks and clusters in the central part of the detector contribute ( $25^\circ < \vartheta < 153^\circ$ )
- Mainly particles with high energy contribute ( $E > 1$  GeV)  
 $\Rightarrow$  Well measured particles dominate in  $\tau_Q$

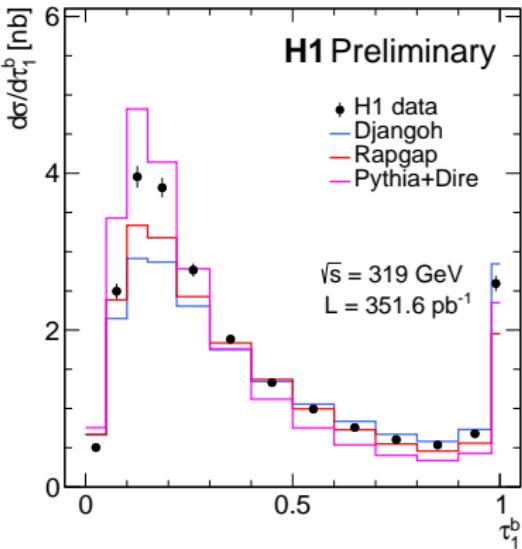
# Single differential cross section

Measure  $\tau_Q$  but present cross sections as a function of  $\tau_1^b$

## 1-jettiness cross section

$$\left( \frac{d\sigma}{d\tau_1^b} \right)_i = \frac{N_{data,i} - N_{bkgd,i}}{\Delta_i \cdot L} \cdot c_{QED,i} \cdot c_{unfold,i}$$

- Unfolded using bin-by-bin method  $c_{unfold}$
- Corrected for QED radiative effects  $c_{QED}$
- Divide by  $\tau_1^b$ -bin width  $\Delta_i$
- Integrated luminosity  $L = 351 \text{ pb}^{-1}$



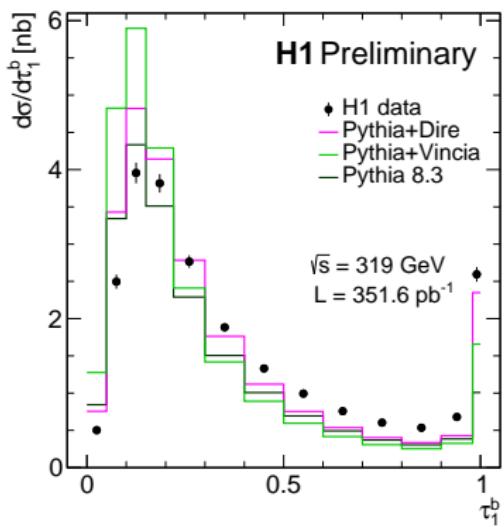
## Comparison with MC models

- Djangoh 1.4: Colour-dipole-model
- Rapgap 3.1: ME + parton shower
- Pythia 8.3 + Dire parton shower

# Single differential cross section

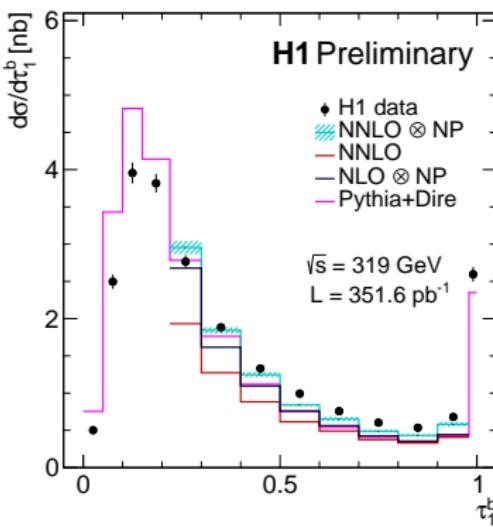
## Comparison with parton shower models

- Peak region has strong dependence on different parton showers
- No PS model provides a fully satisfactory description
- 'Pythia default' underestimates  $\tau = 1$



