

# Measurement of differential cross sections in the process

$$pp \rightarrow W^+W^-b\bar{b}$$

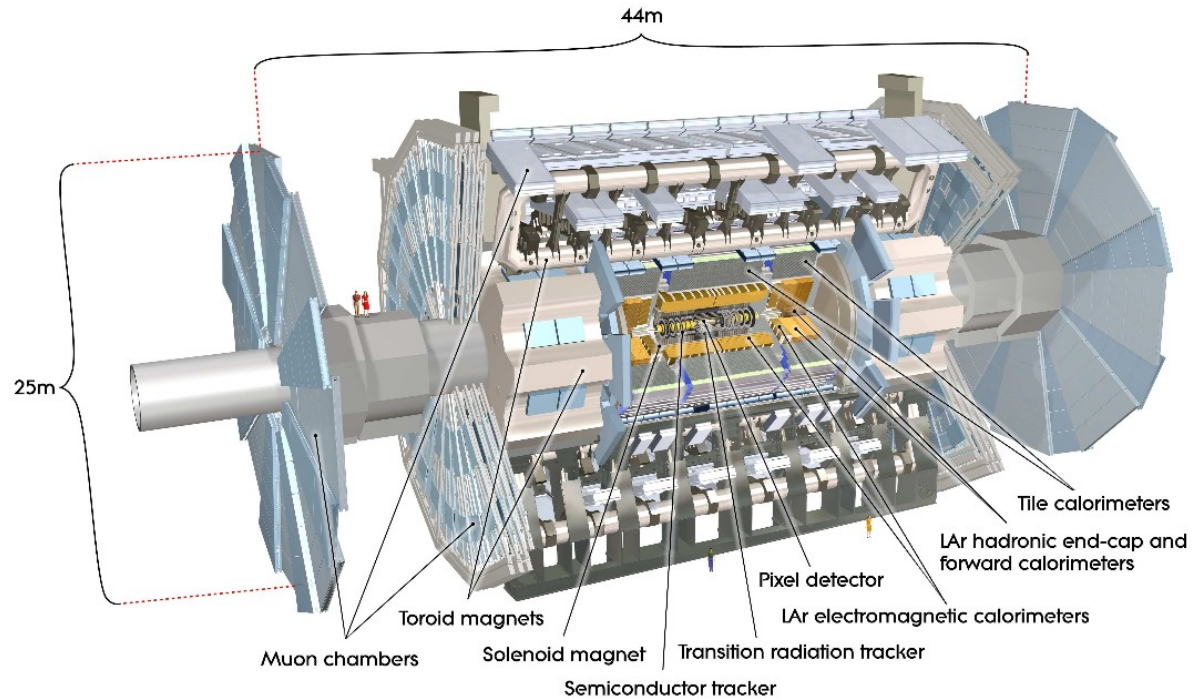
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# ATLAS Experiment

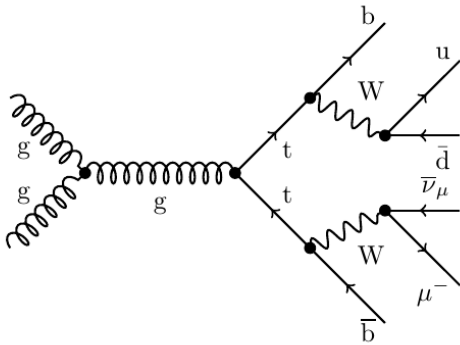
- Collider experiment @LHC
- Many-layered design with tracking detectors, calorimeters, muon chambers, ...
- Run 2 data
  - $L = 140 \text{ fb}^{-1}$
  - $\sqrt{s} = 13 \text{ TeV}$



