

# What we can learn from blazar light curves

Lea Heckmann, David Paneque & Axel Arbet-Engels



# Active Galactic Nuclei

- Most luminous persistent sources in the universe
- Bright compact nucleus in the center of galaxy
- Variable in time
  
- Potential emitters of neutrinos and UHECRs
- Highly energetic physics laboratories



Credit: <http://www.astro.princeton.edu/~lilew/>

# Active Galactic Nuclei

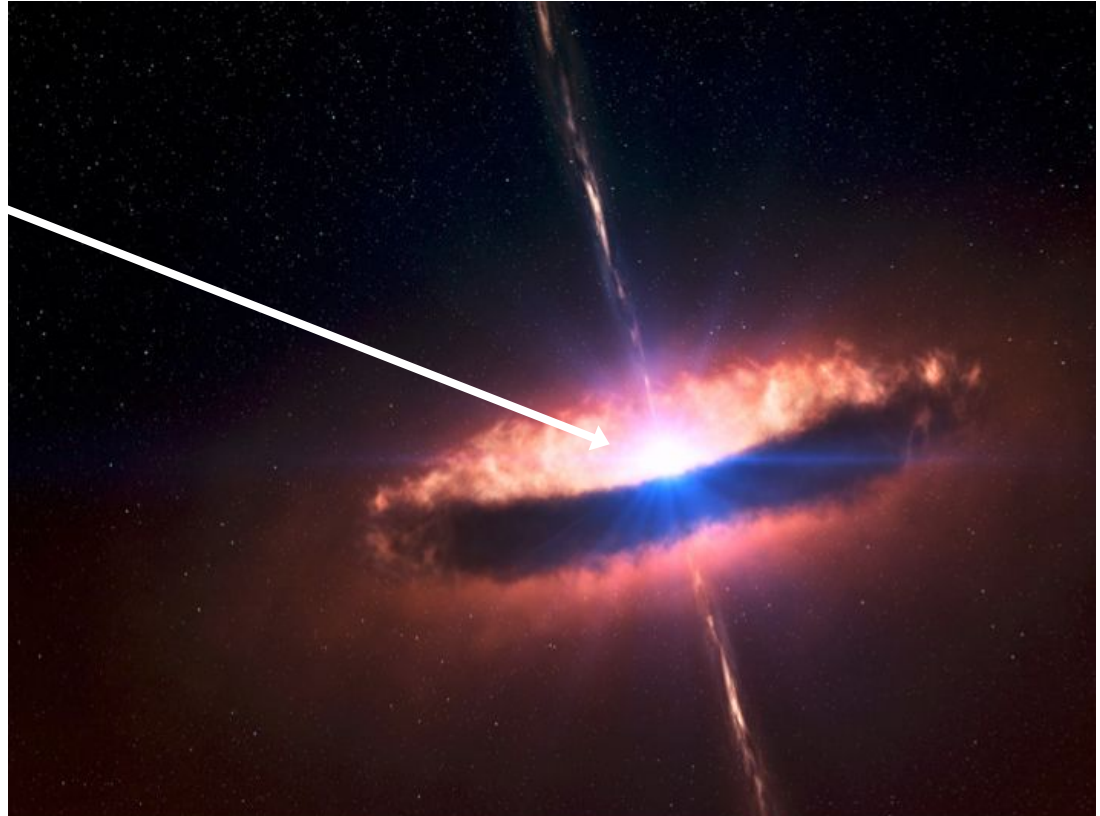


Credit: <http://www.astro.princeton.edu/~lilew/>

# Active Galactic Nuclei

Supermassive  
black hole  
( $10^{10} - 10^{14}$  m)

with  
accretion disc  
( $10^{10} - 10^{16}$  m)