## $\gamma p \rightarrow 2 \text{ jets} + X$ NNLO prediction form NNLOJET

- NP corrections from Pythia 8.3 (sizeable)
- NNLO provides a reasonable description of fixed-order region
- NNLO improves over NLO



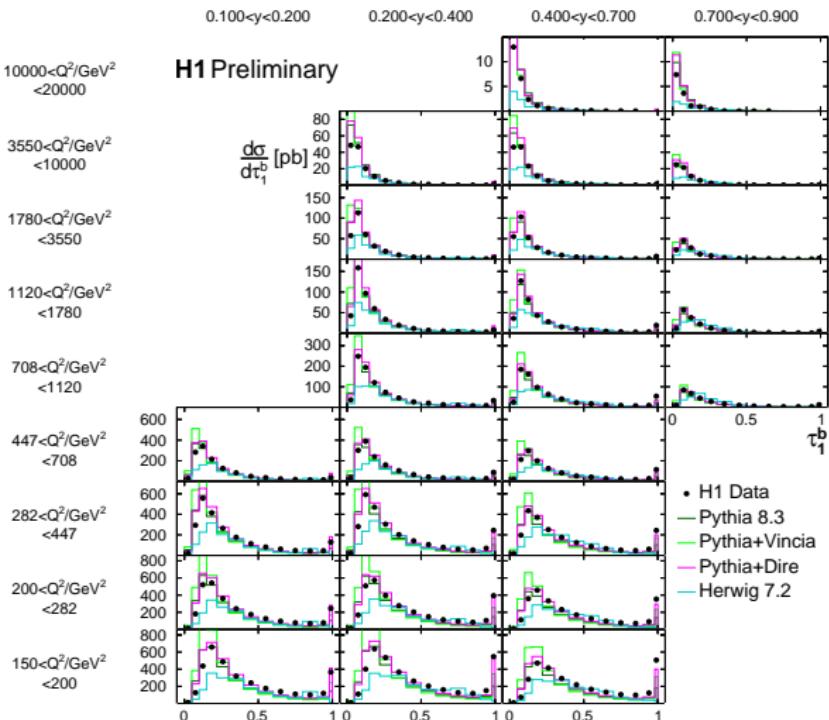
# Triple differential cross sections

**Large cross section and sizeable data**

→ Triple-diff. cross sections as a function of  $Q^2, y, \tau$

**3D cross sections**

- increasing  $Q^2$ 
  - Peak moves to lower  $\tau$
  - Tail region lowers
- Increasing  $y$ 
  - $\tau = 1$  becomes enhanced