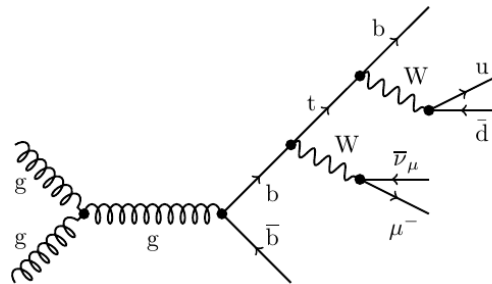
# Measurements of $pp \rightarrow WWbb$

**$WWbb$  is not just top-quark pair production, but it is much more extensive ...**

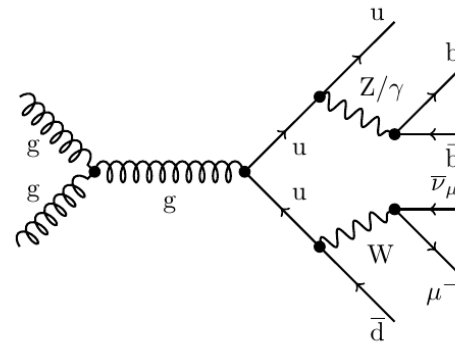
tt-production



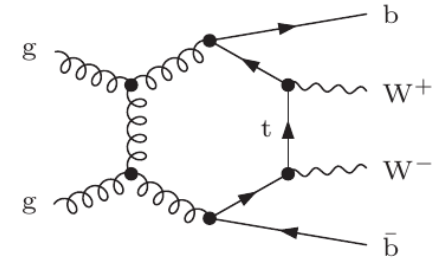
Non-resonant diagram



EW processes



Hexagon diagrams



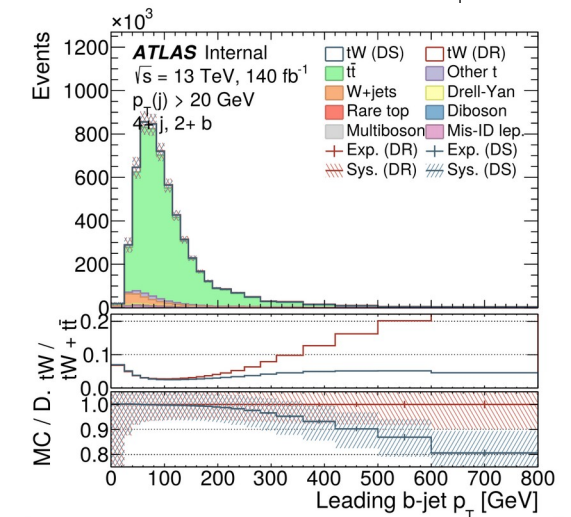
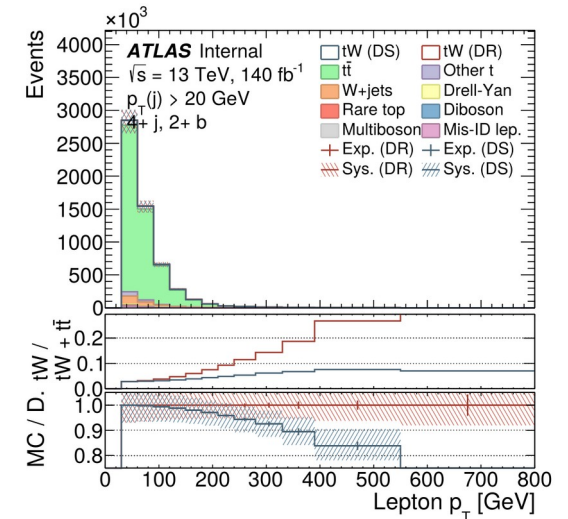
## Two main physics objectives

- Details on  $WWbb$  modelling are very relevant for  $tt$  & top-quark mass analyses,  $SUSY$  searches, etc..
- $WWbb$  is an important process on its own
  - fixed order predictions, etc...
  - sensitivity to  $m_t$ , top-quark width  $\Gamma_t$ ,  $\alpha_s$ , PDFs, ...

# WWbb in lepton+jets final state

## Analysis strategy

- Trigger and identify exactly one lepton (e or  $\mu$ )
- Require Missing  $E_T > 30$  GeV
- Identify b-tagged jets
  - Sufficient to identify WWbb events
  - Sizeable amount of data + large cross section
  - Very clean signal region
- For precision measurements:
  - Require  $W_{\text{had}}$  reconstructed from light jets