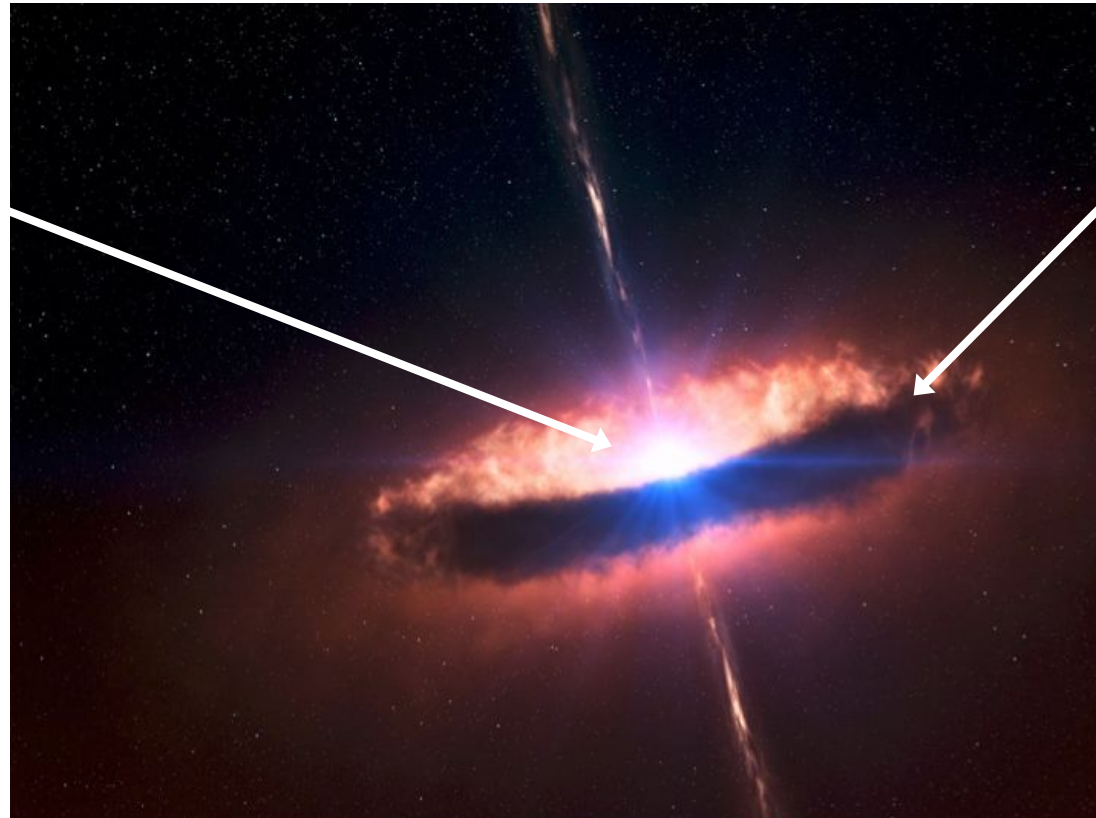


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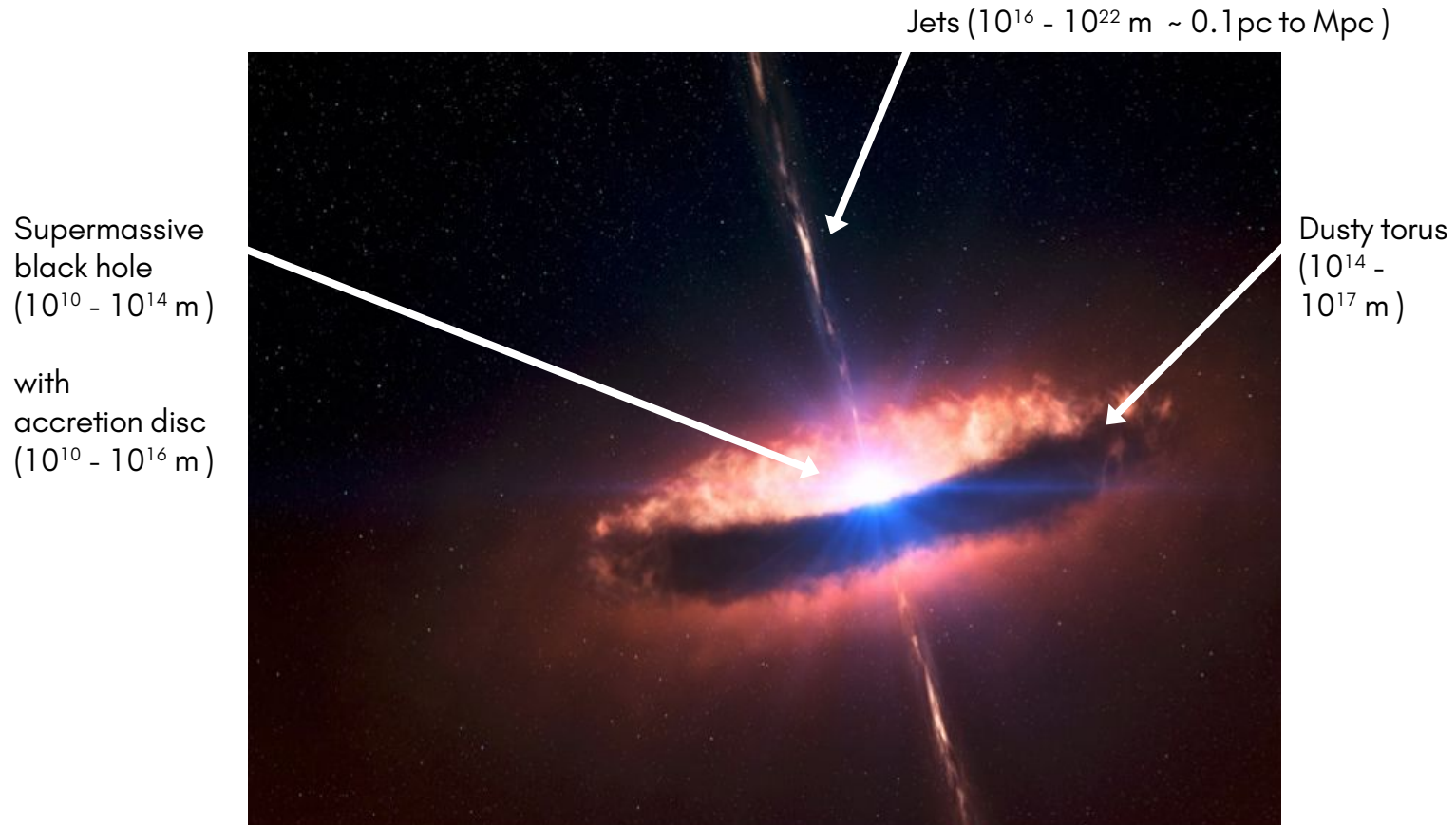
with  
accretion disc  
( $10^{10} - 10^{16}$  m)



Dusty torus  
( $10^{14} - 10^{17}$  m)