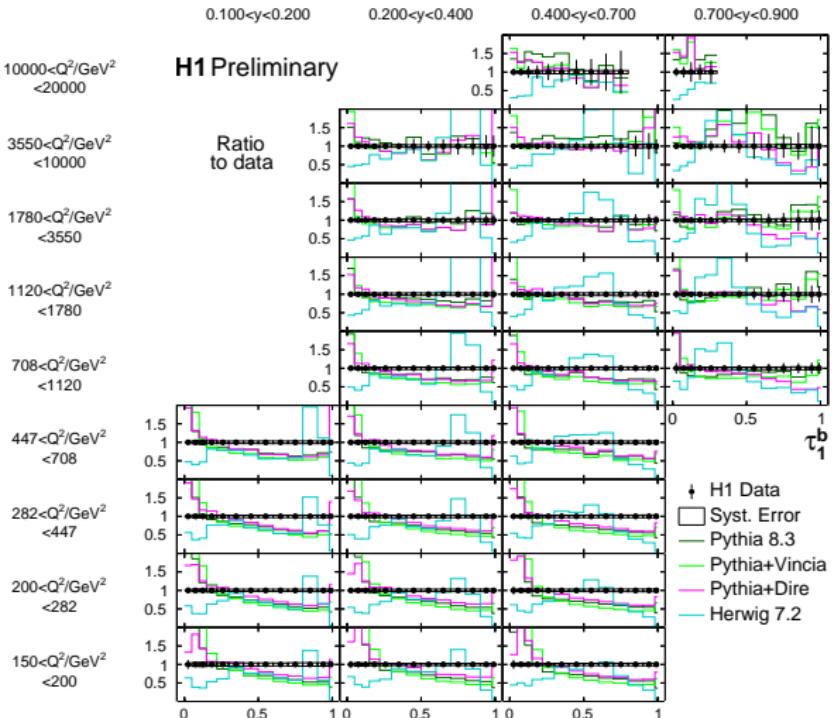
# Triple differential cross sections

## Ratio to data

- Stat. uncertainties of a few to  $O(10\%)$
- Syst. uncertainties are in the range of 5%

→ Pythia description improves with increasing  $Q^2$

→ HERWIG DIS cross section too low



# Classical event shape observables

## Classical event shapes

- Measured at HERA-I by H1 and ZEUS
- No public measurement in HERA-II

## Definitions of observables

- $z$ -Thrust

$$\tau_z = 1 - \frac{\sum_{h \in \mathcal{H}_c} |\vec{p}_{z,h}|}{\sum_{h \in \mathcal{H}_c} |\vec{p}_h|}$$

- Jet broadening

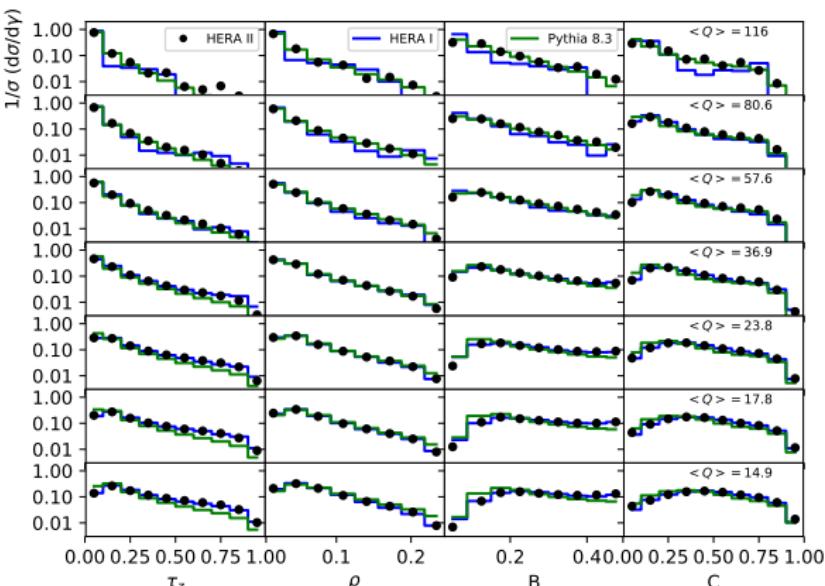
$$B = \frac{\sum_{h \in \mathcal{H}_c} |\vec{p}_{t,h}|}{2 \sum_{h \in \mathcal{H}_c} |\vec{p}_h|}$$

- Jet mass

$$\rho = \frac{\left(\sum_{h \in \mathcal{H}_c} |\vec{p}_h|\right)^2 - \left(\sum_{h \in \mathcal{H}_c} \vec{p}_h\right)^2}{(2 \sum_{h \in \mathcal{H}_c} |\vec{p}_h|)^2}$$

- C-parameter

$$C = \frac{1}{2} \cdot \frac{3 \sum_{h,h' \in \mathcal{H}_c} |\vec{p}_h| |\vec{p}_{h'}| \sin^2 \vartheta_{hh'}}{\left(\sum_{h \in \mathcal{H}_c} |\vec{p}_h|\right)^2}$$