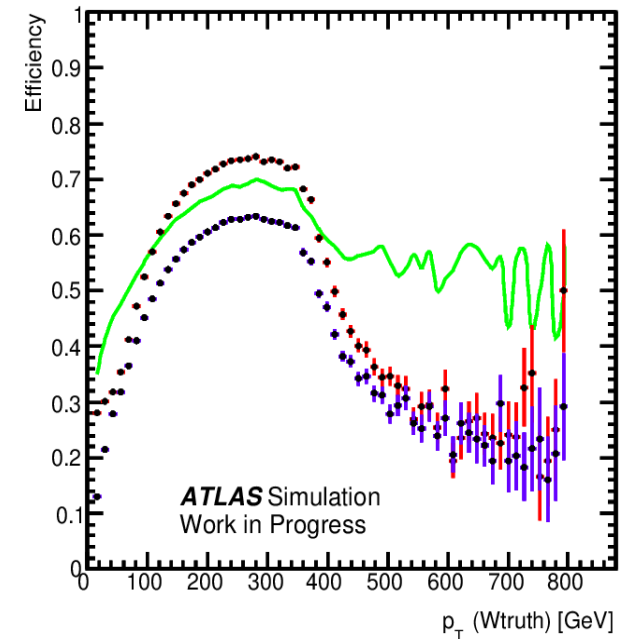
# Hadronic W-boson

- Hadronic W-boson is reconstructed from (light) jets
- No 1-to-1 correspondence between various levels (ME-level, particle-level, or reco-level)

- Consider W-boson matched when
$$\Delta R = \sqrt{\Delta\phi^2 + \Delta\eta^2} < 0.5$$

- W-candidate efficiencies:
  - Reco-level with ME (truth)
  - Particle-level with ME (truth)
  - Reco-level with Particle-level

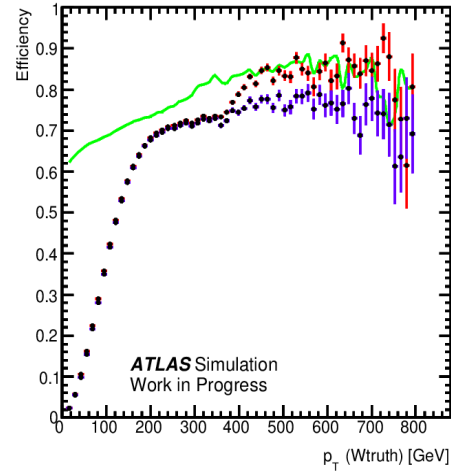
Select 2-jet candidate closest to  $M(W_{\text{had}})$



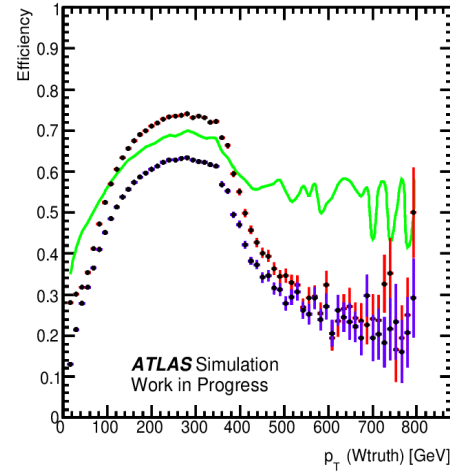
# $W_{\text{had}}$ - Naive reconstruction