Credit: <http://www.astro.princeton.edu/~lilew/>

# Active Galactic Nuclei



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# Active Galactic Nuclei

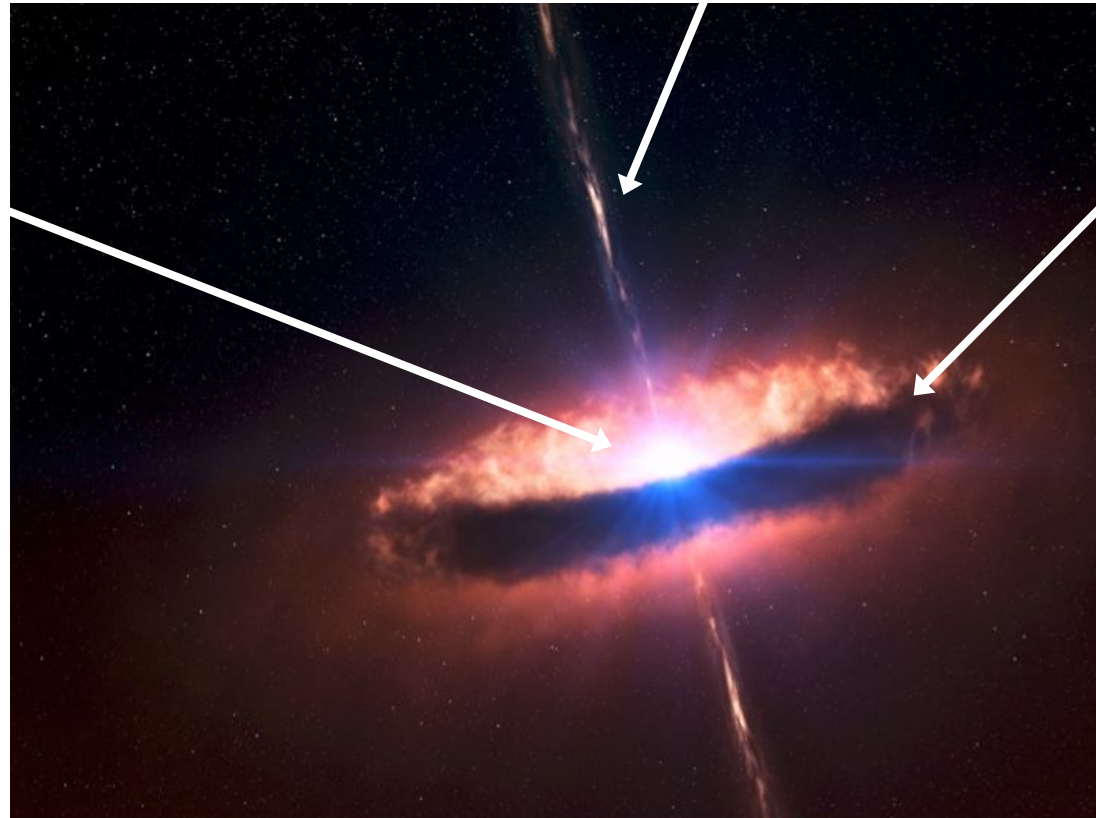


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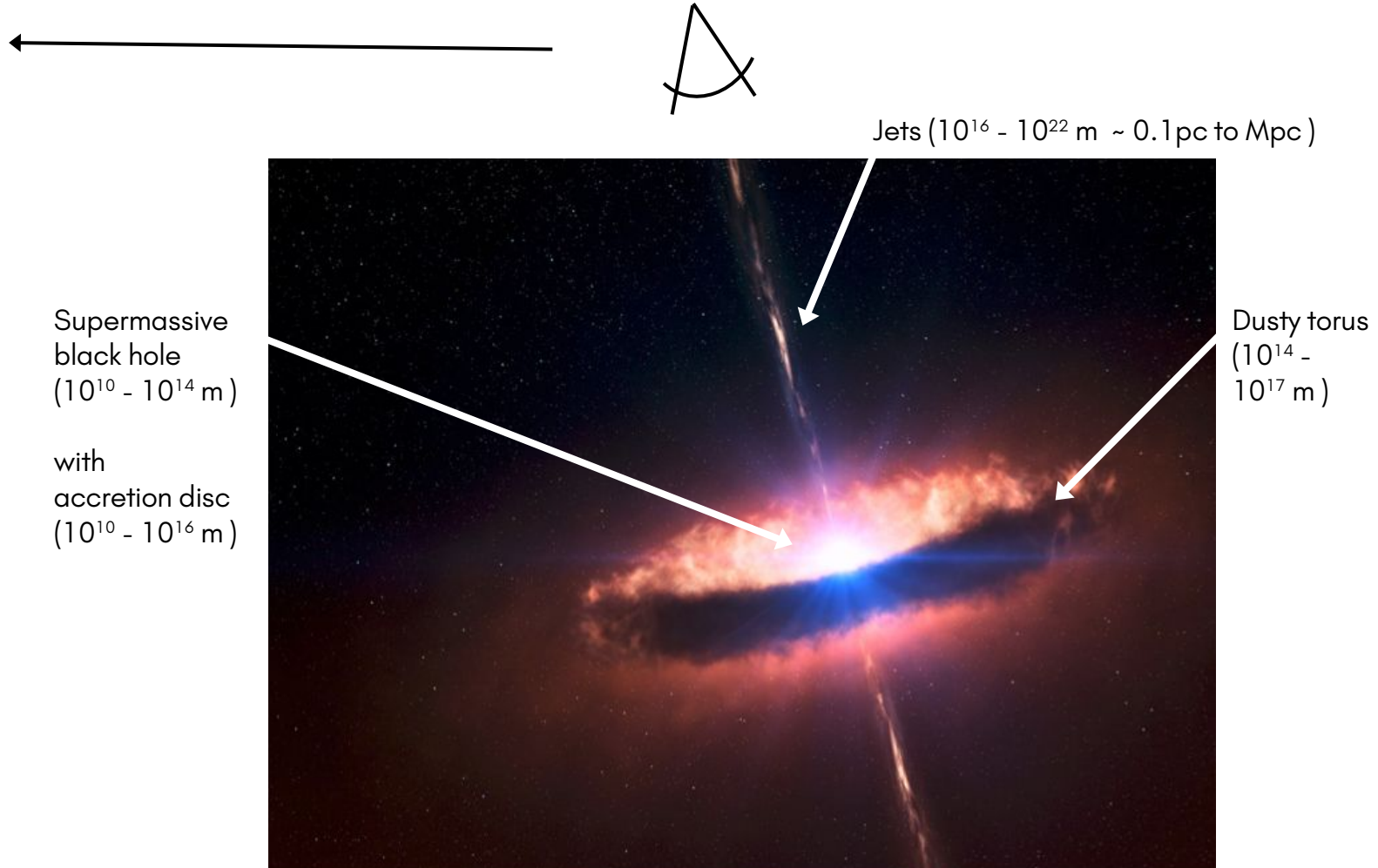
Jets ( $10^{16} - 10^{22}$  m  $\sim$  0.1pc to Mpc)

Dusty torus  
( $10^{14} - 10^{17}$  m)



Credit: <http://www.astro.princeton.edu/~lilew/>

# Blazars



Credit: <http://www.astro.princeton.edu/~lilew/>