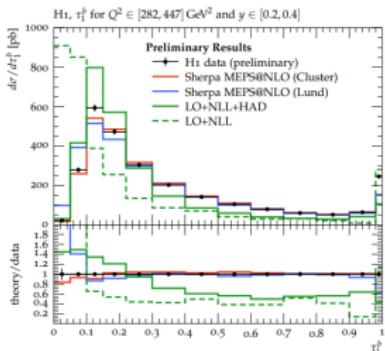


Only particles in the current hemisphere contribute

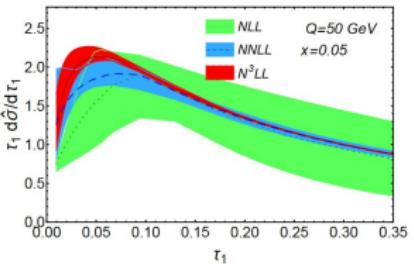
→ Introduce cut to ensure infrared safety  $E_c = \sum_h E_h > Q/10$

## Summary and outlook

- A first measurement of the 1-jettiness event shape observable in NC DIS was presented
- 1-jettiness is equivalent to DIS thrust normalised with  $Q/2$   
→ Defined for every NC DIS event
- Reasonable description of the data by various models
- New predictions to be confronted with the data ( $N^3LL$ , SHERPA 3, ...)



Reichelt, Phenomenology of Jet Angularities at NLO+NLL<sup>\*</sup> accuracy,  
Jet physics from LHC/RHIC to EIC,  
<https://indico.bnl.gov/event/14375/contributions/6541/>

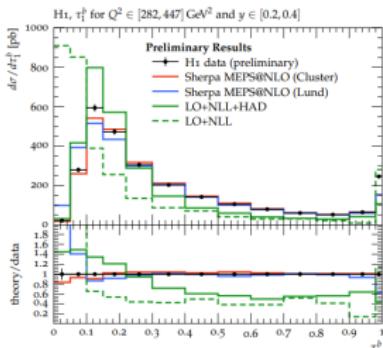


Kang, Lee, Stewart, [PoS DIS2015 (2015) 142]

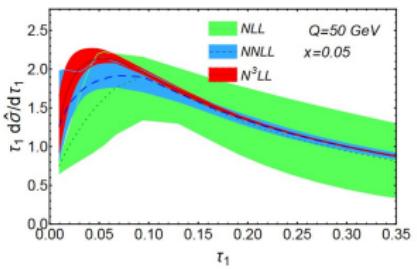
## My contributions to the analysis

- Wrote large parts of the analysis code (cross checks, QED corrections, unfolding, plotting)
- Studied different definition of the observable and different reconstruction methods
- Determined systematic uncertainties
- Achieved a 'preliminary' approval from the H1 collaboration
- Presented the results at DPG and EPSHEP21 conference

Code is now also used by other collaborators



Reichelt, Phenomenology of Jet Angularities at NLO+NLL<sup>\*</sup> accuracy,  
Jet physics from LHC/RHIC to EIC,  
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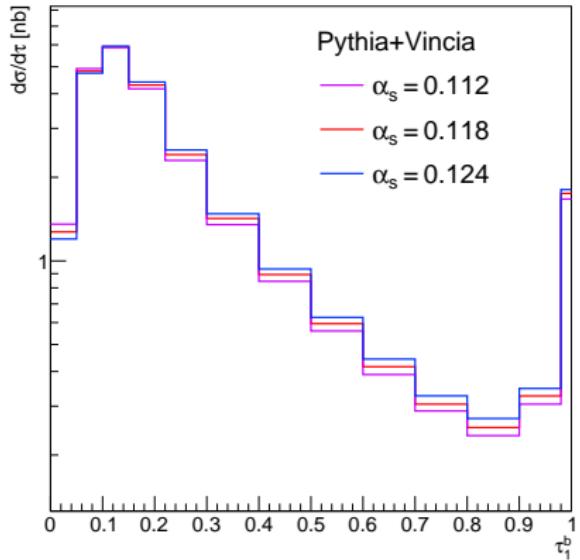


Kang, Lee, Stewart, [PoS DIS2015 (2015) 142]