Select the candidate with the mass closest to  $M(W_{\text{had}})$

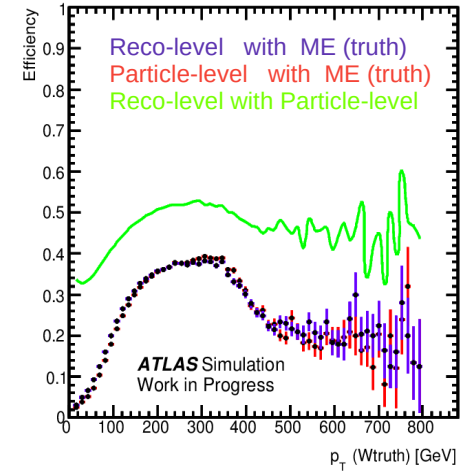
1-jet candidates



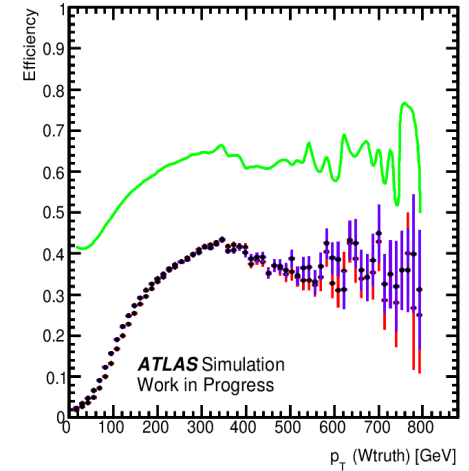
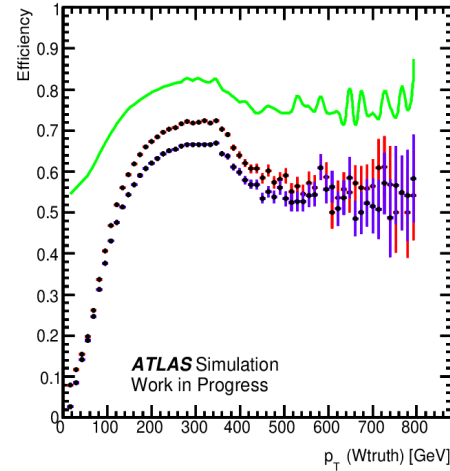
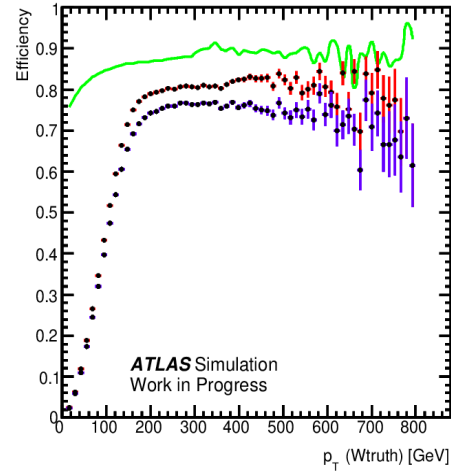
2-jet candidates



3-jet candidates



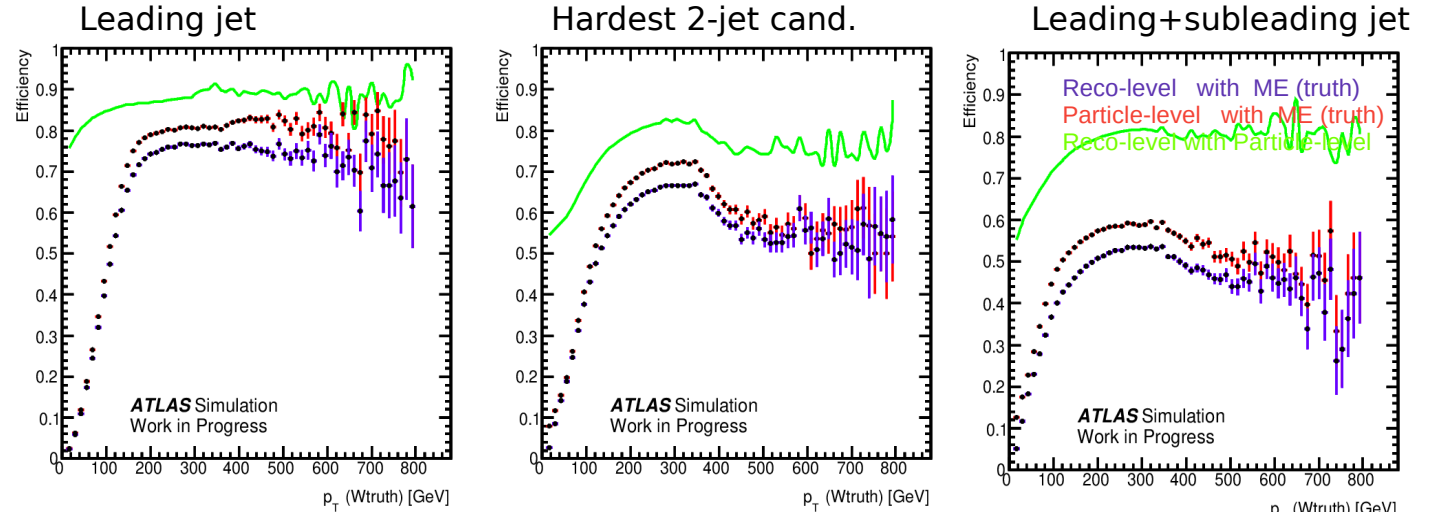
Select the hardest candidate (highest  $p_T$ )