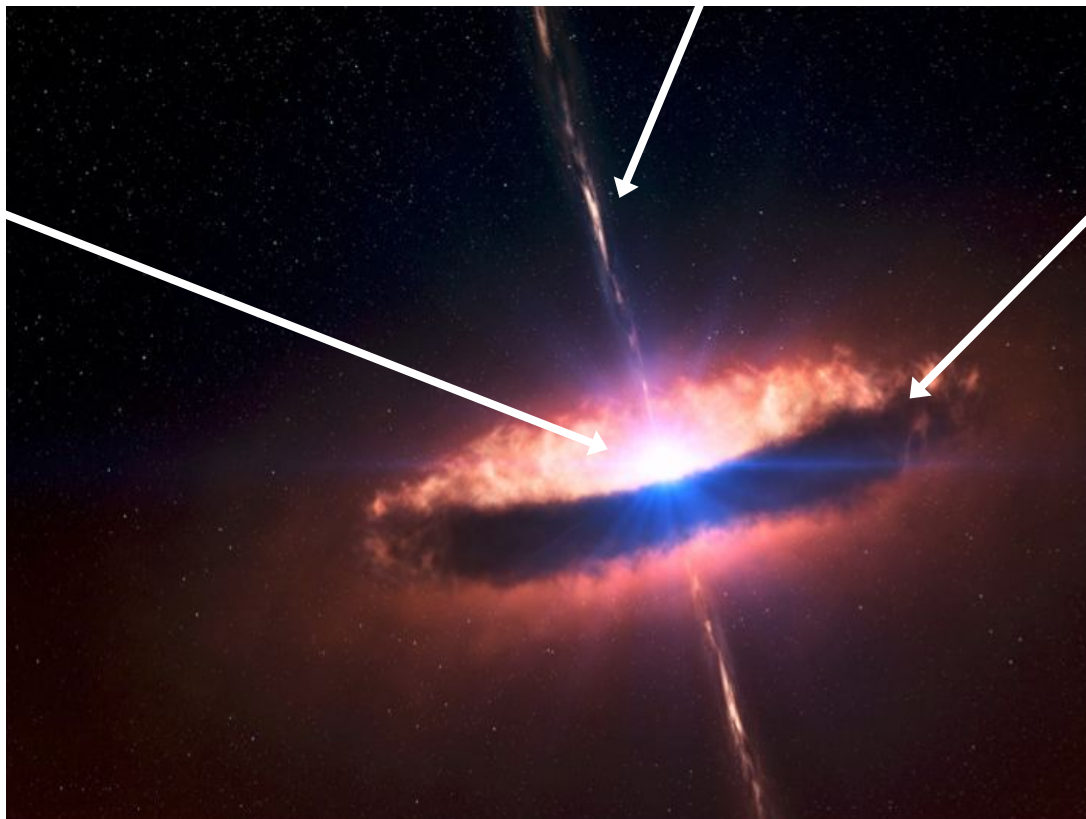


# Blazars



- AGNs with jets in our direction
- Strong boosting along the jet  
→ even higher variability

Supermassive black hole  
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# Blazars

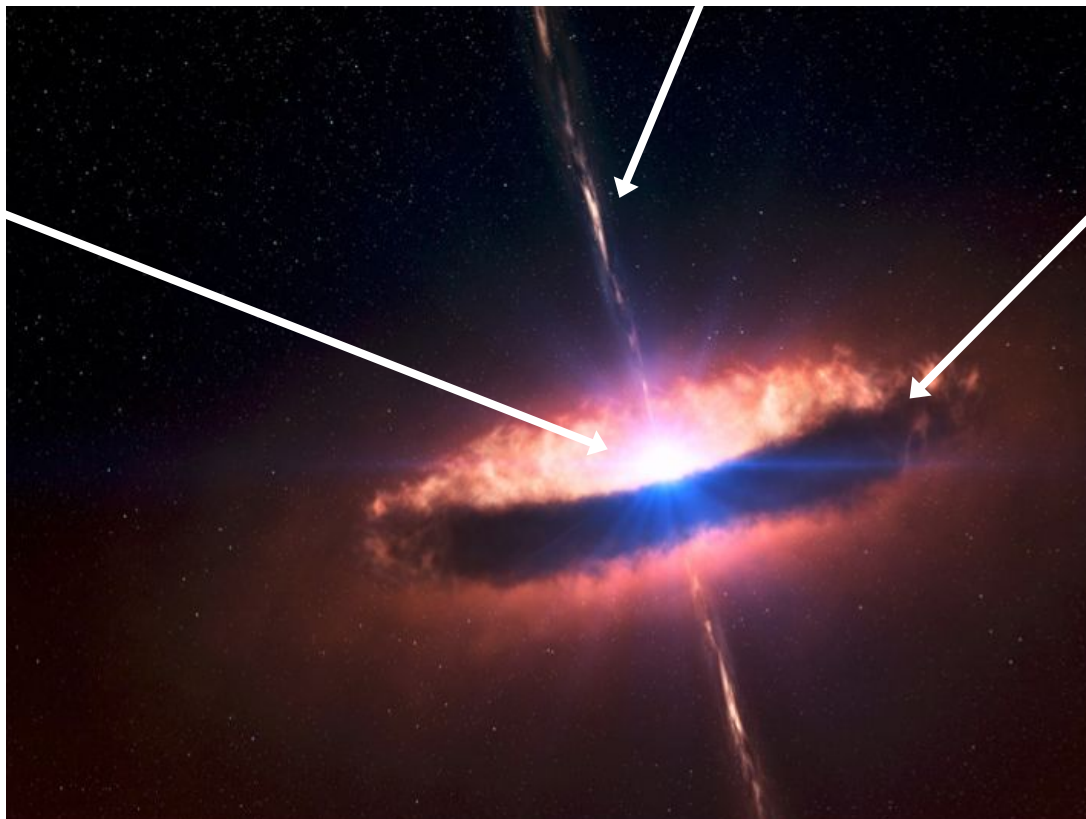


- AGNs with jets in our direction
- Strong boosting along the jet  
→ even higher variability
- Many open questions:
  - What is radiating?
  - In which environment?
  - ...