# Backup

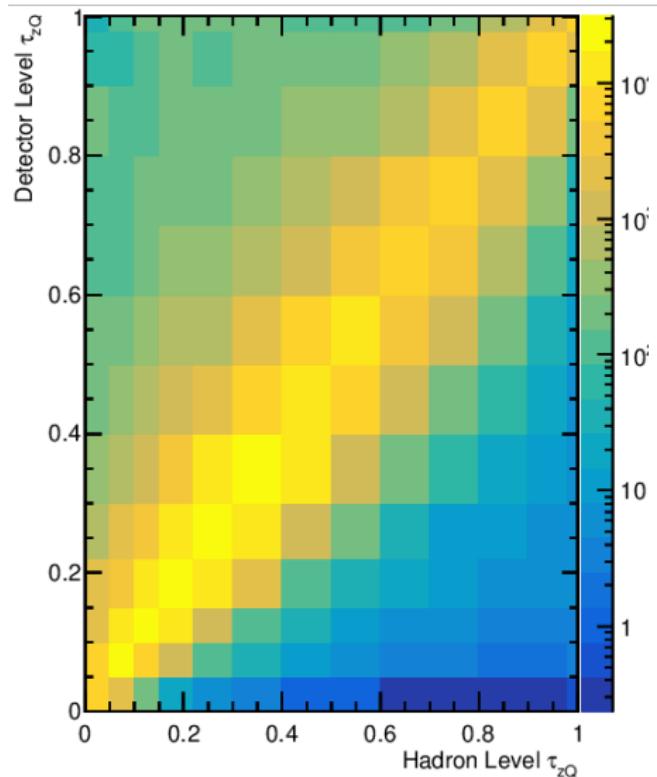
# Sensitivity of $\tau_1^b$ to $\alpha_s$

Pythia+Vincia  $\alpha_s$  variations ( $\pm 5\%$ )

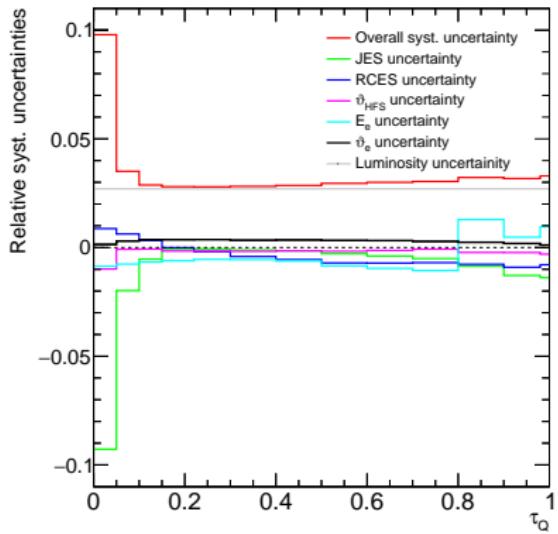


- Plot shows Pythia 8.3 + Vincia prediction for  $\tau_1^b$  on particle level
  - High sensitivity in tail region
  - No sensitivity in peak region (Born level kinematics)

# Migration matrix



# Systematical uncertainties



- Systematic uncertainties as a function of  $\tau_1^b$
- Dominated by 2.7% luminosity uncertainty