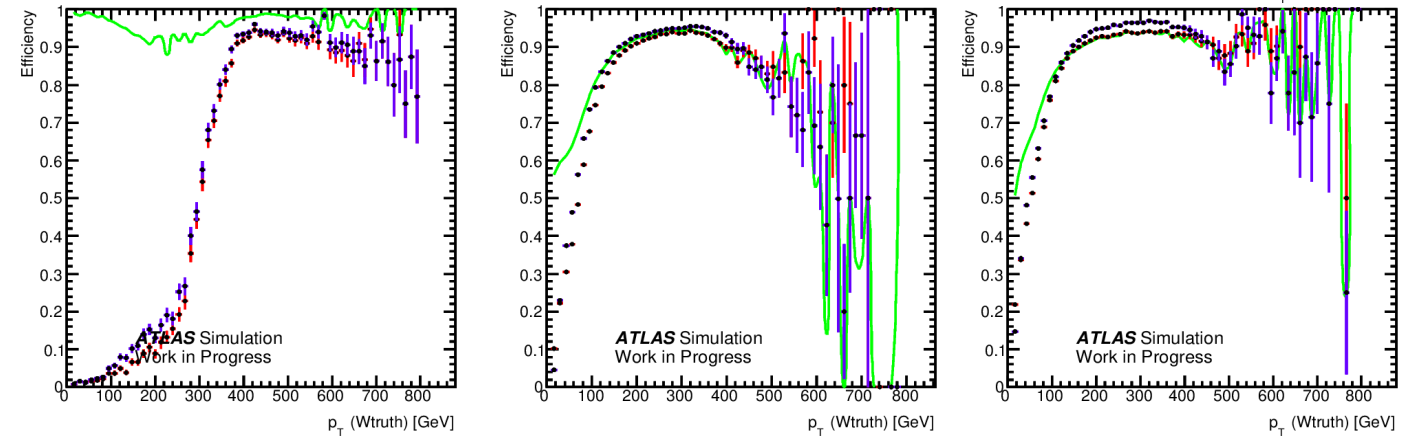
- $p_T$  ordering preferred over mass ordering
- Select from hardest 1-jet, 2-jet and 3-jet candidates