Supermassive black hole  
( $10^{10} - 10^{14}$  m)  
  
with  
accretion disc  
( $10^{10} - 10^{16}$  m)

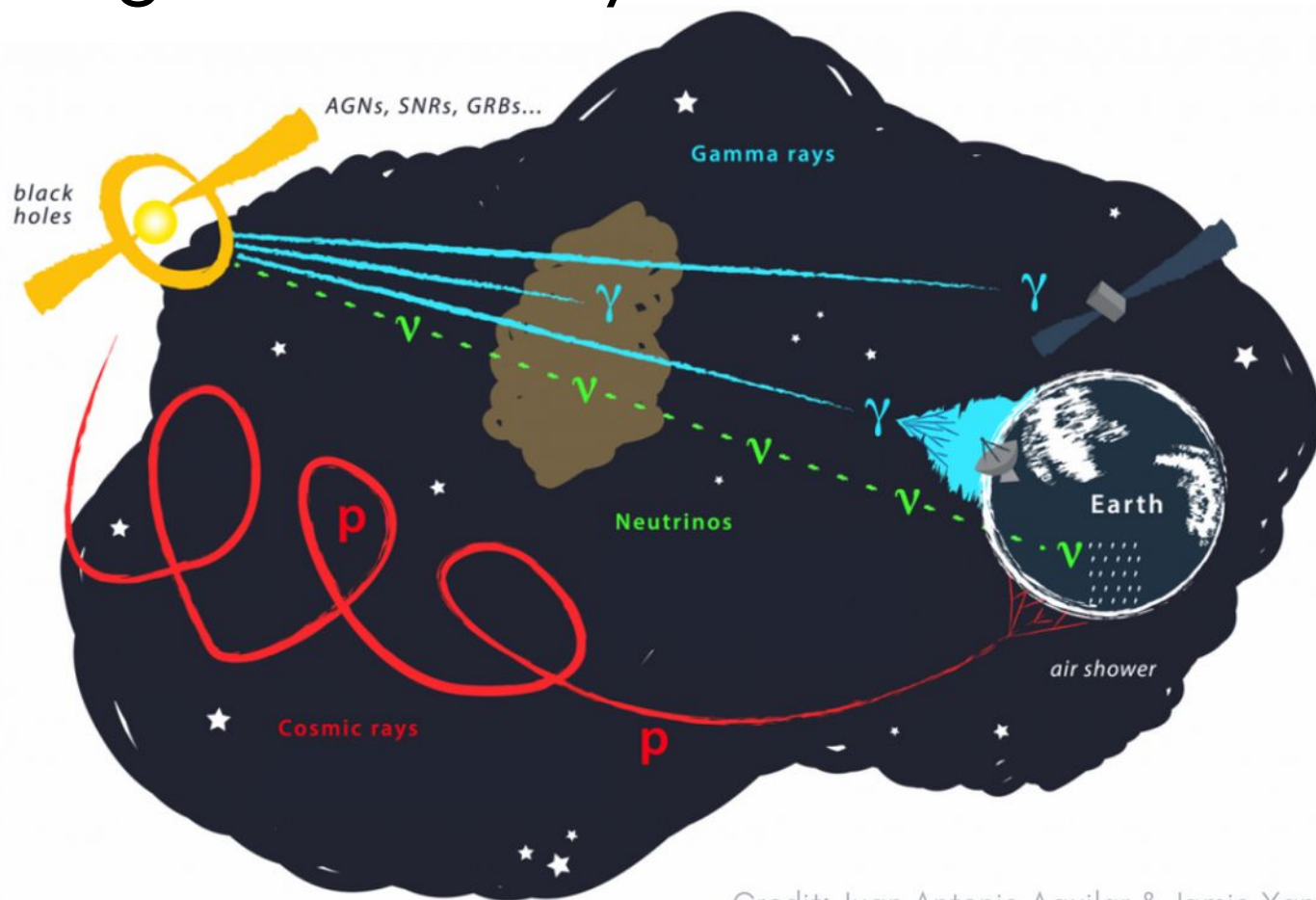
Jets ( $10^{16} - 10^{22}$  m ~ 0.1pc to Mpc)

Dusty torus  
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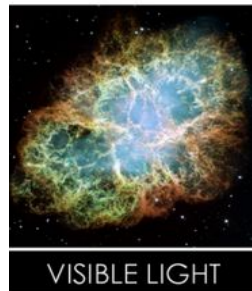
Credit: <http://www.astro.princeton.edu/~lilew/>

# Multimessenger astronomy



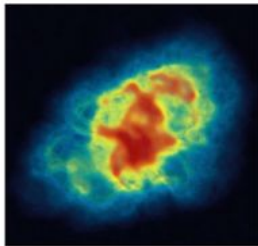
Credit: Juan Antonio Aguilar & Jamie Yang, IceCube/WIPAC

# Multiwavelength (MWL) astronomy



Credit: Wikipedia

# Multiwavelength (MWL) astronomy



RADIO



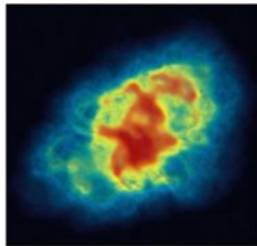
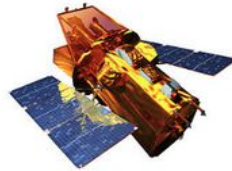
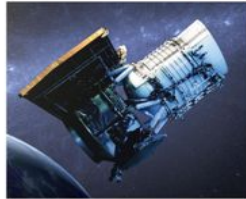
INFRARED