# Purity distribution

Purity defined as  $N_{\text{stay}} / N_{\text{rec}}$

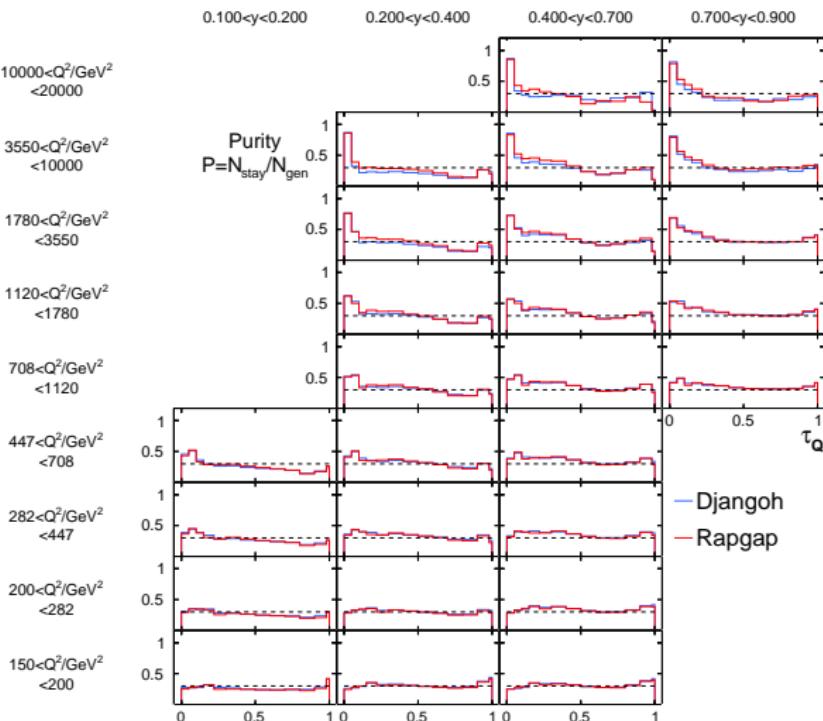
- $N_{\text{rec}}$ : Events on detector level in one bin
- $N_{\text{stay}}$ : Events that are reconstructed in the same bin they were generated

## Purity

- Rapgap and Djangoh behave similarly
- Flat distribution in all  $y$ - $Q^2$  bins
- Purities  $> 30\%$  in most bins

## From different binnings and 2D migration matrices

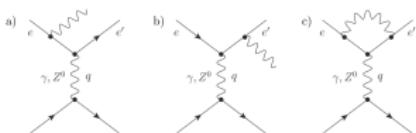
- Purity mainly limited by bin-to-bin resolution effects
- Not an effect from limited detector acceptance



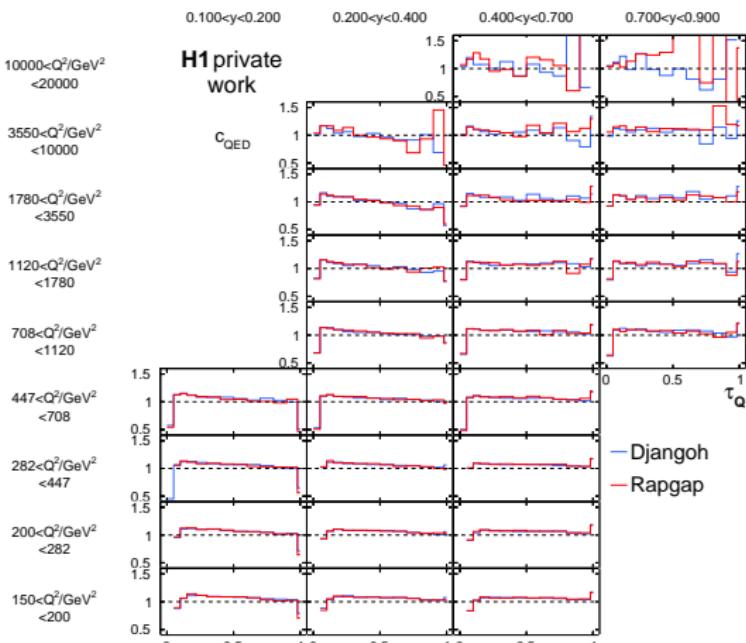
# QED corrections

## Correct for electron QED radiative effects

- Real emissions of photons (a,b)
- Vertex corrections (c)



- QED processes simulated with HERACLES
- Size of corrections depends on reconstruction method  
→ Corrections around 10%  
→ Large effect in the first bin



# Triple differential cross sections

## NNLO pQCD ( $ep \rightarrow 2 \text{ jets} + X$ )

- Reasonable description in entire phase space
- Improved description with increasing  $Q^2$
- Small scale uncertainties

→ Altogether: NNLO improves over NLO but NP corrections are sizeable