# $W_{\text{had}}$ - Improved reconstruction

No constraints on the properties of the reconstructed  $W_{\text{had}}$

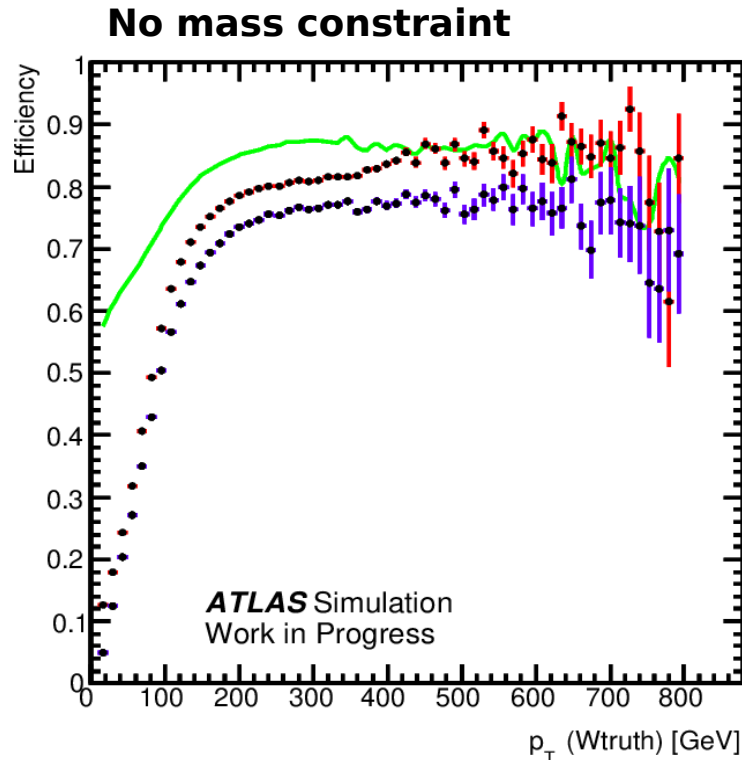


Add a cut on the mass:  
 $60 < M(W_{\text{had}}) < 100$  GeV



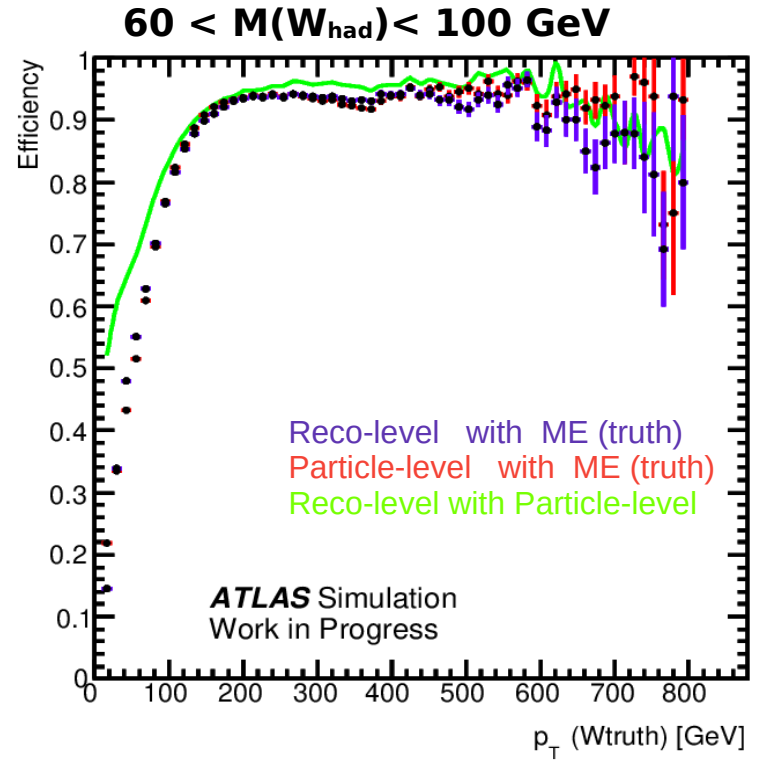
- Applying a cut on the  $W$ -mass increases reconstruction efficiency
- Combine 1- and 2-jet candidates for optimal reconstruction over entire  $p_T$  range

# $W_{\text{had}}$ - Optimized reconstruction



## Select from 5 candidates:

- Leading jet, subleading jet
  - Sum of leading and subleading jet
  - Hardest 2-jet and hardest 3-jet candidate
- Select candidate with mass closest to  $M(W)$