VISIBLE LIGHT

Credit: Wikipedia

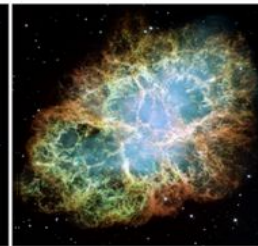
# Multiwavelength (MWL) astronomy



RADIO



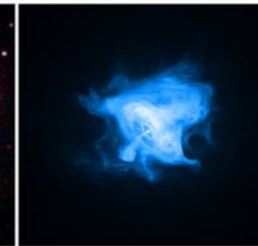
INFRARED



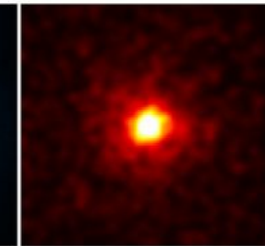
VISIBLE LIGHT



ULTRAVIOLET



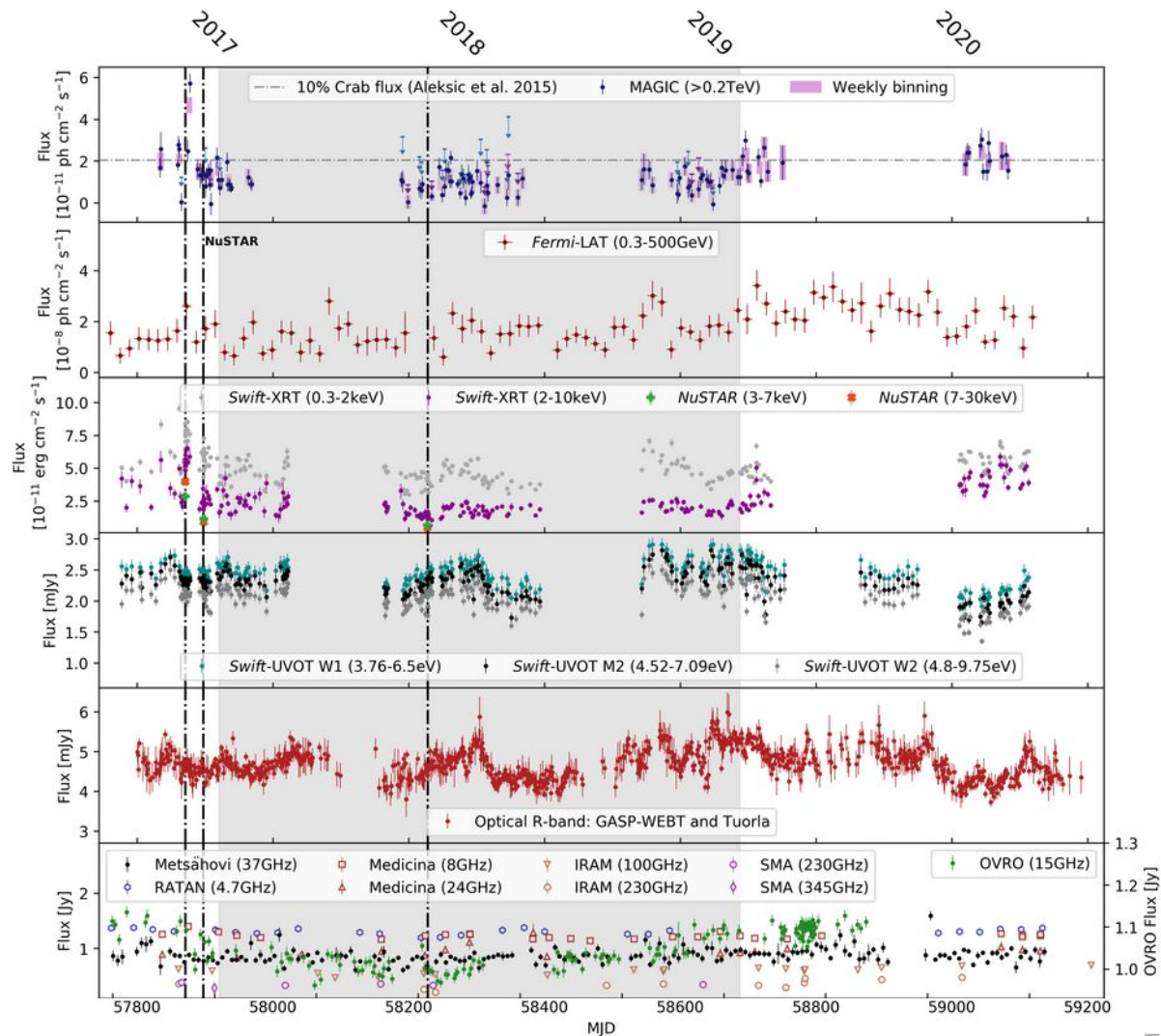
X-RAYS



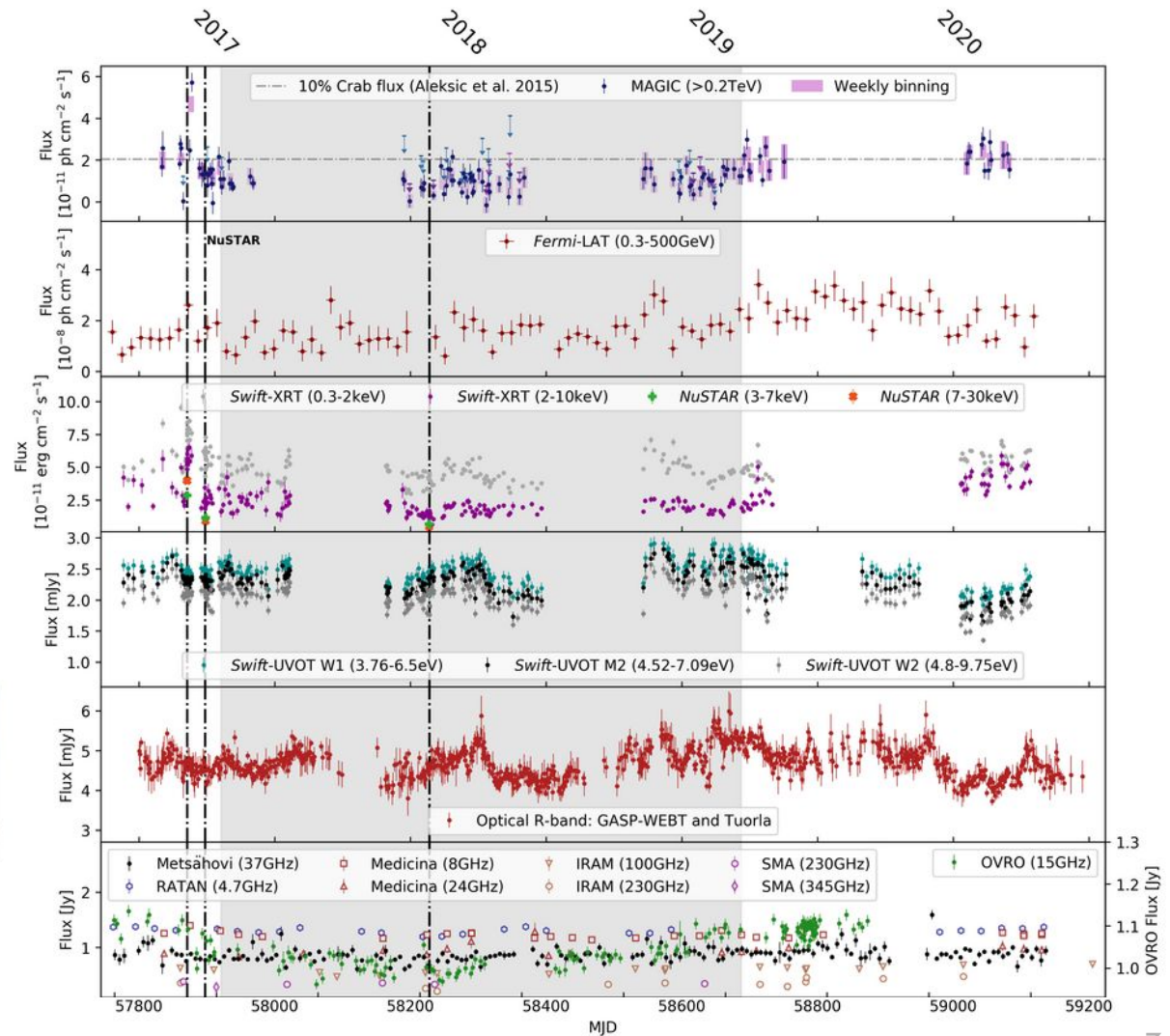
GAMMA RAYS

Credit: Wikipedia

# MWL light curves



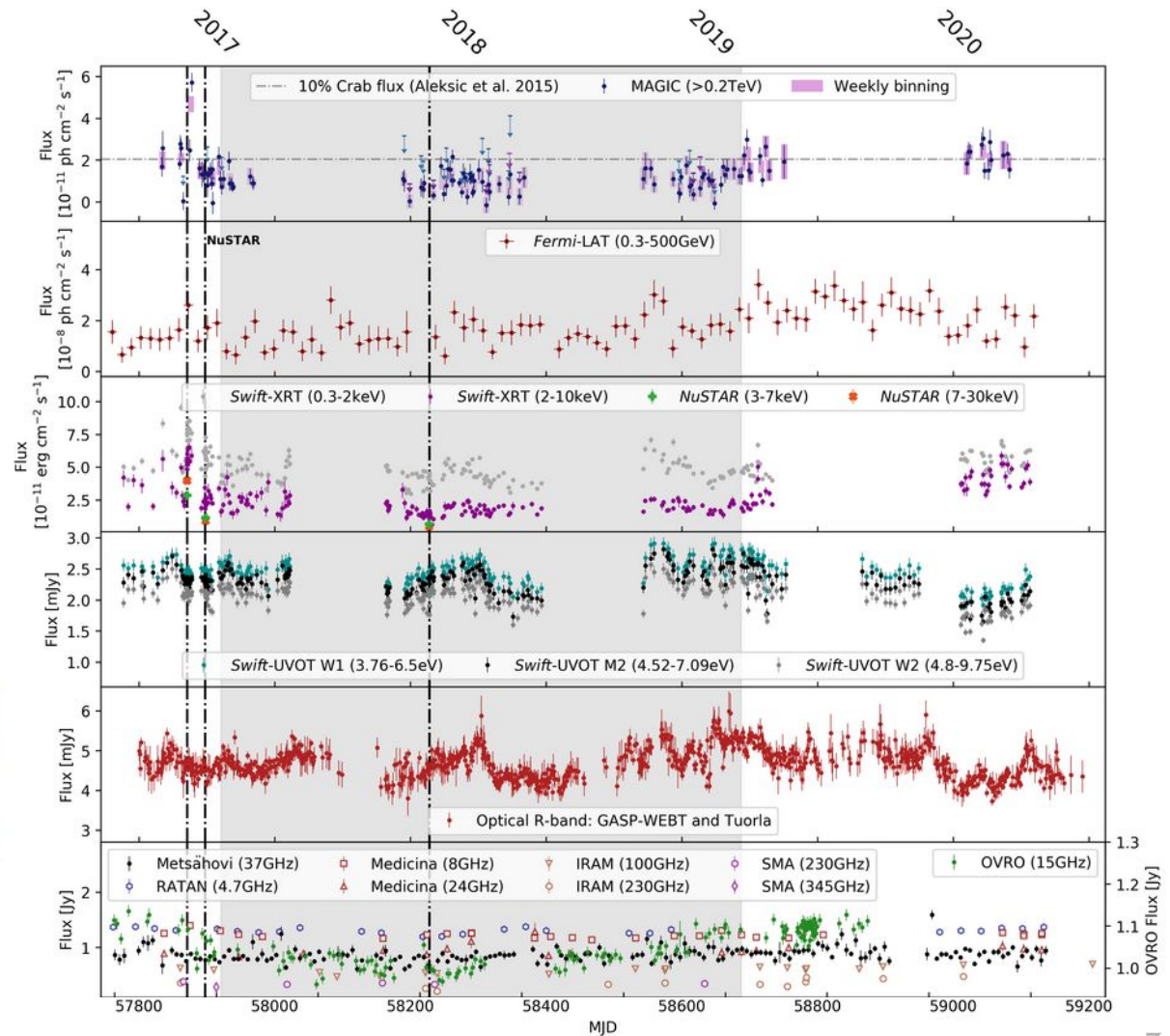
# MWL light curves



Credit: Wikipedia

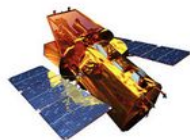
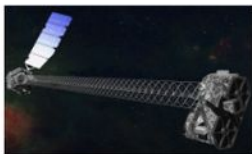


# MWL light curves



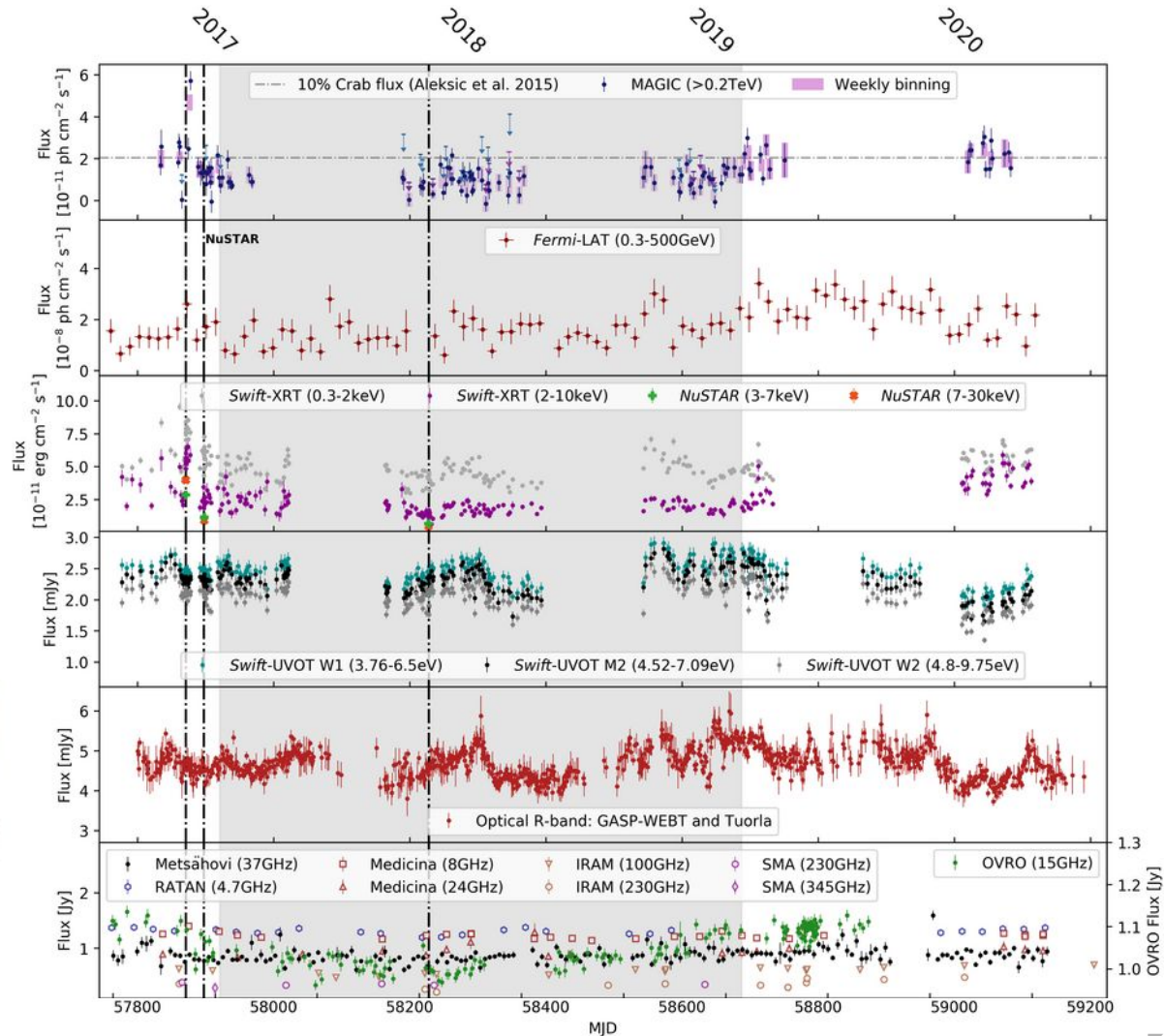
Credit: Wikipedia

# MWL light curves



Credit: Wikipedia

Lea Heckmann



DRG Dresden

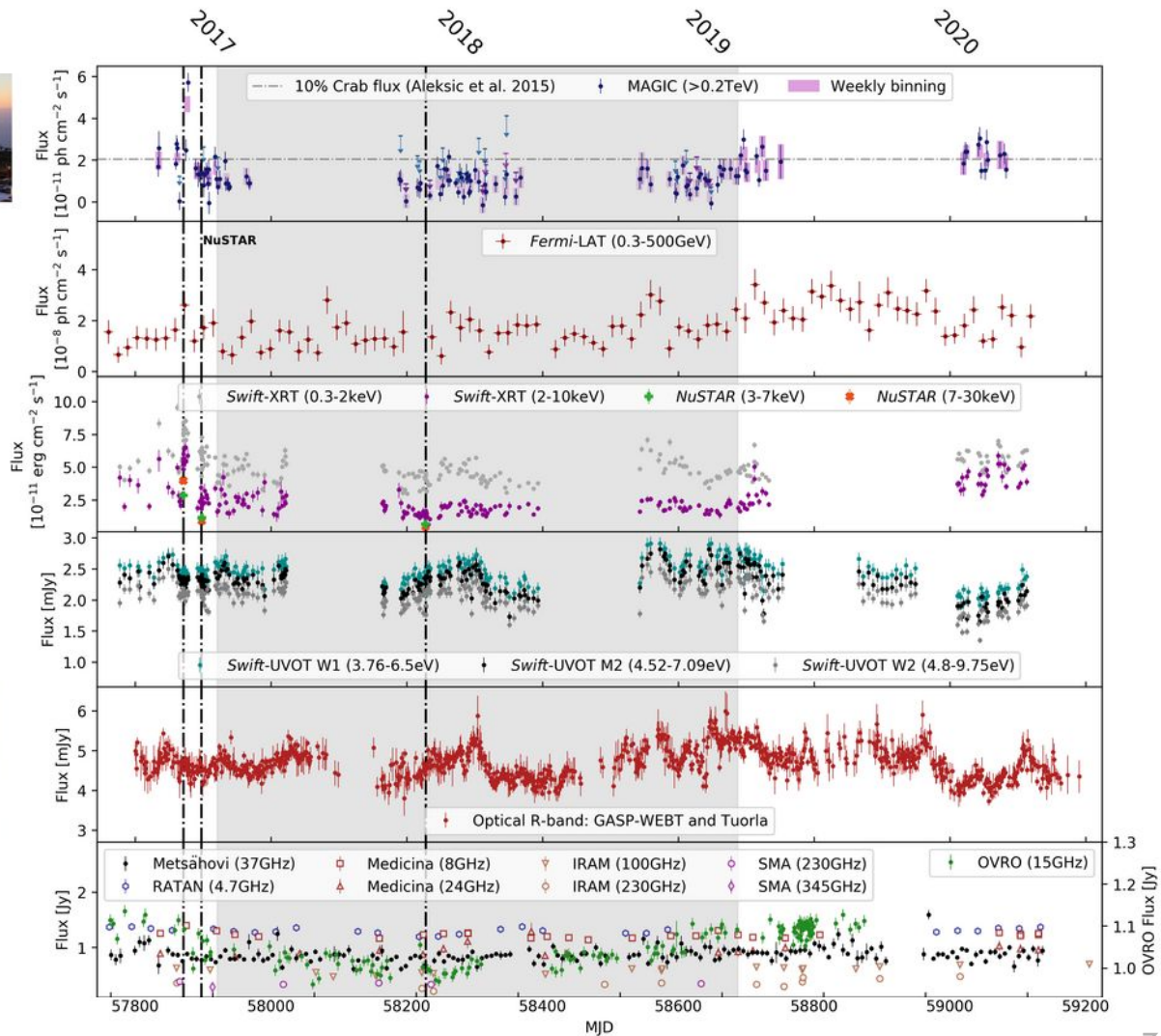
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# MWL light curves



Credit: Wikipedia

Lea Heckmann



DRG Dresden

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# Bayesian blocks

J. D. Scargle et al., ApJ 764.2 (2013)

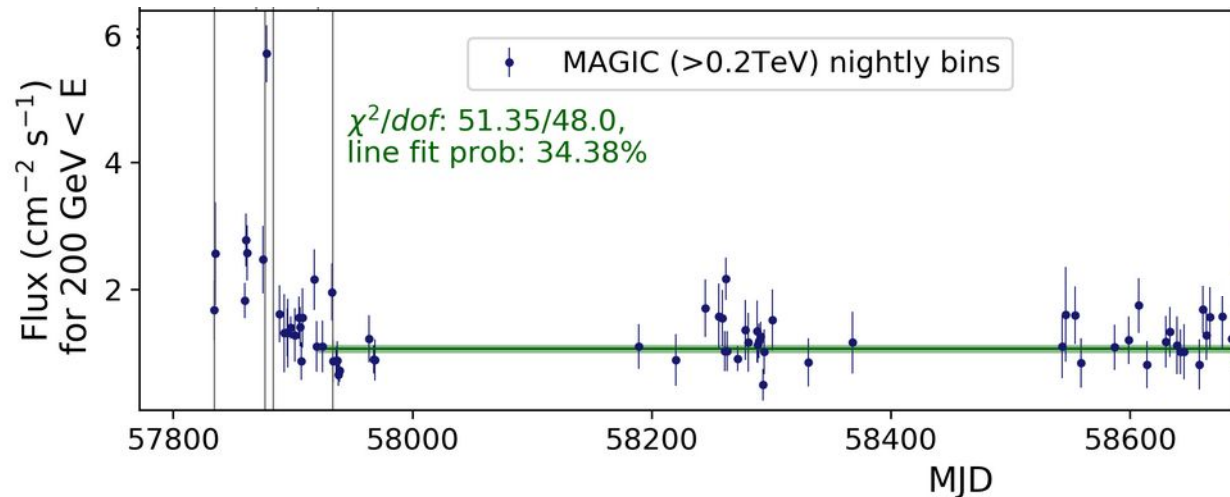
- Algorithm that identifies specific time intervals, blocks, in a data set:
  - Defines a number of change points defining a block
  - Prior distribution for the number of blocks penalizing for more blocks
  - Likelihood of the model =  
combination of the individual likelihoods of each block + prior
  - Maximisation of a fitness function adjusted to the specific data type used (e.g. binned or unbinned event data, measured sequences with Gaussian errors,...)

# Bayesian blocks

J. D. Scargle et al., ApJ 764.2 (2013)

- Applied to the 4-year very-high-energy (VHE)  $\gamma$ -ray LC of Mrk 501

L. Heckmann, PhD Thesis, Leopold-Franzens Universität Innsbruck (May 2023)

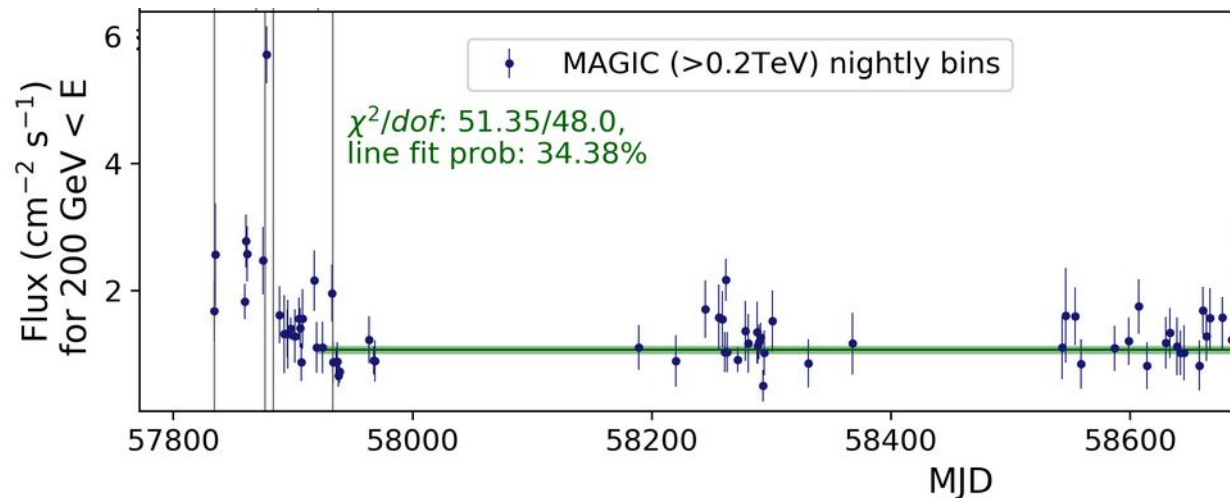


# Bayesian blocks

J. D. Scargle et al., ApJ 764.2 (2013)

- Applied to the 4-year very-high-energy (VHE)  $\gamma$ -ray LC of Mrk 501
- Identified 2-year long historically low state