## Select from 3 candidates:

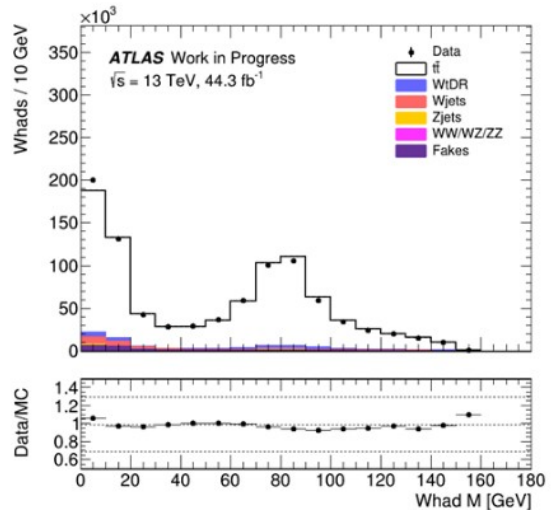
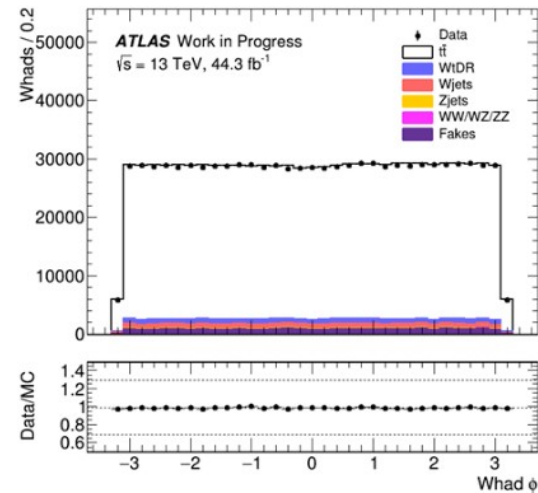
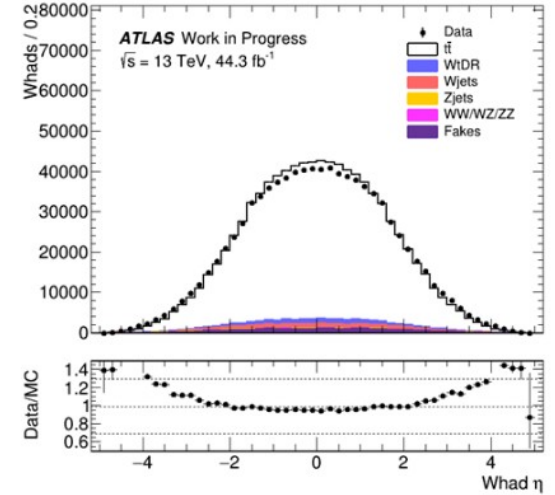
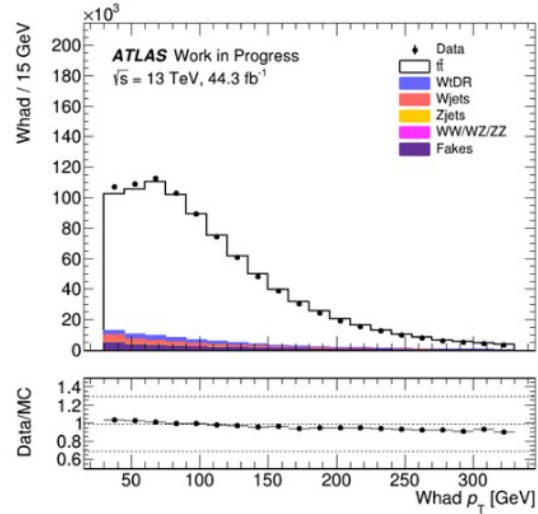
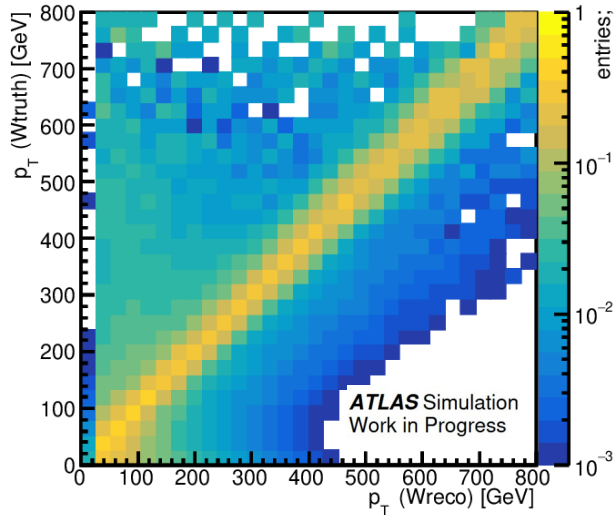
- Leading jet, subleading jet
  - Sum of leading and subleading jet
- Select candidate with mass closest to  $M(W)$



# $W_{had}$ - Control plots

## 5-candidate-reconstruction (see previous slide, no mass cut)

- W-boson can be well reconstructed
- All properties of WWbb kinematics can be measured
- Good agreement with data



# Summary

- Study process  $pp \rightarrow W^+W^-b\bar{b}$  with lepton + jets final state
- Accurate  $W_{\text{had}}$  reconstruction important for precision measurements
- Presented optimized reconstruction algorithm for  $W_{\text{had}}$
- High reconstruction efficiency over entire  $p_T$  range