L. Heckmann, PhD Thesis, Leopold-Franzens Universität Innsbruck (May 2023)



# Fractional variability

S. Vaughan et al., MNRAS 345.4 (2003)

- Evaluates variance of the data points with taking into account measurement uncertainties

$$F_{var} = \sqrt{\frac{S^2 - \langle \sigma_{err}^2 \rangle}{\langle F_{\gamma} \rangle^2}}$$

# Fractional variability

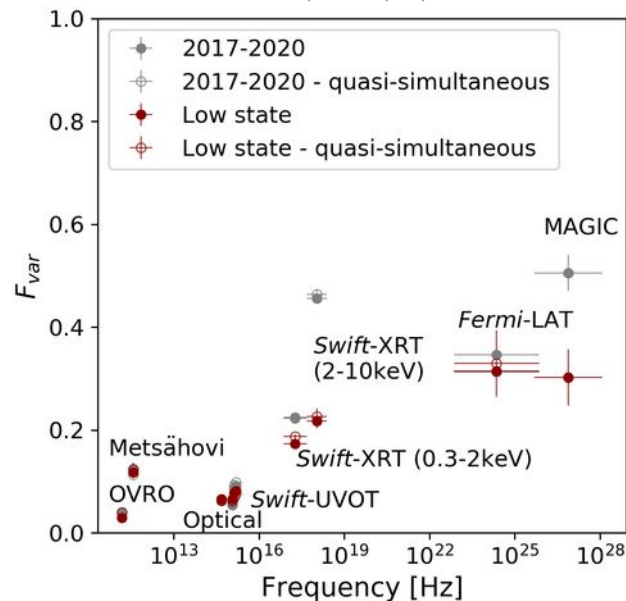
S. Vaughan et al., MNRAS 345.4 (2003)

- Evaluates variance of the data points with taking into account measurement uncertainties

$$F_{var} = \sqrt{\frac{S^2 - \langle \sigma_{err}^2 \rangle}{\langle F_{\gamma} \rangle^2}}$$

- Applied to the 4-years MWL LCs of Mrk 501
  - Two peak structure
    - highest variability in X-rays and VHE  $\gamma$ -rays produced by highly-energetic particles
  - Plateau for the low-state

H. Abe et al., accepted by ApJS, arxiv:2210.02547 (2023).





# Discrete Correlation Function

R. A. Edelson and J. H. Krolik, ApJ 333 (1988)

- Correlation measure adjusted to astrophysical data (uneven sampling,...)

$$DCF(\tau) = \frac{1}{M} UDCF_{ij}$$

$$UDCF_{ij} = \frac{(a_i - \bar{a})(b_j - \bar{b})}{\sqrt{(\sigma_a^2 - e_a^2)(\sigma_b^2 - e_b^2)}}$$

# Discrete Correlation Function

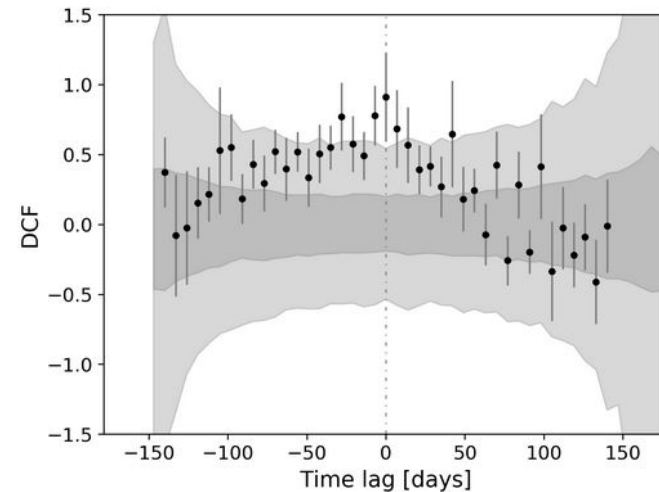
R. A. Edelson and J. H. Krolik, ApJ 333 (1988)

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- Applied to the 4-years MWL LCs of Mrk 501
  - Significant correlation ( $>3\sigma$ ) without a time lag between the X-rays and VHE  $\gamma$ -rays  
→ produced by the same population of particles

H. Abe et al., accepted by ApJS, arxiv:2210.02547 (2023).



# Lomb-Scargle-Periodogram

N. R. Lomb, Ap&SS 39.2 (1976)  
J. D. Scargle, ApJ 263 (1982)

- Evaluate periodicity in data set
- Classical periodogram adjusted to astrophysical data

$$P_X(\omega) = \frac{1}{2} \left\{ \frac{\left[ \sum_j X_j \cos \omega(t_j - \tau) \right]^2}{\sum_j \cos^2 \omega(t_j - \tau)} + \frac{\left[ \sum_j X_j \sin \omega(t_j - \tau) \right]^2}{\sum_j \sin^2 \omega(t_j - \tau)} \right\}$$
$$\tan(2\omega\tau) = \frac{\sum_j \sin 2\omega t_j}{\sum_j \cos 2\omega t_j}$$

# Lomb-Scargle-Periodogram

N. R. Lomb, Ap&SS 39.2 (1976)

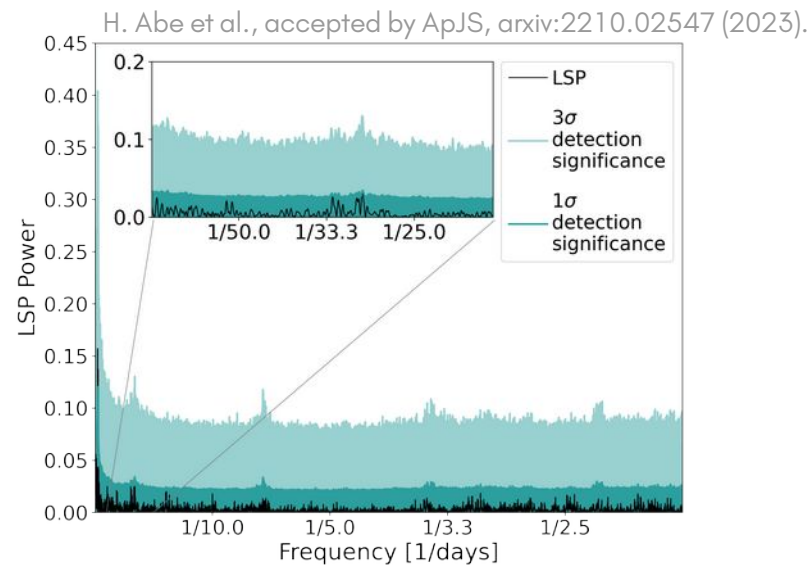
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$$\tan(2\omega\tau) = \frac{\sum_j \sin 2\omega t_j}{\sum_j \cos 2\omega t_j}$$

- Applied to long-ter MWL LCs of Mrk 501
  - Previous claim, e.g. 30 days in X-rays  
→ binary black hole system?
  - Checked 12-years of X-ray data
    - No significant periodicity found



# Summary & Conclusions

- **Blazars** are interesting objects to study, especially because their jets **accelerate particles to extremely high energies**
- **Multi-messenger** and **Multiwavelength studies** are vital to understand these powerful sources
- Data sets are growing and there are many **statistical methods** which are valuable tools to gain more insights



Credit: <http://www.astro.princeton.edu/~lilew/>



Thank you  
for  
your attention!

